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**The Light of the Night Sky:  
Extending the Spectral Interval for  
Military Night Vision Devices**

Lucien M. Biberman

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Lucien M. Biberman



## **PREFACE**

This document was prepared under an IDA Central Research Project (CRP) entitled Airglow Effects in Night Sky.



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# **THE LIGHT OF THE NIGHT SKY: EXTENDING THE SPECTRAL INTERVAL FOR MILITARY NIGHT VISION DEVICES**

## **BACKGROUND**

Night vision technology falls into two rather broad classes: (1) visible and very short infrared and (2) middle and far infrared. The first is accessible using photoemissive technology; the second is accessible usually with cryogenic means.

With photoemissive technology the limits have always been the spectral response of uncooled photoemissive materials, the best of which recently has been gallium arsenide, which can be useful at wavelengths out to about 0.9  $\mu\text{m}$ .

There are, however, four sources of radiation from the night sky that extend much farther into longer wavelengths: moonlight, that from the Meinel Bands, scattered and direct radiation from stars, and galactic radiation from space.

Moonlight, the most important of the four sources, is solar radiation reflected from the lunar surface. This, of course, is very dependent upon the relative positions of Earth, the Sun, and the Moon. The next most important source in the visible and near-infrared is that from the Meinel Bands due to recombinations of the hydrogen and hydroxyl ions dissociated by sunlight during the daylight hours. The third most important source is the scattered and direct radiation from stars. The least important source is the galactic radiation from space.

Within the Army, there currently is a significant interest in utilizing the radiation in the Meinel bands between 1 and 2  $\mu\text{m}$ , a region beyond the easily used technology for night vision goggles and other devices based upon image-intensifier technology. This radiation, the major source of what is often called airglow, was of major academic interest to astrophysicists in the 1960s and 1970s. I personally had studied the feasibility of using the longer wavelength portions of airglow, and had reported my findings in an IDA publication which seems to have been lost—a thorough search had failed to find any record of that work. An IDA colleague recalls the work and the subsequent discussions with the Night Vision Laboratory perhaps a decade or so ago, but the hard details and references are all lost.

That work of mine concerned only the irradiance from hydroxyl recombinations, but did not consider galactic or starlight contributions.

In a recent lecture series given at the Night Vision Laboratory, this whole topic was raised again as a proposed study and development project by that research staff.

Thus, in the early fall of 1999, I proposed to conduct a thorough literature search, using the assistance of the IDA research librarians and the forward-search capabilities of the *Science* citation index, in order to establish a credible basis for pursuing or abandoning such an effort to employ the light of the night sky out to a wavelength approaching 2  $\mu\text{m}$ .

The Science and Technology division then established a small program to support such a review under the sponsorship of the STD central research program. This note is the result of that review.

## **IMAGE-INTENSIFIER HISTORY**

In 1936 Barthelemy and Lethine obtained French Patent #802244 for a light amplifier. Unfortunately, the state of photocathode and phosphor technology was such that the overall gain of their device was less than 1, although the concept was sound. The state of cathodes improved to a point that image intensifiers, with the early cathodes and with the aid of near-infrared illuminators, could provide a useful if limited means for extending the range of such devices for seeing at night. In time the state of photocathode performance improved dramatically, to a point that passive image intensifiers for night vision operating solely with the irradiance available naturally at night (i.e., without artificial illuminators) became a very real and useful tool and were provided to the troops in the war in South Vietnam.

Usually, the source of illumination was primarily that of moonlight coupled with the emissions from the night sky. These emissions were at first believed by the developers of such equipment to be from starlight, and some such devices were called "starlight-scopes." In actuality, the sources of night sky emissions were many: extragalactic background light, diffuse galactic light, zodiacal light, integrated starlight, and airglow.

More recently, some of the developers of intensifiers became aware of the increasing amount of light from airglow at wavelengths considerably beyond the limits of red sensitivity of the current generation of photocathodes, and they have proposed again to utilize these emissions for enhanced image-intensifier performance, especially on moonless nights.



It is the purpose of this note to provide some insight into the data available with which to examine the feasibility of such developments. To make a design decision one must consider four quite distinct topics:

- the source of natural night sky emissions,
- the atmospheric transmission from the source of those emissions from very high altitudes or space,
- the contrast due to the differential reflection of target and its background, and
- the available detectors for such radiation and their probable need for cryogenic cooling.

This note will consider only the first of the above four topics, leaving the designers to investigate the second item through application of such computer programs for atmospheric transmission as PCModWIN and PCLnWIN.

In most cases (based upon size, weight, and cost, including that of possibly needed cryogenics), the choice of detectors will determine how much spectral bandwidth is feasible.

## THE DATA

The astronomical observation of the heavens is complicated by the multiplicity of light sources, both diffuse and point source. For this reason, as well as their interest in the physics of the source of radiation, astronomers have devoted considerable effort in the pursuit of such data and its understanding.

One early significant review of such topics is the text by Mitra<sup>1</sup> written in 1952 at the Institute of Radio Physics and Electronics at the University College of Science, Calcutta.

Two figures from the Mitra book—the first originally by Elvey, the second by Roach and Pettit—are shown below. These show the variations in the light of the night sky during a single night (Fig. 1) or from night to night (Fig. 2).

A somewhat later general review is that written by F. E. Roach at the Hawaii Institute of Geophysics, University of Hawaii.<sup>2</sup>

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<sup>1</sup> Mitra, S. K., *The Upper Atmosphere*, Calcutta, 1952.

<sup>2</sup> Roach, F. E., "The Light of the Night Sky: Astronomical, Interplanetary, and Geophysical," *Space Science Review*, 3, April 1964, pp. 512–540.

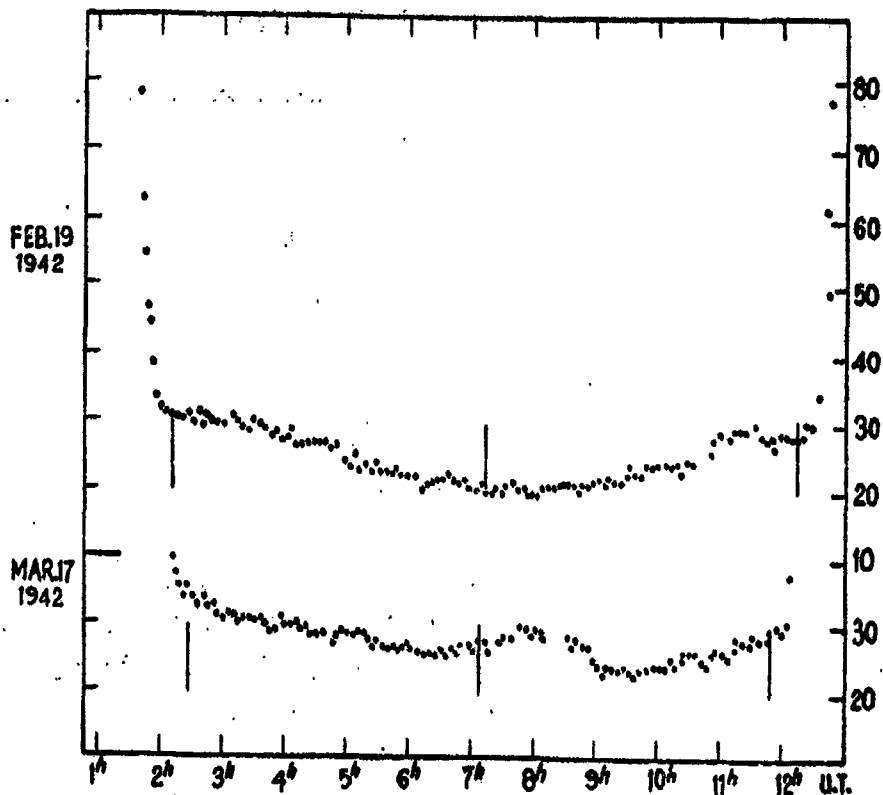


FIG. 23(a). Illustrating the type of variation in which the intensity of the night airglow decreases as night progress, attains a minimum near about the local midnight and then rises again. The variations are interpreted to be due to the red OH-bands. (After Elvey.)

Figure 1. Variations in the Light of the Night Sky (single night)

Interesting as this data might be, its collection was limited by the only good photocells available then—the S-10 photocathode. These had very, very limited red sensitivity, and data obtained with them were labeled “S-10” or “Vis” data.

Some pioneering work in determining the longer wavelength emissions was greatly accelerated by the work of H. P. Gush and Valance Jones in their paper “Infrared Spectrum of the Night Sky from 1.0 to 2.0 Microns.”<sup>3</sup> Figures 3 and 4 indicate two important sets of data from that paper.

<sup>3</sup> Gush, H.P., and Valance Jones, “Infrared Spectrum of the Night Sky from 1.0 to 2.0 Microns,” *Journal of Astronomical and Terrestrial Physics*, 7, 1955, pp. 285–291. See also Noxon, J. F., A.W. Harrison, and A. Vallance Jones, “The Infra-red Spectrum of the Night Sky Airglow from 1.4  $\mu$  to 4.0  $\mu$ , *Journal of Atmospheric and Terrestrial Physics*, 14, 1959, pp. 245–251.

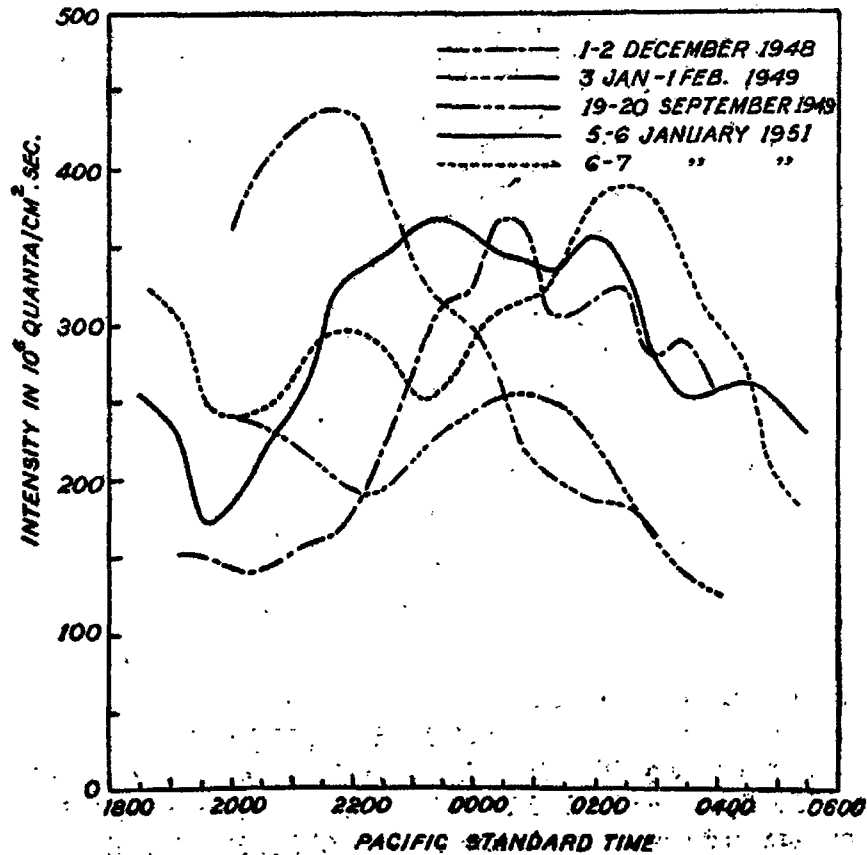


FIG. 24. Illustrating the type of variation in which the intensity of the night air-glow increases with the progress of the night and then falls after attaining a maximum. The curves are for the green oxygen line. (After Roach and Pettit.)

Figure 2. Variations in the Light of the Night Sky (from night to night)

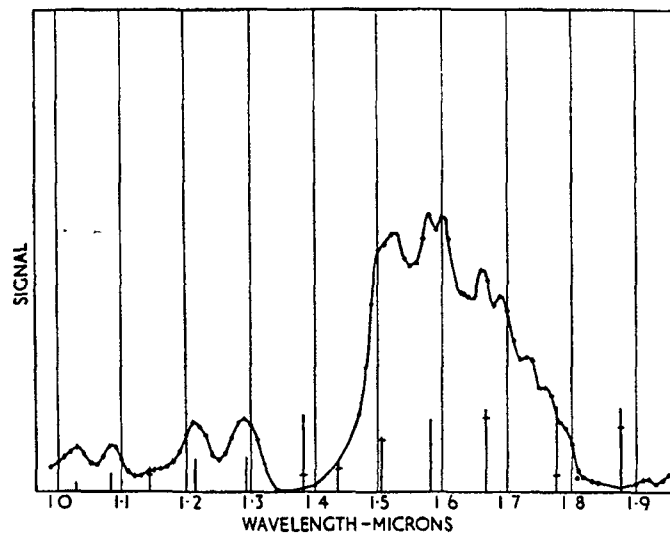
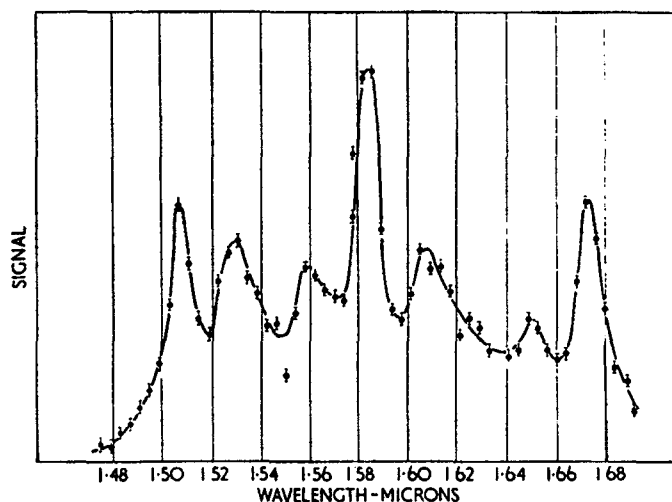


Figure 3. From Gush and Jones, Figure 2, p. 287



**Figure 4. From Gush and Jones, Figure 4, p. 288**

It must be noted here that data from Gush and Jones (Figs. 3 and 4), and that of Hohn and Maffeo (Figs. 5–7) are averaged over a number of observations, since the variations between observations is very significant. For that reason, in reviewing the data, I have little reason to believe the data was obtained in any single observation.

Unfortunately, even at that time, the details of the atmospheric extinction coefficient and the programs for computing such effects upon the emission sensed on Earth or measured from rockets and balloons and then extrapolated to the irradiance at Earth's surface were less than reliable. It was not until the 1990s that a great deal of confidence could be given to such computations. Currently, two major programs are available for such work: PCModWIN and the PCLnWIN programs developed under Phillips Laboratory (USAF) and published by the Ontar Corporation.

In 1967, Hohn and Maffeo measured the irradiance from the night sky in the mountains of central Europe and reported their finding, typified by the three figures below from "Spectrale Strahldichte des Klaren und des bedeckten nachthimmels im wellenlangenbereich von 0.5 bis 1.1  $\mu\text{m}$ ."<sup>4</sup> a translation of which is included in the appendices.

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<sup>4</sup> Hohn and Maffeo, "Spectrale Strahldichte des Klaren und des bedeckten nachthimmels im wellenlangenbereich von 0.5 bis 1.1  $\mu\text{m}$ ," *Infrared Physic*, 7, 1967, pp. 221–245

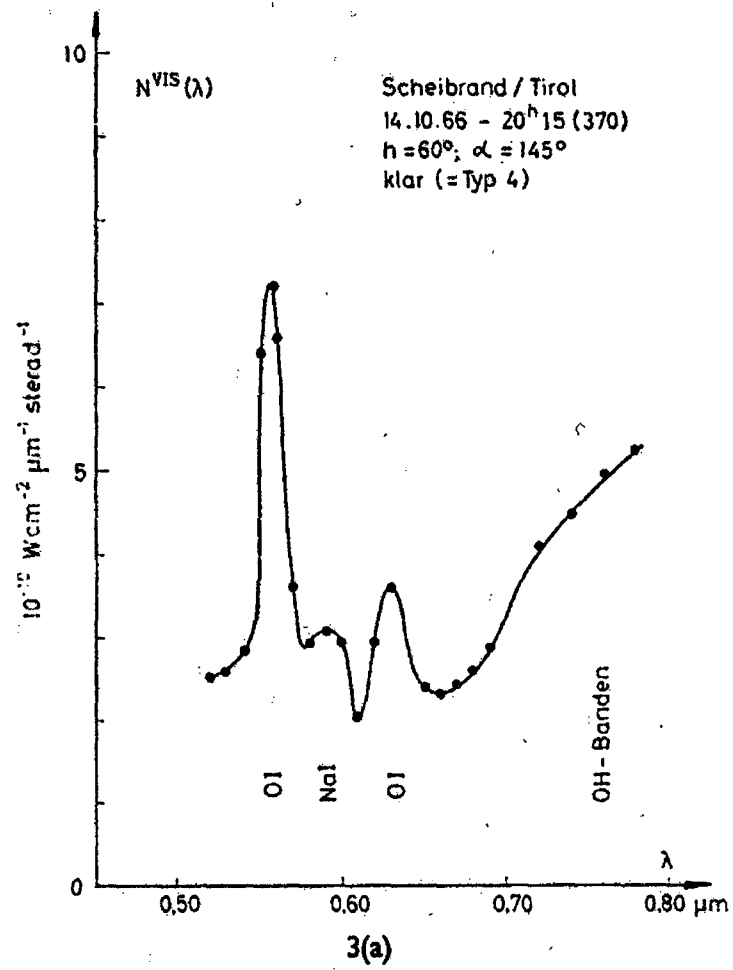


Figure 5. Light from a Clear Sky. See discussion in translation (Appendix B).

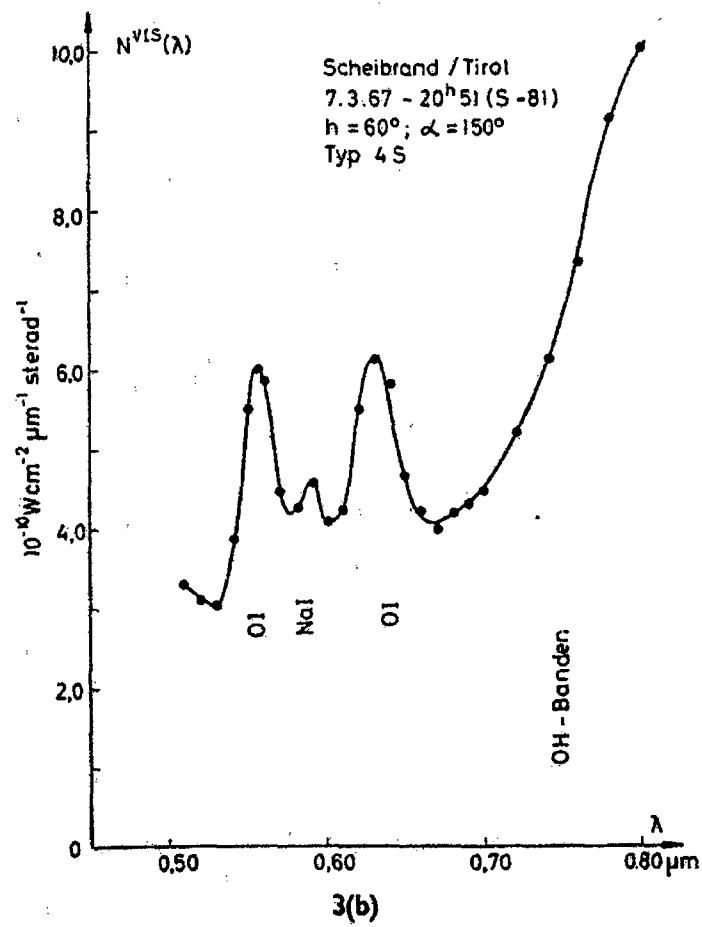


Figure 6. Light from a Night Sky. See discussion in translation (Appendix B).

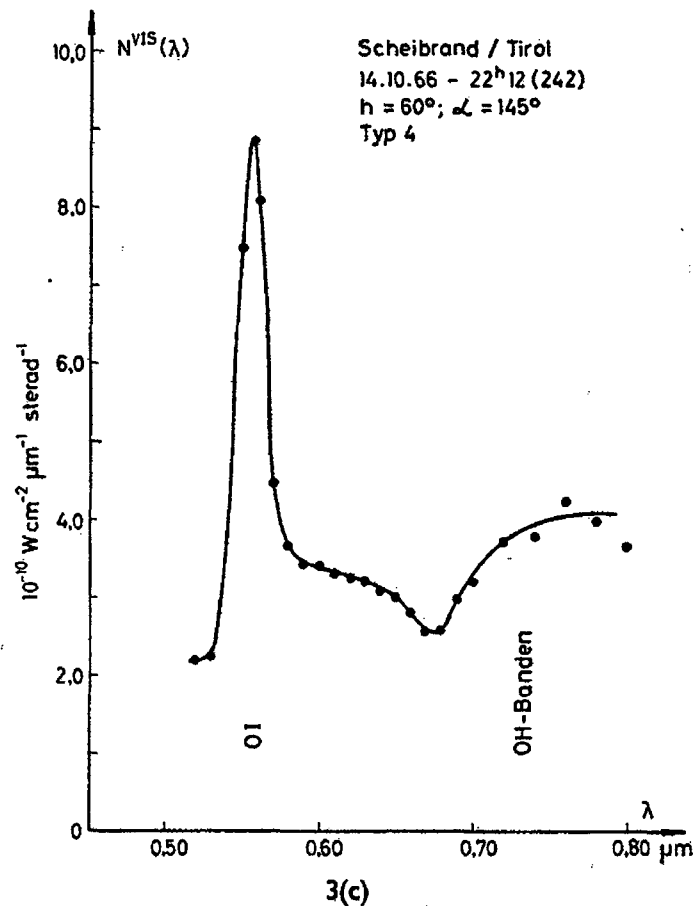


FIG. 3a-c. Spektrale Strahldichte des Nachthimmels.

**Figure 7. Spectral Radiance of Night Sky. See discussion in translation (Appendix B).**

In 1998 the International Astronomical Union published “The 1997 Reference of Diffuse Night Sky Brightness.”<sup>5</sup>

It was clear that the findings of this compilation, both scholarly and extensive in its coverage, make unnecessary any further review by me of modern literature on the subject of the light of the night sky.

## COMMENTS AND OPINIONS

In the light of the completeness of IAU compilation, it may seem that the material supplied from other sources may appear unnecessary. The additional material I provide, however, shows two things:

<sup>5</sup> Leinert, C., et al., “The 1997 Reference of Diffuse Night Sky Brightness,” in *Astronomy and Astrophysics Supplement*, Series 127, pp. 1–99, 1998.

- the variability that may be expected in the emissions from the night sky and
- the broadband broader area data measured from larger regions of the heavens, rather than just a minute or so of arc surrounding a star.

The data from much of the astronomical collection is concerned with the brightness of 1 square second of sky surrounding a star of interest, while the designer of intensifiers for night vision applications is interested in how much total irradiance in a given broadband from the total sky he may be able to use.

The three appendices to this note include a copy of the IAU report (Appendix A), a copy of the a translation of the 1967 paper by Hohn and Maffeo (Appendix B), and finally a best available reproduction of the critically important paper by F. E. Roach of 1964 (Appendix C).

The data in the IAU report and that from the additional material in the appendices should provide sufficient information to allow design decisions to be made based upon the best data available today.

## **CAVEAT**

The application of such data to the military use of image intensifiers, especially for head-mounted devices such as goggles, must be considered with care because of the weight and volume of such auxiliary components as coolers or other cryogenic engines needed for the existing cathode materials known to me.



## **Appendix A—The 1999 Reference of Diffuse Night Sky Brightness**

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# The 1997 reference of diffuse night sky brightness\*

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**Abstract.** In the following we present material in tabular and graphical form, with the aim to allow the non-specialist to obtain a realistic estimate of the diffuse night sky brightness over a wide range of wavelengths from the far UV longward of Ly $\alpha$  to the far-infrared. At the same time the data are to provide a reference for cases in which background brightness has to be discussed, including the planning for space observations and the issue of protection of observatory sites. We try to give a critical presentation of the status at the beginning of 1997.

**Key words:** diffuse radiation — interplanetary medium — atmospheric effects — astronomical databases: miscellaneous — infrared: general — ultraviolet: general

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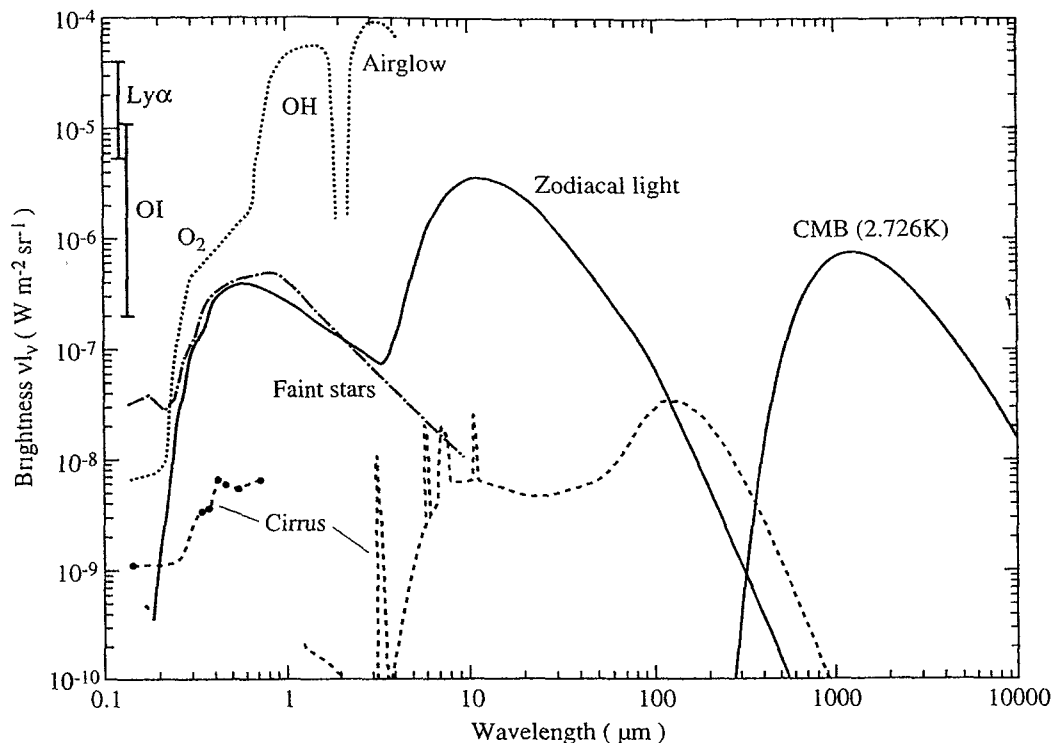
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Send offprint requests to: Ch. Leinert

\* Prepared by members of Commission 21 "Light of the night sky" of the IAU, including most of the recent (vice-)presidents.



**Fig. 1.** Overview on the brightness of the sky outside the lower terrestrial atmosphere and at high ecliptic and galactic latitudes. The zodiacal emission and scattering as well as the integrated light of stars are given for the South Ecliptic Pole ( $l = 276^\circ$ ,  $b = -30^\circ$ ). The bright magnitude cut-off for the stellar component is  $V = 6.0$  mag for  $0.3 - 1 \mu\text{m}$ . In the infrared, stars brighter than 15 Jy between 1.25 and  $4.85 \mu\text{m}$  and brighter than 85 Jy at  $12 \mu\text{m}$  are excluded. No cut-off was applied to the UV data,  $\lambda \leq 0.3 \mu\text{m}$ . The interstellar cirrus component is normalized for a column density of  $10^{20}$  H-atoms  $\text{cm}^{-2}$  corresponding to a visual extinction of 0.053 mag. This is close to the values at the darkest patches in the sky. Source for the long-wavelength data,  $\lambda \geq 1.25 \mu\text{m}$ , are COBE DIRBE and FIRAS measurements as presented by Désert et al. (1996). The IR cirrus spectrum is according to the model of Désert et al. (1990) fitted to IRAS photometry. The short-wavelength data,  $\lambda \leq 1.0 \mu\text{m}$ , are from the following sources: zodiacal light: Leinert & Grün (1990); integrated starlight:  $\lambda \leq 0.3 \mu\text{m}$ , Gondhalekar (1990),  $\lambda \geq 0.3 \mu\text{m}$ , Mattila (1980); cirrus:  $\lambda = 0.15 \mu\text{m}$ , Haikala et al. (1995),  $\lambda = 0.35 - 0.75 \mu\text{m}$ , Mattila & Schnur (1990), Mattila (1979). The geocoronal Lyman  $\alpha$  (121.6 nm) and the OI (130.4, 135.6 nm) line intensities were as measured with the Faint Object Camera of the Hubble Space Telescope at a height of 610 km (Caulet et al. 1994). The various references for the airglow emission can be found in Sect. 6.

## 1. Overview

This paper is concerned with the night sky brightness from the far UV ( $\approx 100$  nm) to the far infrared ( $\approx 200 \mu\text{m}$ ).

Quite a few sources contribute to the diffuse brightness of the moonless sky ( $I_{\text{night sky}}$ ) in this wavelength range:

- *airglow* from the upper atmosphere ( $I_A$ ).
- *Zodiacal light*, both as scattered sunlight and thermal emission of interplanetary dust particles, from interplanetary space ( $I_{ZL}$ ). (In the far UV interplanetary Ly $\alpha$  emission is important.)
- *Integrated starlight* ( $I_{ISL}$ ) of the stars not individually accounted for
- *diffuse galactic light* ( $I_{DGL}$ ), in the UV and visual mainly reflections off interstellar dust particles. Their infrared thermal emission is known as “cirrus” since the pioneering IRAS observations. It dominates the sky brightness in the far-infrared. Interstellar gas contributes line emissions

over all of our wavelength range.

– *Extragalactic background light* ( $I_{EBL}$ ) in addition to the radiation of individually detected galaxies.

The combined light of these radiations is attenuated by *atmospheric extinction*, while *tropospheric scattering* of the infalling flux adds a non-negligible brightness component ( $I_{sca}$ ).

Formally, the above statements may be expressed as

$$I_{\text{night sky}} = (I_A + I_{ZL} + I_{ISL} + I_{DGL} + I_{EBL}) \cdot e^{-\tau} + I_{sca}. \quad (1)$$

It should be noted that the “extinction coefficient”  $\tau$  (which depends on wavelength  $\lambda$ , zenith distance  $z$ , height of the observer and change of the atmospheric conditions with time) for diffuse sources has a value different from that determined for stars. The scattered light  $I_{sca}$  not only contains additional contributions due to stars and galaxies otherwise accounted for individually, but,

Table 1. Conversion factors for ultraviolet brightness units

Wavelength (nm)	1 photon/cm <sup>2</sup> s sr Å corresponds to			R/Å	Conversion factor $I_\nu \rightarrow I_\lambda$
	$I_\lambda$ [W/m <sup>2</sup> sr μm]	$I_\lambda$ [erg/cm <sup>2</sup> s sr Å]	$I_\nu$ [Jy/sr]		
30	6.62 10 <sup>-10</sup>	6.62 10 <sup>-11</sup>	0.199	1.26 10 <sup>-5</sup>	3.331 10 <sup>-9</sup>
60	3.31 10 <sup>-10</sup>	3.31 10 <sup>-11</sup>	0.398	1.26 10 <sup>-5</sup>	8.328 10 <sup>-10</sup>
100	1.99 10 <sup>-10</sup>	1.99 10 <sup>-11</sup>	0.663	1.26 10 <sup>-5</sup>	2.998 10 <sup>-10</sup>
121.6 <sup>a</sup>	1.63 10 <sup>-10</sup>	1.63 10 <sup>-11</sup>	0.856	1.26 10 <sup>-5</sup>	2.027 10 <sup>-10</sup>
150	1.32 10 <sup>-10</sup>	1.32 10 <sup>-11</sup>	0.994	1.26 10 <sup>-5</sup>	1.332 10 <sup>-10</sup>
200	9.93 10 <sup>-11</sup>	9.93 10 <sup>-12</sup>	1.325	1.26 10 <sup>-5</sup>	7.495 10 <sup>-11</sup>
250	7.95 10 <sup>-11</sup>	7.95 10 <sup>-12</sup>	1.657	1.26 10 <sup>-5</sup>	4.797 10 <sup>-11</sup>
300	6.62 10 <sup>-11</sup>	6.62 10 <sup>-12</sup>	1.988	1.26 10 <sup>-5</sup>	3.331 10 <sup>-11</sup>
350	5.68 10 <sup>-11</sup>	5.68 10 <sup>-12</sup>	2.319	1.26 10 <sup>-5</sup>	2.447 10 <sup>-11</sup>
400	4.97 10 <sup>-11</sup>	4.97 10 <sup>-12</sup>	2.650	1.26 10 <sup>-5</sup>	1.874 10 <sup>-11</sup>
500	3.97 10 <sup>-11</sup>	3.97 10 <sup>-12</sup>	2.120	1.26 10 <sup>-5</sup>	1.199 10 <sup>-11</sup>
656.3 <sup>b</sup>	3.03 10 <sup>-11</sup>	3.03 10 <sup>-12</sup>	4.349	1.26 10 <sup>-5</sup>	6.960 10 <sup>-12</sup>
1 μm	1.99 10 <sup>-11</sup>	1.99 10 <sup>-12</sup>	6.628	1.26 10 <sup>-5</sup>	2.998 10 <sup>-12</sup>
2 μm	9.93 10 <sup>-12</sup>	9.93 10 <sup>-13</sup>	13.25	1.26 10 <sup>-5</sup>	7.495 10 <sup>-13</sup>
4 μm	4.97 10 <sup>-12</sup>	4.97 10 <sup>-13</sup>	26.50	1.26 10 <sup>-5</sup>	1.874 10 <sup>-13</sup>

<sup>a</sup> Lyα, <sup>b</sup> Hα.

Table 2. Conversion factors for visual brightness units

Wavelength (μm)	1 MJy/sr corresponds to		$F_\nu$ [Jy] <sup>a</sup> for 0 mag	1 $S_{10}$ unit <sup>b</sup> corresponds to		1 $S_{10\odot}$ unit <sup>c</sup> corresponds to		
	$I_\lambda$ [W/m <sup>2</sup> sr μm]	R/Å		$I_\lambda$ [W/m <sup>2</sup> sr μm]	$I_\nu$ [Jy/sr]	$I_\lambda$ [W/m <sup>2</sup> sr μm]	$S_{10}$ units	$I_\nu$ [Jy/sr]
0.36 (U)	2.31 10 <sup>-5</sup>	5.27	1810	1.37 10 <sup>-8</sup>	590	6.70 10 <sup>-9</sup>	0.488	290
0.44 (B)	1.55 10 <sup>-5</sup>	4.31	4260	2.17 10 <sup>-8</sup>	1400	1.19 10 <sup>-8</sup>	0.550	770
0.502 ± 12 nm	1.19 10 <sup>-5</sup>	3.78	3960	1.55 10 <sup>-8</sup>	1300	1.28 10 <sup>-8</sup>	0.825	1070
0.530 ± 3.5 nm	1.07 10 <sup>-5</sup>	3.58	3790	1.33 10 <sup>-8</sup>	1240	1.24 10 <sup>-8</sup>	0.935	1160
0.55 (V)	9.91 10 <sup>-6</sup>	3.45	3640	1.18 10 <sup>-8</sup>	1200	1.18 10 <sup>-8</sup>	1.0	1200
0.64 (R <sub>C</sub> )	7.32 10 <sup>-6</sup>	2.96	3080	7.40 10 <sup>-9</sup>	1010	1.05 10 <sup>-8</sup>	1.42	1440
0.70 (R <sub>J</sub> )	6.12 10 <sup>-6</sup>	2.71	2840	5.70 10 <sup>-9</sup>	930	9.21 10 <sup>-9</sup>	1.61	1510
0.79 (I <sub>C</sub> )	4.80 10 <sup>-6</sup>	2.34	2550	4.02 10 <sup>-9</sup>	840	7.80 10 <sup>-9</sup>	1.94	1620
0.90 (I <sub>J</sub> )	3.70 10 <sup>-6</sup>	2.11	2250	2.73 10 <sup>-9</sup>	740	5.76 10 <sup>-9</sup>	2.11	1560
1.25 (J)	1.92 10 <sup>-6</sup>	1.52	1570	9.89 10 <sup>-10</sup>	515	2.93 10 <sup>-9</sup>	2.97	1530
1.65 (H)	1.10 10 <sup>-6</sup>	1.15	1020	3.69 10 <sup>-10</sup>	335	1.41 10 <sup>-9</sup>	3.84	1290
2.2 (K)	6.19 10 <sup>-7</sup>	0.862	636	1.29 10 <sup>-10</sup>	210	5.24 10 <sup>-10</sup>	4.06	850

<sup>a</sup>References: for U, B, V, R<sub>C</sub>, I<sub>C</sub> Bessell (1979); for R<sub>J</sub>, I<sub>J</sub> Allen (1985); for J, H, K Bessell & Brett (1988); for 502 nm and 530 nm Hayes (1985). The references give  $F_\nu$  or  $F_\lambda$  for a star of magnitude zero, with uncertainties of about 2% – 5%. They are transformed to  $S_{10}$  units by: 1 zeroth magnitude star/sr = 3.046  $S_{10}$  units

<sup>b</sup>By definition 1  $S_{10}$  unit corresponds to 27.78 mag/□'', while 22 mag/□'' = 205  $S_{10}$

<sup>c</sup>The definition of this unit depends on the solar UBVRIJHK values, which are uncertain by several % beyond 1.0 μm and below 400 nm. References: for U, B, V, R<sub>J</sub>, I<sub>J</sub> Allen (1985); for R<sub>C</sub>, I<sub>C</sub> Bessell & Brett (1988), Taylor (1992); for J, H, K Alonso et al (1995); for 502 nm and 530 nm Neckel & Labs (1984)

increasingly more important, the light pollution due to the ever-growing man-made lighting.

For space observations atmospheric extinction and scattering are irrelevant, but other complexities like instrumental stray light of lunar, terrestrial or solar radiation may arise. For low orbits, spacecraft-induced glow phenomena may be present.

Quite understandably then, extracting accurate brightness values from Eq. (1) is a difficult task, and the past has seen a measure of disagreement between individual determinations. In the following we want to summarise what consensus has been obtained in this field during the

last years, in order to provide a basis for easier reference and comparability.

The aim of this article is to provide the reader with comparatively easy access to agreed-upon or at least recommended values of night sky brightness. Inevitably this requires smoothing and interpolating of data. Therefore we want to give at the same time sufficient information on original publications to give an impression on the grade of agreement or disagreement of the available data and to allow the reader who wants to do so to draw his own conclusions.

**Table 3.** Conversion factors for infrared brightness units

Wavelength ( $\mu\text{m}$ )	1 MJy/sr corresponds to		$F_\nu$ [Jy] for star of 0 mag   Ref.		1 $S_{10}$ unit corresponds to		
	$I_\lambda$ [ $\text{W}/\text{m}^2 \text{ sr } \mu\text{m}$ ]	$I_\lambda$ [ $\text{cgs}^a$ ]			$I_\lambda$ [ $\text{W}/\text{m}^2 \text{ sr } \mu\text{m}$ ]	$I_\lambda$ [ $\text{cgs}^a$ ]	$I_\nu$ [Jy/sr]
1.25 ( <i>J</i> )	$1.92 \cdot 10^{-6}$	$1.92 \cdot 10^{-7}$	1570	1	$9.89 \cdot 10^{-10}$	$9.89 \cdot 10^{-11}$	515
1.65 ( <i>H</i> )	$1.10 \cdot 10^{-6}$	$1.10 \cdot 10^{-7}$	1020	1	$3.69 \cdot 10^{-10}$	$3.69 \cdot 10^{-11}$	335
2.2 ( <i>K</i> )	$6.19 \cdot 10^{-7}$	$6.19 \cdot 10^{-8}$	636	1	$1.29 \cdot 10^{-10}$	$1.29 \cdot 10^{-11}$	209
3.5 ( <i>L</i> )	$2.45 \cdot 10^{-7}$	$2.45 \cdot 10^{-8}$	281	1	$2.26 \cdot 10^{-11}$	$2.26 \cdot 10^{-12}$	92.3
3.8 ( <i>L'</i> )	$2.08 \cdot 10^{-7}$	$2.08 \cdot 10^{-8}$	235	1	$1.60 \cdot 10^{-11}$	$1.60 \cdot 10^{-12}$	77.2
4.8 ( <i>M</i> )	$1.30 \cdot 10^{-7}$	$1.30 \cdot 10^{-8}$	152	1	$6.50 \cdot 10^{-12}$	$6.50 \cdot 10^{-13}$	49.9
8.4	$4.25 \cdot 10^{-8}$	$4.25 \cdot 10^{-9}$	58	2	$8.09 \cdot 10^{-13}$	$8.09 \cdot 10^{-14}$	19.0
10	$3.00 \cdot 10^{-8}$	$3.00 \cdot 10^{-9}$	40	3	$3.94 \cdot 10^{-13}$	$3.94 \cdot 10^{-14}$	13.1
10.6 ( <i>N</i> )	$2.67 \cdot 10^{-8}$	$2.67 \cdot 10^{-9}$	36	3	$3.15 \cdot 10^{-13}$	$3.15 \cdot 10^{-14}$	11.8
12	$2.08 \cdot 10^{-8}$	$2.08 \cdot 10^{-9}$	28	4	$1.91 \cdot 10^{-13}$	$1.91 \cdot 10^{-14}$	9.19
20	$7.50 \cdot 10^{-9}$	$7.50 \cdot 10^{-10}$	10.4	3	$2.56 \cdot 10^{-14}$	$2.56 \cdot 10^{-15}$	3.41
21 ( <i>Q</i> )	$6.80 \cdot 10^{-9}$	$6.80 \cdot 10^{-10}$	9.4	3	$2.10 \cdot 10^{-14}$	$2.10 \cdot 10^{-15}$	3.09
25	$4.80 \cdot 10^{-9}$	$4.80 \cdot 10^{-10}$	6.7	4	$1.06 \cdot 10^{-14}$	$1.06 \cdot 10^{-15}$	2.20
60	$8.33 \cdot 10^{-10}$	$8.33 \cdot 10^{-11}$	1.19	4			
90	$3.70 \cdot 10^{-10}$	$3.70 \cdot 10^{-11}$					
100	$3.00 \cdot 10^{-10}$	$3.00 \cdot 10^{-11}$					
135	$1.64 \cdot 10^{-10}$	$1.64 \cdot 10^{-11}$					
175	$9.79 \cdot 10^{-11}$	$9.79 \cdot 10^{-12}$					
200	$7.50 \cdot 10^{-11}$	$7.50 \cdot 10^{-12}$					
240	$5.21 \cdot 10^{-11}$	$5.21 \cdot 10^{-12}$					

<sup>a</sup>unit is [ $\text{erg}/\text{cm}^2 \text{ s sr } \text{\AA}$ ].

<sup>1</sup>Bessell & Brett (1988) <sup>2</sup>Gillett & Stein (1971) <sup>3</sup>Rieke et al. (1985) <sup>4</sup>Neugebauer et al. (1988). The above references give  $F_\nu$  or  $F_\lambda$  for a star of magnitude zero, with uncertainties of about 2% – 5%. These values are transformed to  $S_{10}$  units by: 1 zeroth magnitude star/sr = 3.046  $S_{10}$  units.

We will go through the components basically in the order in which they appear in Eq. (1), and for each component try to provide information on the visual, infrared and ultraviolet wavelength ranges.

## 2. Brightness units

There are a number of different brightness units in use in the different fields of night sky brightness with their individual traditions and advantages. Rather than trying the Sisiphus work of standardising the use of brightness units, we give here conversion tables. These should help to transform whatever was given in an original reference to the desired physical units and allow intercomparison between different sources. As a rule, we will in the quantitative information on night sky brightness stay with the units of the original papers. The units come in two groups:

### (1) physical units:

- photons/ $\text{cm}^2 \text{ s sr } \text{\AA}$ .
- Rayleigh/ $\text{\AA}$  [ $\text{R}/\text{\AA}$ ]. Originally a measure of the emission in a column through the atmosphere, it also may be understood as a sky brightness of  $10^6/4\pi$  photons/ $\text{cm}^2 \text{ s sr } \text{\AA}$ .
- $F_\lambda$  in  $\text{W}/\text{m}^2 \text{ sr } \mu$  as well as in  $\text{W}/\text{cm}^2 \text{ sr } \mu$  and - in the cgs system - in  $\text{erg}/\text{cm}^2 \text{ s sr } \text{\AA}$ , where  $1 \text{ W}/\text{m}^2 \text{ sr } \mu = 10^{-4} \text{ W}/\text{cm}^2 \text{ sr } \mu = 0.10 \text{ erg}/\text{cm}^2 \text{ s sr } \text{\AA}$ .
- $F_\nu$  in MJy/sr or Jy/sr, where  $1 \text{ Jy} = 10^{-26}$

$\text{W m}^{-2}\text{Hz}^{-1}$ .

Note that  $\nu F_\nu [\text{W}/\text{m}^2 \text{ sr Hz}] = \lambda F_\lambda [\text{W}/\text{m}^2 \text{ sr } \mu\text{m}]$  and  $F_\lambda [\text{W}/\text{m}^2 \text{ sr } \mu\text{m}] = c/\lambda^2 [\text{Hz}/\text{m}] \cdot 10^{-6} \cdot F_\nu [\text{W}/\text{m}^2 \text{ sr Hz}]$ .

### (2) Traditional units:

–  $S_{10}$  units [tenth magnitude star per degree squared]. This is the brightness equivalent to the flux of a star of magnitude 10 (tenth magnitude in the wavelength range under consideration) distributed over one degree squared. Basically it refers to A0 stars, which essentially have the same magnitude in all wavelength bands. The  $S_{10}$  unit was convenient in terms of calibration by stars and in that by its use most values of the night sky brightness in the visual fall in the range 100 – 1000.

–  $B/\bar{B}_\odot$  (units of the mean brightness of the solar disk, mainly used in observations of the solar corona).

–  $S10_\odot$  [solar type stars of tenth magnitude per degree squared]. The unit has also been called  $S10$  or  $S10(\text{vis})$ . This unit is a convenient measure of the zodiacal light in the visual, where its spectral energy distribution would be equal to the solar one for neutral scattering. With  $V_\odot = -26.74$  and the mean solid angle of the Sun of  $6.80 \cdot 10^{-5} \text{ sr}$  (Allen 1985), we have, denoting the solar irradiance at 1 AU as  $F_\odot$ ,  $1 S10_\odot = 6.61 \cdot 10^{-12} F_\odot/\text{sr} = 4.50 \cdot 10^{-16} B/\bar{B}_\odot$ .

As representation of the solar radiation we use the solar spectral irradiance data of Neckel & Labs (1984). This understanding of the  $S10_\odot$  unit almost

exactly agrees with the definition given by Sparrow & Weinberg (1976).

Because of the different traditions we give the conversion tables separately for the ultraviolet, the visual and the infrared. Note that the conversion factors to physical units may be slightly different for a narrow-band filter and a broad-band filter at the same wavelength. A useful quantity to remember when working with the conversion tables is the energy of a 1  $\mu\text{m}$  photon:  $h\nu = 1.986 \cdot 10^{-19}$  Ws.

### 3. Coordinate transformations

Object coordinates are usually given in the equatorial  $\alpha$ ,  $\delta$  system.

The zodiacal light is given in terms of ecliptic coordinates  $\lambda - \lambda_{\odot}$ ,  $\beta$  with the zero point of  $\lambda$  in the Sun. Description of a line of sight by elongation  $\epsilon$  and inclination  $i$  also is common. For the relation between these two sets of coordinates see Fig. 2 and Sect. 3.5 below.

Integrated starlight is naturally presented in galactic coordinates  $l$ ,  $b$ .

For estimates of the diffuse background brightness at a given position, transformation between these three systems is necessary. Figures 3-7 provide a simple way to do so graphically with about one-degree accuracy, which is sufficient for many applications. The underlying transformation equations are summarised below for ease of access.

Airglow, extinction and scattering are best described in the local horizontal system  $A$ ,  $z$  (azimuth, zenith distance). The transformation to the other systems depends on time and on the observer's geographic coordinates. For the horizontal system, only the equations for the transformation to the equatorial system are given.

#### 3.1. Ecliptic and equatorial coordinates

The obliquity of the ecliptic is essentially constant,  $\epsilon = 23.446^\circ$  for equinox 1950, respectively  $\epsilon = 23.439^\circ$  for equinox 2000.

The precession of the vernal equinox along the ecliptic is  $p_0 = 50.3''/\text{year}$ . Hence

$$\lambda_{2000} = \lambda_{1950} + 0.698^\circ. \quad (2)$$

The north ecliptic pole is at  $\alpha = 18 \text{ h}$ ,  $\delta = 90^\circ - \epsilon$ .

The north celestial pole is at  $\lambda = 90^\circ$ ,  $\beta = 90^\circ - \epsilon$ .

Both  $\alpha$  and  $\lambda$  are counted eastward from the vernal equinox. Apart from the minimal change in  $\epsilon$ , the transformation equations then are the same for 1950 and 2000:

##### 3.1.1. Transformation $\alpha, \delta \rightarrow \lambda, \beta$

$$\begin{aligned} \sin \beta &= \sin \delta \cos \epsilon - \cos \delta \sin \epsilon \sin \alpha \\ \cos \lambda &= \cos \alpha \cos \delta / \cos \beta \\ \sin \lambda &= [\sin \delta \sin \epsilon + \cos \delta \cos \epsilon \sin \alpha] / \cos \beta. \end{aligned} \quad (3)$$

##### 3.1.2. Transformation $\lambda, \beta \rightarrow \alpha, \delta$

$$\begin{aligned} \sin \delta &= \sin \beta \cos \epsilon + \cos \beta \sin \epsilon \sin \lambda \\ \cos \alpha &= \cos \lambda \cos \beta / \cos \delta \\ \sin \alpha &= [-\sin \beta \sin \epsilon + \cos \beta \cos \epsilon \sin \lambda] / \cos \delta. \end{aligned} \quad (4)$$

#### 3.2. Galactic and equatorial coordinates

By IAU decision, for equinox 1950 the north galactic pole (NGP) is at  $\alpha = 12 \text{ h } 49.0 \text{ m}$ ,  $\delta = 27.4^\circ$  and the celestial pole at  $l = 123.0^\circ$ ,  $b = 27^\circ 24.0'$ . Hence the ascending node of the galactic equator is at  $\alpha_0 = 18 \text{ h } 49.0 \text{ m} = 282.25^\circ$ ,  $l_0 = 33.0^\circ$ . For equinox 2000, the coordinates of the north galactic pole are  $\alpha = 12 \text{ h } 51.42 \text{ m}$ ,  $\delta = 27^\circ 07.8'$ , and we have  $\alpha_0 = 282.86^\circ$ ,  $l_0 = 32.93^\circ$ . The inclination of the galactic equator with respect to the ecliptic is  $90^\circ - \delta_{\text{NGP}}$ . As  $\alpha$  and  $\lambda$ ,  $l$  is also counted eastwards.

With these parameters, the transformations are as follows:

##### 3.2.1. Transformation $\alpha, \delta \rightarrow l, b$

$$\begin{aligned} \sin b &= \sin \delta \sin \delta_{\text{NGP}} - \cos \delta \cos \delta_{\text{NGP}} \sin(\alpha - \alpha_0) \\ \cos(l - l_0) &= \cos(\alpha - \alpha_0) \cos \delta / \cos b \\ \sin(l - l_0) &= [\sin \delta \cos \delta_{\text{NGP}} + \\ &\quad \cos \delta \sin \delta_{\text{NGP}} \sin(\alpha - \alpha_0)] / \cos b. \end{aligned} \quad (5)$$

##### 3.2.2. Transformation $l, b \rightarrow \alpha, \delta$

$$\begin{aligned} \sin \delta &= \sin b \sin \delta_{\text{NGP}} + \cos b \cos \delta_{\text{NGP}} \sin(l - l_0) \\ \cos(\alpha - \alpha_0) &= \cos(l - l_0) \cos b / \cos \delta \\ \sin(\alpha - \alpha_0) &= [-\sin b \cos \delta_{\text{NGP}} + \\ &\quad \cos b \sin \delta_{\text{NGP}} \sin(l - l_0)] / \cos \delta. \end{aligned} \quad (6)$$

#### 3.3. Galactic and ecliptic coordinates

In ecliptic coordinates, for equinox 1950 the north galactic pole is at  $\lambda = 179.32^\circ$ ,  $\beta = 29.81^\circ$ , and the ascending node of the galactic equator at  $\lambda_0 = 269.32^\circ$ ,  $l_1 = 6.38^\circ$ . For equinox 2000, the coordinates of the north galactic pole are  $\lambda = 180.02^\circ$ ,  $\beta = 29.81^\circ$ , and we have  $\lambda_0 = 270.02^\circ$ ,  $l_1 = 6.38^\circ$ . The inclination of the galactic equator with respect to the ecliptic is  $90^\circ - \beta_{\text{NGP}}$ . As already mentioned,  $l$  is counted eastwards. With these parameters, the transformations are as follows:

3.3.1. Transformation  $\lambda, \beta \rightarrow l, b$ 

$$\begin{aligned}
\sin b &= \sin \beta \sin \beta_{\text{NGP}} - \cos \beta \cos \beta_{\text{NGP}} \sin(\lambda - \lambda_0) \\
\cos(l - l_1) &= \cos(\lambda - \lambda_0) \cos \beta / \cos b \\
\sin(l - l_1) &= [\sin \beta \cos \beta_{\text{NGP}} + \\
&\quad \cos \beta \sin \beta_{\text{NGP}} \sin(\lambda - \lambda_0)] / \cos b.
\end{aligned} \tag{7}$$

3.3.2. Transformation  $l, b \rightarrow \lambda, \beta$ 

$$\begin{aligned}
\sin \beta &= \sin b \sin \beta_{\text{NGP}} + \cos b \cos \beta_{\text{NGP}} \sin(l - l_1) \\
\cos(\lambda - \lambda_0) &= \cos(l - l_1) \cos b / \cos \beta \\
\sin(\lambda - \lambda_0) &= [-\sin b \cos \beta_{\text{NGP}} + \\
&\quad \cos b \sin \beta_{\text{NGP}} \sin(l - l_1)] / \cos \beta.
\end{aligned} \tag{8}$$

## 3.4. Altazimuth and equatorial coordinates

The transformation depends on local sidereal time  $\Theta$  and on geographical latitude  $\phi$ . Instead of elevation, zenith distance  $z$  will be used. The zenith distance of the celestial pole is  $90^\circ - \phi$ . Both, azimuth  $A$  and hour angle  $t = \Theta - \alpha$  are counted from the meridian through west.

3.4.1. Transformation  $\alpha, \delta \rightarrow A, z$ 

$$\begin{aligned}
\cos z &= \sin \delta \sin \phi + \cos \delta \cos \phi \cos(\Theta - \alpha) \\
\cos A &= [-\sin \delta \cos \phi + \cos \delta \sin \phi \cos(\Theta - \alpha)] / \sin z \quad (9) \\
\sin A &= \sin(\Theta - \alpha) \cos \delta / \sin z.
\end{aligned}$$

3.4.2. Transformation  $A, z \rightarrow \alpha, \delta$ 

$$\begin{aligned}
\sin \delta &= \cos z \sin \phi - \sin z \cos \phi \cos A \\
\cos(\Theta - \alpha) &= [\cos z \cos \phi + \sin z \sin \phi \cos A] / \cos \delta \quad (10) \\
\sin(\Theta - \alpha) &= \sin A \sin z / \cos \delta.
\end{aligned}$$

## 3.5. Alternate ecliptic coordinates

Instead of  $\lambda - \lambda_\odot, \beta$  also a sun-centered polar coordinate system is used. Its coordinates are the angular distance from the sun, called elongation  $\epsilon$ , and a position angle  $i$ , counted from the ecliptic counterclockwise, called inclination. The relation between the two sets of coordinates, when describing the position of a field-of-view with respect to the sun, is shown in Fig. 2.

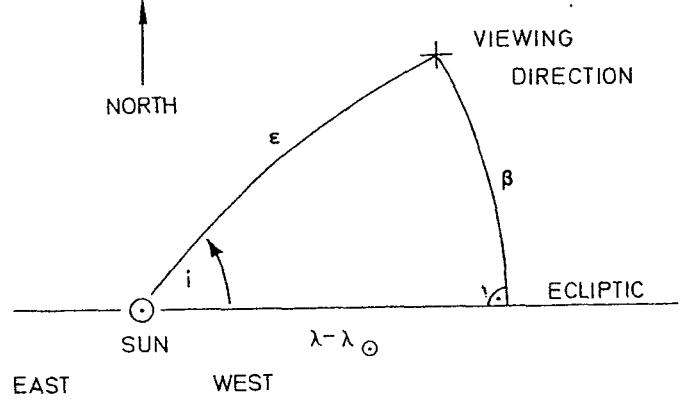


Fig. 2. Relation between the coordinates used for presenting zodiacal light measurements.  $\lambda$  is counted positive towards east,  $i$  is counted positive counterclockwise from the ecliptic west of the Sun

It is unfortunate that the obliquity of the ecliptic, used in Eqs. (3) and (4), and the angular distance from the sun, used in Eqs. (11) and (12), both are designated by the same letter  $\epsilon$ . However we did not want to change the commonly used notations. In practice this dual meaning rarely should lead to confusion.

3.5.1. Transformation  $\lambda - \lambda_\odot, \beta \rightarrow \epsilon, i$ 

$$\begin{aligned}
\cos \epsilon &= \cos(\lambda - \lambda_\odot) \cos \beta \\
\cos i &= \cos \beta \sin(\lambda - \lambda_\odot) / \sin \epsilon \\
\sin i &= \sin \beta / \sin \epsilon.
\end{aligned} \tag{11}$$

3.5.2. Transformation  $\epsilon, i \rightarrow \lambda - \lambda_\odot, \beta$ 

$$\begin{aligned}
\sin \beta &= \sin i \sin \epsilon \\
\cos(\lambda - \lambda_\odot) &= \cos \epsilon / \cos \beta \\
\sin(\lambda - \lambda_\odot) &= \cos i \sin \epsilon / \cos \beta.
\end{aligned} \tag{12}$$

The reader is cautioned that in some papers the differential helioecliptic longitude  $\lambda - \lambda_\odot$  may be called “elongation” or may be designated as “ $\epsilon$ ”, contrary to our definition of elongation  $\epsilon$  as the angular distance from the sun to the field-of-view.



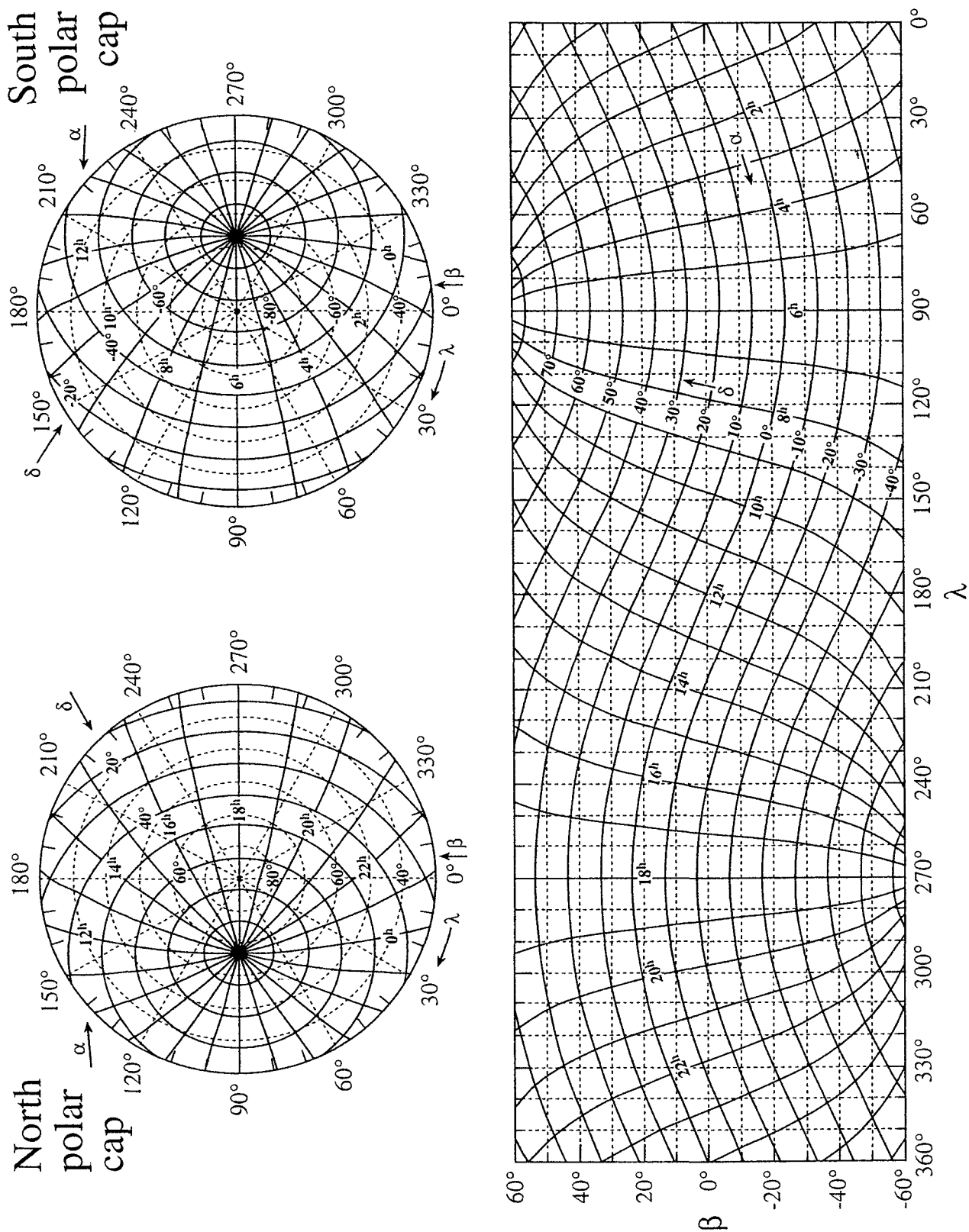


Fig. 3. Relation between coordinates  $\alpha$ ,  $\delta$  (lines) and  $\lambda$ ,  $\beta$  (underlying dotted grid) for equinox 2000

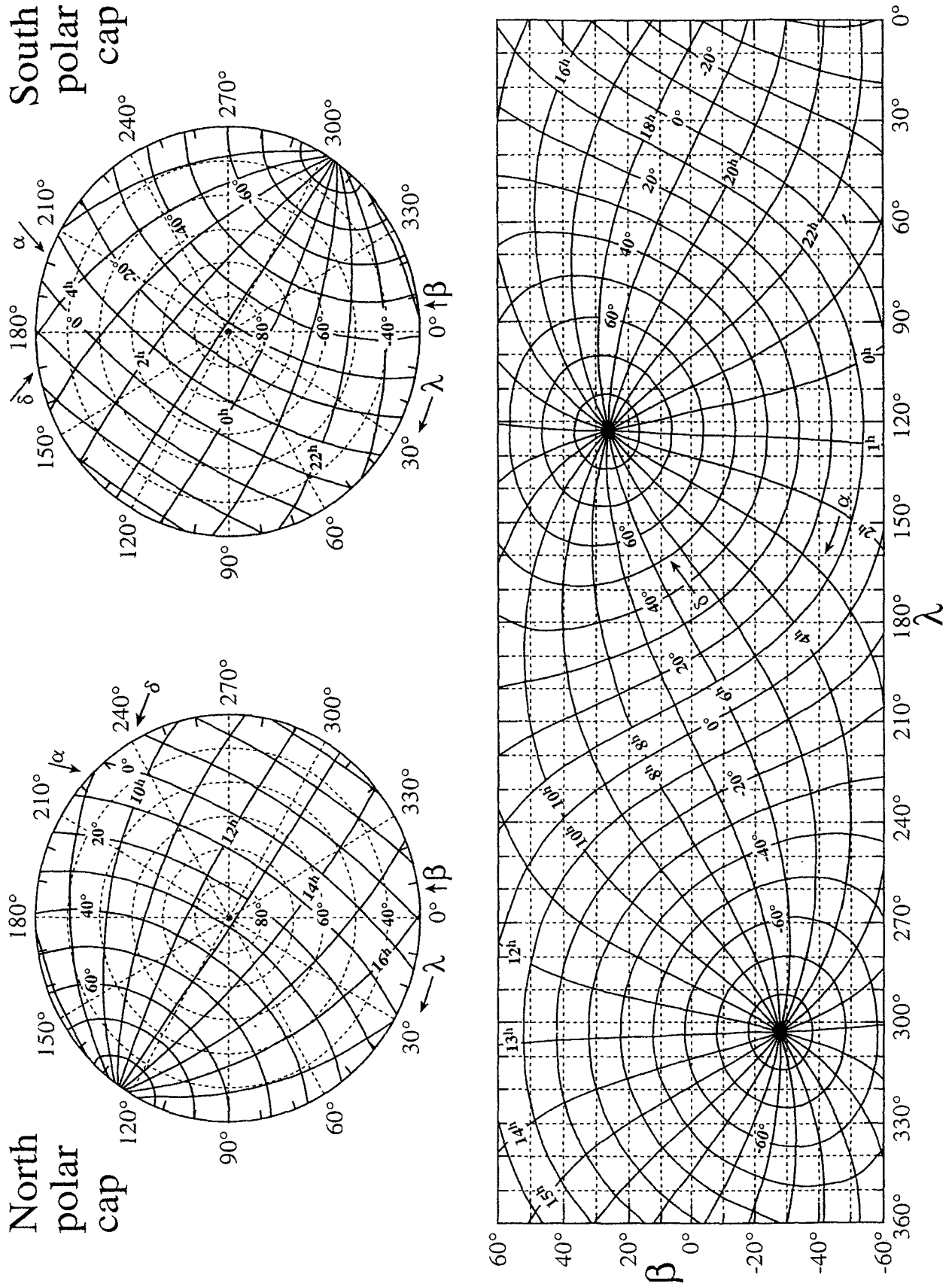


Fig. 4. Relation between coordinates  $\alpha, \delta$  (lines) and  $l, b$  (underlying dotted grid) for equinox 2000

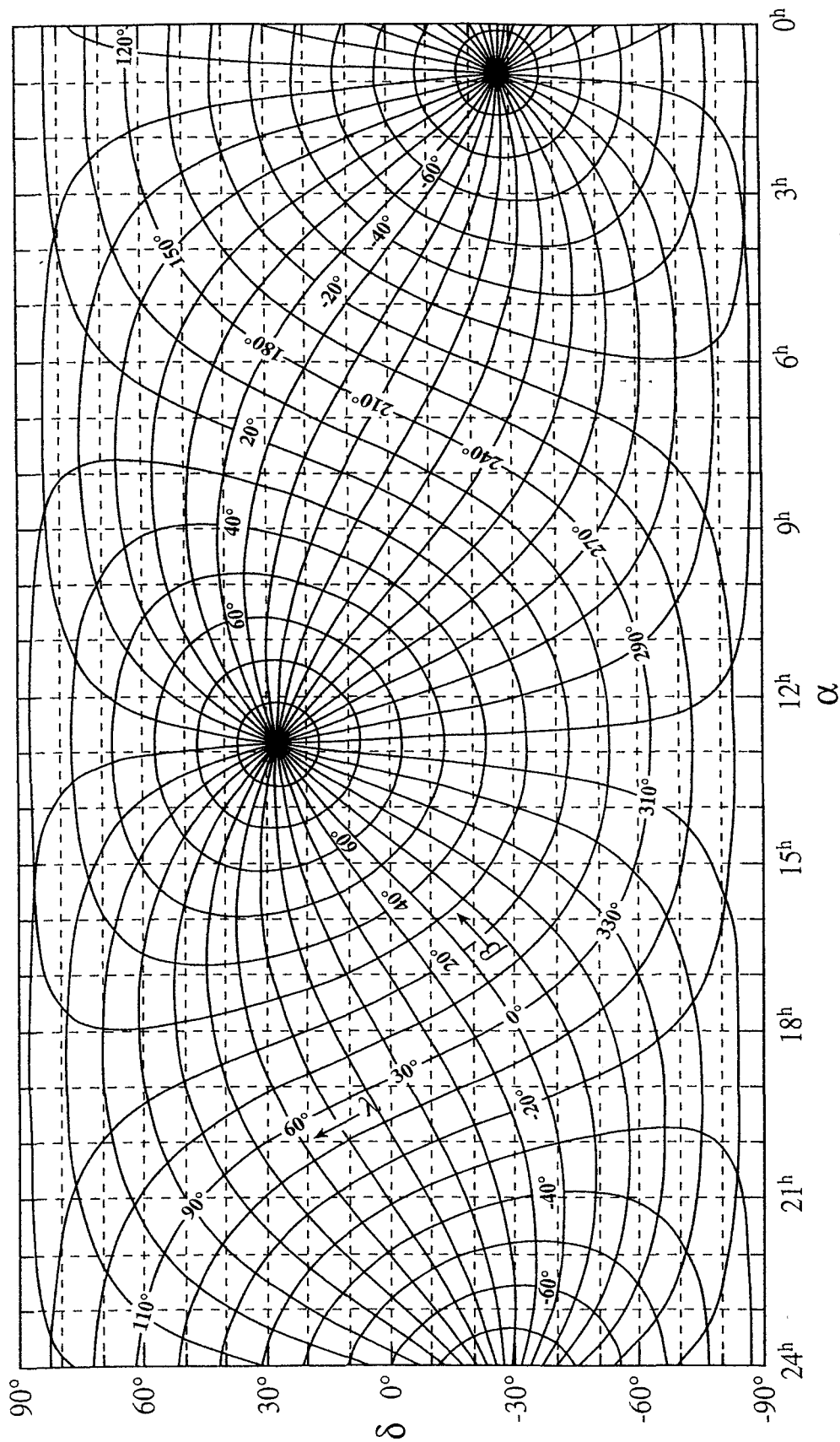


Fig. 5. Relation between coordinates  $l, b$  (lines) and  $\alpha, \delta$  (underlying dotted grid) for equinox 2000 – alternative projection

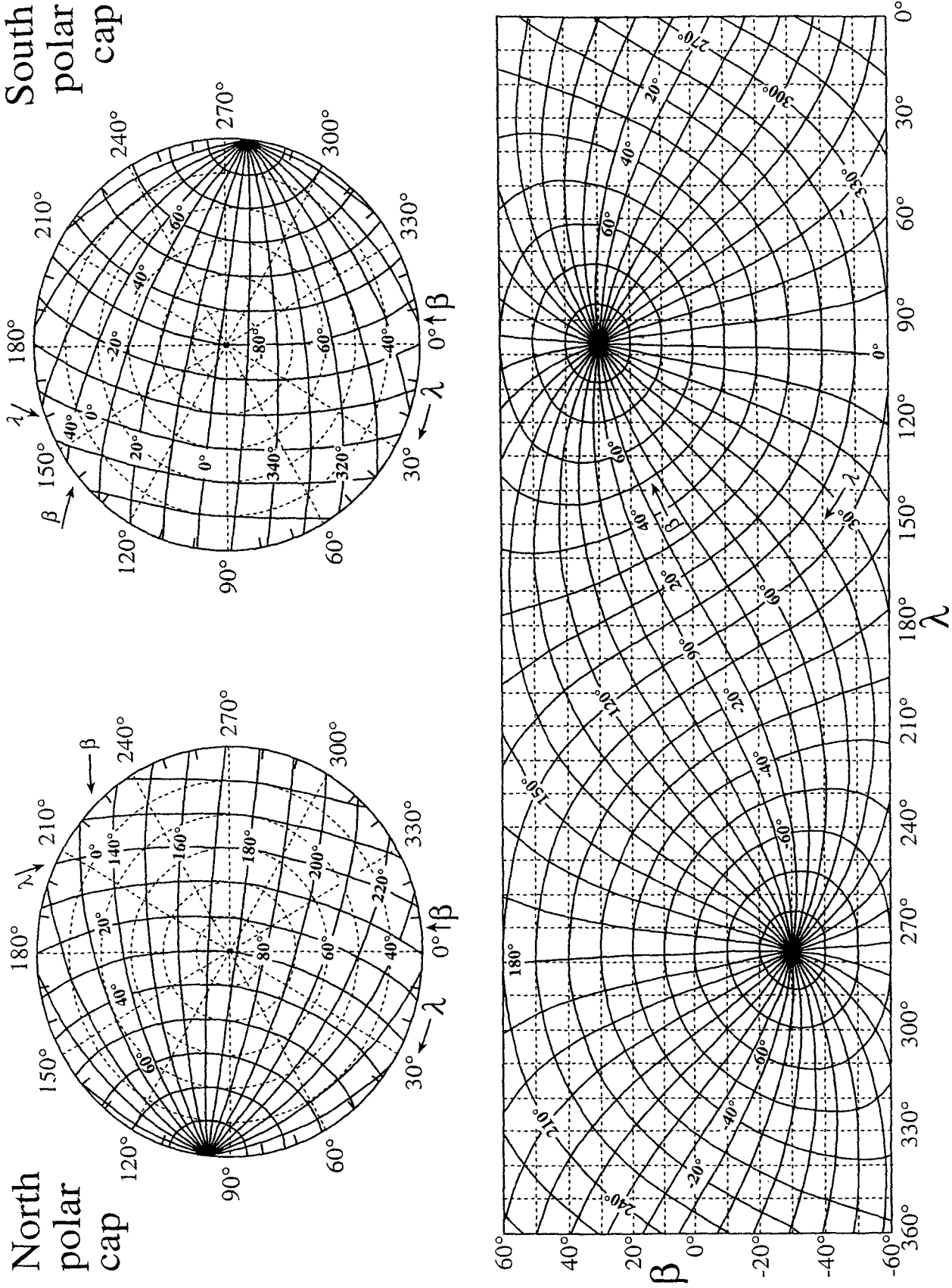


Fig. 6. Relation between coordinates  $\lambda, \beta$  (lines) and  $l, b$  (underlying dotted grid) for equinox 2000

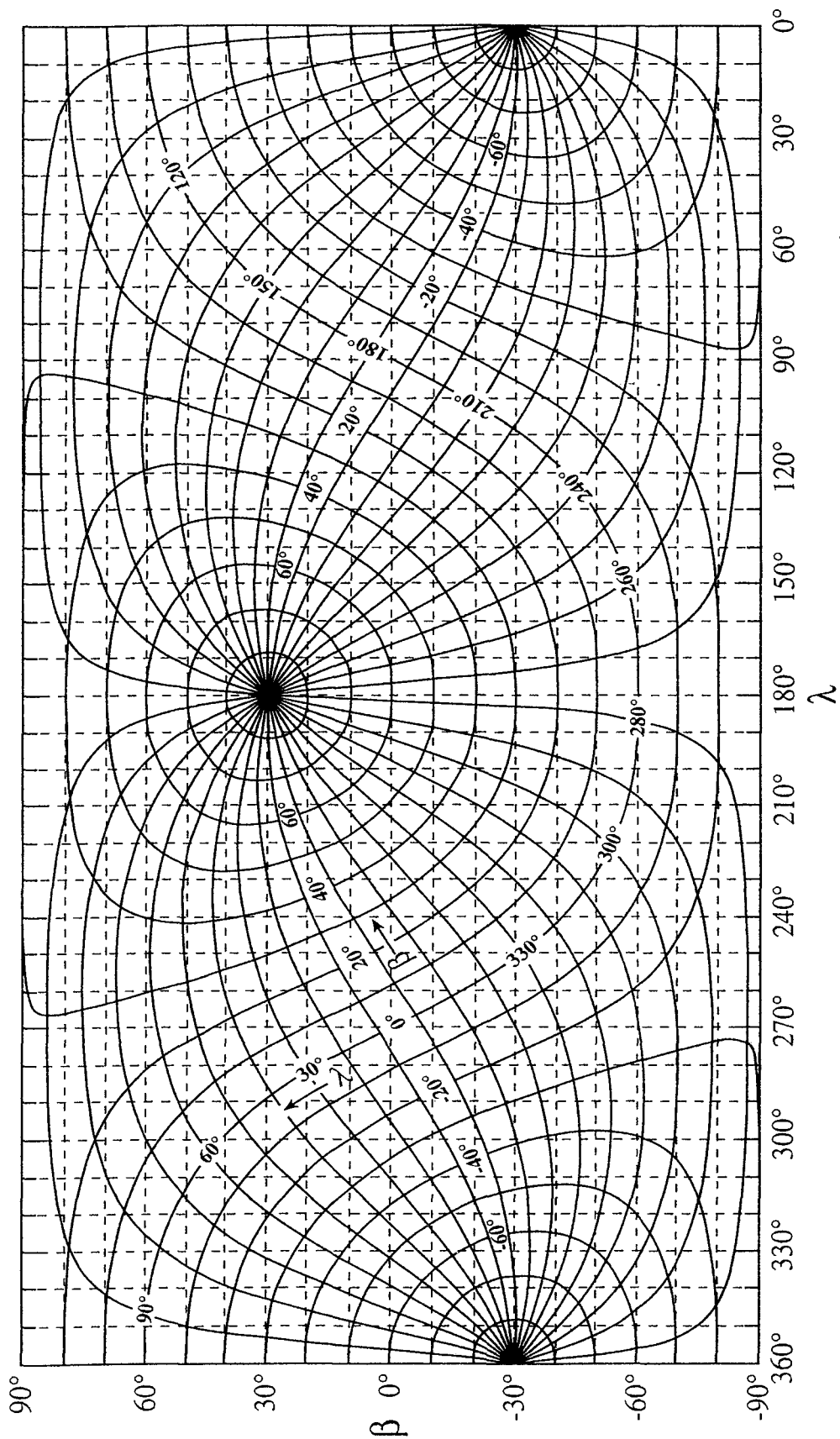


Fig. 7. Relation between coordinates  $l, b$  (lines) and  $\lambda, \beta$  (underlying dotted grid) for equinox 2000 – alternative projection

**Table 4.** Comparison of  $B$  and  $V$  zenith sky brightnesses at different sites in units of  $\text{mag}/\square''$ . The minimum/maximum values given are averages of the three smallest/largest sky brightness values (nightly averages) given for each site. In the case of ESO and Calar Alto, the numbers in boldface refer to actual  $B$ ,  $V$  measurements, while the numbers in parantheses have been transformed from medium band filter measurements. The given solar 10.7 cm flux value (in units of  $10^4$  Jy) is the average of the three nights in question

Site	$I_B(\text{max})$	$I_B(\text{min})$	$I_V(\text{max})$	$I_V(\text{min})$	Solar flux	Corresponding dates	ref.
ESO	<b>22.74</b>		<b>21.69</b>		164	<b>78-02-05</b>	1.
	(22.20)		(20.85)		168	80-12-06; 80-06-08; 88-12-05	
		<b>22.97</b>			161	<b>78-02-08</b>	
		(22.94)			116	78-02-08; 87-12-16; 87-12-19;	
				<b>21.91</b>	162	<b>78-02-07</b>	
Calar Alto	<b>22.51</b> (22.30)			(22.02)	94	87-12-15; 87-12-16; 87-12-19;	2.
		<b>23.05</b> (22.98)			61	<b>95-05-26,27,28</b>	
			(21.16)		176	89-05-06; <b>90-06-26</b> ; 93-06-21	
				<b>21.79</b>	206	89-05-04; 91-06-11; 91-06-16	
San Benito Mt.	22.37		21.32		61	<b>95-05-27,28,29</b>	3.
		23.08			233	80-04-11; 81-07-28; 82-06-22	
				22.07	78	76-04-30; 87-04-25; 87-06-29	
Kitt Peak	22.65				76	76-04-30; 87-04-28; 87-06-29	4.
		22.98			114	88-01-21; 88-03-17; 88-06-14	
			21.60		75	86-12-02; 86-12-30; 87-06-22	
				22.01	114	87-11-20; 88-03-17; 88-06-14	
Crimea	21.91		21.10		75	86-12-02; 86-12-31; 87-06-22	5.
		23.05		22.05	122	68-04-28; 71-04-25; 70-08-09	
Hawaii	22.27				136	68-03-29; 68-04-06; 68-04-28	6.
		23.03			210	88-11-13; 89-03-28; 89-09-12	
			21.21		142	87-08-26; 87-11-13; 89-06-10	
				22.05	166	85-12-13; 88-11-13; 89-03-28	
McDonald Observatory	22.54		21.54		102	86-06-02; 87-08-26; 88-07-18	7.
		23.01			138	60-02-04; 72-12-30; 73-01-12	
				21.92	156	60-01-27; 72-01-11; 72-01-15	
					159	60-01-27; 72-01-15; 73-01-08	

1. Mattila et al. (1996a).

2. Leinert et al. (1995), Leinert et al. (1996, unpublished).

3. Walker (1988).

4. Pilachowski et al. (1989).

5. Lyutyi & Sharov (1982).

6. Krisciunas (1990).

7. Kalinowski et al. (1975).

#### 4. Total sky brightness

In this section we give the minimum diffuse sky brightness to be expected (values for an arbitrary field-of-view have to be estimated as a sum of the components of the night sky brightness). For the ultraviolet and the infrared, extraterrestrial values are given. For the visual spectral region we give the values as seen from ground. Here, the extraterrestrial values would closely correspond to the minimum brightness of the zodiacal light, stars being resolved by optical space telescopes like the HST. For the near-infrared, sky brightness as seen from ground is also included.

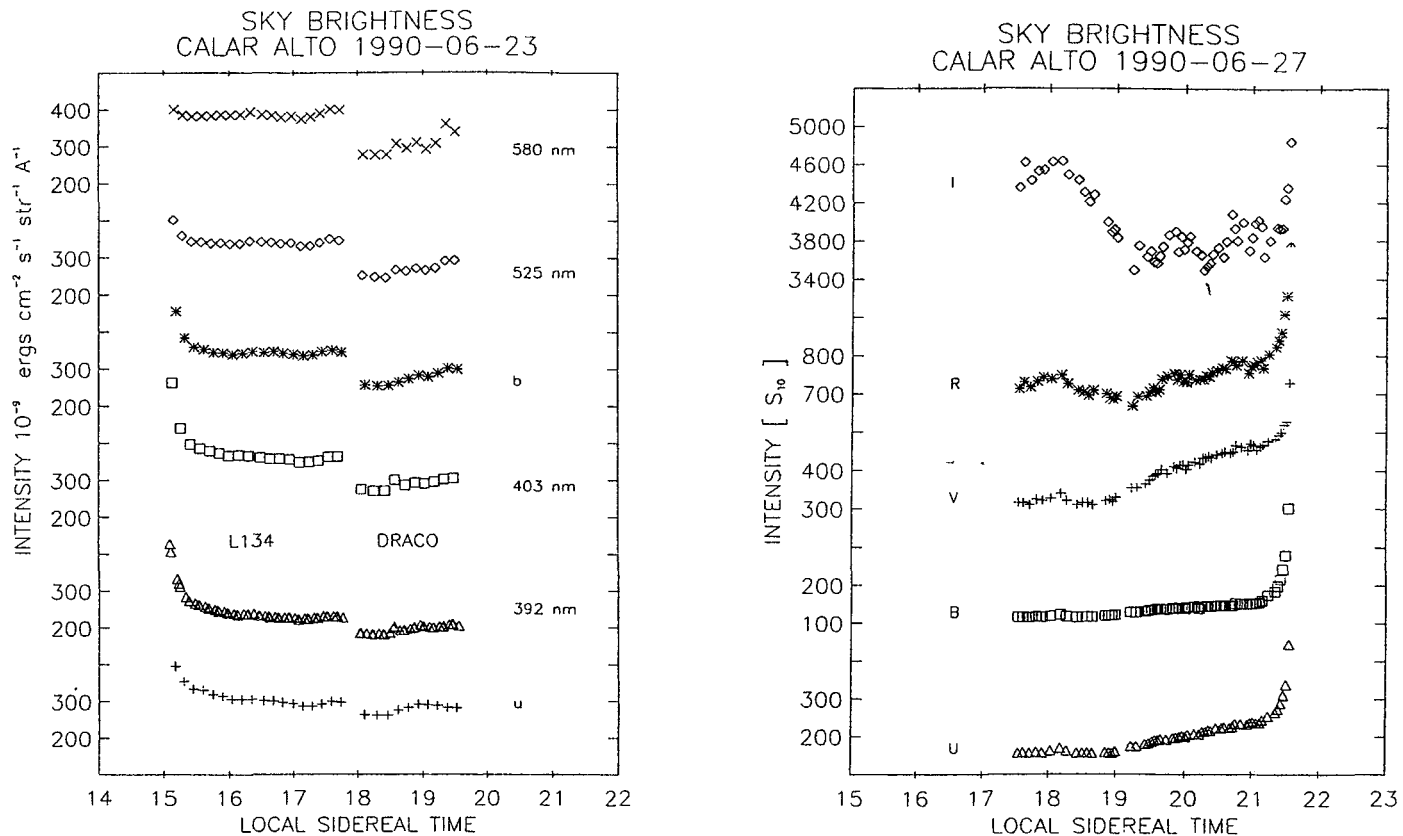
In the infrared, total brightnesses as observed by the DIRBE experiment onboard COBE are conveniently available in the form of weekly averages of the bright-

ness seen in different viewing directions from the heliocentric position taken by COBE during the respective week. The data, covering the 10 photometric DIRBE bands from 1.25  $\mu\text{m}$  to 240  $\mu\text{m}$  (see Sect. 8.5), including Stokes Parameters  $Q$  and  $U$  for the 1.25  $\mu\text{m}$ , 2.2  $\mu\text{m}$  and 3.5  $\mu\text{m}$  bands, are available on CD-ROM or tape. Under [http://www.gsfc.nasa.gov/astro/cobe/cobe\\_home.html](http://www.gsfc.nasa.gov/astro/cobe/cobe_home.html) on the World Wide Web one finds the information necessary to actually receive those data.

##### 4.1. Ultraviolet

###### 4.1.1 Far UV (91.2 nm – 180 nm)

The sky brightness over most of this band is the sum of starlight and starlight scattered by interstellar dust.



**Fig. 8.** Variation of the night sky brightness at Calar Alto during the course of one night. Left: Observations in medium band filters, including Strömgren *u* and *b* on June 23, 1990. L134 is a dark cloud in Ophiuchus at ecliptic latitude 15°, the Draco field is at high ecliptic latitude, hence the lower brightness level. Right: Observations in broad band filters on June 27, 1990 near the ecliptic pole – The effect of dawn and dusk can be seen in the data around 15 h and 21 h sidereal time

The Sun's flux is sufficiently low that zodiacal light is virtually non-existent. An intense diffuse emission in this band is emission from hydrogen Lyman-alpha at 121.6 nm. This flux is produced by scattering of solar radiation by neutral hydrogen in the Earth's geocorona, and by scattering from neutral interstellar hydrogen entering the heliosphere. The geocoronal flux varies by more than a factor of 10 between day and night; typical fluxes range from 3 kR (night) to 34 kR (day). This flux varies with distance from the Earth's geocorona. An excellent exposition of the variation of this flux as a function of these variables is given by Raurden et al. (1986). See also Sect. 6.

#### 4.1.2. Near UV (180 nm – 300 nm)

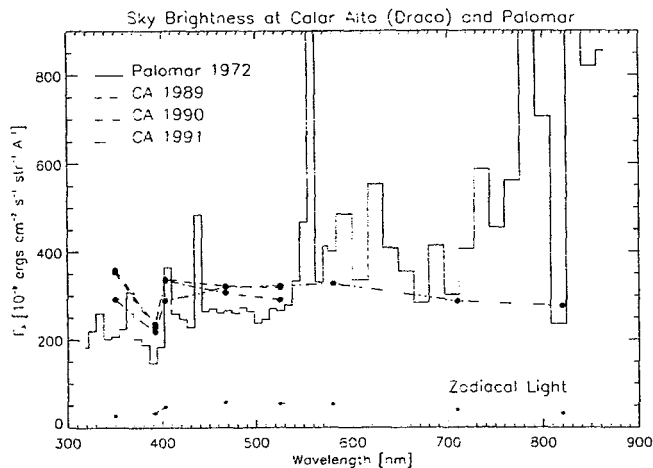
The sky brightness in this range is primarily the sum of zodiacal light, starlight, and starlight scattered by interstellar dust. The zodiacal light in this range has not yet been well characterized, the presently available information is shown in Sects. 8.4 and 8.6. The integrated starlight is discussed in Sect. 10.2. Scattering by dust near early type stars is a major contributor to the diffuse flux in this range, and is highly variable from place to place in the Galaxy (see also Sect. 11.5).

#### 4.2. Visual

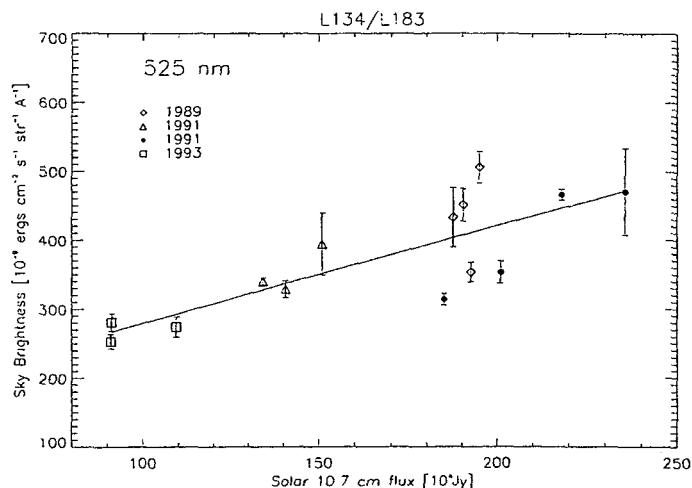
Table 4, adapted from a recent paper (Leinert et al. 1995), gives minimum and maximum values of broadband sky brightness as observed in moonless nights at several observatories in suitable “dark regions” of the sky. The main constituents of this diffuse brightness are airglow, zodiacal light and tropospherically scattered light, in this order, but in roughly comparable quantities. The variation between minimum and maximum is mostly due to solar activity, which leads to increased airglow emission. The individual entries in Table 4 are not strictly comparable. Some of the measurements were performed with small telescopes and excluded stars only down to about 10 mag (San Benito Mt.), about 13 mag (Kitt Peak, 90 cm telescope, diaphragm 50'') and about 12 mag (Hawaii, 15 cm telescope, 6.5 □'). The residual contributions of individual stars to their observed zenith brightnesses then can be estimated (Roach & Megill 1961) to be still 0.08–0.22 mag, 0.03–0.11 mag, and 0.05–0.15 mag, respectively, both at *B* and *V*. In clear nights therefore the sky appears to be more or less equally dark at all major observatories.

Figure 8 shows the observed variation of sky brightness in a starless spot for a typical night, both for intermediate-

band and broad-band observations. The central wavelengths of the intermediate bands have been selected to coincide with minima of the night sky spectrum. Figure 9 indicates what emission may be expected outside those bands. Brightness variations usually are well correlated between different wavelength bands (see Leinert et al. 1995 and Fig. 28 in Sect. 6.3). An example for the variation of sky brightness with solar activity is given in Fig. 10.



**Fig. 9.** A low resolution night sky spectrum at Palomar Observatory, taken on November 28, 1972 (Turnrose 1974), compared to medium band measurements on Calar Alto (CA)



**Fig. 10.** Correlation between the night sky brightness observed at Calar Alto at 525 nm with the solar activity, measured by the 10.7 cm radio flux density (in units of  $10^4$  Jy)

#### 4.3. Near-infrared from the ground

The near-infrared sky brightness seen from ground at a typical observing site is shown in Fig. 11. Below  $2 \mu\text{m}$  the night sky emission is dominated by OH airglow emission (see also Sect. 6). Above  $2 \mu\text{m}$  thermal emission by the atmosphere is dominating. Between  $2 \mu\text{m}$  and  $4 \mu\text{m}$  emission from the telescope also adds a considerable fraction to the total radiation.

The situation is quite different for observations from Antarctica. The much reduced thermal emission in an environment with winter temperatures below  $-60^\circ\text{C}$  leads to a substantial reduction of sky background particularly in the  $K$  photometric band (Ashley et al. 1996; Nguyen et al. 1996, see Fig. 12 and Table 5). Because of the absence of strong airglow emission between  $2.3 \mu\text{m}$  and  $2.5 \mu\text{m}$  (see Fig. 27, Sect. 6.1.c), in this spectral region values of zenith sky brightness as low as  $50 \mu\text{Jy arcsec}^{-2}$  ( $K = 17.7 \text{ mag arcsec}^{-2}$ ) have been measured. The dependence on zenith distance is normal: proportional to  $\sec z$  down to  $z \approx 50^\circ$ . In the  $L$  band, between  $2.9 \mu\text{m}$  and  $4.1 \mu\text{m}$ , still an improvement by a factor of 40 – 20 was found (Ashley et al. 1996).

**Table 5.** Comparison of  $K$  band sky brightnesses<sup>a</sup>

Site	$\lambda$ ( $\mu\text{m}$ )	$\Delta\lambda$ ( $\mu\text{m}$ )	$I_\nu$ ( $\mu\text{Jy}/\square''$ )	$I$ ( $\text{mag}/\square''$ )	Ref.
Mauna Kea	2.22	0.39	$\approx 4000$	$\approx 13$	1
Mauna Kea	2.11	0.35	$\approx 2700$	$\approx 13.4$	1
Balloon	2.4	0.1	$< 26$	$< 18.4$	2
Balloon	2.38	0.08	$130 \pm 19$	16.7	3
South Pole	2.36	0.14	$162 \pm 67$	16.5	4
South Pole	2.40	0.04	50	17.7	5

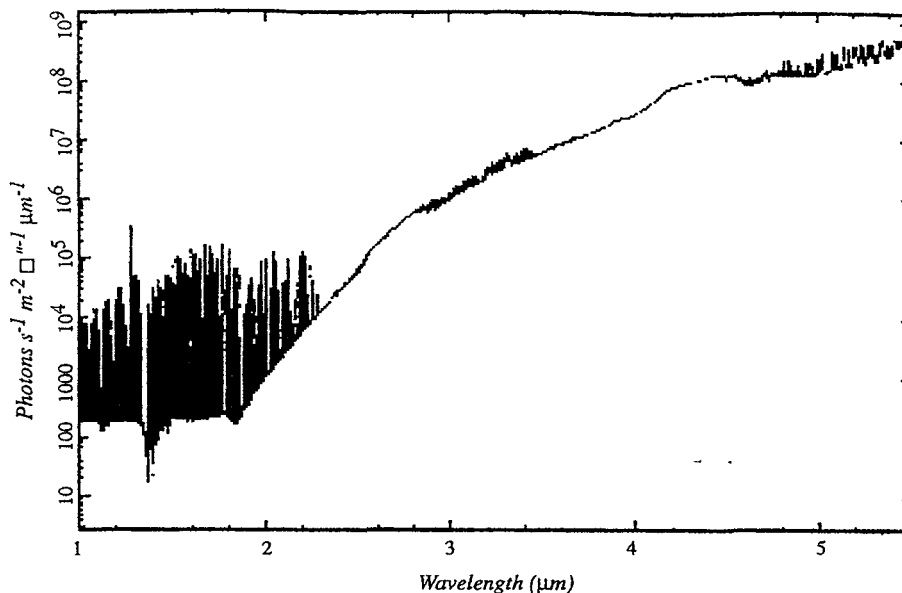
<sup>a</sup> adapted from Nguyen et al. (1996).

References: <sup>1</sup>Wainscoat & Cowie (1992), <sup>2</sup>Hofmann et al (1974), <sup>3</sup>Matsumoto et al (1994), <sup>4</sup>Nguyen et al. (1996), <sup>5</sup>Ashley et al. (1996)

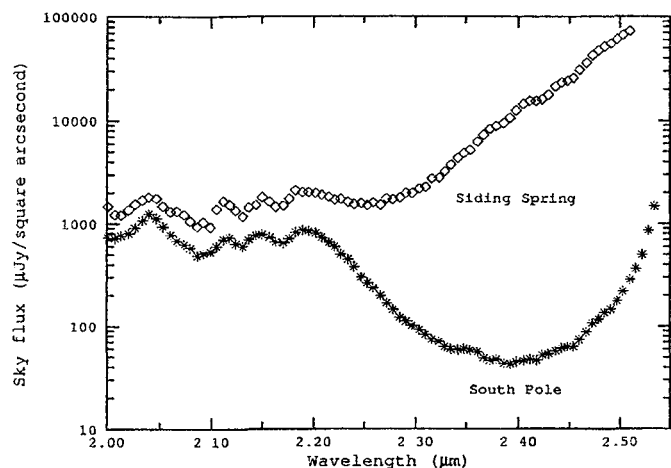
#### 4.4. Infrared

Table 6 shows the darkest spots on the sky from  $1 \mu\text{m}$  to  $240 \mu\text{m}$  as measured by the infrared photometric experiment DIRBE on the COBE satellite in an  $0.7^\circ \times 0.7^\circ$  wide field-of-view (adapted from Hauser 1996). These are conservative upper limits to the cosmic infrared background light. For wavelengths of  $\lambda \leq 60 \mu\text{m}$ , where the zodiacal light (thermal emission) dominates, the darkest fields are close to the ecliptic poles. For longer wavelengths, the thermal emission of interstellar dust is dominating, and the darkest fields are found in regions around the galactic poles with particularly low HI 21 cm emission (Lockman et al. 1986).





**Fig. 11.** Near-infrared spectrum of the night sky brightness, measured just inside the cryostat window of the UKIRT IRCAM camera (McCaughrean 1988). Note that  $10^4$  photons  $\text{m}^{-2} \text{s}^{-1} \square''^{-1} \mu\text{m}^{-1}$  correspond to  $4.23 \text{ Wm}^{-2} \text{sr}^{-1} \mu\text{m}^{-1}$ . From Beckwith 1994



**Fig. 12.** Near-infrared sky brightness around  $2.3 \mu\text{m}$  as observed in Antarctica on May 31, 1994 with an ambient temperature of  $-62^\circ$ . The dip around  $2.4 \mu\text{m}$  is due to the lack of airglow emission in this region. The South Pole data are compared to observations obtained at the Siding Spring observatory (Australia) with an ambient temperature of  $+10^\circ$ . From Ashley et al. (1996)

**Table 6.** Minimum observed sky brightnesses found in the DIRBE weekly averaged sky maps

$\lambda$ ( $\mu\text{m}$ )	$\nu I_\nu = \lambda I_\lambda$ ( $\text{nW m}^{-2} \text{sr}^{-1}$ )	$I_\nu$ ( $\text{MJy/sr}$ )	Reference
1.25	$393 \pm 13$	$0.16 \pm 0.005$	1
2.2	$150 \pm 5$	$0.11 \pm 0.004$	1
3.5	$63 \pm 3$	$0.074 \pm 0.004$	1
4.9	$192 \pm 7$	$0.31 \pm 0.01$	1
12	$2660 \pm 310$	$10.7 \pm 1.2$	1
25	$2160 \pm 330$	$18 \pm 3$	1
60	$261 \pm 22$	$5.2 \pm 0.4$	1
100	$74 \pm 10$	$2.5 \pm 0.3$	1
140	$57 \pm 6$	$2.7 \pm 0.3$	1
240	$22 \pm 2$	$1.8 \pm 0.2$	1

<sup>1</sup>Hauser (1996).

## 5. Tropospheric scattering

From earthbound measurements of the night sky brightness the contribution due to tropospheric scattering (see Eq. (1)) has to be subtracted in order to determine its uncontaminated extraterrestrial intensity and polarization. The strongest contributions to scattered light come from airglow, zodiacal light (ZL) and integrated starlight (ISL) - that is, the correction to be applied is in part determined by the brightness distribution of the sources under study themselves. The correction is of the order of  $10 - 100 S_{10}$ , which corresponds to 15% or more of the Zodiacal light, and to typically 10 - 30% of the ISL. Due to the limited accuracy to which the correction can be determined, it can be applied explicitly only to measurements aimed at the determination of ZL and ISL. The weaker components of the night sky brightness, DGL and EBL, must be determined by differential methods.

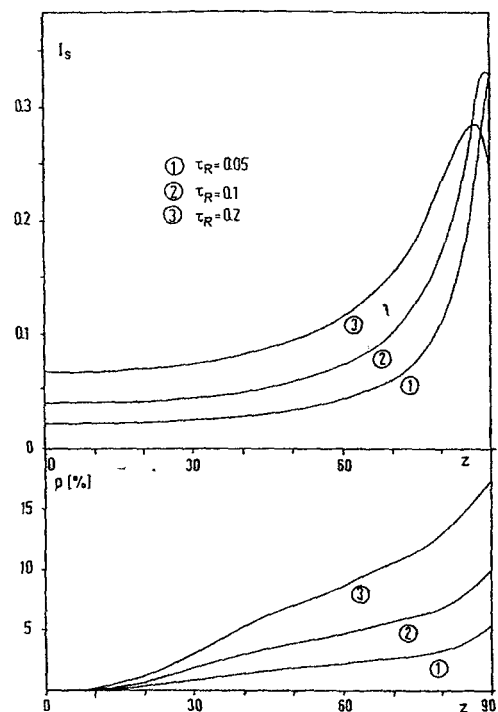
Detailed calculations on first order Rayleigh- and Mie-scattering (including linear and circular polarization) in the (spherical) Earth's atmosphere illuminated by a uniform, unpolarized source, by the Milky Way and by the Zodiacal light were performed by Staude (1975) for various values of the optical thickness of the Rayleigh and Mie components of the atmosphere, and assuming two different values for the refractive index  $m$  of atmospheric aerosols ( $m = 1.33$ , as for water vapour, and  $m = 1.5 - 0.1i$ , as for aerosols in dry air). The position and orientation of Milky Way and Zodiacal Light cone were varied independently over the whole range occurring in practice. Some results from this study are reported in the following.

### 5.1. A uniform unpolarized source of unit brightness

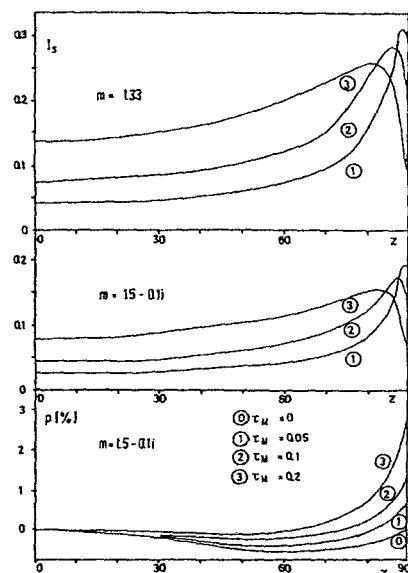
The brightness of tropospherically scattered airglow can be estimated using the results obtained for a uniform unpolarized source of unit brightness (extending over the entire visible sky) in the single scattering approximation, which are given in Figs. 13 and 14. They give the intensity of the scattered light and its polarization as a function of zenith distance of the observing direction  $z_0$ , for different values of the zenith extinction  $\tau_R$  of the Rayleigh and  $\tau_M$  of the Mie component.

**Table 7.** The correction factors for multiple scattering in a Rayleigh atmosphere for different values of the zenith extinction  $\tau_R$ . See text for details

$\tau_R$	$F_{MS}$	$f_{MS}$
0.05	$1.12 \pm 0.04$	$0.95 \pm 0.05$
0.10	$1.22 \pm 0.06$	$0.90 \pm 0.05$
0.15	$1.33 \pm 0.06$	$0.85 \pm 0.05$
0.20	$1.44 \pm 0.07$	$0.80 \pm 0.05$



**Fig. 13.** Intensity and polarization of the atmospheric scattered light in a pure Rayleigh atmosphere, for a source of unit brightness and various values of the zenith extinction  $\tau_R$ , as function of zenith distance  $z$



**Fig. 14.** Same as Fig. 13 for two pure Mie atmospheres

Table 8. Intensity in  $S_{10}$  and polarization of scattered integrated starlight for two pure Rayleigh and two pure Mie atmospheres with the given values of zenith extinction  $\tau_R$  and  $\tau_M$ . The galactic center is assumed at the zenith ( $z = 0$ ), the galactic equator crosses the horizon at  $A = 90, 270$ ;  $l$  and  $b$  are galactic coordinates

$l$	$b$	$A$	$z$	$I_1$	$I_2$	$I_s$	$p_s$	$\phi$	$I_2$	$I_s$	$p_s$	$\phi$
				$\tau_R = 0.10$					$\tau_R = 0.20$			
0	0	0	0	260.0	235.3	4.0	10.4	90	213.0	8.2	8.7	90
330	0	90	30	220.8	196.8	4.5	12.9	90	175.4	9.0	11.4	90
333	14	120	30	112.5	100.3	4.4	11.6	69	89.4	8.9	10.2	69
344	26	150	30	57.3	51.1	4.4	8.3	41	45.5	8.8	6.9	43
360	30	180	30	52.3	46.6	4.3	6.0	0	41.6	8.7	4.4	0
300	0	90	60	151.9	124.5	7.0	18.3	90	102.0	13.4	17.4	90
304	26	120	60	54.1	44.3	6.8	15.9	82	36.3	13.1	15.4	82
319	49	150	60	36.3	29.7	6.5	9.9	74	24.4	12.5	10.1	77
360	60	180	60	29.4	24.1	6.4	4.7	90	19.7	12.2	6.1	90
				$\tau_M = 0.05$					$\tau_M = 0.15$			
360	0	0	0	260.0	247.4	5.9	0.6	90	223.9	15.8	0.5	90
330	0	90	30	220.8	208.4	5.8	0.7	90	185.7	15.4	0.6	90
333	14	120	30	112.5	106.2	4.9	0.7	67	94.7	13.0	0.7	68
344	26	150	30	57.3	54.1	3.9	0.6	40	48.2	10.2	0.6	42
360	30	180	30	52.3	49.4	3.5	0.5	0	44.0	9.4	0.4	0
300	0	90	60	151.9	137.5	7.2	1.0	90	112.7	17.4	1.1	90
304	26	120	60	54.1	48.9	5.1	1.1	86	40.1	12.3	1.3	87
319	49	150	60	36.3	32.8	3.5	0.9	86	26.9	8.6	1.1	88
360	60	180	60	29.4	26.6	3.0	0.7	90	21.8	7.4	1.0	90

Table 9. Same as for Table 8, but with the Galactic center at  $A = 0$ ,  $z = 180$

$l$	$b$	$A$	$z$	$I_1$	$I_2$	$I_s$	$p_s$	$\phi$	$I_2$	$I_s$	$p_s$	$\phi$
				$\tau_R = 0.10$					$\tau_R = 0.20$			
180	0	0	0	100.0	90.5	2.8	9.9	90	81.9	5.6	8.1	90
180	30	0	30	50.6	45.1	3.1	7.0	180	40.2	6.1	5.2	180
196	26	30	30	51.9	46.2	3.1	8.0	144	41.2	6.2	6.5	142
207	14	60	30	67.6	60.2	3.1	9.8	115	53.7	6.2	8.5	114
210	0	90	30	100.1	89.2	3.2	10.6	90	79.5	6.3	9.3	90
180	60	0	60	29.0	23.8	4.7	0.6	180	19.5	8.9	1.5	90
221	49	30	60	35.8	29.3	4.8	5.4	120	24.1	9.1	5.8	111
236	26	60	60	51.9	42.5	5.0	10.2	103	34.9	9.5	10.2	101
240	0	90	60	101.8	83.4	5.1	12.1	90	68.4	9.7	12.0	90
				$\tau_M = 0.05$					$\tau_M = 0.15$			
180	0	0	0	100.0	95.1	3.0	0.7	90	86.1	8.0	0.6	90
180	30	0	30	50.6	47.7	2.5	0.7	180	42.5	6.5	0.6	180
196	26	30	30	51.9	49.0	2.6	0.7	148	43.6	6.9	0.6	146
207	14	60	30	67.6	63.8	3.0	0.6	118	56.8	7.9	0.6	116
210	0	90	30	100.1	94.5	3.3	0.6	90	84.3	8.7	0.6	90
180	60	0	60	29.0	26.2	2.6	0.2	180	21.5	6.3	0	90
221	49	30	60	35.8	32.4	3.0	0.2	129	26.6	7.2	0.3	107
236	26	60	60	51.9	47.0	4.0	0.5	101	38.5	9.6	0.6	98
240	0	90	60	101.8	92.1	5.1	0.6	90	75.5	12.3	0.6	90

**Table 10.** Intensity in  $S_{10}$  and polarization of tropospherically scattered Zodiacal light. The Sun is located at  $A = 90, z = 105$ , the ecliptic is perpendicular to the horizon

$\epsilon$	$\beta$	$A$	$z$	$I_1$	$I_2$	$I_s$	$p_s$	$\phi$	$I_2$	$I_s$	$p_s$	$\phi$
				$\tau_R = 0.10$					$\tau_R = 0.20$			
105	0	0	0	158.2	143.2	9.5	32.5	90	129.6	18.5	27.6	90
85	0	90	20	220.3	198.1	10.6	26.5	90	178.2	20.5	22.6	90
89	13	130	20	173.1	155.7	10.3	27.8	48	140.0	20.0	23.5	48
105	20	180	20	133.6	120.1	9.9	31.6	178	108.0	19.1	26.5	177
125	0	270	20	138.6	124.7	10.0	33.2	90	112.1	19.3	28.6	90
65	0	90	40	351.6	308.7	13.7	18.7	90	271.0	25.9	16.6	69
72	24	130	40	170.2	149.5	12.9	20.2	46	131.2	24.3	17.1	47
105	40	180	40	102.4	89.9	11.4	29.0	175	78.9	21.6	23.8	174
145	0	270	40	146.8	128.9	12.7	27.9	90	113.2	23.9	25.1	90
45	0	90	60	865.6	709.4	21.4	13.0	90	581.4	38.5	12.5	90
52	34	130	60	186.8	153.1	19.2	10.8	44	125.5	34.6	9.1	48
105	60	180	60	90.5	74.2	15.8	25.9	171	60.8	28.6	20.5	170
165	0	270	60	164.4	134.8	20.0	20.1	90	110.4	35.9	19.2	90
30	0	90	75	2200.0	1504.5	37.8	11.3	90	1028.9	61.6	11.7	90
34	38	130	75	201.4	137.7	33.1	3.0	45	94.2	54.1	3.1	66
105	75	180	75	78.8	53.9	26.4	23.9	169	36.9	43.3	18.2	166
180	0	270	75	180.0	123.1	36.4	15.2	90	84.2	59.3	15.4	90
				$\tau_M = 0.05$					$\tau_M = 0.15$			
105	0	0	0	158.2	150.5	6.5	17.6	90	136.2	17.3	17.3	90
85	0	90	20	220.3	208.9	8.9	18.9	90	187.9	23.4	18.8	90
89	13	130	20	173.1	164.2	7.9	18.8	52	147.6	20.8	18.7	52
105	20	180	20	133.6	126.7	6.3	17.4	4	113.9	16.7	17.2	4
125	0	270	20	138.6	131.5	5.9	12.8	90	118.2	15.6	12.7	90
65	0	90	40	351.6	329.4	16.0	17.5	90	289.2	40.4	17.6	90
72	24	130	40	170.2	159.5	10.9	17.9	52	140.0	27.6	18.0	52
105	40	180	40	102.4	95.9	6.5	17.1	7	84.2	16.6	16.9	7
145	0	270	40	146.8	137.6	6.8	6.7	90	120.8	17.6	6.7	90
45	0	90	60	865.6	783.6	38.4	14.8	90	642.2	88.6	15.1	90
52	34	130	60	186.8	169.1	17.5	15.3	50	138.6	40.7	15.6	51
105	60	180	60	90.5	81.9	7.9	16.6	10	67.1	18.8	16.3	10
165	0	270	60	164.4	148.9	9.9	9.0	90	122.0	23.6	3.1	90
30	0	90	75	2200.0	1819.3	92.3	12.7	90	1244.2	178.9	13.2	90
34	38	139	75	201.4	166.5	29.8	12.7	49	113.9	59.1	13.0	50
105	75	180	75	78.8	65.2	11.5	16.0	12	44.6	23.7	15.5	12
180	0	270	75	180.0	148.9	16.1	2.1	90	101.8	32.7	2.5	90

The influence of multiple Rayleigh scattering was estimated using the work of Dave (1964) and of de Bary & Bullrich (1964), who determined the higher order contributions to the scattered light from a point source in a plane-parallel atmosphere. The derived correction factors  $F_{MS} = I_{MS}/I_{SS}$  for the intensity, and  $f_{MS} = p_{MS}/p_{SS}$  for the depolarization of scattered light are given in Table 7. All results for Rayleigh scattering given in the following are corrected for multiple scattering. For Mie scattering, de Bary (1964) concludes that higher order contributions are negligible for scattering angles  $\theta < 30^\circ$ . Therefore, since the main contribution by atmospheric aerosols to the scattered light comes from regions with  $\theta < 30^\circ$ , no

corrections were applied to the first order results for Mie scattering.

### 5.2. The integrated starlight

The integrated starlight scattered in the troposphere was calculated using an analytical model for the extraterrestrial brightness of the ISL: a two dimensional Gauss distribution was fitted to the blue isophotes given by Elsässer & Haug (1960). The constants were adjusted to give a model intensity  $I_1(l=0, b=0) = 260 S_{10}$ ,  $I_1(l=120, b=0) = I_1(l=240, b=0) = 100 S_{10}$ , and  $I_1(l, b=\pm 30) = 50 S_{10}$ . At higher galactic latitudes an exponential decrease was assumed, with  $I_1(l, b=\pm 80) = 20 S_{10}$ , following the

Table 11. Same as Table 10, with the Sun at  $A = 90, z = 135$ 

$\epsilon$	$\beta$	$A$	$z$	$I_1$	$I_2$	$I_s$	$p_s$	$\phi$	$I_2$	$I_s$	$p_s$	$\phi$
				$\tau_R = 0.10$					$\tau_R = 0.20$			
135	0	0	0	141.1	127.7	6.6	16.9	90	115.6	13.1	14.3	90
115	0	90	20	143.2	128.8	7.0	17.8	90	115.9	13.7	15.3	90
119	13	130	20	128.4	115.5	6.9	17.1	53	103.9	13.6	14.5	53
135	20	180	20	120.2	108.1	6.9	15.2	3	97.3	13.6	12.6	3
155	0	270	20	153.6	138.1	7.2	14.7	90	124.2	14.1	12.6	90
95	0	90	40	183.5	161.1	8.4	17.8	90	141.4	16.2	16.0	90
102	24	130	40	129.7	113.9	8.2	16.1	57	100.0	15.8	14.1	59
135	40	180	40	92.9	81.6	8.0	11.8	7	71.6	15.4	9.1	8
175	0	270	40	176.6	155.0	8.8	13.1	90	136.1	17.0	11.9	90
75	0	90	60	273.4	224.1	12.6	16.6	90	183.6	23.1	15.8	90
82	34	130	60	128.5	105.3	11.9	13.6	63	86.3	21.9	12.8	66
135	60	180	60	90.0	73.8	11.1	7.7	16	60.4	20.5	5.2	22
195	0	270	60	164.4	134.8	13.1	12.5	90	110.4	24.0	12.1	90
60	0	90	75	420.0	287.2	22.1	15.3	90	196.4	37.0	15.3	90
64	36	130	75	137.9	94.3	20.6	11.1	70	64.5	34.5	11.4	74
135	75	180	75	78.9	53.9	18.5	5.8	27	36.9	31.2	4.1	42
210	0	270	75	150.0	102.6	22.7	12.9	90	70.2	37.9	13.1	90
				$\tau_M = 0.05$					$\tau_M = 0.15$			
135	0	0	0	141.1	134.2	5.4	8.2	90	121.5	14.4	8.1	90
115	0	90	20	143.2	135.8	5.9	13.8	90	122.2	15.6	13.6	90
119	13	130	20	128.4	121.8	5.6	12.8	57	109.5	14.8	12.6	57
135	20	180	20	120.2	114.0	5.2	8.8	15	102.6	13.9	8.7	15
155	0	270	20	153.6	145.6	5.7	3.1	90	131.0	15.1	3.0	90
95	0	90	40	183.5	171.9	8.3	17.3	90	151.0	21.1	17.3	90
102	24	130	40	129.7	121.5	6.9	16.1	61	106.7	17.6	19.0	62
135	40	180	40	92.9	87.1	5.5	10.4	28	76.5	14.1	10.3	28
175	0	270	40	176.6	165.4	7.0	0.9	90	145.2	18.1	0.9	90
75	0	90	60	273.4	247.5	14.9	18.5	90	202.9	34.8	18.6	90
82	34	130	60	128.5	116.3	10.0	17.6	64	95.4	23.6	17.6	64
135	60	180	60	90.0	81.5	6.9	12.5	38	66.8	16.5	12.3	38
195	0	270	60	164.4	148.9	9.6	0.7	90	122.0	23.0	0.7	90
60	0	90	75	420.0	347.3	29.3	18.4	90	237.5	57.6	18.5	90
64	38	130	75	137.9	114.0	16.4	17.5	65	78.0	32.9	17.6	65
135	75	180	75	78.9	65.2	10.1	13.7	42	44.6	20.8	13.5	42
210	0	270	75	150.0	124.0	14.4	1.7	90	84.8	29.6	1.7	90

star counts of Roach & Megill (1961). The assumption of such a smooth brightness distribution is safe even for Mie scattering, since also in this case scattering angles up to  $\theta = 30^\circ$  contribute substantially to the integrated scattered light. Figure 15 shows the intensity of the scattered ISL as a function of zenith distance for the case that the galactic centre is at the zenith. In Table 8 the scattered intensity  $I_s$ , and its degree and orientation of polarization  $p_s$  (in percent) and  $\phi$  are tabulated for this situation together with the assumed source brightness  $I_1$  in the viewing direction and the transmitted brightness  $I_2$  weakened by atmospheric extinction. In Table 9 the same values are

given for the galactic anticentre at the zenith. The refractive index of the Mie particles is assumed to be  $m = 1.33$ .

### 5.3. The Zodiacal light

Intensity and polarization of Zodiacal light scattered in the troposphere were calculated assuming the brightness distribution given by Dumont (1965) at  $\lambda = 5000 \text{ \AA}$ . For the linear polarization the values measured by Weinberg (1964) at the ecliptic were used, assuming that over the whole sky the polarization is a function of angular distance

Table 12. Same as Tables 10 and 11, with the Sun at  $A = 90, z = 180$ 

$\epsilon$	$\beta$	$A$	$z$	$I_1$	$I_2$	$I_s$	$p_s$	$\phi$	$I_2$	$I_s$	$p_s$	$\phi$
				$\tau_R = 0.10$					$\tau_R = 0.20$			
180	0	0	0	180.0	162.9	6.0	5.9	90	147.4	12.0	4.8	90
160	0	90	20	158.0	142.1	6.3	7.0	90	127.8	12.5	6.0	90
164	13	130	20	144.5	129.9	6.3	6.0	57	116.9	12.5	5.0	58
180	20	180	20	130.0	116.9	6.2	4.2	0	105.1	12.4	3.2	0
140	0	90	40	144.0	126.4	7.4	10.1	90	111.0	14.4	9.2	90
147	24	130	40	117.4	103.1	7.3	7.7	71	90.5	14.2	7.1	74
180	40	180	40	90.0	79.0	7.2	0.3	87	69.4	14.0	1.3	89
120	0	90	60	140.0	114.7	10.5	13.8	90	94.0	19.6	13.2	90
127	34	130	60	101.9	83.5	10.3	11.2	82	68.4	19.2	11.1	83
180	60	180	60	90.0	73.8	9.9	6.2	90	60.4	18.6	7.1	90
105	0	90	75	158.2	108.2	17.9	16.0	90	74.0	30.4	15.8	90
109	36	130	75	102.3	70.0	17.4	13.7	86	47.9	29.6	13.9	87
180	75	180	75	78.9	53.9	16.7	9.9	90	36.9	28.4	10.9	90
				$\tau_M = 0.05$					$\tau_M = 0.15$			
180	0	0	0	180.0	171.2	5.7	0.7	90	155.0	15.2	0.6	90
160	0	90	20	158.0	149.8	5.7	1.6	90	134.7	15.1	1.5	90
164	13	130	20	144.5	137.0	5.5	1.2	72	123.2	14.7	1.2	73
180	20	180	20	130.0	123.3	5.3	0.1	88	110.9	14.1	0.2	88
140	0	90	40	144.0	134.9	6.5	5.5	90	118.5	16.7	5.3	90
147	24	130	40	117.4	110.0	5.9	4.8	85	96.6	15.2	4.7	85
180	40	180	40	90.0	84.3	5.3	3.8	90	74.0	13.7	3.8	90
120	0	90	60	140.0	126.7	8.9	10.7	90	103.9	21.3	10.5	90
127	34	130	60	101.9	92.2	7.6	10.0	88	75.6	18.2	9.9	88
180	60	180	60	90.0	81.5	6.6	9.2	90	66.8	15.9	9.1	90
105	0	90	75	158.2	130.8	14.4	13.9	90	89.5	29.2	13.7	90
109	38	130	75	102.3	84.6	11.7	13.2	89	57.9	23.9	13.0	89
180	75	180	75	78.9	65.2	9.7	12.4	90	44.6	20.0	12.3	90

to the Sun (=elongation  $\epsilon$ , see Sect. 3.5) alone (Dumont & Sanchez Martinez 1966). The polarization was assumed to be perpendicular to the direction of the Sun.

Figures 16 and 17 show the results for two cases, pure Rayleigh- and pure Mie-scattering (water vapor), respectively. In Tables 10, 11 and 12 the results are collected for three different positions of the Sun below the horizon. The ecliptic is assumed to be perpendicular to the horizon. All other quantities as in Tables 8 and 9.

## 6. Airglow

The airglow emissions vary considerably with time, on short (minutes) and long timescales, mainly due to changes in the atmosphere and in solar activity. They also depend on geomagnetic latitude, with a distinctive tropical brightness enhancement. The brightness values given below therefore are only indicative of the typical intensities. Many of the airglow emissions arise in the ionospheric E layer at  $\approx 90$  km, some in the F region above 150 km (see Fig. 18), some, like  $\text{Ly}\alpha$  and  $\text{H}\alpha$  in the Geocorona. The phenomenological side of airglow, which is the part of interest for the night sky brightness, has for the vi-

sual region in large part been studied in the sixties and seventies, which reflects in the list of references. Typical brightness values of main airglow lines are summarised in Table 13.

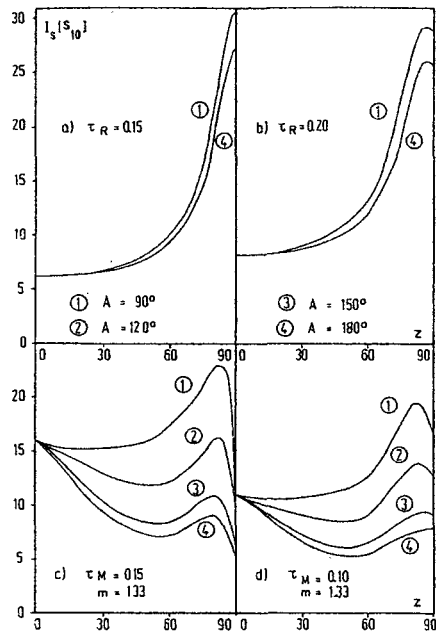
### 6.1. Airglow spectrum

#### a) Visual

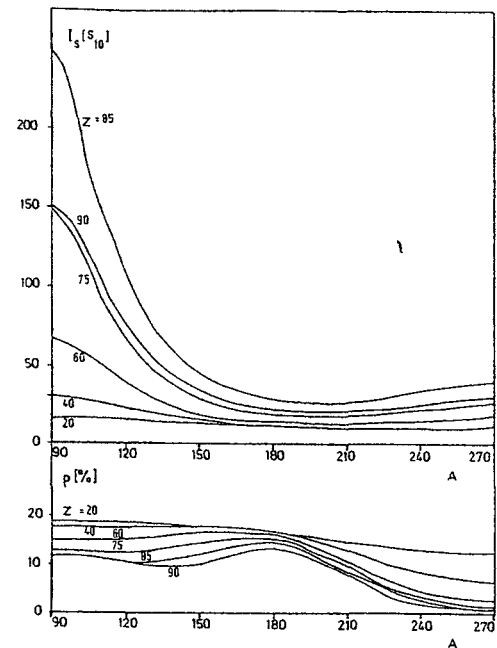
Broadfoot & Kendall (1968) give the spectrum of the airglow from 300 nm to 1  $\mu\text{m}$  (see Fig. 20). It is based on photoelectric observations at Kitt Peak near zenith and within  $30^\circ$  of the galactic pole. The spectral resolution is 5 Å, the scan step four times smaller. The [OI] lines at 630 nm and 636.4 nm and also  $\text{H}\alpha$  are weaker than average in these observations.

#### b) Ultraviolet

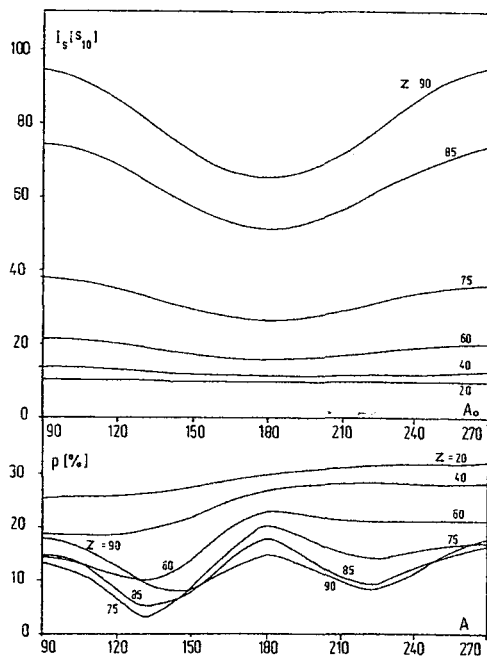
Ultraviolet astronomical observations mostly are taken from above the atmosphere by rockets or satellites. In this



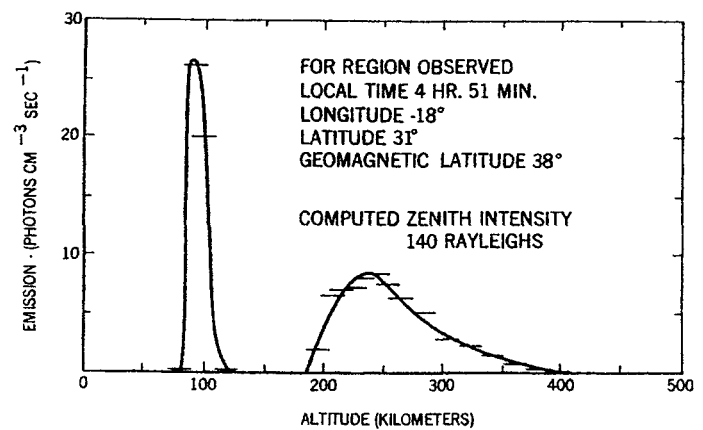
**Fig. 15.** The intensity of the scattered integrated starlight as a function of zenith distance, for different azimuths and zenith extinction values of the Rayleigh resp. Mie components of the atmosphere. The galactic centre is assumed at the zenith, the galactic equator crosses the horizon at  $A = 90^\circ, 270^\circ$



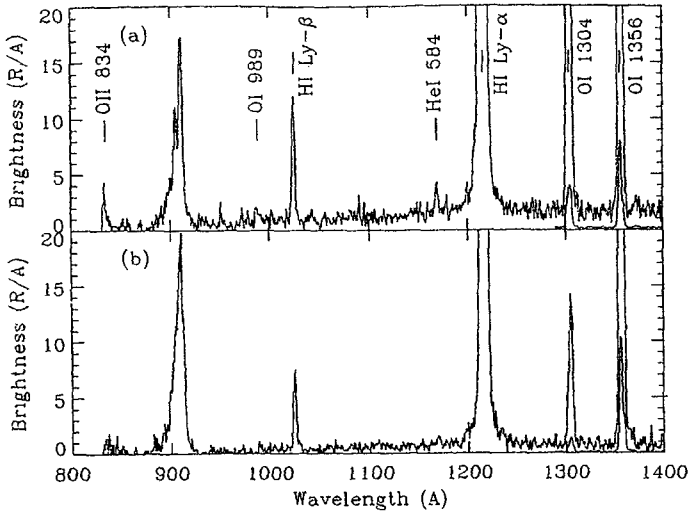
**Fig. 17.** The intensity of the scattered zodiacal light for pure Mie scattering with optical thickness  $\tau_M = 0.1$ , for particles with refractive index  $m = 1.33$ . Otherwise same as for Fig. 16



**Fig. 16.** The intensity of the scattered zodiacal light for a pure Rayleigh atmosphere with optical thickness  $\tau_R = 0.1$ . Position of the sun at azimuth  $A_\odot = 90^\circ$ , zenith distance  $z_\odot = 105^\circ$ , the ecliptic is perpendicular to the horizon



**Fig. 18.** A typical height profile of airglow volume emission, as measured from the satellite OGO II. The peak near 90 km is due to OH emission, the extended peak at higher altitudes to [OI] emission at 630 nm. From Reed & Blamont (1967)



**Fig. 19.** Spectra of the nightglow from 800 Å to 1400 Å at 3 Å resolution. The data were obtained from the space shuttle at an altitude of 358 km on December 5, 1990. Two spectra are shown, of which the upper one was taken closer to the dusk terminator. It therefore also shows OII 834 and HeI 584 (in second order), which are features belonging to the dayglow. The zenith distance was  $\approx 85^\circ$  and  $\approx 90^\circ$  for the upper and lower spectrum, respectively. Ly $\alpha$  is a geocoronal line. The continuum at 911 Å is due to  $O^+$  recombination to the ground state. From Feldman et al. (1992)

context it is relevant to know the airglow as seen from such spacecraft positions. Results obtained at typical altitudes are shown in Figs. 19 and 21. The strength of the main emission lines is also summarised in Table 13. For the OI 130.4 nm and 135.6 nm lines enhanced values observed in the tropical airglow (Barth & Schaffner 1976) are given. At mid latitudes they are less intense by about one order of magnitude. Apart from the main emission lines shown in Fig. 19, the ultraviolet region between 850 Å and 1400 Å is thought to be free of nightglow emission.

The viewing line of spacecraft on the night side of the atmosphere may cross the terminator and continue through the sunlit parts of the atmosphere. Under these twilight conditions, dayglow features become important. E.g. the NO  $\gamma$  bands then are excited by resonance fluorescence and then are much stronger, the  $N_2$  Lyman-Birge-Hopfield bands are clearly visible, and the forbidden [OII] emission at 247 nm is strong. Figure 22 shows ultraviolet airglow emission observed under such conditions. An excellent review on observations and modelling of both dayglow and nightglow ultraviolet emissions has been given by Meier (1991).

### c) Near infrared

From 1  $\mu\text{m}$  to 3  $\mu\text{m}$ , OH in a layer around 90 km height dominates the airglow emission. There is a gap in the OH spectrum around 2.4  $\mu\text{m}$  (see Fig. 27) which is important for balloon observations and also for the low background observations possible from Antarctica (see Sect. 4.3). Seen from the ground, longward of 2.5  $\mu\text{m}$  airglow is only a small addition to the thermal emission from the troposphere (compare Fig. 11 in Sect. 4 above). Figures 25 and 26 show the near-infrared OH spectrum at two resolutions, once with a low spectral resolution of  $\Delta\lambda = 160$  Å, and once with a higher resolution of  $\lambda/\Delta\lambda = 250 - 800$ . Wavelength lists and intensities for the individual OH bands can be found in Ramsay et al. (1992) and Oliva & Origlia (1992). Obviously, the near-infrared airglow is dominated by the OH bands. They primarily also determine the night sky brightness in the *J* (1.2  $\mu\text{m}$ ) and *H* (1.6  $\mu\text{m}$ ) bands (Fig. 11, Sect. 4.3).

### 6.2. Dependence on zenith distance

In absence of atmospheric extinction, a thin homogeneously emitting layer at height  $h$  above the Earth's surface shows a brightness increase towards the horizon, which is given by the so-called *van Rhijn function*

$$I(z)/I(\text{zenith}) = \frac{1}{\sqrt{1 - [R/(R+h)]^2 \sin^2 z}}, \quad (13)$$

where  $R = 6378$  km is the radius of the earth. E.g., for  $h = 100$  km  $[I(z)/I(0)]_{\text{max}} = 5.7$  results (Roach & Meinel 1955). This situation typically applies for balloon experiments. Figure 23 shows an example. For observations from the ground, extinction and scattering change the behaviour in particular for zenith distances  $> 40^\circ$ . Around  $\lambda = 500$  nm – 600 nm a maximum airglow increase by about a factor of about four may be expected at  $z = 75^\circ - 80^\circ$ , with the brightness decreasing again towards the horizon (see Fig. 24 for an observation and Roach & Meinel (1955) for a selection of predicted profiles). For shorter wavelengths, with stronger scattering and extinction, this decrease starts already at higher elevations. However, appropriate models (based on realistic assumptions, including multiple scattering in a spherical atmosphere and going down to the horizon) to account for the observed brightness profiles from the zenith to the horizon have not yet been calculated. The results given in Sect. 5 do not claim to be accurate near the horizon.

### 6.3. Variations

Airglow emission is often patchy and varying in brightness and spatial distribution with time. Roach & Gordon (1973) demonstrate this by showing airglow maps in time steps of 15 minutes on the right upper corner of odd pages,



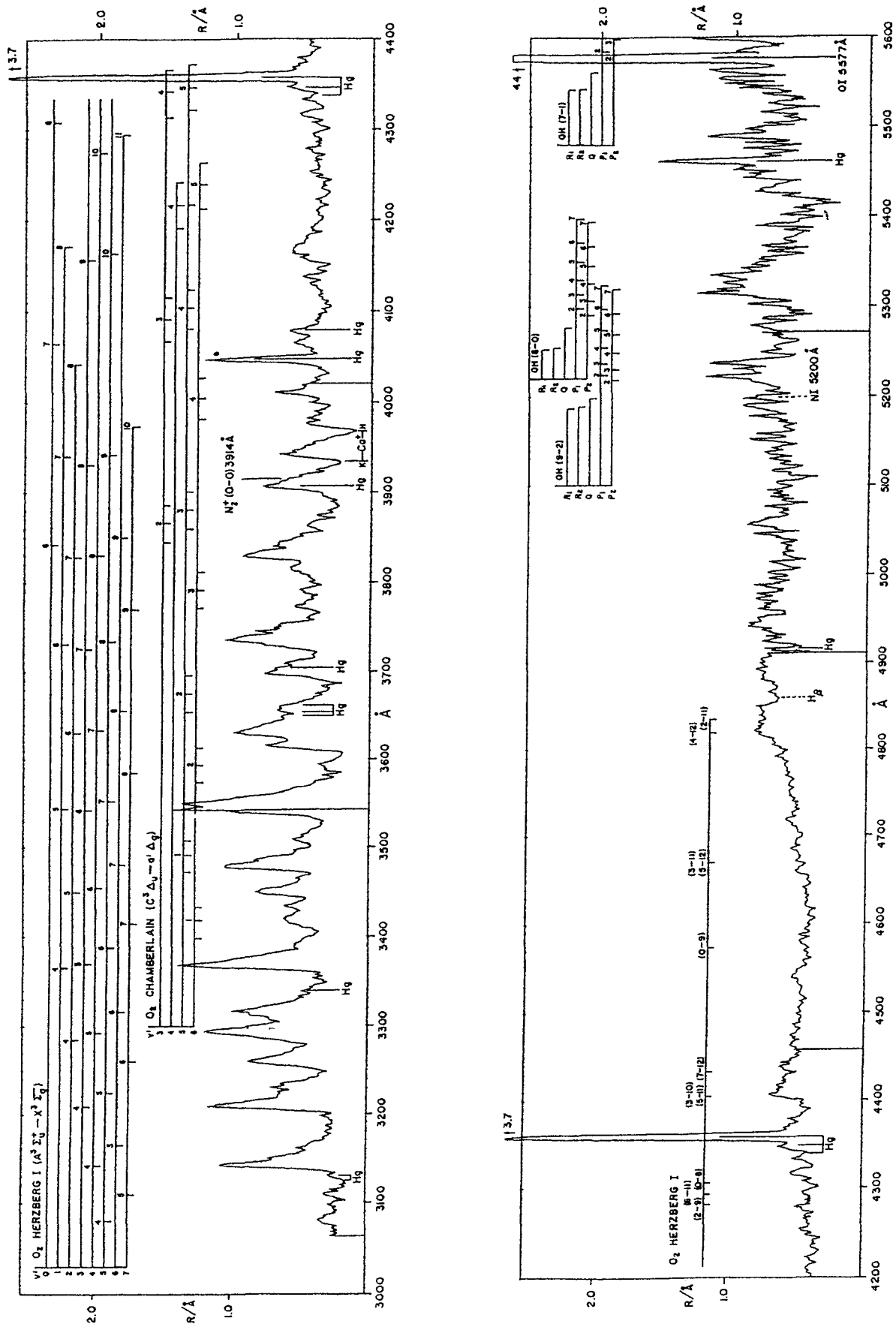


Fig. 20. Spectrum of the airglow from 300 nm to 1 μm (from Broadfoot &amp; Kendall 1968)



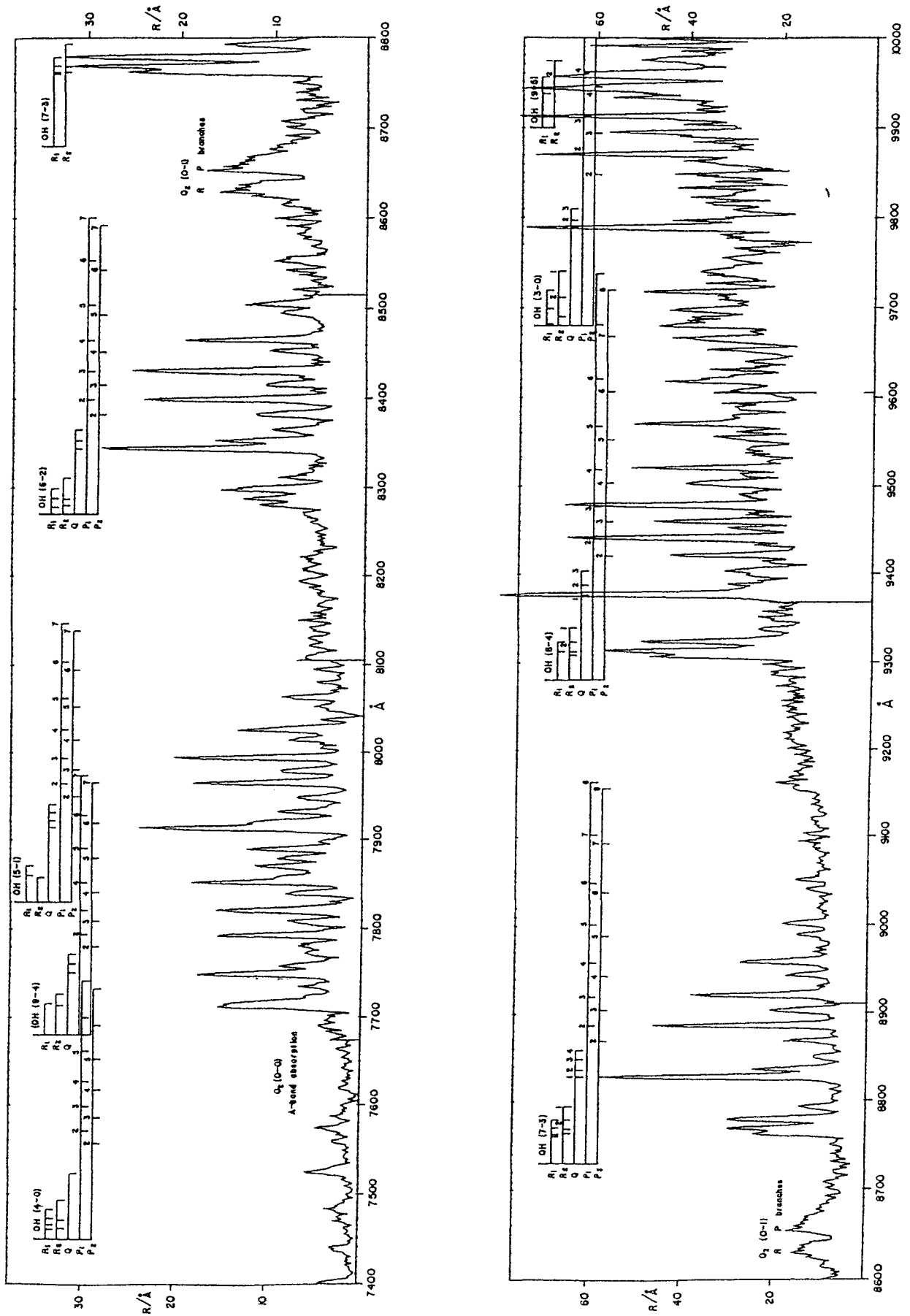


Fig. 20. continued

Table 13. Typical zenith brightness of nightglow emissions<sup>a</sup>

Source	Wavelength	Height of emitting layer	Intensity <sup>b</sup>
Ly $\beta$	102.6 nm	geocorona	$\approx 10$ R
Ly $\alpha$	121.6 nm	geocorona	3 kR(night) – 34 kR(day)
O I	130.4 nm	250 – 300 km	$\approx 40$ R (in tropical airglow)
O I	135.6 nm	250 – 300 km	$\approx 30$ R (in tropical airglow)
O <sub>2</sub> (Herzberg bands)	300 nm – 400 nm	90 km	0.8 R/Å
[O I]	557.7 nm	90 km	250 R
Na D	589.0 nm, 589.6 nm	$\approx 92$ km	30 R (summer) to 100 R (winter)
[O I]	630.0 nm	250 – 300 km	60 R
[O I]	636.4 nm	250 – 300 km	20 R
H $\alpha$	656.3 nm	geocorona	4–6 R (night)
pseudocontinuum	400 nm – 700 nm	90 km	0.3 R/Å
O <sub>2</sub>	864.5 nm	$\approx 80$ km	1 kR
OH	600 nm – 4.5 $\mu$ m	85 km	4.5 MR(all bands)

<sup>a</sup>after Chamberlain (1961), Roach (1964), Roach & Gordon (1973), Meier (1991); see also the references in the sections on geocorona and ultraviolet airglow.

<sup>b</sup>transformed to zenith, where necessary.

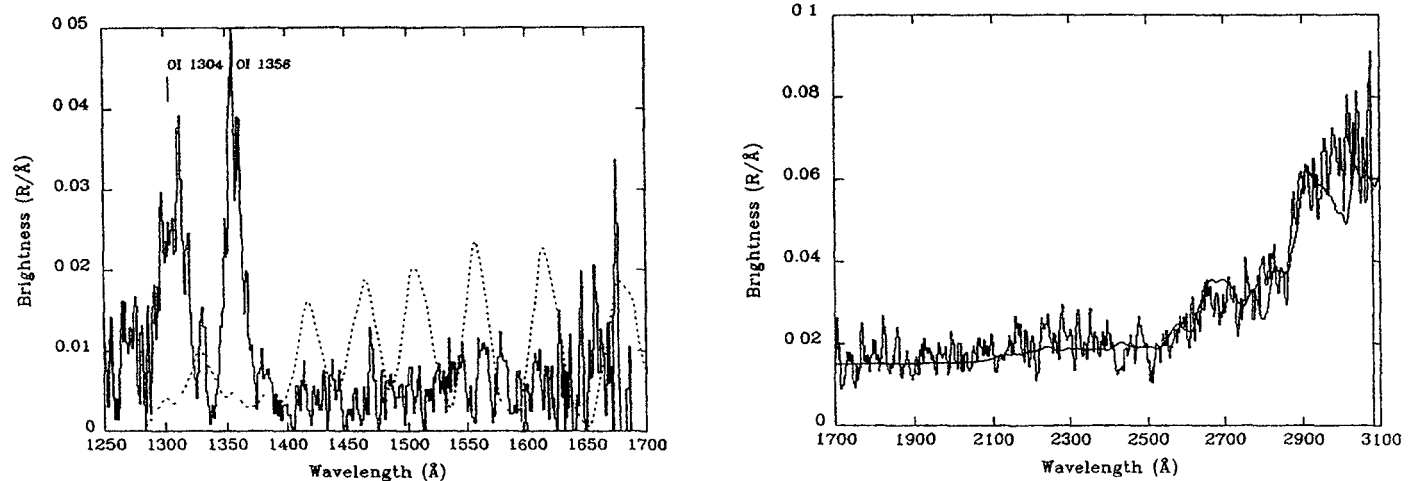


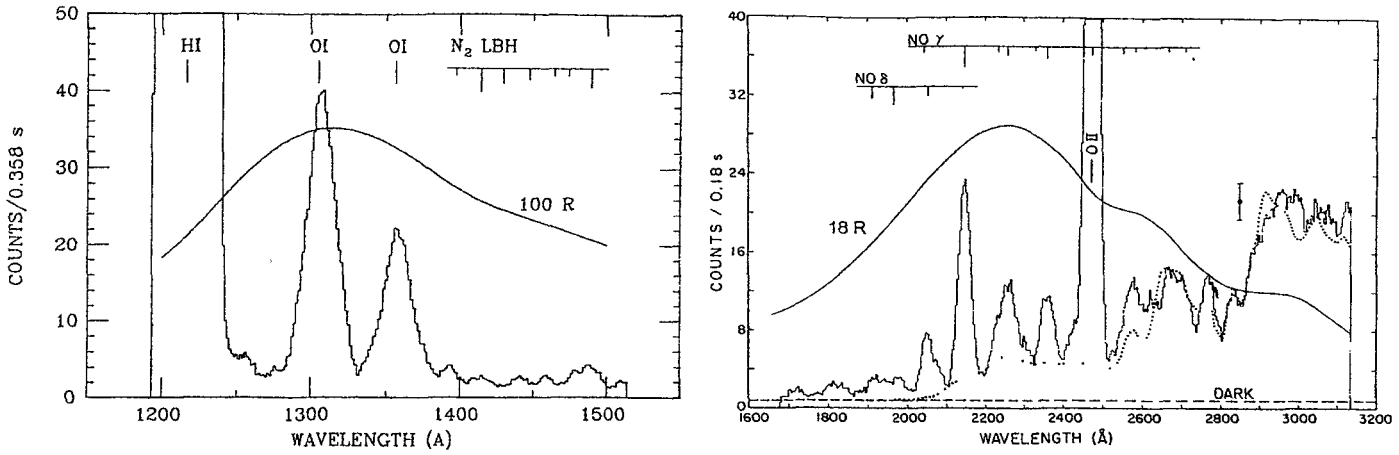
Fig. 21. Left: Spectrum of the nightglow from 1250 Å to 1700 Å at 17 Å resolution. The data were obtained from the space shuttle at a height of 330 km in January 1986 at minimum solar activity. The oxygen O I lines at 1304 Å and 1356 Å are the brightest features. For the weakly visible Lyman-Birge-Hopfield bands the dashed curve shows a predicted spectrum. Right: Spectrum of the ultraviolet nightglow from 170 nm to 310 nm at 29 Å resolution obtained on the same flight. The solid line shows an appropriately scaled solar spectrum and is assumed to show the contribution to zodiacal light. From Morrison et al. (1992)

thus enabling a “thumb-cinema” look at these spatio-temporal variations. Quantitative examples for variation during one night or variation with solar cycle can be seen in Figs. 8 and 10 in Sect. 4. Often a systematic decrease of airglow emission during the course of the night is observed, explained as result of the energy stored during day in the respective atmospheric layers.

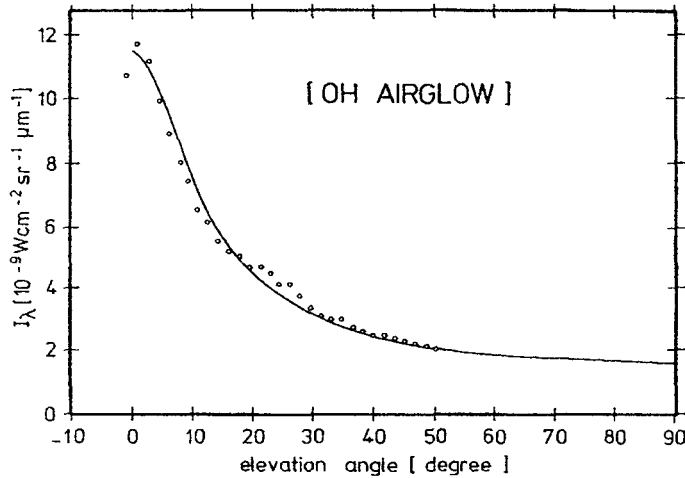
Figure 29 shows this for the OH emissions and also gives an example for the wavelike structures often apparent in these emissions.

These examples do not give at all a full overview on airglow variability but just demonstrate that it is a typical property of this source of night sky brightness.

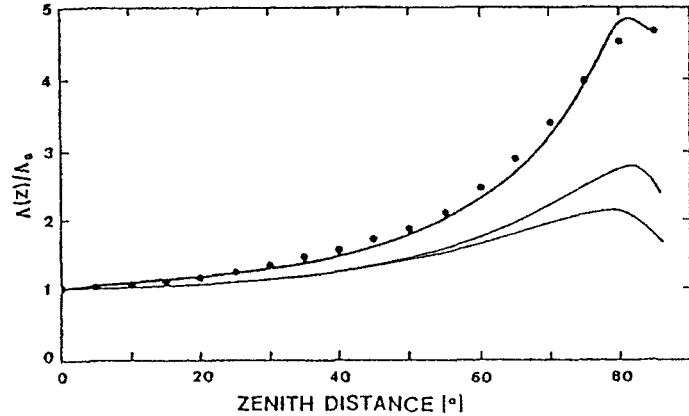
In the visual spectral region, correlations between the prominent [O I] and NaD airglow emission lines and “pseudocontinuum” bands at 367 nm, 440 nm, 526 nm, 558 nm, 634 nm and 670 nm have been studied by Barbier (1956) who established three “covariance groups”. E.g., the correlation between the 557.7 nm line and the “pseudocontinuum” at 502 nm has been used by Dumont (1965) to



**Fig. 22.** Ultraviolet twilight airglow spectrum, as observed during a rocket flight on September 24, 1979. Left: from 1200 Å to 1500 Å at 20 Å resolution. Ly $\alpha$  is at left. “LBH” refers to the Lyman-Birge-Hopfield bands. These observations were done in the height range 100 km – 200 km. – Right: From 170 nm to 310 nm at 25 Å resolution. The dotted line shows the zodiacal light contribution. These observations refer to rocket heights of 170 km – 246 km. – The field of view of the experiment was oriented 23° from the sun and essentially in the horizontal plane (0.2° elevation). For conversion to absolute fluxes, a solid line is given with both parts of the figure. It indicates which signal would be produced at each wavelength by a monochromatic source of a given brightness (100 R for the short-wavelength part, 18 R for the longer wavelengths). For continuum emission this would correspond to 5.0 R/Å and 0.72 R/Å, respectively. From Cebula & Feldman (1982, 1984) –



**Fig. 23.** Increase of airglow brightness at 2.1 μm towards the horizon observed from a balloon at 30 km altitude on October 23, 1972. Dots represent the measurements, the line gives the van Rhijn function for a height of the emitting layer of 92 km. From Hofmann et al. (1977)

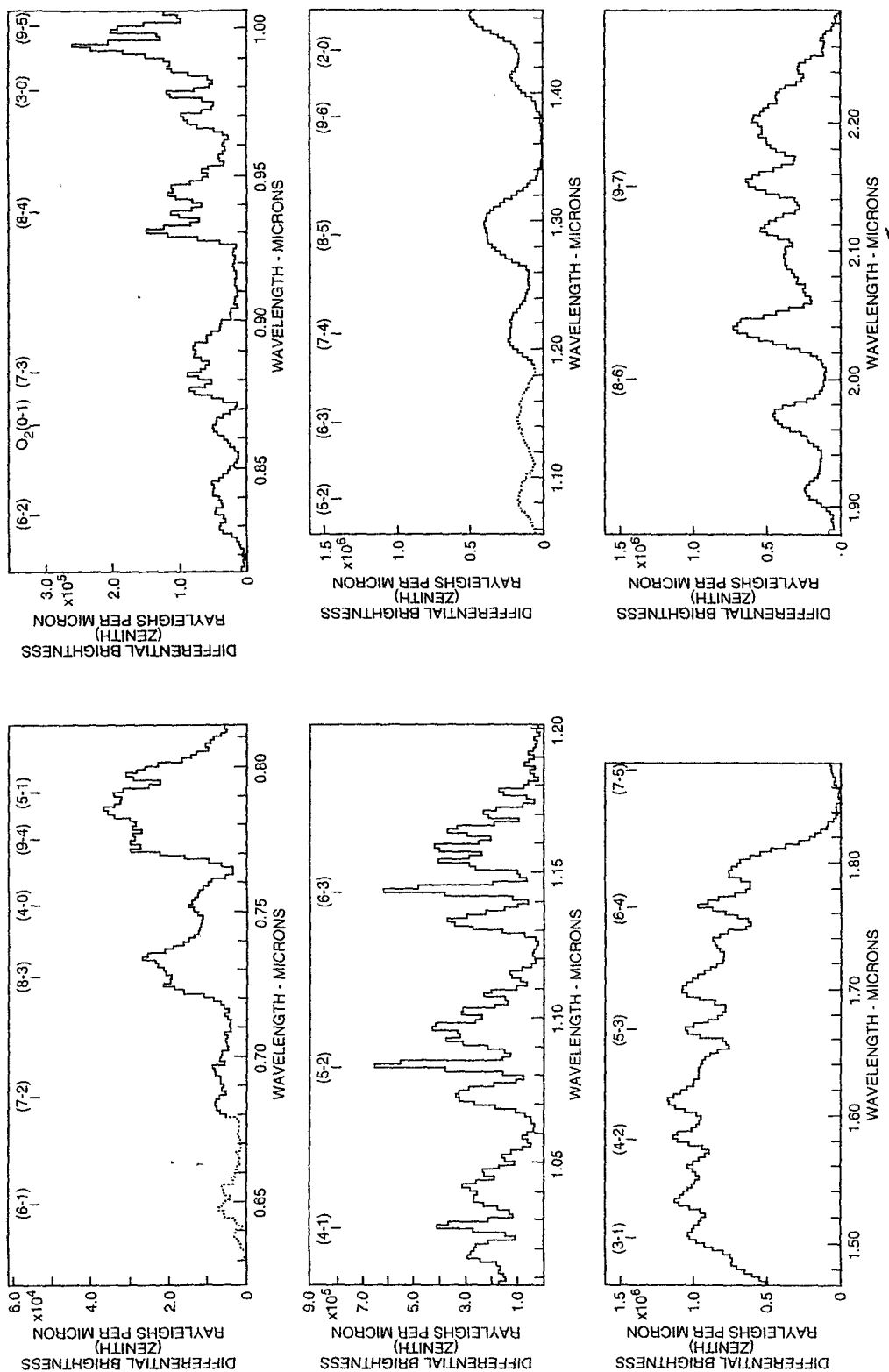


**Fig. 24.** Zenith angle dependence of sky brightness observed at 530 nm from Mt Haleakala, Hawaii (Kwon et al. 1991). The points represent an average normalised profile. The thin lines are the curves predicted by Barbier in 1944 for heights of the airglow emitting layer of 50 km (higher maximum) and 200 km, respectively. The solid line fitting the data is an ad-hoc modification of Barbier's formula

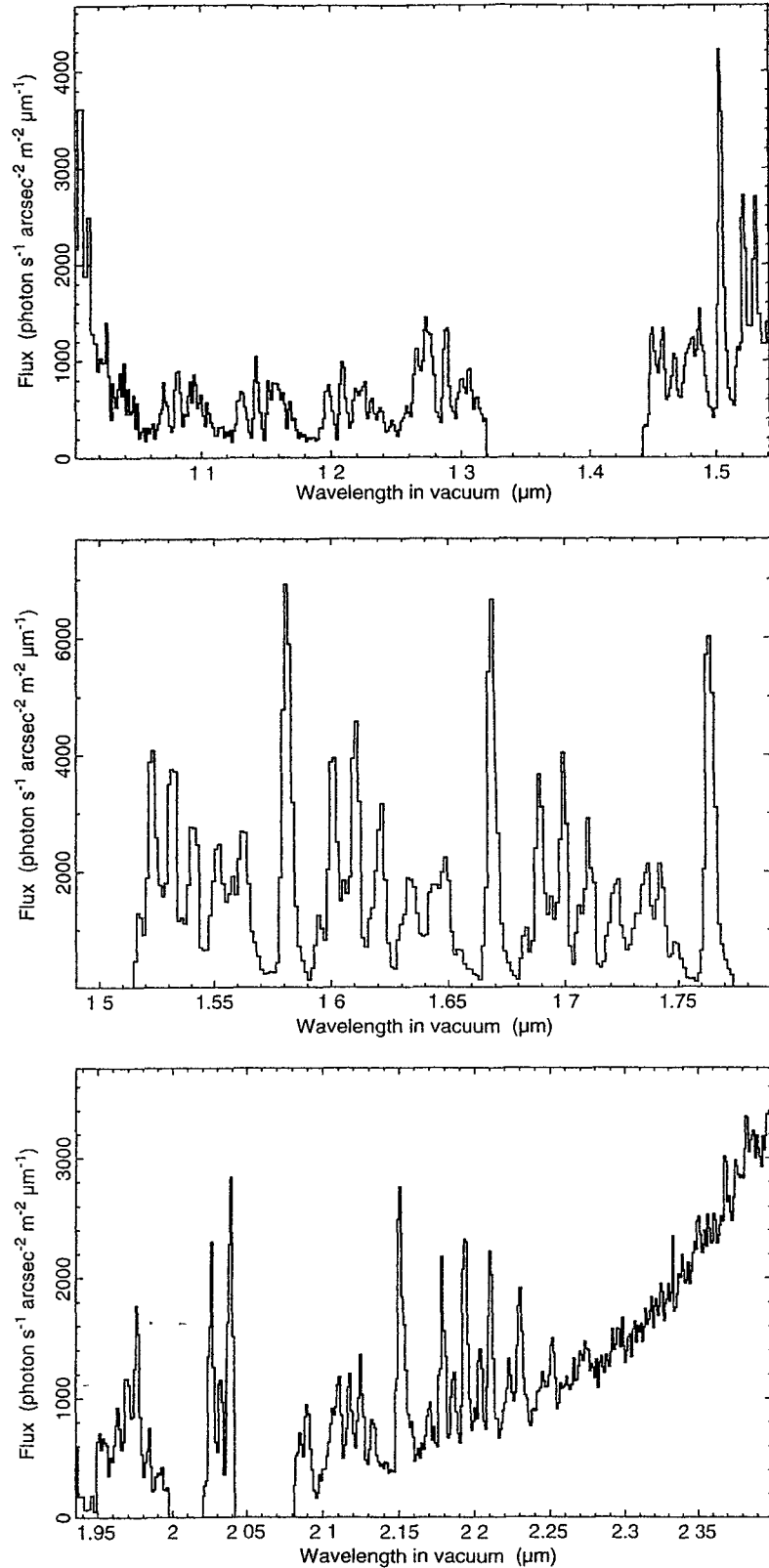
#### 6.4. Geocorona

eliminate the airglow contribution from his zodiacal light measurements. Sometimes such correlations can be quite tight (see Fig. 28).

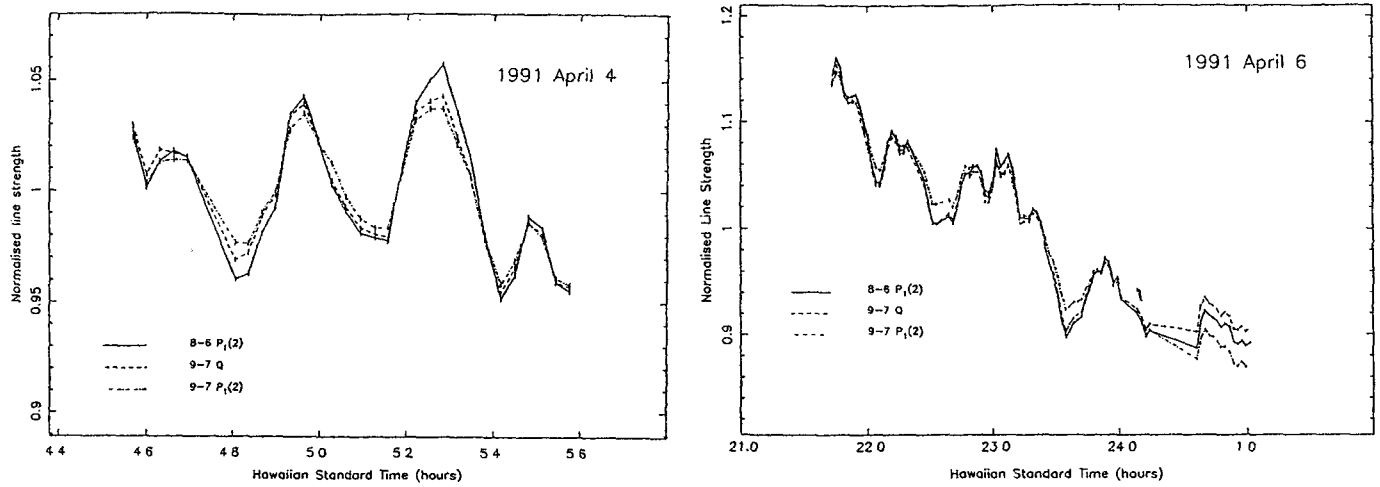
Above 1000 km, the earth's atmosphere changes to a composition of mainly neutral hydrogen with some ionised helium, the density falling off gradually over a few earth



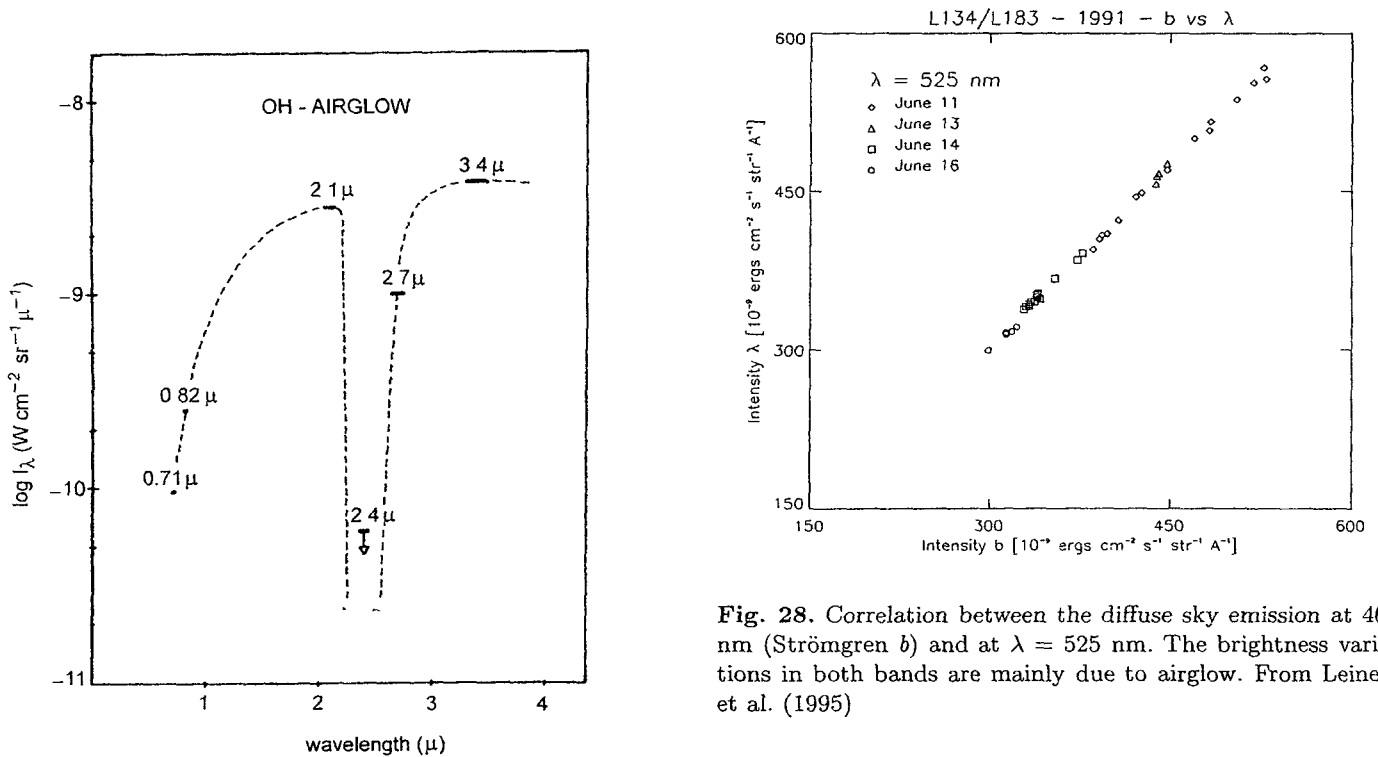
**Fig. 25.** Near-infrared airglow spectrum as seen from the ground at 160 Å resolution (for  $\lambda > 1.2 \mu\text{m}$ ). The OH bands mainly contributing to the emission have been identified in the figure. “differential” simply means “per micron”. From Harrison & Kendall (1973)



**Fig. 26.** Near-infrared airglow spectrum as observed from Mauna Kea at spectral resolution  $\lambda/\Delta\lambda = 250 - 800$ . In regions with atmospheric transmission  $\leq 0.75$  the flux has been arbitrarily set to zero. Longward of  $2.1 \mu\text{m}$  thermal atmospheric emission takes over. Note that 1000 of the units used correspond to  $6.77 \cdot 10^{-6}$ ,  $5.11 \cdot 10^{-6}$ , and  $3.84 \cdot 10^{-6} \text{ W/m}^2 \text{ sr } \mu\text{m}$  at  $1.25 \mu\text{m}$ ,  $1.65 \mu\text{m}$  and  $2.2 \mu\text{m}$ , respectively. From Ramsay et al. (1992)



**Fig. 29.** Variation of OH airglow, observed from Mauna Kea. Left: Short term variations (minutes) caused by the passage of wavelike structures. Right: Decrease of OH airglow during the course of a night, shown for several bands separately. From Ramsay et al. (1992)

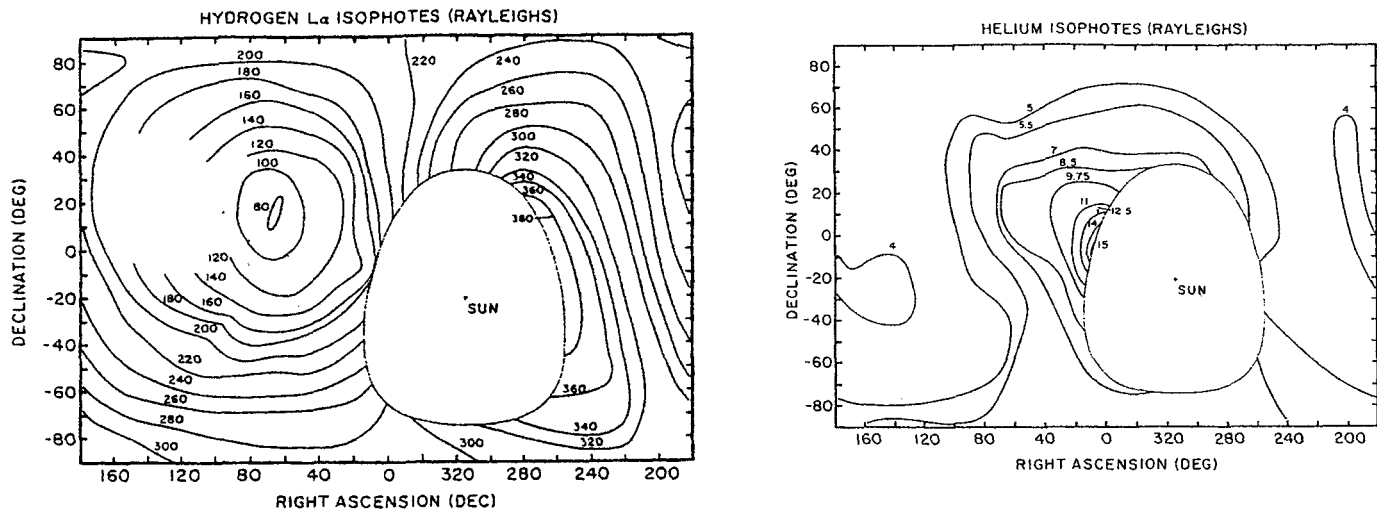


**Fig. 27.** Spectral distribution of near-infrared zenith airglow showing the gap in airglow emission around 2.4 μm. The airglow measurements have been performed from a balloon at 30 km altitude during flights in 1972 and 1974. Variations from flight to flight and during one night were less than a factor of two. From Hofmann et al. (1977)

**Fig. 28.** Correlation between the diffuse sky emission at 467 nm (Strömgren *b*) and at λ = 525 nm. The brightness variations in both bands are mainly due to airglow. From Leinert et al. (1995)

radii. Two telling images of the geocorona in Ly $\alpha$ , including the globe of the earth, are shown by Frank et al. (1985, see p. 63). This geocorona is optically thick to the solar Lyman lines. Typical intensities of the emissions observed from ground (in the visual) or from earth orbit are given in Table 13, with the data taken from Caulet et al. (1994) and Raurden et al. (1986) for Ly $\alpha$ , Meier et al. (1977) for Ly $\beta$ , Levasseur et al. (1976) for H $\alpha$ .





**Fig. 30.** Interplanetary emission in the  $\text{Ly}\alpha$  (left) and He 584 Å lines (right) observed by the Mariner 10 UV spectrometer (Broadfoot & Kumar 1978). The observations were performed on January 28, 1974, while the spacecraft was at a heliocentric distance of 0.76 AU and  $\approx 60^\circ$  from the apex-Sun axis. The brightness units are Rayleighs. From Thomas (1978)

### 6.5. Interplanetary emissions

Solar radiation is scattered by neutral interstellar gas atoms which are coming from the solar apex direction and are pervading the solar system until ionized. The emitting region is a sort of cone around the apex-Sun line. The observed emission depends on the position of a spacecraft with respect to this cone (see, e.g. the review by Thomas 1978). Typical patterns observed for the  $\text{Ly}\alpha$  and He 584 Å lines are shown in Fig. 30.

### 6.6. Shuttle glow

Depending on altitude and solar activity, satellites produce additional light emissions by interaction with the upper atmosphere (*Shuttle glow*). Photometric measurements thus may be affected. These light phenomena are relatively strong in the red and near-infrared spectral regions, but are noticeable towards the ultraviolet as well.

For instance, during the Spacelab 1 mission the emissions of the  $\text{N}_2$  Lyman-Birge-Hopfield bands were found to be in the range of 10–50 R/Å (Torr et al. 1985). These observations at 250 km altitude were performed under conditions of moderate solar activity. During minimum solar activity and at 330 km, Morrison et al. (1992) observed no such emissions. The GAUSS camera onboard the German Spacelab mission D2 (296 km, moderate solar activity) observed a patchy glow with  $\approx 0 - 3 \cdot 10^{-9} \text{ W m}^{-2} \text{ sr}^{-1} \text{ nm}^{-1}$  at 210 nm (Schmidtobreick 1997). Taking into account the appropriate conversion factor, the observed glow intensity amounts to about 0.4 R/Å in its brightest parts. Although

these three observations were made at somewhat different wavelengths, the overall increase of emission intensity  $I$  with surrounding air density  $\rho$  is in agreement with an  $I \sim \rho^3$  law.

**Table 14.** The strongest artificial emission lines in the night sky spectrum between 3600–8200 Å. The most intense features are shown in boldface

Line	Sources
Hg I 3650	Hg lighting
Hg I 3663	Hg lighting
Hg I 4047	Hg lighting
Hg I 4078	Hg lighting
<b>Hg I 4358</b>	Hg lighting
Na I 4665, 4669	HPS
Na I 4748, 4752	HPS
Na I 4978, 4983	HPS
Na I 5149, 5153	HPS
<b>Hg I 5461</b>	Hg lighting
Na I 5683, 5688	HPS, LPS
<b>Hg I 5770</b>	Hg lighting
<b>Hg I 5791</b>	Hg lighting
<b>Na I 5890, 5896</b>	HPS, LPS, airglow
<b>Na I 5700 - 6100</b> (wings)	HPS
<b>Na I 6154, 6161</b>	HPS, LPS
K I 7665	HPS, LPS
K I 7699	HPS, LPS
<b>Na I 8183</b>	HPS, LPS
<b>Na I 8195</b>	HPS, LPS

## 7. Light pollution

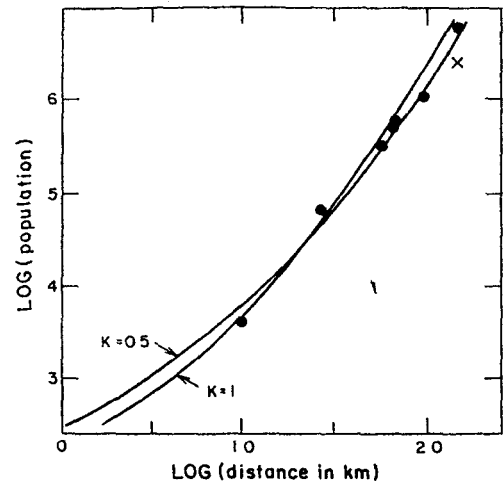
Artificial lighting at earth contributes via tropospheric scattering to the night sky brightness over a large area around the source of light. Both a continuous component as well as distinct emission lines are present in the light pollution spectrum. A recent review of sky pollution is given in McNally (1994).

### 7.1. Observations of sky pollution

Systematic broad-band observations of the sky pollution light near cities have been carried out by Bertiau et al. (1973) in Italy, Berry (1976) in Canada & Walker (1970, 1977) in California. Berry showed that there is a relationship between the population of a city and the zenith sky brightness as observed in or near to the city. Walker interpreted his extensive observations by deriving the following relationships: (1) between the population and luminosity of a city; (2) the sky brightness as a function of distance from the city; and (3) between the population and the distance from a city for a given sky pollution light contribution. The last two relationships are shown in Figs. 31 and 32. These figures can be utilized to derive an estimate for the sky pollution at 45 deg altitude caused by a city with 2000 – 4 million population and with a similar street lighting power per head as California. Starting with the city population Fig. 31 gives the distance at which the artificial lighting contribution increases the natural sky brightness by 20% ( $0.2 \text{ mag}/\square''$ ). With this distance one can enter Fig. 32 and obtain a scaling for the (arbitrary) intensity axis of this figure. Thus the artificially caused sky brightness at 45 deg altitude at 6 – 200 km distance from the city can be estimated from this figure.

### 7.2. Modelling of sky pollution

Treanor (1973) and Bertiau et al. (1973) have used an empirical formula, based on a simplified model of the tropospheric scattering, to fit the sky pollution observations near cities. Garstang (1986, 1989a,b, 1991) has used radiative transfer models including 1st and 2nd order Rayleigh and aerosol scattering, effects of ground albedo and curvature of the earth's surface, and the areal distribution of the light source to calculate the sky pollution light intensity. He has compared and scaled his model results against the above mentioned observational results. Garstang's fitted models are shown in Figs. 31 and 32. superimposed on the observational points of Walker (1977) Garstang (1986, 1989a,b) gives also the calculated zenith distance dependence of the sky pollution light intensity both towards and away from the source of light. These results are reproduced in Fig. 33

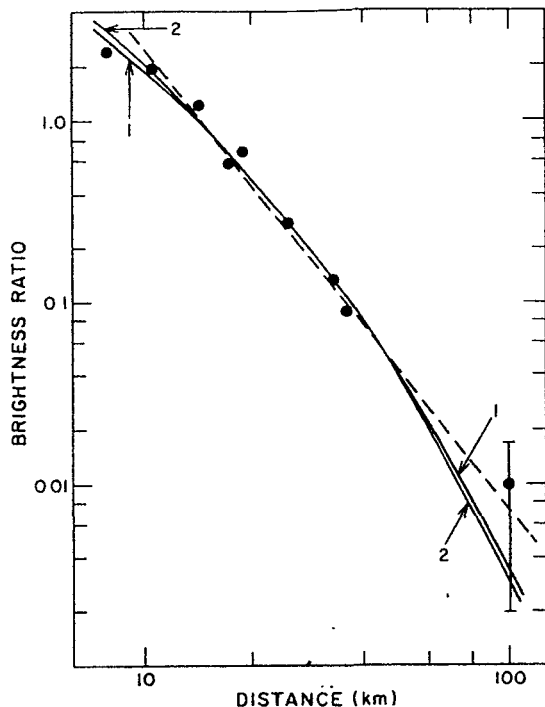


**Fig. 31.** Variation with city population of the distance at which the lights of a city produce an artificial increase of the night sky brightness at 45 deg altitude toward the city by  $0.20 \text{ mag}$ . This increase refers to an assumed natural sky brightness of  $V = 21.9 \text{ mag}/\square''$ . Observations by Walker (1977) are indicated by dots. Two models by Garstang (1986) are shown as solid lines.  $K$  is a measure for the relative importance of aerosols for scattering light. The uppermost dot refers to Los Angeles County, the cross below it to Los Angeles City. From Garstang (1986)

### 7.3. Spectrum of the sky pollution light

The emission line spectra of the different types of street lamps are visible in the night sky light even at good observatory sites, such as Kitt Peak in Arizona. While the most commonly used street lamps until the 1970's were filled with Hg there has been since then a general change over to sodium lamps, both of the high pressure (HPS) and low pressure sodium (LPS) types. The most important sky pollution lines are given in Table 14 according to Osterbrock et al. (1976), Osterbrock & Martel (1992) and Massey et al. (1990). At good sites (e.g. Kitt Peak), the strongest pollution lines are about a factor of two weaker than the strongest airglow lines. The opposite is true for strongly contaminated sites (e.g. Mt Hamilton). Whereas the pollution lines are normally restricted to a relatively narrow wavelength range the Na D line wings produced by the HPS lamps are extremely broad, extending over  $5700 - 6100 \text{ \AA}$ . Thus the LPS lamps are highly preferable over the HPS ones from the astronomer's point of view.

Other studies of the night sky spectrum, including the artificial pollution lines, have been presented by Broadfoot & Kendall (1968) for Kitt Peak, Turnrose (1974) for Mt. Palomar and Mt. Wilson, and Louistisserand et al. (1987) for Pic du Midi.

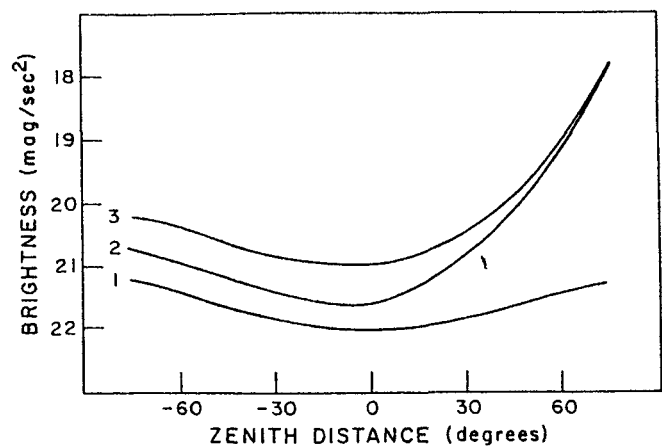


**Fig. 32.** Variation with distance from the city of the sky brightness at 45 deg altitude in the direction of the city. The dots indicate observations in *V* band by Walker (1977) near the city of Salinas. The solid curves are according to models by Garstang (1986). The brightness ratio is defined as  $\frac{b(\text{Salinas at } +45^\circ) - b(\text{Salinas at } -45^\circ)}{b(\text{sky background only at } +45^\circ)}$ , where  $b$  = sky brightness. Zenith distance  $+45^\circ$  is towards and  $-45^\circ$  away from the city. The solid curves are according to models by Garstang (1986) Curve 1:  $L_0 = 986$  lumens per head,  $K = 0.43$ ,  $F = 11\%$ . Curve 2:  $L_0 = 1000$  lumens per head,  $K = 0.5$ ,  $F = 10\%$ .  $L_0$  is the artificial lighting in lumens produced per head of the population.  $K$  is a measure for the relative importance of aerosols for scattering light.  $F$ : a fraction  $F$  of the light produced by the city is radiated directly into the sky at angles above the horizontal plane, and the remainder  $(1 - F)$  is radiated toward the ground. The dashed line is the relation  $\sim D^{-2.5}$ . From Garstang (1986)

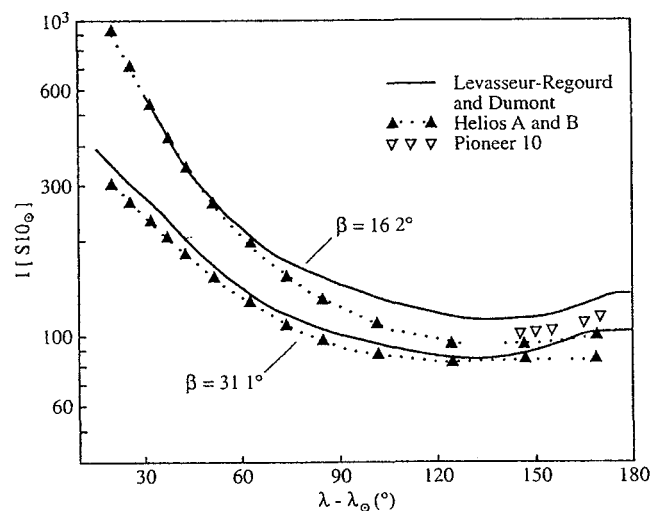
## 8. Zodiacal light

### 8.1. Overview and general remarks

The zodiacal light in the ultraviolet, visual and near-infrared region is due to sunlight scattered by the interplanetary dust particles. In the mid- and far-infrared it is dominated by the thermal emission of those particles. Zodiacal light brightness is a function of viewing direction  $(\lambda - \lambda_\odot, \beta)$ , wavelength, heliocentric distance ( $R$ ) and position of the observer relative to the symmetry plane of interplanetary dust. Its brightness does not vary with



**Fig. 33.** Zenith distance dependence of sky pollution light according to the model calculations of Garstang (1986). Results are for sky pollution due to Denver as seen from a distance of 40 km in the vertical plane containing the observer and the center of Denver. Curve 1: sky background; Curve 2: Denver only; Curve 3: Denver and sky background. Negative zenith distances are away from Denver. From Garstang (1986)



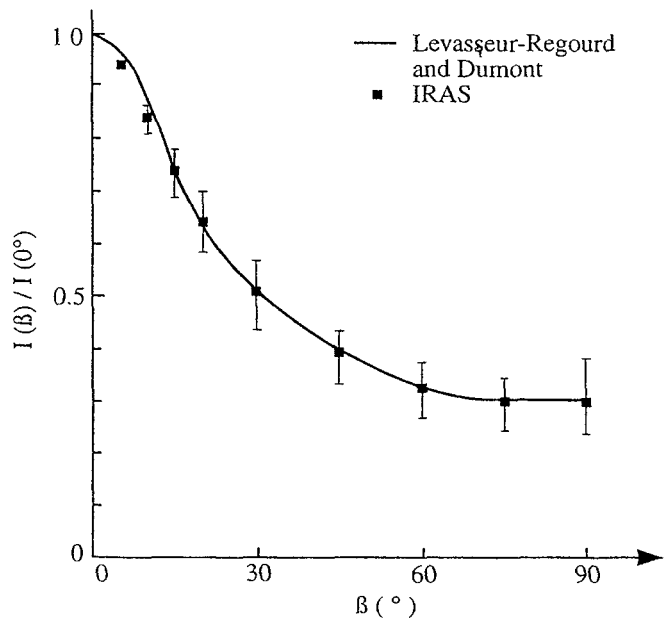
**Fig. 34.** Comparison of zodiacal light measurements along the bands of constant ecliptic latitude  $\beta = 16.2^\circ$  and  $\beta = 31.0^\circ$  observed by Helios A and B. The ground-based measurements of Levasseur-Regourd & Dumont (1980) at  $\lambda_{\text{eff}} = 502$  nm have been linearly interpolated to these latitude values. The Helios measurements at *B* and *V* (Leinert et al. 1981) have been linearly interpolated to  $\lambda_{\text{eff}} = 502$  nm. The Pioneer measurements (Toller & Weinberg 1985) have been extrapolated from blue to 502 nm with the values applicable for Helios and from  $\beta = 10^\circ$  to  $\beta = 16^\circ$  according to the table of Levasseur-Regourd & Dumont (1980). For definition of the  $S10_\odot$  unit see Sect. 2

solar cycle to within 1% or at most a few percent (Dumont & Levasseur-Regourd 1978; Leinert & Pitz 1989), except for subtle effects associated with the scattering of sunlight on the electrons of the interplanetary plasma (Richter et al. 1982). However, seasonal variations occur because of the motion of the observer in heliocentric distance and with respect to the symmetry plane of interplanetary dust cloud (by the annual motion of the earth or the orbital motion of the space probe). The colour of the zodiacal light is similar to solar colour from  $0.2 \mu\text{m}$  to  $2 \mu\text{m}$ , with a moderate amount of reddening with respect to the sun (see Fig. 39). Beyond these wavelengths, the thermal emission of interplanetary dust gradually takes over, the emission being about equal to the scattering part at  $3.5 \mu\text{m}$  (Berriman et al. 1994). In general the zodiacal light is smoothly distributed, small-scale structures appearing only at the level of a few percent.

At present, the overall brightness distribution and polarisation of zodiacal light have been most completely, with the largest sky coverage determined in the visual. The infrared maps obtained by the DIRBE experiment on satellite COBE (see Sect. 8.5) from  $1.25 \mu\text{m}$  to  $240 \mu\text{m}$  provide excellent data, with relative accuracies of 1% to 2% at least for the wavelengths between  $1.25 \mu\text{m}$  and  $100 \mu\text{m}$ . Their absolute accuracy is estimated to  $\approx 5\%$  for wavelengths  $\leq 12 \mu\text{m}$  and  $\approx 10\%$  for the longer wavelengths. But these maps are limited to the range in solar elongations of  $\epsilon = 94^\circ \pm 30^\circ$ . An impression of the accuracy achieved in the visual is obtained by comparing the best available ground-based map (Levasseur-Regourd & Dumont 1980) with space probe results from Pioneer 10 (Toller & Weinberg 1985) and Helios A/B (Leinert et al. 1982) in Fig. 34. Among these, e.g. the calibration of the Helios zodiacal light photometers was extensive enough to predict *before launch* the count rates for bright stars observed in flight to within a few percent, and to propose the same correction to solar  $U-B$  and  $B-V$  colours (Leinert et al. 1981) as the dedicated solar measurements of Tüg & Schmidt-Kaler (1982). However the deviation between the three zodiacal light data sets is larger than suggested by this precision, typically 10%, and up to 20%. The deviation appears to be more systematic than statistical in nature. We conclude that the zodiacal light in the visual is known to an accuracy of 10% at best, about half of which uncertainty is due to multiplicative errors like calibration (including the definition of what a  $V = 10$  mag solar analog G2V star exactly looks like).

In the ultraviolet, the maps of zodiacal light brightness and polarisation are less complete than in the visual, and the calibration is more difficult. In lack of convincingly better information, we assume the overall distribution of zodiacal light brightness at these wavelengths to be the same as in the visual. This, of course, is only a convenient approximation to hardly better than  $\approx 20\%$ . Figures 35 and 36 show that this assumption nevertheless gives a reasonable description of the IRAS zodiacal light measure-

ments at elongation  $\epsilon = 90^\circ$  (Vrtilek & Hauser 1995) and an acceptable approximation to the  $10.9 \mu\text{m}$  and  $20.9 \mu\text{m}$  rocket measurements of Murdock & Price (1985) along the ecliptic over most of the elongation range. Therefore, in the infrared, it also may be used in those areas where direct infrared measurements are not available.



**Fig. 35.** Comparison of the out-of-ecliptic decrease of zodiacal light brightness at elongation  $90^\circ$  as measured from ground at  $502 \text{ nm}$  (Levasseur-Regourd & Dumont 1980) and by IRAS (Vrtilek & Hauser 1995). The IRAS measurements are represented here by their annual average. The squares give the average of the profiles at  $12 \mu\text{m}$ ,  $25 \mu\text{m}$  and  $60 \mu\text{m}$ , the bars given with the IRAS measurements show the range covered by the profiles at the different wavelengths, with the measurements at  $60 \mu\text{m}$  delineating the lower and the measurements at  $12 \mu\text{m}$  the upper envelope

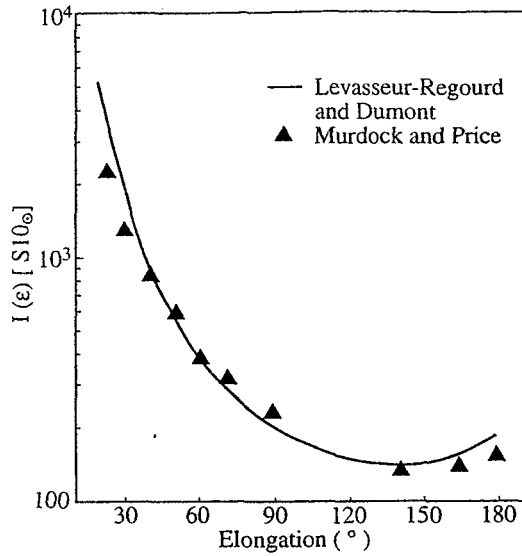
In this spirit, we now want to give the reader the information necessary to get the mentioned estimates of zodiacal light brightness on the basis of the brightness table for visual wavelengths. To this end we write the observed zodiacal light brightness  $I_{\text{ZL}}$  for a given viewing direction, position of the observer and wavelength of observation in acceptable approximation (i.e. more or less compatible with the uncertainties of the results) as a product

$$I_{\text{ZL}} = f_R \cdot I(\lambda - \lambda_\odot, \beta) \cdot f_{\text{abs}} f_{\text{co}} f_{\text{SP}} \quad (14)$$

$[S10_\odot, \text{ respectively } \text{W m}^{-2} \text{ sr}_\mu^{-1} \text{m}^{-1} \text{ or MJy/sr}]$

where

- $I(\lambda - \lambda_\odot, \beta)$  is the map of zodiacal light brightness in the visual for a position in the symmetry plane at 1 AU (Table 16, resp. Table 17),



**Fig. 36.** Comparison of zodiacal light brightness profile along the ecliptic as measured by Levasseur-Regourd & Dumont (1980) at 502 nm and by a rocket flight (Murdock & Price 1985) at 10.9  $\mu\text{m}$  and 20.9  $\mu\text{m}$ . The rocket data for the two wavelength bands have been averaged and normalised to the ground-based measurements at an elongation of 60°. For definition of the  $S10_{\odot}$  unit see Sect. 2

- $f_{\text{abs}}$  transforms from 500 nm to the wavelength dependent absolute brightness level of the map.
- $f_{\text{co}}$  gives the differential wavelength dependence (i.e. the colour with respect to a solar spectrum), including a colour dependent correction of the map. This factor is applicable from 0.25  $\mu\text{m}$  to 2.5  $\mu\text{m}$  when the brightness is wanted in  $S10_{\odot}$  units, starting from the value at 500 nm (Table 16).
- $f_{\text{SP}}$  describes the influence of the position of the observer with respect to the Symmetry Plane of interplanetary dust on the observed brightness. This effect is discussed at length in Sect. 8.7.
- $f_R$  gives the dependence on heliocentric distance  $R$ .

In the following sections 8.2 – 8.7 we provide the quantitative information needed to use the unifying approximate Eq. (14) but also present present individual original results and topics not directly related to it. Section 8.8 discusses the structures present in the zodiacal light on the level of several percent, and Sect. 8.9 indicates how the observed zodiacal light brightness depends on the position of the observer in the solar system.

## 8.2. Heliocentric dependence

This section gives information which allows us to estimate the factor  $f_R$ . Leinert et al. 1980) found the visual bright-

**Table 15.** Heliocentric gradient of physical properties of interplanetary dust (scattering properties are given for a scattering angle of 90°)

	Value at 1 AU	Gradient (power law)	Range (in AU)
Density	$10^{-19} \text{ kg/m}^3$	$-0.93 \pm 0.07$	1.1 – 1.4
Temperature	$260 \pm 10 \text{ K}$	$-0.36 \pm 0.03$	1.1 – 1.4
Albedo	$0.08 \pm 0.02$ (from IRAS)	$-0.32 \pm 0.05$	1.1 – 1.4
Polarisation (0.5 $\mu\text{m}$ , local)	$0.30 \pm 0.03$	$+0.5 \pm 0.1$	0.5 – 1.4

ness to increase with decreasing heliocentric distance for all elongations between 16° and 160° as

$$\frac{I(R)}{I(1 \text{ AU})} = R^{-2.3 \pm 0.1}. \quad (15)$$

In this same range the Helios experiment (Leinert et al. 1982) observed the degree of polarisation to increase with increasing heliocentric distance as

$$\frac{p(R)}{p(1 \text{ AU})} = R^{+0.3 \pm 0.05}. \quad (16)$$

In the outer solar system, for  $1.0 \text{ AU} < R < 3.3 \text{ AU}$ , Pioneer 10 (Toller & Weinberg 1985, see also Hanner et al. 1976) found a decrease with heliocentric distance which can be summarised as

$$\frac{I(R)}{I(1 \text{ AU})} = R^{-2.5 \pm 0.2}, \quad (17)$$

neglecting the correction for Pioneer 10's changing distance from the symmetry plane (compare Table 33). Such a steepening is expected to result if there is less interplanetary dust outside the asteroid belt than extrapolated from the inner solar system (van Dijk et al. 1988; Hovenier & Bosma 1991).

Similarly simple expressions for the thermal infrared cannot be given, since the thermal emission of interplanetary dust

- depends on the temperature  $T(R)$  of the dust grains via Planck's function, which is highly nonlinear and therefore
- critically depends on wavelength.

Infrared observations from positions in the inner or outer solar system are not yet available. Estimates therefore have to be based on model predictions (see Sect. 8.9). Examples for such, to varying degrees physical or simply parameterising models are to be found, e.g. in Röser & Staude (1978), Murdock & Price (1985), Deul & Wolstencroft (1988), Rowan-Robinson et al. (1990), Reach

**Table 16.** Zodiacal light brightness observed from the Earth (in  $S10_{\odot}$ ) at 500 nm. Towards the ecliptic pole, the brightness as given above is  $60 \pm 3 S10_{\odot}$ . The table is an update of the previous work by Levasseur-Regourd & Dumont (1980). The values remain the same but for a slight relative increase, both for the region relatively close to the Sun, and for high ecliptic latitudes. The previous table is completed in the solar vicinity, up to  $15^{\circ}$  solar elongation. Intermediate values may be obtained by smooth interpolations, although small scale irregularities (e.g. cometary trails) cannot be taken into account

$\beta^{\circ}$	0	5	10	15	20	25	30	45	60	75
$\lambda - \lambda_{\odot}$										
0				2450	1260	770	500	215	117	78
5				2300	1200	740	490	212	117	78
10			3700	1930	1070	675	460	206	116	78
15	9000	5300	2690	1450	870	590	410	196	114	78
20	5000	3500	1880	1100	710	495	355	185	110	77
25	3000	2210	1350	860	585	425	320	174	106	76
30	1940	1460	955	660	480	365	285	162	102	74
35	1290	990	710	530	400	310	250	151	98	73
40	925	735	545	415	325	264	220	140	94	72
45	710	570	435	345	278	228	195	130	91	70
60	395	345	275	228	190	163	143	105	81	67
75	264	248	210	177	153	134	118	91	73	64
90	202	196	176	151	130	115	103	81	67	62
105	166	164	154	133	117	104	93	75	64	60
120	147	145	138	120	108	98	88	70	60	58
135	140	139	130	115	105	95	86	70	60	57
150	140	139	129	116	107	99	91	75	62	56
165	153	150	140	129	118	110	102	81	64	56
180	180	166	152	139	127	116	105	82	65	56

**Table 17.** Zodiacal light brightness observed from the Earth (in SI units) This table is identical to the previous one, but for the unit: the values are given in  $10^{-8} \text{ W m}^{-2} \text{ sr}^{-1} \mu\text{m}^{-1}$ , for a wavelength of  $0.50 \mu\text{m}$ . The multiplication factor is  $1.28 \cdot 10^{-8} \text{ W m}^{-2} \text{ sr}^{-1} \mu\text{m}^{-1}$  (see Table 2 in Sect. 2). Towards the ecliptic pole, the brightness as given above is  $77 \pm 10^{-8} \text{ W m}^{-2} \text{ sr}^{-1} \mu\text{m}^{-1}$ . This table (adapted from Levasseur-Regourd 1996) still needs to be multiplied by a corrective factor  $F_{\odot}$  for use at other wavelengths, in order to take into account the solar spectrum. This table has been added for direct use by those who are not familiar with magnitude related units

$\beta^{\circ}$	0	5	10	15	20	25	30	45	60	75
$\lambda - \lambda_{\odot}$										
0				3140	1610	985	640	275	150	100
5				2940	1540	945	625	271	150	100
10			4740	2470	1370	865	590	264	148	100
15	11500	6780	3440	1860	1110	755	525	251	146	100
20	6400	4480	2410	1410	910	635	454	237	141	99
25	3840	2830	1730	1100	749	545	410	223	136	97
30	2480	1870	1220	845	615	467	365	207	131	95
35	1650	1270	910	680	510	397	320	193	125	93
40	1180	940	700	530	416	338	282	179	120	92
45	910	730	555	442	356	292	250	166	116	90
60	505	442	352	292	243	209	183	134	104	86
75	338	317	269	227	196	172	151	116	93	82
90	259	251	225	193	166	147	132	104	86	79
105	212	210	197	170	150	133	119	96	82	77
120	188	186	177	154	138	125	113	90	77	74
135	179	178	166	147	134	122	110	90	77	73
150	179	178	165	148	137	127	116	96	79	72
165	196	192	179	165	151	141	131	104	82	72
180	230	212	195	178	163	148	134	105	83	72

**Table 18.** Zodiacal light polarization observed from the Earth (in percent) The table provides the values for linear polarisation (Levasseur-Regourd 1996) Circular polarisation of zodiacal light is negligible. Positive values correspond to a direction of polarisation ( $\mathbf{E}$  vector) perpendicular to the scattering plane (Sun-Earth-scattering particles), negative values correspond to a direction of the polarisation in the scattering plane. Towards the ecliptic pole, the degree of polarisation as given above is  $19 \pm 1$  percent. The negative values noticed in the Gegenschein region correspond to a parallel component greater than the perpendicular component, as expected for the scattering by irregular particles at small phase angles

$\beta^\circ$	0	5	10	15	20	25	30	45	60	75
$\lambda - \lambda_\odot$										
0				8	10	11	12	16	19	20
5				9	10	11	12	16	19	20
10			11	11	12	13	14	17	19	20
15	13	13	13	13	13	14	15	17	19	20
20	14	14	14	15	15	15	15	17	19	20
25	15	15	16	16	16	16	16	18	19	20
30	16	16	16	16	16	17	17	18	19	20
35	17	17	17	17	17	17	17	18	20	20
40	17	17	17	17	18	18	18	19	20	20
45	18	18	18	18	18	18	18	19	20	20
60	19	19	19	19	19	20	20	20	20	20
75	18	18	18	18	18	19	19	19	19	19
90	16	16	16	16	16	16	17	18	18	19
105	12	12	12	12	13	13	14	15	17	19
120	8	8	9	9	9	10	11	13	15	18
135	5	5	5	6	6	7	8	11	14	17
150	2	2	2	3	3	4	5	8	12	16
165	-2	-2	-1	-1	0	2	3	7	11	16
180	0	-2	-3	-2	-1	0	2	6	11	16

(1988, 1991), Reach et al. (1996a), Dermott et al. (1996a); see also the discussion of several of these models by Hanner (1991). Present knowledge on the most important physical input parameters is summarised in Table 15, mostly taken from Levasseur-Regourd (1996). Note that “local” polarisation does not mean the zodiacal light polarisation observed locally at the Earth, but the polarisation produced by scattering under  $90^\circ$  in a unit volume near the Earth’s orbit. The gradients (power law exponents in heliocentric distance  $R$ ) have been derived from brightness measurements at 1 AU using an inversion method called “nodes of lesser uncertainty” (Dumont & Levasseur-Regourd 1985). The one directly observed physically relevant quantity in the infrared is the colour temperature of the zodiacal light. At elongation  $\epsilon = 104^\circ$  the colour temperature has been measured between  $5 \mu\text{m}$  and  $16.5 \mu\text{m}$  from the infrared satellite ISO to be  $261.5 \pm 1.5 \text{ K}$  (Reach et al. 1996b). In this wavelength range, the spectrum of the zodiacal light closely followed blackbody emission. See also the discussion of an infrared zodiacal light model in Sect. 8.5.

### 8.3. Zodiacal light at 1 AU in the visual

First we give here the values for the zodiacal light at 500 nm (the possible minute difference to 502 nm, to which the data of Levasseur-Regourd & Dumont (1980) refer, is neglected). Brightnesses are expressed in  $S10_\odot$  units. At 500 nm ( $\Delta\lambda = 10 \text{ nm}$ ) we have

$$1 S10_\odot = 1.28 \cdot 10^{-8} [\text{Wm}^{-2} \text{sr}^{-1} \mu^{-1}]$$

or

$$1 S10_\odot = 1.28 \cdot 10^{-9} [\text{erg cm}^{-2} \text{s}^{-1} \text{sr}^{-1} \text{\AA}^{-1}]. \quad (18)$$

#### 8.3.1. Pole of the ecliptic

The annually averaged brightness and degree of polarisation and the polarised intensity  $I_{\text{pol}}$  at the ecliptic poles at 500 nm result as (Levasseur-Regourd & Dumont 1980; Leinert et al. 1982)

$$I_{\text{ZL}}(\beta = 90^\circ) = 60 \pm 3 S10_\odot$$

$$p_{\text{ZL}}(\beta = 90^\circ) = 0.19 \pm 0.01 \quad (19)$$

$$I_{\text{pol ZL}}(\beta = 90^\circ) = 11.3 \pm 0.3 S10_\odot.$$

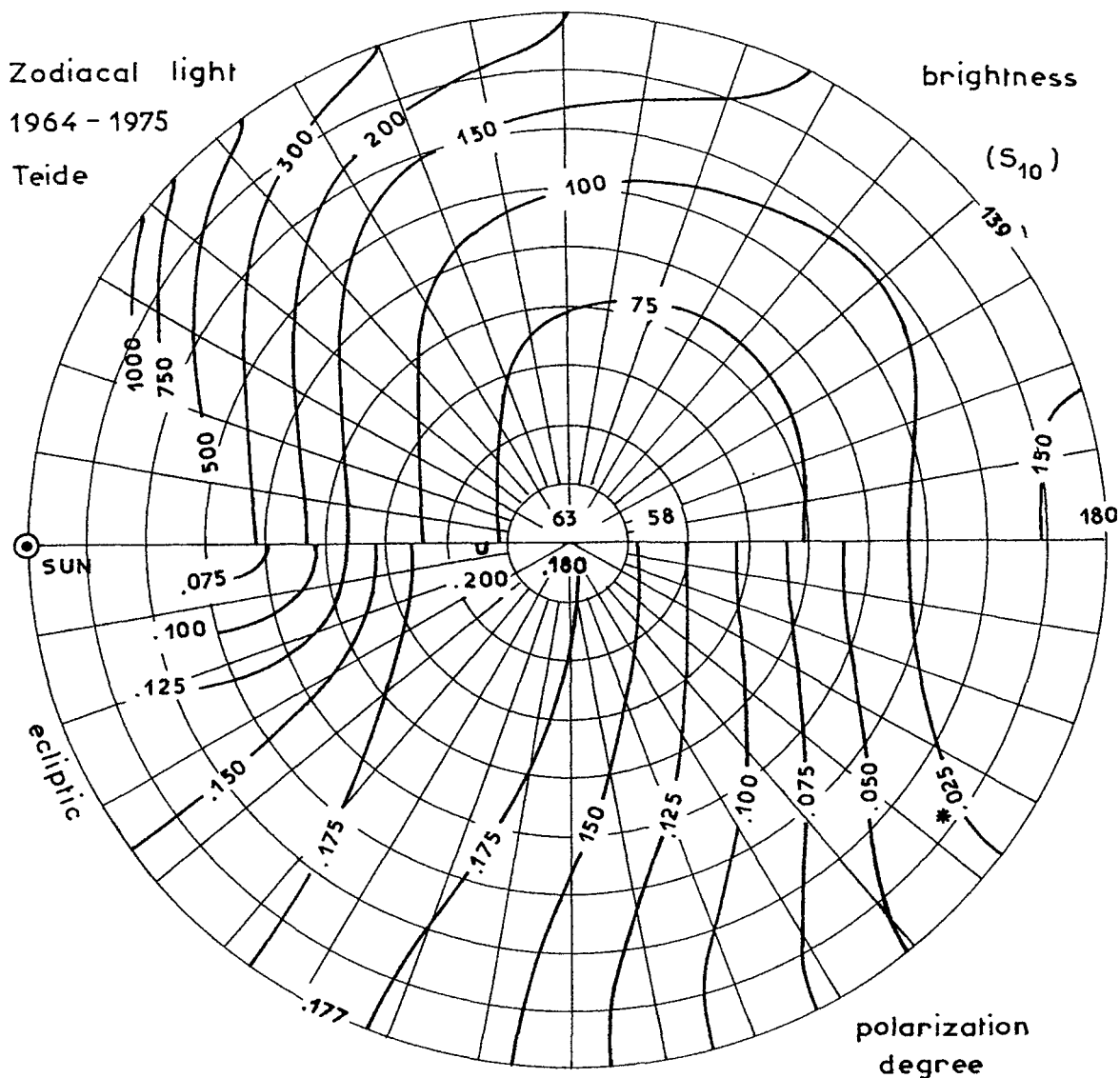
For completeness we note that the polarized intensity appears to be very much agreed upon, while many of the space experiments (Sparrow & Ney 1968; Sparrow & Ney 1972a,b; Levasseur & Blamont 1973; Frey et al. 1974; Weinberg & Hahn 1980) tend to find  $I_{\text{ZL}}$  lower by about 10% and  $p_{\text{ZL}}$  correspondingly higher. But for uniformity of reference within the zodiacal light map below we recommend use of the numbers given above.

#### 8.3.2. Maps

Because of the approximate symmetry of the zodiacal light with respect to the ecliptic (resp. symmetry plane) and also with respect to the helioecliptic meridian (sun-ecliptic poles-antisolar point) only one quarter of the celestial sphere has to be shown. We present the groundbased brightness map for 500 nm in three ways:

1. Figure 37, taken from Dumont & Sánchez (1976) gives the original data in graphical form and allows quick orientation.
2. Table 16, based on the results of Levasseur-Regourd & Dumont (1980) contains a smoothed tabulation of these (basically same) data in steps of  $5^\circ$  to  $15^\circ$  in  $\lambda - \lambda_\odot$  and  $\beta$ .
3. Table 17 is identical to Table 16, except that the brightness now is given in physical units.

The zodiacal light tables given here deviate somewhat from the original earthbound data sets, which were limited to elongation  $> 30^\circ$ , because they were subject to additional smoothing, and because they also give a smooth



**Fig. 37.** Annually averaged distribution of the zodiacal light over the sky in differential ecliptic coordinates. Upper half: zodiacal light brightness  $I_{ZL}(S10_{\odot})$ , lower half: degree of polarisation of zodiacal light. The circumference represents the ecliptic, the ecliptic pole is in the center, and the coordinates  $\lambda - \lambda_{\odot}$  and  $\beta$  are drawn in intervals of  $10^{\circ}$ . The “\*” indicates a line of lower reliability. From Dumont & Sánchez (1976)

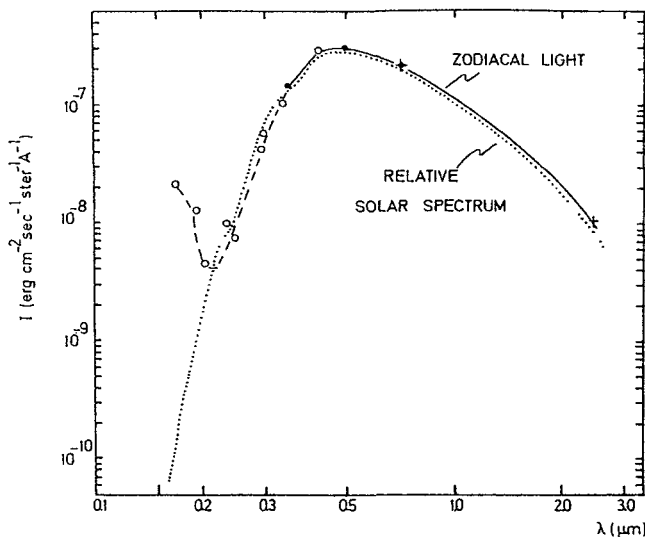
connection to two measurements closer to the sun: the results obtained by Helios A/B (Leinert et al. 1982) and those of a precursor rocket flight (Leinert et al. 1976) for small elongations ( $\epsilon < 30^{\circ}$ ). For interpolation, if the smaller  $5^{\circ}$  spacing is needed, still the table in Levasseur-Regourd & Dumont (1980) can be used. In addition, Table 18 gives a map of zodiacal light polarisation, structured in the same way as Tables 16 and 17.

For these maps, the errors in polarisation are about 1%. The errors in brightness are 10 – 15  $S10_{\odot}$  for low values and 5% – 10% for the higher brightnesses.

#### 8.4. Wavelength dependence and colour with respect to the sun

The wavelength dependence of the zodiacal light generally follows the solar spectrum from  $0.2 \mu\text{m}$  to  $\approx 2 \mu\text{m}$ . However, detailed study shows a reddening of the zodiacal light with respect to the sun. The thermal emission longward of  $3 \mu\text{m}$ , as mentioned already in Sect. 8.2, can be approximated by a diluted blackbody radiation. This will be discussed in more detail in Sect. 8.5. A recent determination of the temperature of this radiation gives the value of  $261.5 \pm 1.5 \text{ K}$  (Reach et al. 1996b).





**Fig. 38.** Broadband spectrum of the zodiacal light. The shown observations are by Frey et al. (1974, ●), Hofmann et al. (1973, +), Nishimura et al. (1973, ∇) and Lillie (1972, ○). From Leinert (1975)

**Table 19.** Zodiacal light at  $\epsilon = 90^\circ$  in the ecliptic

$\lambda(\mu\text{m})$	$S_{10\odot}$	$\text{W m}^{-2} \text{sr}^{-1} \mu\text{m}^{-1}$	$\text{MJy/sr}$
0.2		$2.5 \cdot 10^{-8}$	
0.3	162	$5.3 \cdot 10^{-7}$	
0.4	184	$2.2 \cdot 10^{-6}$	
0.5	202	$2.6 \cdot 10^{-6}$	
0.7 ( $R_f$ )	220	$2.0 \cdot 10^{-6}$	
0.9 ( $I_f$ )	233	$1.3 \cdot 10^{-6}$	
1.0	238	$1.2 \cdot 10^{-6}$	
1.2 ( $J$ )		$8.1 \cdot 10^{-7}$	0.42
2.2 ( $K$ )		$1.7 \cdot 10^{-7}$	0.28
3.5 ( $L$ )		$5.2 \cdot 10^{-8}$	0.21
4.8 ( $M$ )		$1.2 \cdot 10^{-7}$	0.90
12		$7.5 \cdot 10^{-7}$	36
25		$3.2 \cdot 10^{-7}$	67
60		$1.8 \cdot 10^{-8}$	22
100		$3.2 \cdot 10^{-9}$	10.5
140		$6.9 \cdot 10^{-10}$	4.5

Figure 38 gives an impression of the spectral flux distribution of the zodiacal light at elongation  $\epsilon = 80^\circ$  in the ecliptic. It emphasises the closeness to the solar spectrum from 0.2  $\mu\text{m}$  to 2  $\mu\text{m}$ . Note that at wavelengths  $\lambda < 200 \text{ nm}$  the intensity levels expected for a solar-type zodiacal light spectrum are quite low, therefore difficult to establish (see Sect. 8.6).

#### 8.4.1. Wavelength dependence – absolute level

This section gives information which allows us to estimate the factor  $f_{\text{abs}}$ .

From the ultraviolet to near-infrared, if zodiacal light brightness is given in  $S_{10\odot}$  units and the zodiacal light spectrum were solar-like, then we would have simply  $f_{\text{abs}} = 1.0$ .

If the zodiacal light brightness again is expressed in  $S_{10\odot}$  units but its reddening is taken into account, we still take  $f_{\text{abs}} = 1.0$  and put the reddening into the colour correction factor  $f_{\text{co}}$  (see the following section).

If the zodiacal light brightness is given in physical units,  $f_{\text{abs}}$  gives the factor by which the absolute level of brightness changes from  $\lambda = 500 \text{ nm}$  to a given wavelength. Because best defined observationally at an elongation of  $\epsilon = 90^\circ$  in the ecliptic, the factors  $f_{\text{abs}}$  should be used for that viewing direction. Table 19 already implicitly contains these factors, since it gives the wavelength dependent brightnesses  $I_{\text{ZL}}(\lambda) = I_{\text{ZL}}(500 \text{ nm}) \times f_{\text{abs}}$ , for the  $90^\circ$  points in the ecliptic. (Where appropriate, the factor  $f_{\text{co}}$  has also been included). For the infrared emission this brightness is taken from the COBE measurements (see Sect. 8.5) and added here for completeness and easy comparability.

#### 8.4.2. Colour effects – elongation-dependent reddening

This section gives information which allows us to estimate the factor  $f_{\text{co}}$ . This factor applies to the ultraviolet to near-infrared part of the spectrum only. Since it deviates from unity by less than 20% from 350 nm to 800 nm, neglecting it (i.e. assuming a strictly solar spectrum) may be acceptable in many applications. Otherwise one has to go through the somewhat clumsy colour correction detailed below.

It is convenient to express the colour of zodiacal light as a colour ratio which linearly measures the deviation of zodiacal light from the solar spectrum:

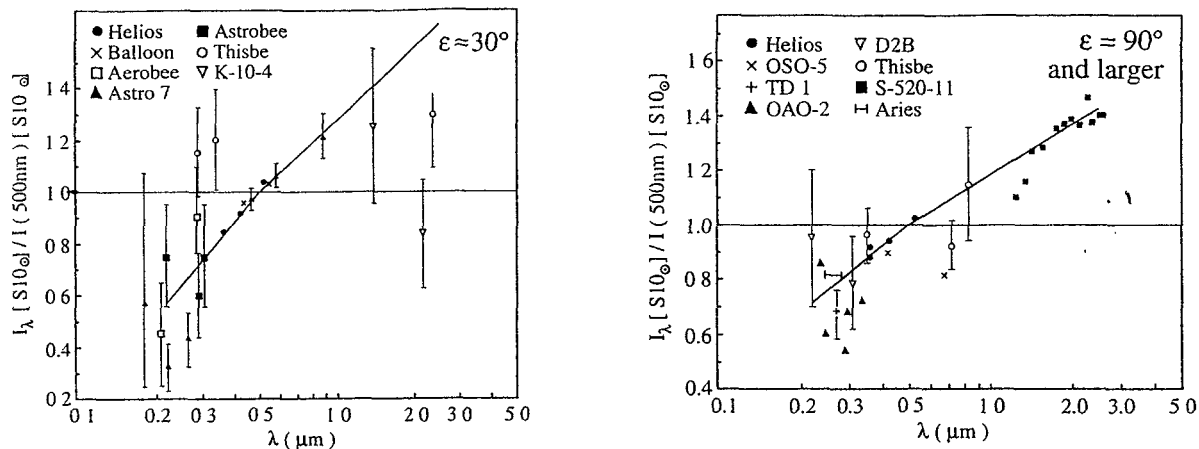
$$C(\lambda_1, \lambda_2) = \frac{I_{\text{ZL}}(\lambda_1)/I_{\odot}(\lambda_1)}{I_{\text{ZL}}(\lambda_2)/I_{\odot}(\lambda_2)} \quad (20)$$

and which, for  $\lambda_1 < \lambda_2$ , is related to the colour indices ( $CI$ ) by

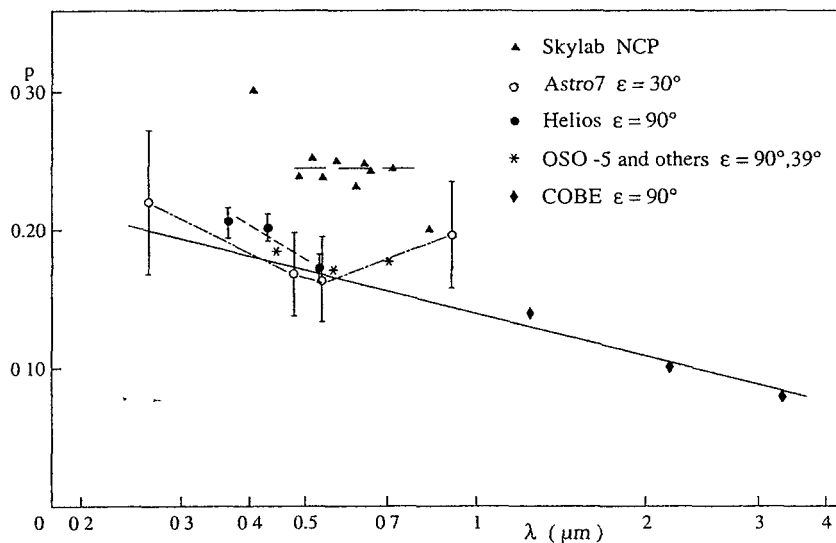
$$CI_{\text{ZL}} - CI_{\odot} = -2.5 \log C(\lambda_1, \lambda_2). \quad (21)$$

We compile in Fig. 39 measurements of the colour of the zodiacal light with respect to the solar spectrum. There is quite some disagreement in detail, but also a trend for a general reddening which is stronger at small elongations ( $\epsilon \approx 30^\circ$ ). To be specific, we decide on the basis of Fig. 39, on the following reddening relations (straight lines in this log-linear presentation and giving particular weight to the Helios measurements):

$$\epsilon < 30^\circ: f_{\text{co}} = f_{\text{co}-30}$$



**Fig. 39.** Reddening of the zodiacal light according to colour measurements by various space-borne and balloon experiments. Left: at small elongations; right: at large elongations. The quantity plotted is the ratio of zodiacal light brightness at wavelength  $\lambda$  to zodiacal light brightness at wavelength 500 nm, normalised by the same ratio for the sun (i.e. we plot the colour ratio  $C(\lambda, 500 \text{ nm})$ ). Reddening corresponds to a value of this ratio of  $< 1.0$  for  $\lambda < 500 \text{ nm}$  and  $> 1.0$  for  $\lambda > 500 \text{ nm}$ . The thick solid line represents the adopted reddening (Eq. (22)). The references to the data points are: Leinert et al. (1981) (Helios), Vande Noord (1970) (Balloon), Feldman (1977) (Aerobee rocket), Pitz et al. (1979) (Astro 7 rocket), Cebula & Feldman (1982) (Astrobee rocket), Frey et al. (1977) (Balloon Thisbe), Nishimura (1973) (rocket K-10-4), Sparrow & Ney (1972a,b) (OSO-5), Morgan et al. (1976) (TD-1), Lillie (1972) (OAO-2), Maucherat-Joubert et al. (1979) (D2B), Matsuura et al. (1995) (rocket S-520-11), Tennyson et al. (1988) (Aries rocket)



**Fig. 40.** Wavelength dependence of polarisation observed at different positions in the zodiacal light. Filled triangles – Skylab at the north celestial pole (Weinberg & Hahn 1979); open circles: rocket Astro 7 at elongation  $\epsilon = 30^\circ$  (Pitz et al. 1979); dots: Helios at  $\beta = 16^\circ$ ,  $\epsilon = 90^\circ$  (Leinert et al. 1982); diamonds: COBE measurements (Berriman et al. 1994); stars: an average of three similar results (OSO-5,  $\epsilon = 90^\circ$ , Sparrow & Ney 1972; balloon at  $\epsilon = 30^\circ$ , Vande Noord 1970; ground-based at  $\epsilon = 39^\circ$ , Wolstencroft & Brandt 1967) Note: it is the wavelength dependence within each group which matters. The solid line shows the approximation (24) to the wavelength dependence of  $p$

$$\begin{aligned}
\epsilon = 30^\circ: \quad f_{\text{co}-30} &= 1.0 + 1.2 \times \log\left(\frac{\lambda}{500 \text{ nm}}\right) \\
&220 \text{ nm} \leq \lambda \leq 500 \text{ nm} \\
&= 1.0 + 0.8 \times \log\left(\frac{\lambda}{500 \text{ nm}}\right) \\
&500 \text{ nm} \leq \lambda \leq 2.5 \mu\text{m} \\
\epsilon = 90^\circ: \quad f_{\text{co}-90} &= 1.0 + 0.9 \times \log\left(\frac{\lambda}{500 \text{ nm}}\right) \quad (22) \\
&220 \text{ nm} \leq \lambda \leq 500 \text{ nm} \\
&= 1.0 + 0.6 \times \log\left(\frac{\lambda}{500 \text{ nm}}\right) \\
&500 \text{ nm} \leq \lambda \leq 2.5 \mu\text{m} \\
\epsilon > 90^\circ: \quad f_{\text{co}} &= f_{\text{co}-90}.
\end{aligned}$$

Here,  $f_{\text{co}} = 1.0$  corresponds to solar colour, while a reddening results in  $f_{\text{co}} < 1.0$  for  $\lambda < 500 \text{ nm}$  and in  $f_{\text{co}} > 1.0$  for  $\lambda > 500 \text{ nm}$ .

For intermediate values of  $\epsilon$ ,  $f_{\text{co}}$  can be interpolated. The curves for the assumed colour in Fig. 39 are made to closely fit the Helios data, where the *UBV* (363 nm, 425 nm, 529 nm) colours (Leinert et al. 1982), again expressed as colour ratios, were

$$\begin{aligned}
\frac{I_V}{I_B} &= 1.14 - 5.5 \cdot 10^{-4} \cdot \epsilon(^{\circ}) \quad (23) \\
\frac{I_B}{I_U} &= 1.11 - 5.0 \cdot 10^{-4} \cdot \epsilon(^{\circ}).
\end{aligned}$$

Obviously the colour ratio factor  $f_{\text{co}}$  cannot be very accurate in the ultraviolet (where measurements don't agree too well) nor beyond  $1 \mu\text{m}$  (where partly extrapolation is involved). The situation for  $\lambda \leq 220 \text{ nm}$  in the ultraviolet and for the emission part of the zodiacal light are described below in separate sections.

#### 8.4.3. Wavelength dependence of polarisation

The available zodiacal light polarisation measurements between  $0.25 \mu\text{m}$  and  $3.5 \mu\text{m}$  fall in two groups (Fig. 40). Most observations in the visual can be represented within their errors by a polarisation constant over this wavelength range. Two quite reliable measurements, on the other hand (by Helios in the visible and by COBE in the near-infrared), show a definite decrease of observed degree of polarisation with wavelength.

In the limited wavelength range from  $0.45 \mu\text{m}$  to  $0.80 \mu\text{m}$  it is still an acceptable approximation to assume the polarisation of the zodiacal light as independent of wavelength. But overall, the wavelength dependence of polarisation summarised in Fig. 40 has to be taken into account. For an elongation of  $90^\circ$ , to which most of the data in Fig. 40 refer, it can be reasonably represented by the relation (solid line in the figure)

$$p(\lambda) = 0.17 + 0.10 \cdot \log(\lambda/0.5 \mu\text{m}), \quad (24)$$

i.e. by a decrease of  $\approx 3\%$  per factor of two in wavelength. With  $p(0.5 \mu\text{m}) = 0.17$ , this can also be written in the form

$$p(\lambda) = p(0.5 \mu\text{m})[1 + 0.59 \log(\lambda/0.5 \mu\text{m})], \quad (25)$$

which may be applied tentatively also to other viewing directions.

At longer wavelengths, with the transition region occurring between  $\approx 2.5 \mu\text{m}$  and  $5 \mu\text{m}$ , the zodiacal light is dominated by thermal emission and therefore unpolarised. At shorter wavelengths the zodiacal light brightness is very low, and the polarisation is not known (although it may be similar to what we see in the visual spectral range).

Maps of the zodiacal light polarisation at present are available with large spatial coverage for the visual spectral range only. For other wavelength ranges, it is a first approximation to use the same spatial distribution.

#### 8.5. Zodiacal light in the thermal infrared

Extensive space-based measurements of the diffuse infrared sky brightness in the infrared have become available over the past 13 years (e.g., Neugebauer et al. 1984 (IRAS); see Beichman 1987 for a review of IRAS results; Murdock & Price 1985 (ZIP); Boggess et al. 1992 (COBE); Murakami et al. 1996 (IRTS); Kessler et al. 1996 (ISO)). In general, some form of modeling is required to separate the scattered or thermally emitted zodiacal light from other contributions to the measured brightness, though at some wavelengths and in some directions the zodiacal light is dominant. Because the COBE/DIRBE measurements have the most extensive combination of sky, temporal, and wavelength coverage in the infrared, and have been carefully modeled to extract the zodiacal light signal (Reach et al. 1996a; COBE/DIRBE Explanatory Supplement), we largely rely on these results.

The spectral energy distribution of the zodiacal light indicates that the contributions from scattered and thermally emitted radiation from interplanetary dust are about equal near  $3.5 \mu\text{m}$  (Spiesman et al. 1995; Matsumoto et al. 1996), where the interplanetary dust (IPD) contribution to the infrared sky brightness is at a local minimum. This turnover is most clearly seen in the data of the near-infrared spectrometer onboard the satellite IRTS (Matsumoto et al. 1996, see Fig. 41). Observations in the range  $3 - 5 \mu\text{m}$  are expected to be neither purely scattering nor purely thermal. The thermal spectrum peaks near  $12 \mu\text{m}$ , and the observed spectral shape for  $\lambda < 100 \mu\text{m}$  approximates that of a blackbody (for a power law emissivity proportional to  $\nu^{-n}$ , spectral index  $n = 0$ ) with a temperature in the range  $250 - 290 \text{ K}$  (Murdock & Price 1985; Hauser et al. 1984; Spiesman et al. 1995), depending in part on the direction of observation. As already mentioned, recent results from ISO (Reach et al. 1996b, Fig. 42) fit the  $5 - 16.5 \mu\text{m}$  wavelength range with a blackbody of  $T = 261.5 \pm 1.5 \text{ K}$ . Using

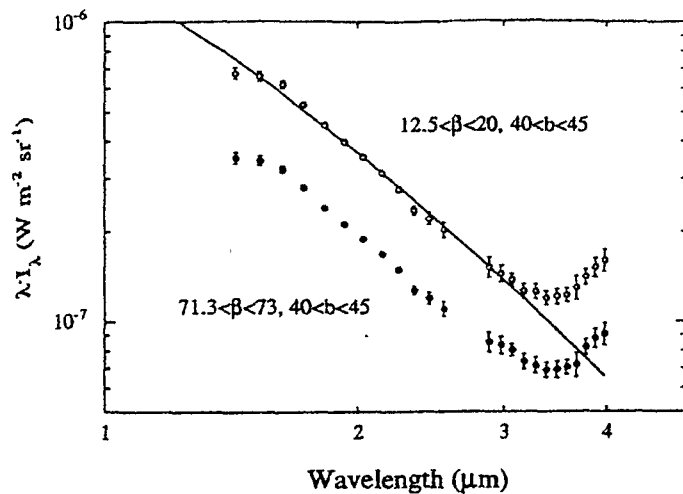


Fig. 41. Near-infrared spectra of the sky brightness measured with the satellite IRTS at low and at high ecliptic latitudes  $\beta$ . The solid line gives a solar spectrum, normalised to the measurements at low  $\beta$  at  $1.83 \mu\text{m}$ . From Matsumoto et al (1996)

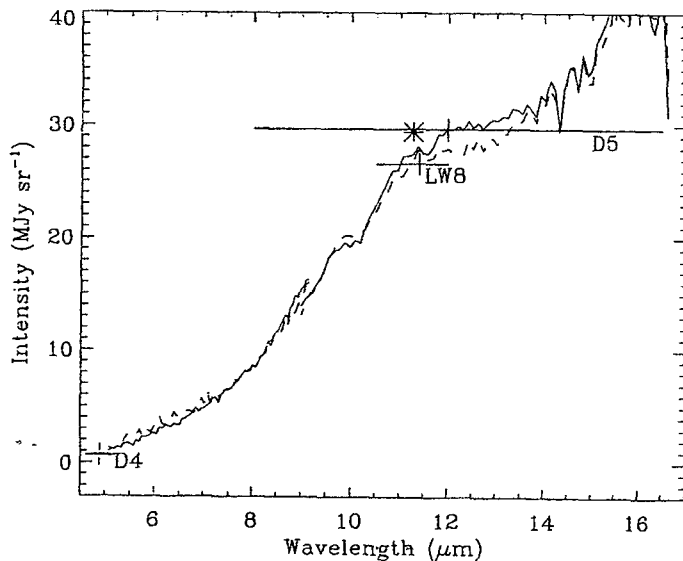


Fig. 42. Spectrum of the zodiacal light from  $5 \mu\text{m}$  to  $16.5 \mu\text{m}$  as measured with the circular variable filter of the infrared camera (CAM) onboard the ISO satellite. Actually, two separate measurements are overplotted. "D4" and "D5" are measurements of the DIRBE/COBE exoeriment shown here for comparison, where the horizontal bar indicates the width of the filters. "LW8" and the asterisk refer to independent measurements obtained with CAM. Note the possible broad emission feature between  $9 \mu\text{m}$  and  $12 \mu\text{m}$ . From Reach et al (1996b)

COBE/DIRBE data, Reach et al (1996a) find a slow roll-off of the emissivity in the far-infrared (spectral index  $n \approx 0.5$  for  $\lambda > 100 \mu\text{m}$ ).

Except near the Galactic plane, the signal due to interplanetary dust dominates the observed diffuse sky brightness at all infrared wavelengths shortward of  $\approx 100 \mu\text{m}$ . This is illustrated in Fig. 43, which presents COBE/DIRBE observations ( $0.7 \text{ deg}$  resolution) of a strip of sky at elongation  $90 \text{ deg}$  in 10 photometric bands ranging from  $1 \mu\text{m} - 240 \mu\text{m}$ . The estimated contribution from zodiacal light (based upon the DIRBE model, see below) is also shown at each wavelength in Fig. 43. Even in the far infrared, the contribution from zodiacal light is not necessarily negligible: Reach et al. (1996a) estimated the fraction of total sky brightness due to zodiacal light at the NGP as roughly 25% at  $240 \mu\text{m}$ . Examination of Fig. 43 shows that, although the signal due to interplanetary dust peaks near the ecliptic plane at all wavelengths, the detailed shape of the signal is wavelength-dependent. An analytic empirical relation for the brightness in the thermal infrared at  $90^\circ$  elongation (based upon IRAS data) has been described by Vrtillek & Hauser (1995). As already mentioned, the brightness distribution in visual can serve as a first approximation to the brightness distribution in the thermal infrared, if the respective infrared data are not available.

Although the shape of the underlying zodiacal "lower envelope" is clearly visible in the data of Fig. 43, the determination of the zero-level of the zodiacal light in the infrared is difficult. In addition to calibration uncertainties in the sky brightness measurements themselves, contributions from Galactic sources and possibly extragalactic background make this a challenging problem.

A summary of several techniques which have been used to isolate the zodiacal light from other sky signals is documented by Hauser (1988): many involve filtering the data in either the angular or angular frequency domain, leaving the absolute signal level uncertain. Others accomplish removal of the Galactic component via models, e.g. by using the statistical discrete source model of Wainscoat et al. (1992), or by use of correlations with measurements at other wavelengths (e.g., HI; Boulanger & Perrault 1988). We choose here to quote zodiacal light levels as derived from the DIRBE zodiacal light model, which is based upon a parameterized physical model of the interplanetary dust cloud similar to that used for IRAS (Wheelock et al. 1994, Appendix G). Rather than determining the model parameters by fitting the observed sky brightness, the DIRBE model was derived from a fit to the seasonally-varying component of the brightness in the DIRBE data, since that is a unique signature of the part of the measured brightness arising in the interplanetary dust cloud (Reach et al. 1996a). The model explicitly includes several spatial components (see Sect. 8.8): a large-scale smooth cloud, the dust bands attributed to asteroidal collisions, and the

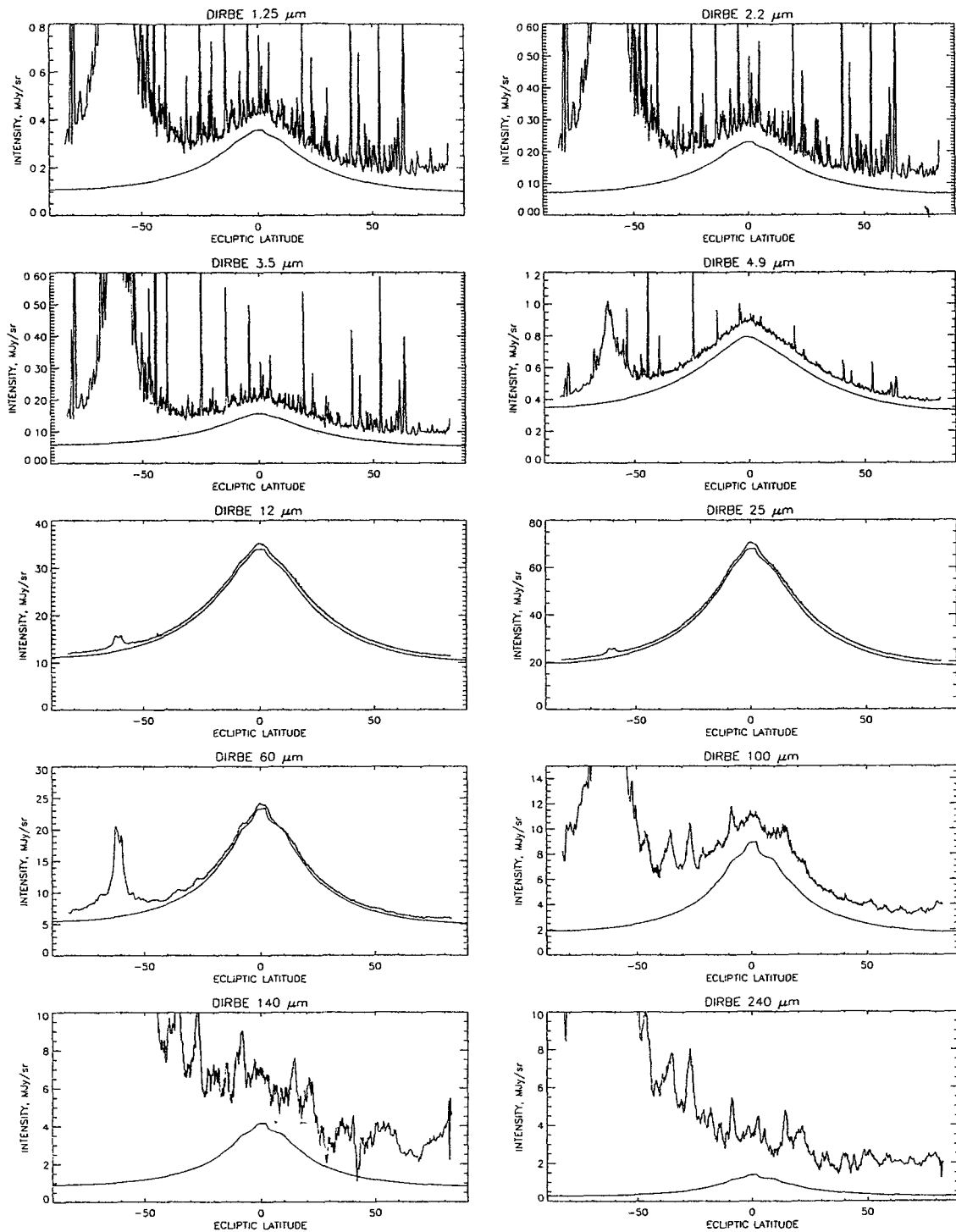
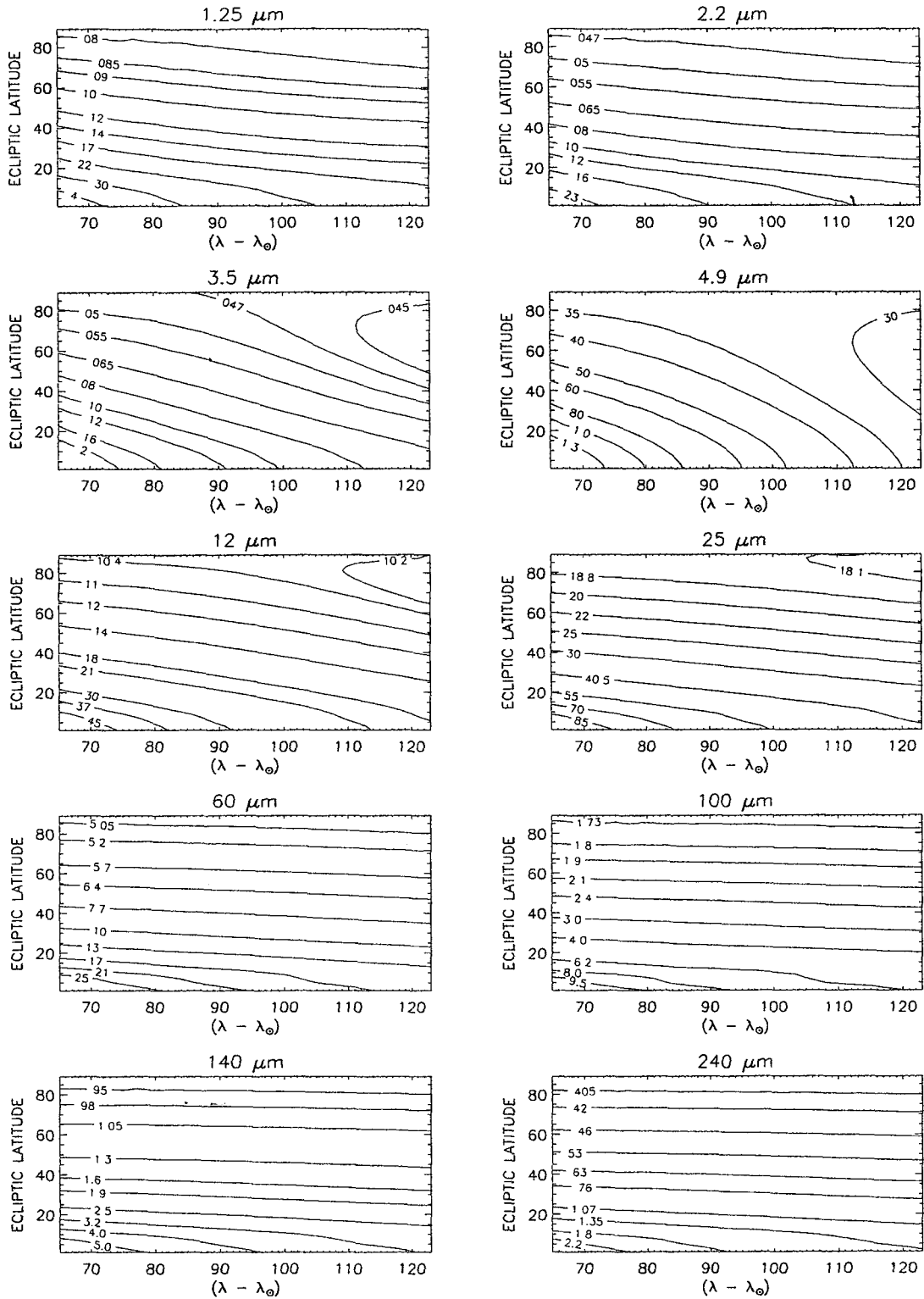
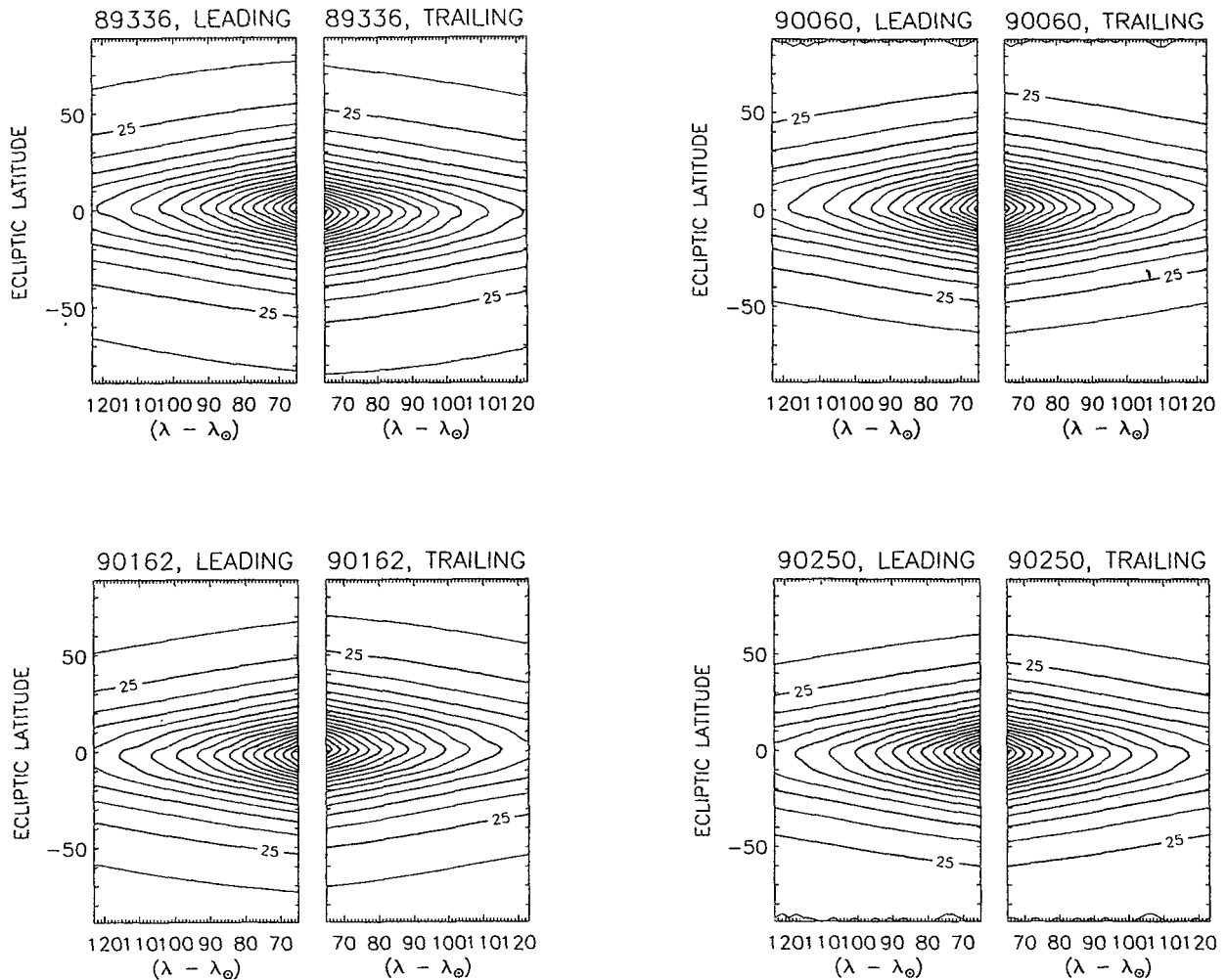


Fig. 43. Example of total IR sky brightness measured by the COBE/DIRBE instrument and brightness contributed by zodiacal light at 10 infrared wavelengths. At each wavelength, the upper curve shows the sky brightness measured by DIRBE on 1990 Jun 19 at solar elongation  $90^\circ$ , ecliptic longitude  $179^\circ$ , as a function of geocentric ecliptic latitude. Because of low signal-to-noise ratio at the longest wavelengths, the  $140\ \mu\text{m}$  and  $240\ \mu\text{m}$  data have been averaged and smoothed. The lower curve in each plot is the zodiacal light brightness for this epoch obtained from the DIRBE zodiacal light model. DIRBE is a broad-band photometer: flux densities are given in MJy/sr at the nominal wavelengths of the DIRBE bands, assuming an input energy distribution of the form  $\nu I_\nu = \text{constant}$



**Fig. 44.** Contour maps of average zodiacal light brightness in the 10 DIRBE wavebands, as derived from the DIRBE zodiacal light model. Contours are labelled in units of MJy/sr. No color corrections for the broad DIRBE bandwidths have been applied (see DIRBE Explanatory Supplement, Sect. 5.5, for details)



**Fig. 45.** Contour maps of the zodiacal light brightness at  $25\ \mu\text{m}$  for four different times of the year, based on the DIRBE zodiacal light model. Contours are given in increments of  $5\ \text{MJy/sr}$ , with the  $25\ \text{MJy/sr}$  level labelled. Each pair of maps shows contours for both the leading side and trailing side of the Earth's orbit. The epoch for each pair is indicated above the map, in the format yyddd, e.g., 89336 is day 336 (Dec. 2) of 1989. Asymmetries between the two sides, as well as changes with epoch, can be seen in these maps. Again, flux densities are given in  $\text{MJy/sr}$  at the nominal wavelengths of the DIRBE bands, assuming an input energy distribution of the form  $\nu I_\nu = \text{constant}$ .  $(\lambda - \lambda_\odot)$  is given from  $70^\circ$  to  $120^\circ$  in steps of  $10^\circ$ .

resonantly-trapped dust ring near 1 AU. Zodiacal light levels given here are estimated to be accurate to  $\approx 10\%$  for wavelengths of  $25\ \mu\text{m}$  and shortward, and  $\approx 20\%$  for longer wavelengths. Note that for all DIRBE spectral intensities presented here, the standard DIRBE (and IRAS) convention is used: the calibration is done for a spectrum with  $\nu I_\nu = \text{constant}$ , which means in particular that the effective bandwidth of each DIRBE wavelength band is calculated assuming a source spectrum with this shape. In general, and for accurate work, then a colour correction based upon the actual source spectral shape must be applied (see DIRBE Explanatory Supplement for details).

Figure 44 presents contours of “average” zodiacal light isophotes in geocentric ecliptic coordinates for one quarter of the sky (other quadrants are given by symmetry), as computed from the DIRBE model. Although this average

serves as a guideline for the contribution of zodiacal light to the night sky brightness at infrared wavelengths, at no point in time will an Earth-based observer see a zodiacal light foreground exactly resembling these contours. The detailed DIRBE measurements indicate that the individual spatial components of the interplanetary dust cloud possess their own geometry, their own “symmetry plane” and their own temporal variation pattern.

Figure 45 illustrates, again on the basis of the COBE zodiacal light model, the variation in isophotes at  $25\ \mu\text{m}$  at four different times during the year, corresponding roughly to the times when the Earth is in the symmetry plane of the main dust cloud [days 89336 and 90162] and when it is  $90^\circ$  further along its orbit [days 90060 and 90250].

Detailed quantitative maps of the DIRBE measurements and zodiacal light model are available from the

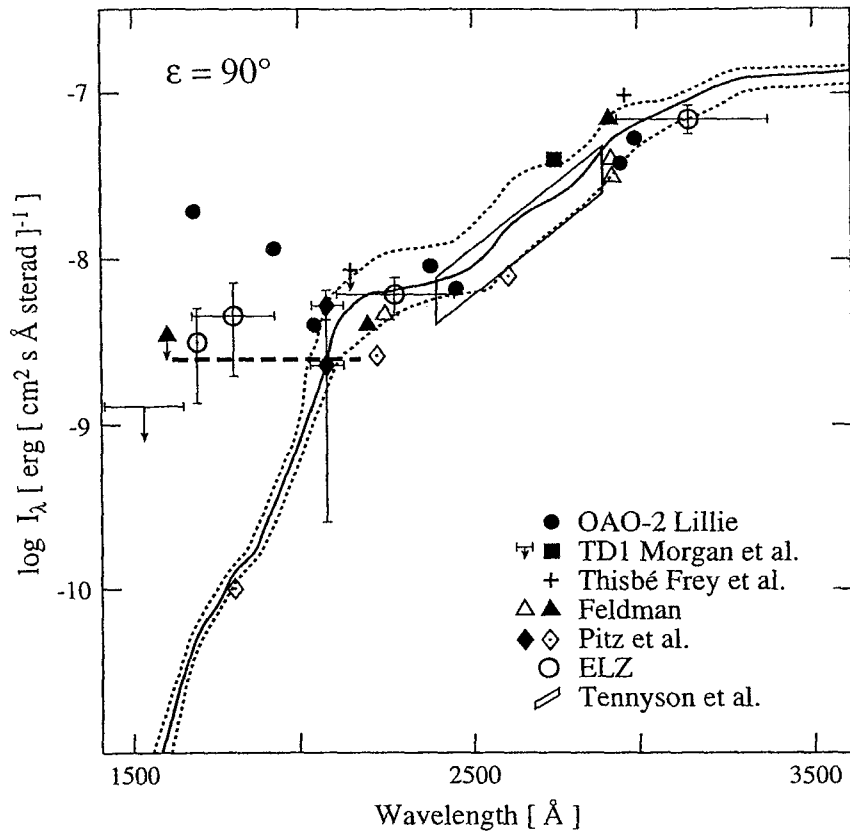


Fig. 46. Ultraviolet zodiacal light measurements at  $90^\circ$  elongation in the ecliptic in absolute fluxes, compared to the solar spectrum. Measurements from smaller elongations have been transformed to the intensity scale of the figure by assuming the same distribution of zodiacal light brightness over the sky as in the visual. The chosen average zodiacal light brightness for  $160 \text{ nm} \leq \lambda \leq 220 \text{ nm}$  is shown as thick broken line. Differences with respect to Fig. 38 result from what is used as solar spectrum in the ultraviolet and from the way in which visual data are compared to ultraviolet measurements. The references to the data points are: Lillie (1972), Morgan (1978), Morgan et al. (1976), Frey et al. (1977), Feldman (1977), Cebula & Feldman (1982), Pitz et al. (1979) and a reanalysis by Maucherat-Joubert et al. (1979), Maucherat-Joubert et al. (ELZ, 1979), Tennyson et al. (1988). Adapted from Maucherat-Joubert et al. (1979)

NASA National Space Science Data Center in the DIRBE Sky and Zodiacal Atlas. The COBE/DIRBE data products and the Explanatory Supplement are accessible through the COBE Home Page at [http://www.gsfc.nasa.gov/astro/cobe/cobe\\_home.html](http://www.gsfc.nasa.gov/astro/cobe/cobe_home.html) on the World Wide Web.

#### 8.6. Zodiacal light in the ultraviolet ( $\lambda < 300 \text{ nm}$ )

The difficulty with this wavelength range is that here the zodiacal light contribution appears only as a small fraction of the observed background. Available measurements therefore have large error bars or only give upper limits. In addition there is a sharp drop of solar irradiance below  $220 \text{ nm}$ , by three orders of magnitude until  $150 \text{ nm}$ . This can be seen in Fig. 46 which summarises available results. The scatter between the observations is very large. Whatever the reason for Lillie's (1972) high values (variation, galactic component, instrumental effects), his results shortward of  $\lambda = 220 \text{ nm}$  no longer are accepted as

originally given. In view of the obvious discrepancies we suggest to accept the following:

$$\begin{aligned}
 I_{\text{ZL}}(\lambda) &= \text{negligible, } < 1 \cdot 10^{-8} \text{ W m}^{-2} \text{ sr}^{-1} \mu\text{m}^{-1} \\
 &\quad (\text{for } \lambda < 160 \text{ nm}) \\
 I_{\text{ZL}}(\lambda) &= 2.5 \cdot 10^{-8} \frac{I[(\lambda - \lambda_\odot, \beta) + I(\epsilon, 0^\circ)]/2}{I(90^\circ, 0^\circ)} \\
 &\quad \text{W m}^{-2} \text{ sr}^{-1} \mu\text{m}^{-1} \\
 &\quad (\text{for } 160 \text{ nm} \leq \lambda < 220 \text{ nm}) \\
 I_{\text{ZL}}(\lambda) &= \text{of solar spectrum, with reddening} \\
 &\quad \text{as given in Sect. 8.4.2 above} \\
 &\quad (\text{for } 220 \text{ nm} \leq \lambda < 300 \text{ nm}).
 \end{aligned} \tag{26}$$

Here,  $I(\lambda - \lambda_\odot, \beta)$  refers to the map of the zodiacal light at  $500 \text{ nm}$  given above in Table 16.

Murthy et al. (1990) from their Space Shuttle experiment found that the colour of the zodiacal light gets bluer with increasing ecliptic latitude between  $165 \text{ nm}$  and  $310 \text{ nm}$ . This would mean, that the zodiacal light is less



flattened and more symmetrically distributed around the sun at these wavelengths, as also found from OAO-2 (Lillie 1972). This is an important result which should systematically be confirmed. In Eq. (26) we take such an effect qualitatively into account and approximate it by halving the out-of ecliptic decrease with respect to the visible wavelengths (this is what the lengthy fraction does).

At 220 nm there are now two expressions for the brightness of zodiacal light in Eq. (26), with different out-of ecliptic decrease of brightness. They agree at an intermediate latitude (resp. inclination) of  $30^\circ - 45^\circ$ . The discontinuity at the other ecliptic latitudes is acceptable, given the large uncertainties of the determination of zodiacal light brightness at these wavelengths.

### 8.7. Seasonal variations

The effects to be discussed in this section have been summarised as factor  $f_{SP}$  in Eq. (14) above.

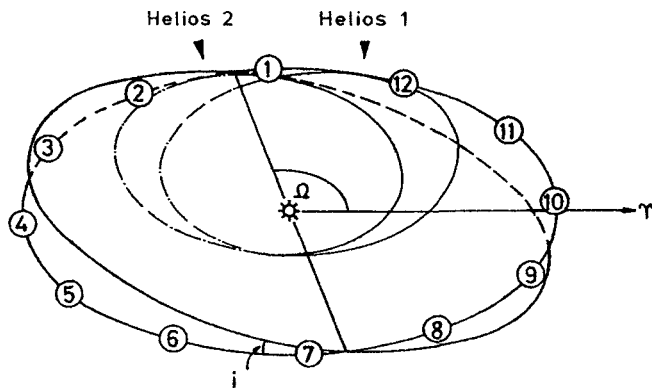


Fig. 47. Geometry of the earth orbit and the symmetry plane of interplanetary dust (with ascending node  $\Omega$  and inclination  $i$ ). Numbers give the position of the earth at the beginning of the respective month. Also shown are the orbits of the Helios space probes and the direction to the vernal equinox

Seasonal variations of zodiacal light brightness occur for an observer moving with the earth, on the level of  $\approx 10\%$ . They result from the orbital motion of the earth through the interplanetary dust cloud, which changes the heliocentric distance (by  $2e = 3.3\%$ ) and the position of the observer with respect to the symmetry plane of the interplanetary dust distribution (see Fig. 47). (The symmetry plane is a useful concept for describing the interplanetary dust distribution, although in detail it is too simplified: the symmetry properties appear to change with heliocentric distance, see Table 20). The change in heliocentric distance of the observer translates into a brightness increase of about 8% from aphelion in July to perihelion in January. Otherwise, the effects are different for high and for low ecliptic latitudes. Since the effects are very similar

in the visual spectral range and in the infrared, examples from both wavelength ranges will be used to show the effects.

#### 8.7.1. High ecliptic latitudes

At high ecliptic latitudes, the main effect is a yearly sinusoidal variation of the brightness with an amplitude of  $\approx \pm 10\%$ . This is due to the motion of the earth south and north of the midplane of dust depending on its orbital position. The extrema occur when the earth (the observer) is at maximum elevation above or below the symmetry plane, while the average value is obtained when crossing the nodes. The effect is clearly visible in the broadband optical Helios measurements in the inner solar system (Fig. 48), in the D2A satellite observations at 653 nm along the earth's orbit (Fig. 49) and in the COBE infrared measurements (Fig. 50). Of these, the Helios measurements have been corrected for the changing heliocentric distance of the instrument, while in the other data the modulation still contains the  $\approx 8\%$  effect due to the eccentricity of the earth's orbit. The effect of the tilted symmetry plane gradually decreases towards low ecliptic latitudes to  $\leq 1\%$ . The brightness changes in low ecliptic latitude observations from the earth or from earthbound satellites then are dominated by the effect of changing heliocentric distance.

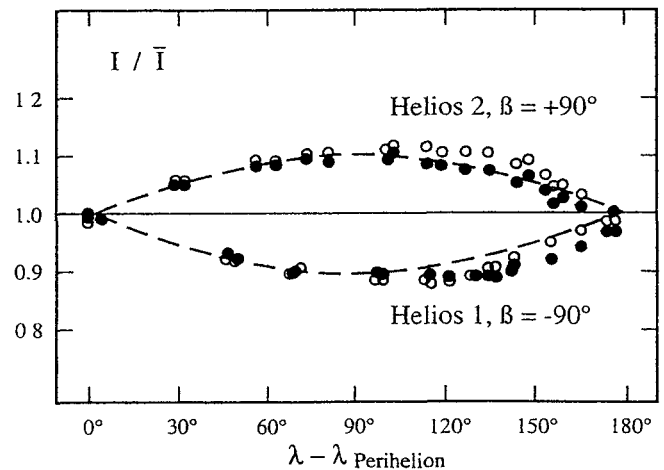


Fig. 48. Change of brightness with ecliptic longitude observed by Helios at the ecliptic poles. The dashed line gives a sinusoidal fit to the data. These observations refer to the inner solar system, from 0.3 AU to 1.0 AU. The perihelia of the Helios space probes are at  $\lambda \approx 100^\circ$ . From Leinert et al. (1980b)

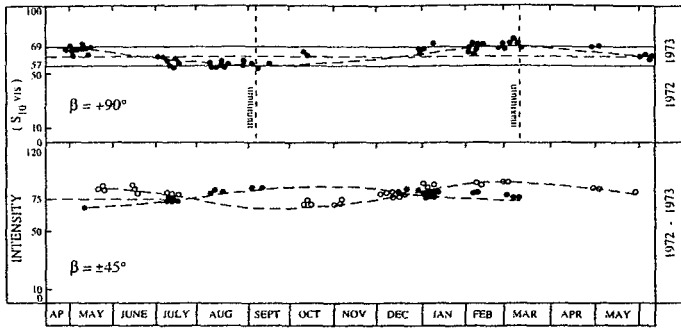


Fig. 49. Yearly variation of zodiacal light brightness at the north ecliptic pole and at  $\pm 45^\circ$  ecliptic latitude, observed at 653 nm by the satellite D2A. The dashed line is a prediction for a plane of symmetry coinciding with the invariable plane of the solar system ( $i = 1.6^\circ$ ,  $\Omega = 107^\circ$ ), including the effect of changing heliocentric distance. Adapted from Levasseur & Blamont (1975)

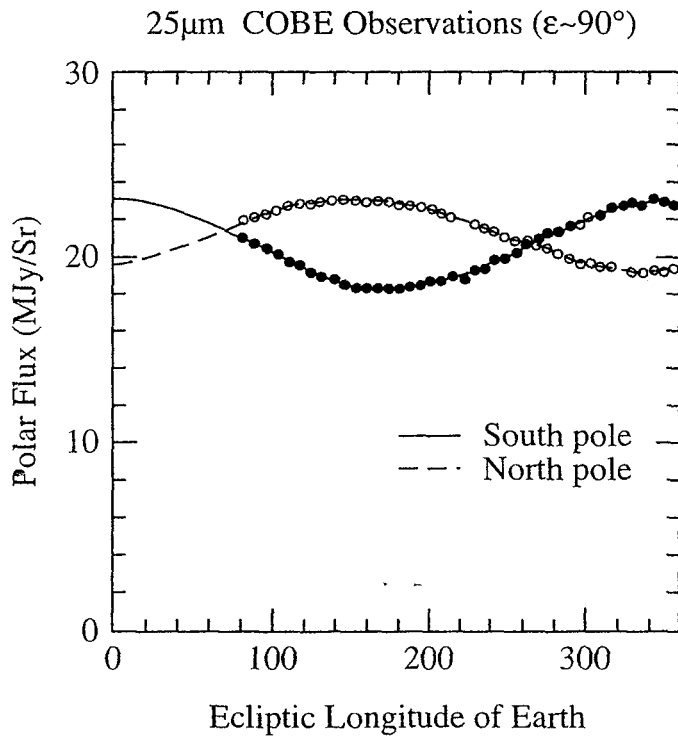


Fig. 50. Yearly brightness variations in the zodiacal light at the ecliptic poles, observed at  $25 \mu\text{m}$  by the DIRBE experiment on infrared satellite COBE. The variation is dominated by the effect of the tilt of the symmetry plane but also includes the variation due to the changing heliocentric distance of the earth. From Dermott et al. (1996b)

### 8.7.2. Low ecliptic latitudes

At low ecliptic latitudes, the motion of the earth with respect to the symmetry plane of interplanetary dust mainly leads to a sinusoidal variation in the ecliptic latitude of the peak brightness of the zodiacal light by a few degrees. Figure 51 shows this variation as observed at  $25 \mu\text{m}$  from COBE. In these measurements, the remaining yearly peak flux variation of 5 – 10% is almost exclusively due to the change in heliocentric distance. Miscomi (1977) has used an approximate method to predict the expected position of the brightness maxima in the visible zodiacal light for elongations of  $\epsilon = 2^\circ - 180^\circ$  (typically, the positions vary by a couple or a few degrees; at elongations  $\geq 150^\circ$  the approximation he uses gets unreliable).

### 8.7.3. Plane of symmetry of interplanetary dust

The seasonal variations discussed above have repeatedly been used to determine the plane of symmetry of interplanetary dust. This midplane of the interplanetary dust distribution appears to vary with heliocentric distance, as summarised in Table 20, compiled from Reach (1991). For comparison, we give here also inclinations and ascending nodes for Venus, Mars and the invariable plane of the solar system ( $i = 3.4^\circ$ ,  $\Omega = 76^\circ$ ;  $i = 1.8^\circ$ ,  $\Omega = 49^\circ$ ;  $i = 1.6^\circ$ ,  $\Omega = 107^\circ$ ).

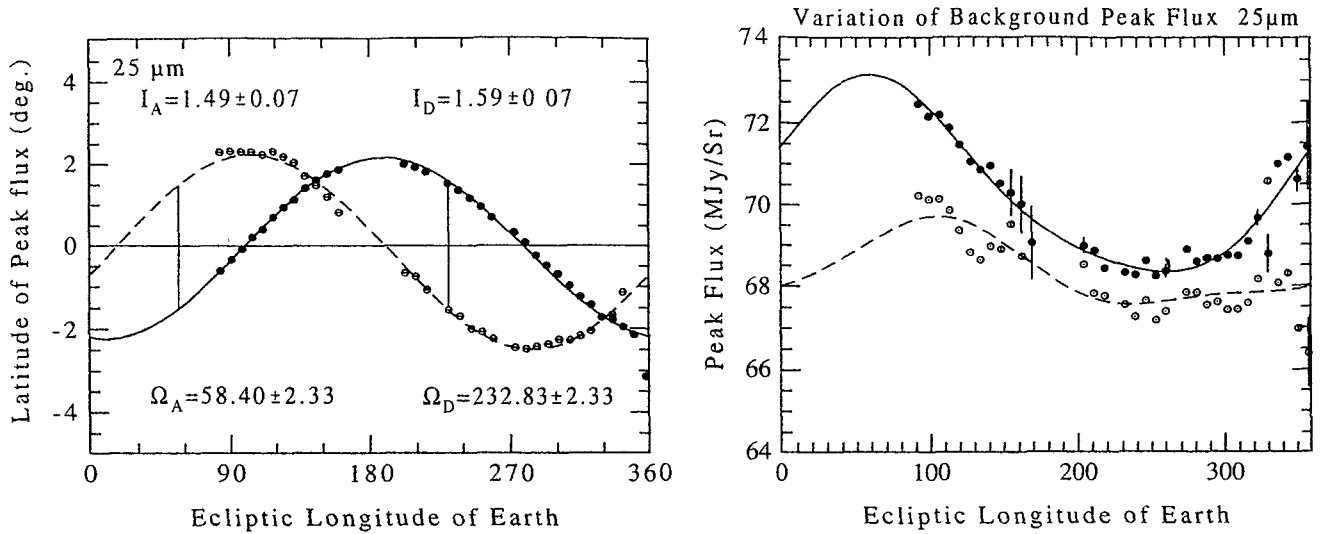
Table 20. Plane of symmetry of interplanetary dust

Range (AU)	$\Omega$ ( $^\circ$ )	$i$ ( $^\circ$ )	Ref	Remarks
0.3 – 1.0	$87 \pm 4$	$3.0 \pm 0.3$	1	optical
$\approx 1.0$	$96 \pm 15$	$1.5 \pm 0.4$	2	optical
	$79 \pm 3$	$1.7 \pm 0.2$	3	infrared
$\approx 1.3$	$55 \pm 4$	$1.4 \pm 0.1$	4	infrared
$\approx 3$	$\approx 96$	$\approx 1.1$	5	in ecliptic asteroidal bands

References: 1) Leinert et al. (1980b) 2) Dumont & Levasseur-Regourd (1978) 3) Reach (1991) 4) Hauser (1988) 5) Sykes (1985)

### 8.8. Structures in the zodiacal light

Notwithstanding the variety of sources contributing to the interplanetary dust population, the zodiacal light in general is quite smooth, and it was found to be stable to  $\approx 1\%$  over more than a decade (Leinert & Pitz 1989). However, there are fine structures on the brightness level of a few percent, most of which have been detected by the IRAS



**Fig. 51.** Yearly variation of the ecliptic latitude of zodiacal light peak brightness (left) and yearly variation of peak brightness (right) observed at  $25\ \mu\text{m}$  at elongation  $\epsilon = 90^\circ$  By the DIRBE experiment on infrared satellite COBE. Open circles refer to the leading (apex), filled circles to the trailing (antapex) direction. From Dermott et al (1996a,b)

**Table 21.** Properties of dust bands from Gaussian fits

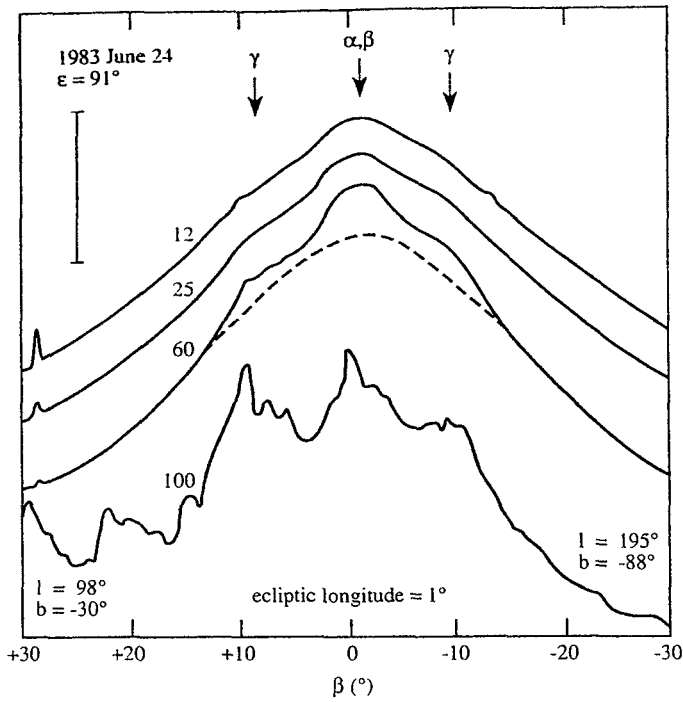
Band	$12\ \mu\text{m}$	$25\ \mu\text{m}$	$60\ \mu\text{m}$
Peak surface brightness ( $\text{MJy sr}^{-1}$ )			
$\gamma$ northern	$0.4 \pm 0.2$	$1.1 \pm 0.5$	$0.8 \pm 0.4$
$\alpha, \beta$ northern	$1.1 \pm 0.5$	$3.0 \pm 1.0$	$1.5 \pm 0.5$
$\alpha, \beta$ southern	$1.4 \pm 0.3$	$2.9 \pm 1.2$	$1.6 \pm 0.6$
$\gamma$ southern	$0.6 \pm 0.3$	$0.8 \pm 0.3$	$0.7 \pm 0.4$
Average geocentric latitude of peak ( $^\circ$ )			
$\gamma$ northern	$9.7 \pm 0.1$	$9.6 \pm 0.1$	$9.6 \pm 0.2$
$\alpha, \beta$ northern	$1.4 \pm 0.1$	$1.4 \pm 0.1$	$1.4 \pm 0.1$
$\alpha, \beta$ southern	$-1.4 \pm 0.1$	$-1.4 \pm 0.1$	$-1.4 \pm 0.1$
$\gamma$ southern	$-9.7 \pm 0.1$	$-9.6 \pm 0.1$	$-9.6 \pm 0.1$
Full width at half maximum brightness ( $^\circ$ )			
$\gamma$ northern	$3.3 \pm 1.3$	$3.7 \pm 1.1$	$3.2 \pm 1.5$
$\alpha, \beta$ northern	$3.3 \pm 1.1$	$3.3 \pm 1.2$	$3.2 \pm 1.2$
$\alpha, \beta$ southern	$3.7 \pm 1.3$	$3.3 \pm 1.2$	$3.4 \pm 1.4$
$\gamma$ southern	$2.8 \pm 1.1$	$3.1 \pm 0.8$	$3.0 \pm 1.4$

tions from the satellite ISO in a few half-degree fields to be at most  $\pm 0.2\%$  (Ábráham et al. 1997).

#### Asteroidal bands

They were seen in the IRAS infrared scans across the ecliptic as bumps in the profile near ecliptic latitude  $\beta = 0^\circ$  and as shoulders at  $\beta \approx 10^\circ$  (Low et al. 1984, see Fig. 52). The bands near the ecliptic plane have been called  $\alpha$  and  $\beta$  (counted from ecliptic latitude  $\beta = 0^\circ$  outwards), the ones around  $\beta = 10^\circ$  have been called  $\gamma$  bands. Their peak brightness is 1%–3% of the in-ecliptic zodiacal light brightness, their width at half maximum  $\approx 2-3^\circ$  (Reach 1992, but the detailed values depend on the method actually used to fit the bumps, in this case by Gaussians). They are thought to be the result of major collisions in the asteroid belt, in the Themis and Koronis families for the  $\alpha$  and  $\beta$  bands, in the Eos family for the higher latitude  $\gamma$  bands (Dermott et al. 1984). The collisional debris then is expected to be mainly distributed along the walls of widely opened, slightly tilted, sun-centered cones. Therefore the ecliptic latitudes at which these bands occur vary both with the annual motion of the observer (the earth in most cases) and, at a given date, with the elongation from the sun. Formulae to predict the position of the maximum with help of a simplified geometrical model are given by Reach (1992). Figure 53, resulting from an analysis of the IRAS data, gives a good impression of the resulting yearly sinusoidal latitude variation. Table 21 (taken again from Reach 1992) summarises the average observed properties of the asteroidal dust bands in the case Gaussian fitting is used to measure the bumps in the general distribution of zodiacal light. There must be in addition an underlying

infrared sky survey: asteroidal bands, cometary trails, and a resonant dust ring just outside the Earth's orbit. They are included here because of their physical importance; they also represent upper limits in brightness to any other structures which still might be hidden in the general zodiacal light distribution. The rms brightness fluctuations of the zodiacal light at  $25\ \mu\text{m}$  have been found by observa-

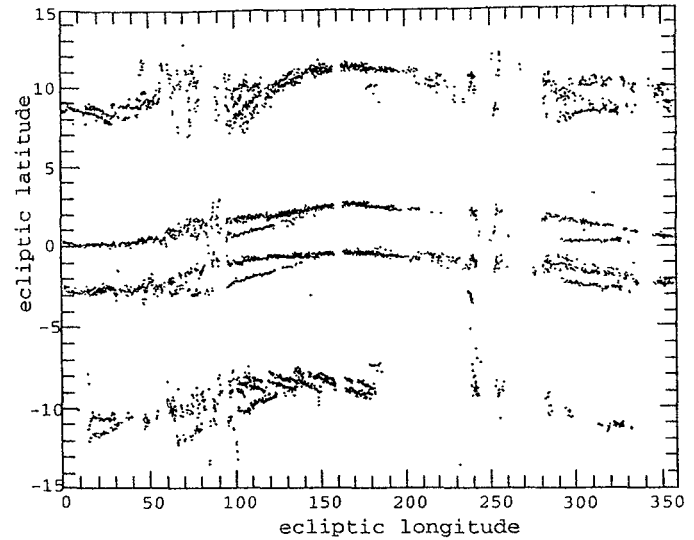


**Fig. 52.** Scans through the ecliptic at ecliptic longitude  $\lambda = 1^\circ$  on June 24, 1983. The approximate galactic coordinates for the point at  $\pm 30^\circ$  ecliptic latitude are given. The curves are labelled by the wavelength of measurement in  $\mu\text{m}$ . A rough calibration is given by the bar at upper left, the length of which corresponds to 12, 30, 10 and 6 MJy/sr in the wavelength bands from 12  $\mu\text{m}$  to 100  $\mu\text{m}$ . The dashed curve illustrates how a completely smooth zodiacal light distribution might have looked. The arrows indicate the positions of the asteroidal bands. The 100  $\mu\text{m}$  profile is strongly distorted by thermal emission from interstellar dust ("cirrus"). Adapted from Low et al (1984)

distribution of asteroidal debris particles of about 10% of the zodiacal light brightness, which cannot be seen separately from the general zodiacal light. Note that Sykes (1988) resolved the  $\alpha$  and  $\beta$  bands also into band pairs, with a FWHM of  $\approx 0.5^\circ$  for each of the components. The claim for eight additional, though weaker bands between  $\beta = -22^\circ$  and  $\beta = +21^\circ$  (Sykes 1988) should be taken with reservation and can be neglected here.

### Cometary trails

These trails have been seen in the IRAS infrared sky survey stretching along the orbit of a few periodic comets, which were in the perihelion part of their orbit (Sykes et al. 1986). These were the comets Tempel 2, Encke, Kopff, Tempel 1, Gunn, Schwassmann-Wachmann 1, Churyumov-Gerasimenko and Pons-Winnecke, but also nine faint orphan trails without associated comet were found (Sykes & Walker 1992). The trails typically extend  $10^\circ$  behind and  $1^\circ$  ahead of the comet, their brightness decreasing with increasing distance from the comet. They are



**Fig. 53.** Observed ecliptic latitude of the peak brightness of the asteroidal bands as function of the ecliptic longitude of the viewing direction (basically as function of the orbital motion of the earth). The expected sinusoidal variation is evident but distorted, since the elongation of the viewing direction was modulated on an approximately monthly timescale, and because observations both east and west of the sun were contained in the data set. Taken from Reach (1992)

thought to consist of roughly mm-sized particles ejected from the comet during times of activity over many years (Sykes et al. 1990). The trails are bright enough to be seen above the zodiacal light only when the comets are near perihelion and the dust in the trails is warm. The width of the trails is about one arcminute, for comet Tempel 2 it has been determined to  $45'' \pm 2''$  ( $\approx 30000$  km). Trail brightnesses are of the order of 1% of the zodiacal light brightness near the ecliptic. Examples are given in Table 22, taken in shortened form from Sykes & Walker (1992). Other periodic comets in the perihelion part of their orbit are expected to behave similarly. A new observation of the comet Kopff trail from ISO (Davies et al. 1997) has shown changes in the trail since the observations by IRAS, and measured a trail width of  $\approx 50''$ .

The somewhat related brightness enhancements along some meteor streams, seen in the visible from the satellite D2A-Tourneol, have not been confirmed, neither by the photometric experiment on the Helios space probes (Richter et al. 1982) nor from IRAS. They probably are fainter than originally thought and certainly of lower surface brightness in the infrared than cometary trails or asteroidal bands.

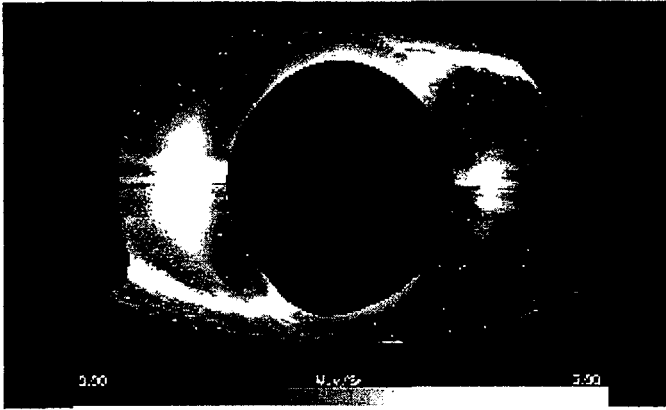
### The resonant dust ring outside the Earth's orbit

A leading/trailing asymmetry, with the zodiacal light at elongation  $90^\circ$  being brighter in the trailing

**Table 22.** Photometry of cometary trails

Comet	$R(\text{AU})$	$\Delta(\text{AU})$	$\Delta\Theta(^{\circ})^a)$	$F_{\nu}(12\ \mu\text{m})$ (MJy/sr)	$F_{\nu}(25\ \mu\text{m})$ (MJy/sr)	$F_{\nu}(60\ \mu\text{m})$ (MJy/sr)	$F_{\nu}(100\ \mu\text{m})$ (MJy/sr)
Encke	3.926	3 779	52.8	–	$0.07\pm0.01$	$0.06\pm0.01$	–
Gunn	2.681	2 473	0.82	$0.22\pm0.06$	$0.97\pm0.08$	$0.55\pm0.03$	–
Kopff	1.577	0.953	0.53	$1.04\pm0.14$	$1.19\pm0.20$	–	–
S-W 1	6.287	6 281	0.96	–	$0.11\pm0.02$	$0.15\pm0.02$	$0.10\pm0.02$
Tempel 2	1.460	1.149	0.37	$2.44\pm0.09$	$3.93\pm0.14$	$1.54\pm0.035$	–

<sup>a)</sup>  $\Delta\Theta(^{\circ})$  is angular distance behind comet in mean anomaly.



**Fig. 54.** Distribution of excess zodiacal light brightness due to the resonant dust ring outside the earth's orbit according to COBE measurements (Reach et al. 1995b). In this presentation, the position of the sun is at the center, the ecliptic runs horizontally through it, the ecliptic north pole is at top, the black central circle is the region inaccessible to COBE within  $60^{\circ}$  elongation from the sun, and the two bright spots at  $90^{\circ}$  from the sun on the ecliptic are at left the trailing (antapex) enhancement due to this dust ring, with a peak brightness of  $1.7\text{ MJy/sr}$  at  $25\ \mu\text{m}$ , and at right the corresponding but weaker enhancement in leading (apex) direction. The S-shaped bright strip crossing the image is due to the Milky Way

(antapex) direction, has been found in the IRAS observations (Dermott et al. 1988, 1994) and has been confirmed by measurements of the DIRBE experiment on board the COBE spacecraft (Reach et al. 1995b). From the COBE measurements, the excess in the trailing direction in January 1990 was  $0.05\pm0.01\text{ MJy/sr}$  or  $4.8\pm1.0\%$  at  $4.9\ \mu\text{m}$ ,  $1.1\pm0.2\text{ MJy/sr}$  or  $2.8\pm0.5\%$  at  $12\ \mu\text{m}$  and  $1.7\pm0.1\text{ MJy/sr}$  or  $2.4\pm0.15\%$  at  $25\ \mu\text{m}$ . The region of enhanced brightness in the trailing direction is at  $\approx 90^{\circ}$  from the sun, extending  $30^{\circ}$  (FWHM) in latitude and  $15^{\circ}$  (FWHM) in longitude (see Fig. 54, taken from Reach et al. 1995b). In the leading direction there is a smaller enhancement around elongation  $80^{\circ}$ .

These are quite extended structures (see Fig. 54). They are explained by resonant interaction of the orbiting earth with interplanetary particles drifting closer to the sun under the action of the Poynting-Robertson effect. This interaction leads to an inhomogeneous torus of enhanced dust density just outside the earth's orbit, with the earth sitting in a gap of this torus and the largest enhancement following it at a few tenths of an AU. The resonant ring structure therefore is expected to be a persistent feature of the zodiacal light.

## 8.9. The zodiacal light seen from other places

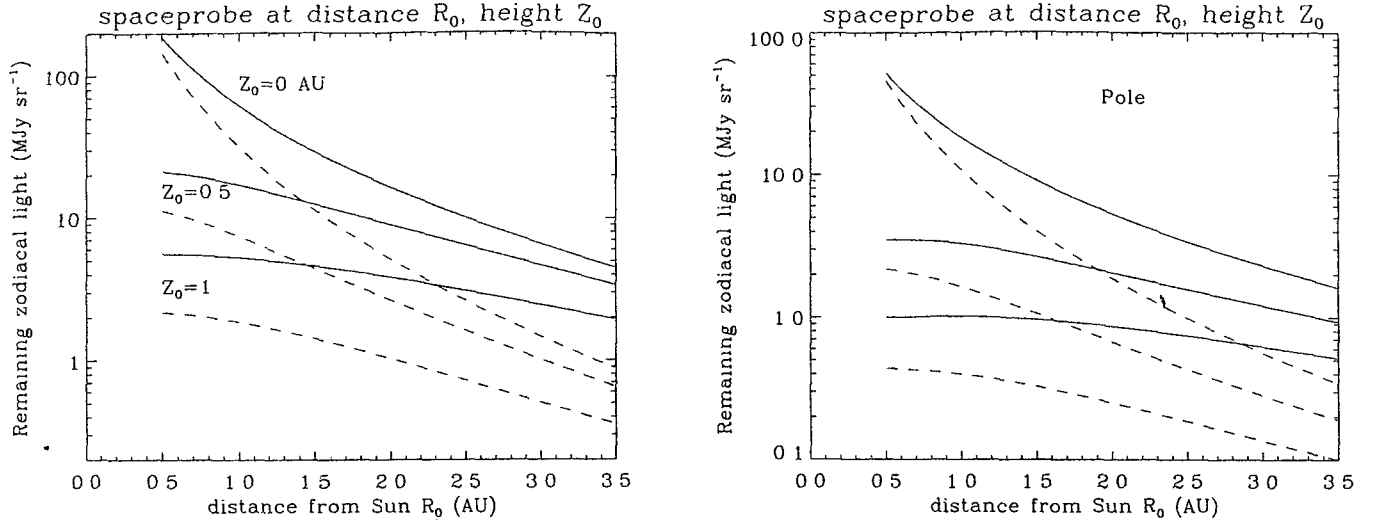
### 8.9.1. Inside the solar system

The decrease of zodiacal light brightness seen in a given viewing direction, occurring when the observer moves to larger heliocentric distances, has been measured along the ecliptic in the visual out to 3 AU (Pioneer 10, Toller & Weinberg 1985) and can be reasonably predicted also for the infrared. The change to be expected when moving out of the ecliptic plane is less well known, but can be predicted from models fitting the out-of-ecliptic observations obtained from in-ecliptic positions at earth orbit.

For the infrared, Fig. 55 shows the predicted brightnesses in viewing directions parallel to the ecliptic and towards the ecliptic pole for an observer moving from 1 AU to 3 AU in planes of different height above the ecliptic. The outward decrease is stronger for  $12\ \mu\text{m}$  than for  $25\ \mu\text{m}$ . This is because the thermal emission of interplanetary dust is close to black-body radiation, and for black-body radiation with decreasing temperature the shorter wavelengths first enter into the exponential decrease of the Wien part of the emission curve.

For the visual, Fig. 56 shows the corresponding decrease for the visual zodiacal light brightness when the observer moves from 1 AU to 3 AU in planes of different height above the ecliptic. Only one curve is shown, since any colour dependence is expected to be small.

The careful reader will note that the visual in-ecliptic brightness decreases a little slower with increasing distance than given in Sect. 8.2. This is because Giese (1979)



**Fig. 55.** Decrease of infrared zodiacal light brightness when moving out of the ecliptic plane. Left: for a viewing direction parallel to the ecliptic plane at elongation  $\epsilon = 90^\circ$ . Right: for a viewing direction towards the ecliptic pole. The calculations have been done for a position of the observer in the ecliptic ( $Z_0 = 0$  AU) and heights above of the ecliptic of 0.5 AU and 1.0 AU, as indicated in the figure.  $R_0$  is the heliocentric distance of the observer, projected into the ecliptic plane. The solid and broken lines give the predicted run of brightness with heliocentric distance for a wavelength of  $25 \mu\text{m}$  and  $12 \mu\text{m}$ , respectively. The calculations have assumed grey emission of the interplanetary particles, and radial decreases of spatial density  $\sim r^{-1.4}$  and of particle temperature  $\sim r^{-0.44}$  (W. Reach, private communication)

used a slightly different heliocentric radial brightness gradient,  $I(R) \sim R^{-2.2}$ . The decrease as function of height above the ecliptic  $Z_0$  is typical for the models of three-dimensional dust distribution being discussed to explain the distribution of zodiacal light brightness (Giese et al. 1986). Since the three-dimensional dust distribution is not very well known, the decreases shown in Figs. 55 and 56 cannot be very accurate either.

#### 8.9.2. Surface brightness seen from outside the solar system

Since the interplanetary dust cloud is optically very thin, the pole-on surface brightness at 1 AU is just twice the polar surface brightness observed from the earth, and the edge-on surface brightness just twice the brightness observed at elongation  $90^\circ$  in the ecliptic. The same type of relations hold for other heliocentric distances.

The brightness in an annulus extending over a range of heliocentric distances has to be obtained by integration. The total brightness as seen from outside very much depends on the distribution of interplanetary dust near the sun, and therefore is strongly model dependent. E.g., at least in the optical wavelength range an annulus of width  $dr$  [AU] has a brightness  $\sim r^{-1.3} dr$  over a large region of the inner solar system, making the integrated brightness contribution strongly peaked towards the solar corona. In discussions of future planet-searching spacecraft (called DARWIN (Léger et al. 1996) and Terrestrial Planet Finder (Angel & Woolf 1997)) a value of integrated zodiacal light

brightness at  $10 \mu\text{m}$ , when seen from a distance of 10 pc, of  $70 \mu\text{Jy}$ , 300 to 400 times brighter than the Earth, is assumed ( $3.5 \cdot 10^{-5}$  of the solar brightness).

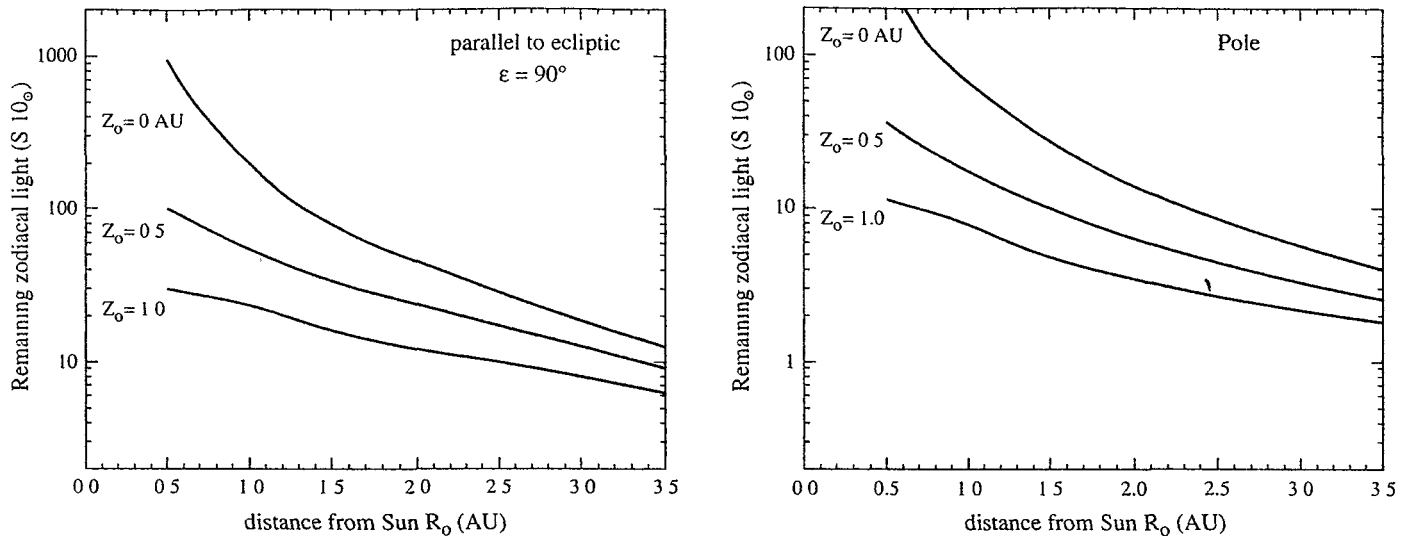
## 9. Coronal brightness and polarisation

### 9.1. Overview

The brightness of the corona surrounding the solar disk is composed of three main components: i) Thomson-scattered light from free electrons in the solar environment (K-corona) which is highly variable in space and time, ii) emission from coronal ions, especially in highly ionised states, and iii) contributions due to interplanetary dust (F-corona): solar radiation scattered on the dust particles in the visual, as well as thermal emission of these dust particles in the near and middle infrared regime. The F-corona dominates the visible coronal brightness from about  $3 R_\odot$  distance from the center of the Sun outward and has an increasing contribution to the total coronal brightness at longer wavelengths (see Fig. 57).

For measurements in the corona, the elongation  $\epsilon$  is often expressed in units of  $R_\odot$ , i.e. in terms of the minimum projected distance  $r$  of the line of sight from the center of the Sun. Because the solar radius is  $R_\odot = 1 \text{ AU}/214.94$  (Allen 1985),  $1^\circ$  in elongation corresponds to  $3.75 R_\odot$  (and  $1 R_\odot$  to  $16.0'$ ), while more generally for an observer at the earth

$$\sin \epsilon = r[R_\odot] \cdot \frac{1 R_\odot}{1 \text{ AU}}. \quad (27)$$



**Fig. 56.** Decrease of the visual brightness of the zodiacal light when the observer moves out of the ecliptic. Left: for a viewing direction parallel to the ecliptic plane at elongation  $\epsilon = 90^\circ$ . Right: for a viewing direction towards the ecliptic pole. The curves show how the brightness changes with projected heliocentric distance  $R_0$  (measured in the ecliptic) for different heights  $Z_0$  above the ecliptic plane (interpolated from Giese 1979)

As mentioned in Sect. 2, coronal brightnesses often are expressed in terms of the average brightness of the solar disk as  $B/B_\odot$ , where  $1 B/B_\odot = 2.22 \cdot 10^{15} S10_\odot = 1.47 \cdot 10^4 F_\odot/\text{sr}$ .

### 9.2. K-corona separation

The main uncertainty in determination of the inner F-corona is the separation from the K-coronal brightness. A common method of separation is based on the assumption that the F-coronal brightness is produced by diffraction of dust near the observer and hence unpolarized. This approach may be suitable for distances, respectively elongations of  $< 5 R_\odot$ , the increasing polarization of the F-corona at larger elongations (Blackwell et al. 1967) however leads to errors of this subtraction method. A further method of K-coronal separation uses the depth of Fraunhoferlines in the Solar spectrum. Both methods are described in Blackwell et al. (1967).

### 9.3. Atmospheric and instrumental stray light

Ground-based coronal observations generally are made during solar eclipses, with the local sky brightness constituting the main disturbance to be corrected for. The eclipse sky background on the ground may vary considerably with daily conditions as well as eclipse site. An early work by Blackwell et al. (1967) cites values of  $(1.8 - 19) \cdot 10^{-10} B_\odot$  for the eclipse sky background in the visible light, i.e. at wavelengths from 500 to 830 nm. For  $2.12 \mu\text{m}$ , MacQueen & Greeley (1995) report a value of  $10^{-10} B_\odot$  during the 1991 eclipse sky from Hawaii. However, these measurements suffered from thin clouds and the presence

of high altitude aerosols from the Pinatubo eruption. The enhanced circumsolar sky brightness caused by diffraction on aerosols is called solar aureole. It may vary with elongation, and may be described as a function  $A(r)$ . Dürst (1982) derives values of about  $10^{-11}$  to  $10^{-9} B_\odot$  and a radial gradient according to  $r^{-1.37}$  at 600 nm wavelength. Infrared results differ at the 1991 eclipse, but MacQueen & Greeley (1995) find a description  $A(r) \sim r^{-1.54}$  for the region from 3 to  $9 R_\odot$  and a constant value of  $2 \cdot 10^{-8} \text{ W cm}^{-2} \mu\text{m}^{-1} \text{ sr}^{-1}$  (i.e.  $10^{-10} B_\odot$ ) beyond for the infrared aureole during the 1991 eclipse. Instrumental straylight for externally occulted systems on satellites presently achieve straylight levels in the  $10^{-10}$  to  $10^{-12} B_\odot$  range and hence enable coronal observations out to at least  $30 R_\odot$  (Brückner et al. 1995).

The values of polarization in the eclipse sky background range from 7.5% to 30% for ground based observations.

### 9.4. Visual brightness

Observations of the F-corona brightness (Fig. 58) are made during solar eclipses from ground, from rockets and from balloons in the visible and near infrared regime. Data were taken as well from space borne coronagraphs.

An early review of the visible coronal observations was given by Blackwell et al. (1967). They gave a description of the F-corona data as the continuation of the zodiacal light. A more recent review was given by Koutchmy & Lamy (1985) including already infrared observations. They describe the visible F-corona brightness at wavelength  $400 \text{ nm} < \lambda < 600 \text{ nm}$  as proportional to  $r^{-2.25}$

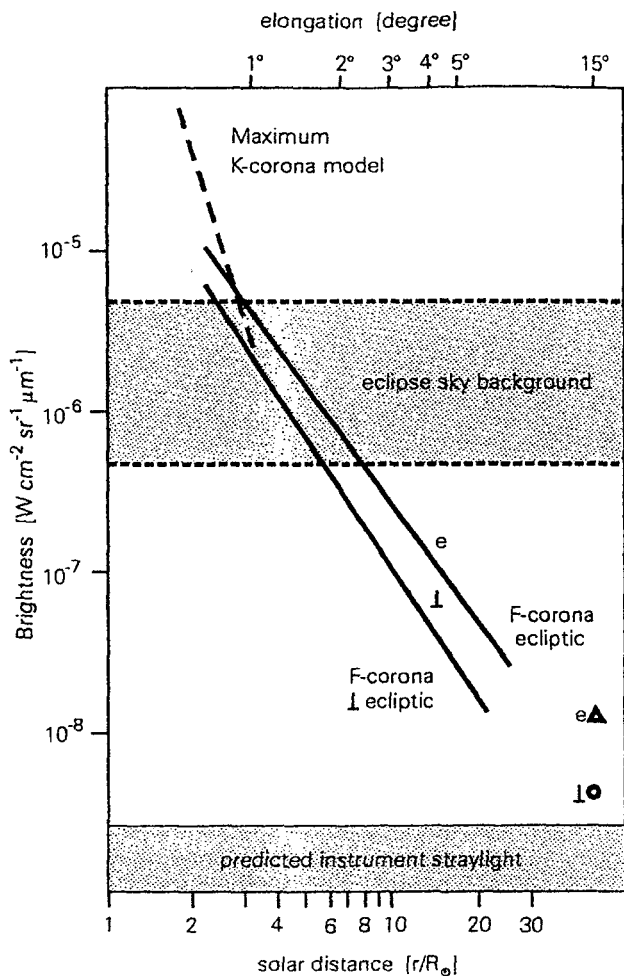


Fig. 57. The visible equatorial and polar F-corona brightnesses in comparison to typical values for K-corona, the aureole (circumsolar sky brightness enhancement) and instrumental straylight levels. At  $15^\circ$ , the brightnesses measured in the zodiacal light (see Sect. 8) are included

at the equator and  $r^{-2.47}$  at the solar poles, based on a continuation of the zodiacal light data.

A measurement of the 1980 eclipse (Dürst 1982) yields a radial slope proportional to  $r^{-2.44}$  in the equator and  $r^{-2.76}$  at the poles when only fitting the slope to the eclipse observations in the range from 2 to  $10 R_\odot$ . Observations by Michard (1954) of the 1952 eclipse are fairly close to the model corona suggested by Koutchmy & Lamy (1985), whereas the Blackwell data and the more recent observations by Dürst are a little lower. Observations from the Apollo 16 spacecraft describe the equatorial brightness beyond  $20 R_\odot$  as  $\sim r^{-1.93}$  (MacQueen et al. 1973).

We suggest to use for the visual spectral region a radial slope of the brightness as  $r^{-2.5}$  in the equator and  $r^{-2.8}$  at the pole (see Table 23). This takes the recent measurements into account as well as the fact that the scattering properties change due to the increasing diffraction peak at small scattering angles.

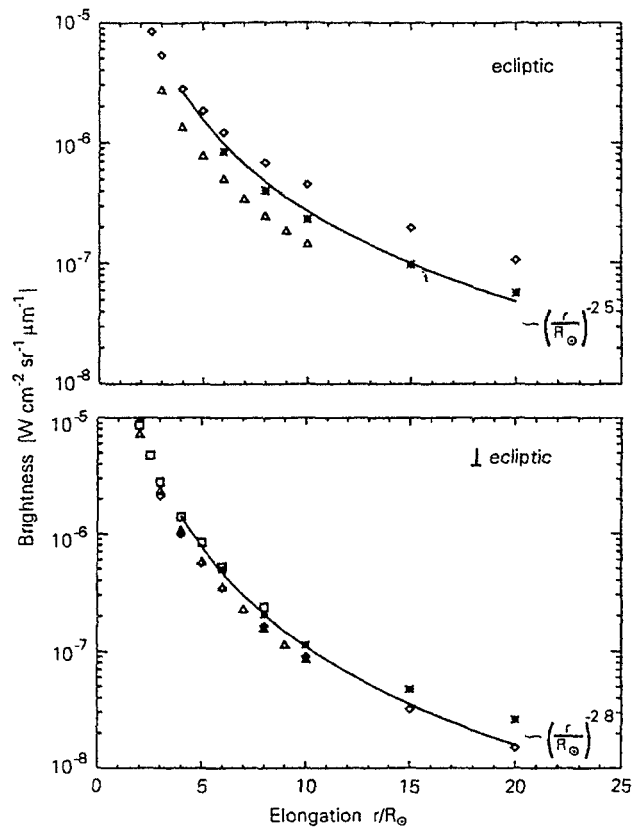


Fig. 58. The visible F-corona brightness, as measured along the ecliptic and the polar meridian. Asterisks: Blackwell (1955) (1954 eclipse); diamonds: Michard et al. (1954) (1952 eclipse); triangles Dürst (1982); squares Maihara et al. (1985). The power laws best representing these data are shown as solid lines

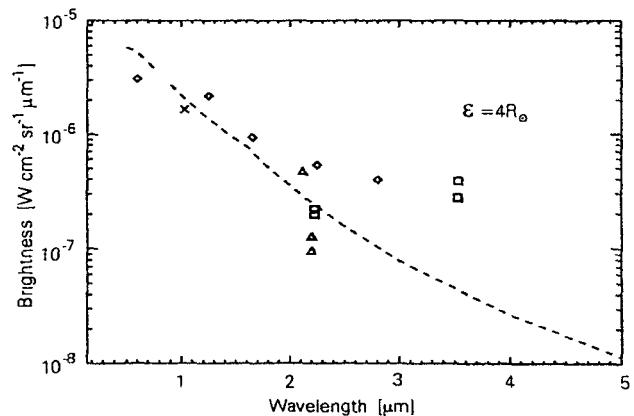


Fig. 59. The equatorial F-corona brightness at  $4 R_\odot$ . Diamonds: Maihara et al. (1985), cross: Smartt (1973), triangles: MacQueen (1968) (lower values), MacQueen & Greeley (1995) (upper value); squares: Peterson (1967). The dashed line gives the solar spectrum normalized to wavelength  $0.55 \mu\text{m}$



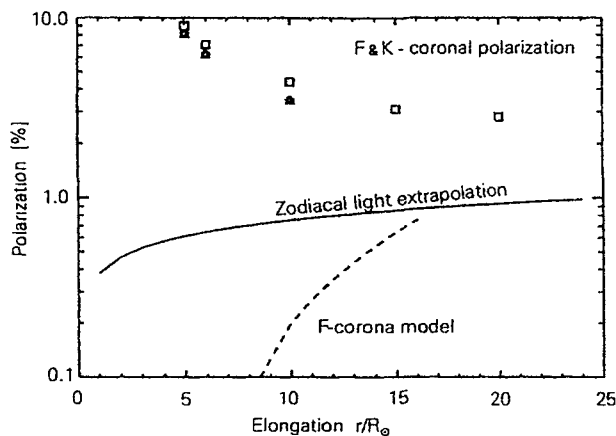
**Table 23.** Proposed approximations to the F-coronal brightness distribution

$\langle \lambda \rangle$ ( $\mu\text{m}$ )	region	$I(\lambda)$ at $4 R_{\odot}$ ( $\text{W}/\text{m}^2 \text{ sr } \mu\text{m}$ )	radial slope
0.5	equatorial	$2.8 \cdot 10^{-2}$	$r^{-2.5}$
	polar	$1.8 \cdot 10^{-2}$	$r^{-2.8}$
2.12	equatorial	$\approx 5 \cdot 10^{-3}$	$r^{-1.9}$
	polar	$\approx 4 \cdot 10^{-3}$	$r^{-2.3}$

For comparison: at 500 nm,  $1 \cdot 10^{-9} B/B_{\odot} = 2.84 \cdot 10^{-2} \text{ W}/\text{m}^2 \text{ sr } \mu\text{m}$ .

### 9.5. Polarization and colour

Due to the difficulties of K-corona separation, mentioned above, the polarization of the F-corona brightness is not fully understood so far. Figure 60 describes some data of the polarization of the total visible F-coronal brightness together with two models of F-corona polarization. The

**Fig. 60.** The polarization of the total coronal brightness compared to the extrapolated zodiacal light model and the F-corona polarization according to Blackwell et al. (1967)

first case is the polarization curve extrapolated from the Zodiacal light polarization according to Eq. (16), the second case is the polarization derived by Blackwell et al. (1967). The classical coronal model suggested in Blackwell et al. gives almost no F-corona polarization within  $10 R_{\odot}$ . Furthermore, it has been suggested that an irregular slope of the F-corona polarization could either result from the beginning of the dust free zone around the Sun or reflect the existence of a dust ring. Observations of the 1991 eclipse show no hump in the polarization between 3 and  $6.4 R_{\odot}$  and give an upper limit of 10% for the polarization.

Similar to the uncertainties in the determination of absolute brightness levels, the colour of the coronal bright-

ness is not well defined (see Fig. 59). Since both, thermal emission of dust as well as a spectral change of scattering properties cause a reddening of the F-corona (Mann 1993), we can expect reddening to vary within the corona. As far as the visible F-corona is concerned, several estimates of the colour are either describing only the inner corona or may be biased from uncertain calibrations. However it seems to be proven that the reddening is stronger than in the Zodiacal light and is also stronger than the reddening of the inner Zodiacal light extrapolated to smaller elongations (Koutchmy & Lamy 1985).

### 9.6. Infrared

#### 9.6.1. Near-infrared brightness

Different values of the F-corona brightness at  $4 R_{\odot}$  in the near infrared are shown in Fig. 59 in comparison to the solar spectral slope from Allen (1985), normalized to the F-coronal brightness at  $0.5 \mu\text{m}$ . Although the differences between data sets are still large, the majority of data at longer wavelengths is above the extrapolated solar spectrum, indicating a contribution from the thermal emission of dust near the Sun.

Only the early infrared observations do not follow this trend.

The radial slope of the near infrared F-corona brightness can be derived from observations of the 1991 eclipse (Hodapp et al. 1992; Kuhn et al. 1994; MacQueen et al. 1994), however the sky conditions were mediocre, as mentioned above, and no accurate photometry was possible. The equatorial brightness was described as  $B \sim r^{-1.9}$  and the polar brightness as  $B \sim r^{-2.3}$ , for regions inside  $8 R_{\odot}$ . Observations of the 1973 eclipse by Smartt (1973) in the near-infrared ( $\lambda = 1.03 \mu\text{m}$ ) show a similar radial slope of  $r^{-1.9}$  between  $3 R_{\odot}$  and  $5 R_{\odot}$  and of  $r^{-2.2}$  in the outer corona.

#### 9.6.2. Mid-infrared brightness

An important constituent of interplanetary dust particles is silicate, which exhibits a pronounced reststrahlen band in the  $10 \mu\text{m}$  wavelength region. An enhanced brightness of the mid infrared corona could reveal for instance the presence of small silicate particles near the Sun (cf. Kaiser 1970). Unfortunately, data in the mid infrared regime are biased, either by scattered light components from a window in case of aircraft measurements (Lena et al. 1974), or by strong atmospheric emission and fluctuations in the case of observations from ground (Mankin et al. 1974).

#### 9.6.3. IR - humps and dust rings

The first measurement of the near infrared coronal brightness showed a deviation of the slope from a continuous increase within the corona, with brightness enhancements by a factor of 3 – 3.5. Several of these humps were

seen by Peterson (1967) and MacQueen (1968), and later checked by Isobe et al. (1985), Mizutani et al. (1984), and Tollestrup et al. (1994). Model calculations by Mukai & Yamamoto (1979) showed that these humps could be explained by a dynamical effect that produces dust rings around the Sun. It is also possible that a hump of the infrared brightness is produced when the line of sight crosses the beginning of a dust free zone (Mann 1992). A model calculation by Kimura et al. (1997) shows that this effect may depend on the material composition of dust near the Sun. However, there have been several unpublished observations which could not detect a dust ring (see Isobe 1993), and observers of the 1991 eclipse could not confirm the existence of humps in the near infrared brightness (Hodapp et al. 1992; Kuhn et al. 1994; Tollestrup et al. 1994). In this context we should mention that the presently available data do not allow for a study of temporal effects in the F-coronal brightness, such as the appearance of dust clouds from sun-grazing comets or temporal dust rings.

## 10. Integrated starlight

### 10.1. Model predictions based on star counts

The combined light from unresolved stars contributes to the sky brightness from the ultraviolet through the mid-infrared, with the contribution being dominated by hot stars and white dwarfs at the shortest wavelengths, main sequence stars at visual wavelengths, and red giants in the infrared (Mathis et al. 1983). The integrated starlight contribution to the sky brightness depends on the ability of an experiment to resolve out the brightest stars, which in turn depends on the Galactic latitude. If we suppose that stars brighter than flux  $F_0$  are resolved and excluded from the diffuse sky brightness, then the integrated starlight contribution is the integral over the line of sight of the brightness contributions from stars fainter than  $F_0$ ,

$$I_{\text{ISL}} = \int_0^{F_0} dF \frac{dN(l, b)}{dF} F, \quad (28)$$

where  $\frac{dN(l, b)}{dF} dF$  is the number of stars in the flux range  $F$  to  $F + dF$ , for a line of sight towards galactic coordinates  $l, b$ . In principle, we must also integrate the counts over the beam and divide by the beam size, but in practice, the variation in the number of sources over a beam is often small except for large beams at low galactic latitude. (In those cases, Eq. (28) is replaced by

$$I_{\text{ISL}} = \frac{1}{\Omega_b} \int_{\text{beam}} d\Omega \int_0^{F_0} dF \frac{dN(l, b)}{dF} F, \quad (29)$$

where  $\Omega_b$  is the beam solid angle.) The cumulative number of sources increases less steeply than  $1/F$  for the fainter stars, so that the integral converges; in the near-infrared at  $2.2 \mu\text{m}$ , the peak contribution to the sky brightness occurs for stars in the range  $0 < K < 6$ . For reference,

$K = 0$  corresponds to  $F_\nu = 670 \text{ Jy}$  (Campins et al. 1985), and there is of order 1 star per square degree brighter than  $K = 6$ , and (extrapolating) there is one star per square arcminute brighter than  $K = 15$ . Thus, for comparison, the DIRBE survey ( $42'$  beam,  $K = 4$  detection limit) resolves about 50% of the starlight in the  $K$  band, while the DENIS survey (limiting magnitude  $K = 14$ ) should resolve some 97%. Similarly, in the far-ultraviolet, the FAUST survey resolves some 96% of starlight (Cohen et al. 1994). And at visible wavelengths, star counts near the North Galactic Pole (Bahcall & Soneira 1984) also show that the visible surface brightness for low-resolution observations is strongly dominated by the brightest stars ( $\approx 6 - 13 \text{ mag}$ ). It is for deep surveys with low angular resolution that we address the remainder of this discussion of integrated starlight.

**Table 24.** Surface brightness due to integrated starlight (given as  $\lambda I_\lambda$ , respectively  $\nu I_\nu$ )

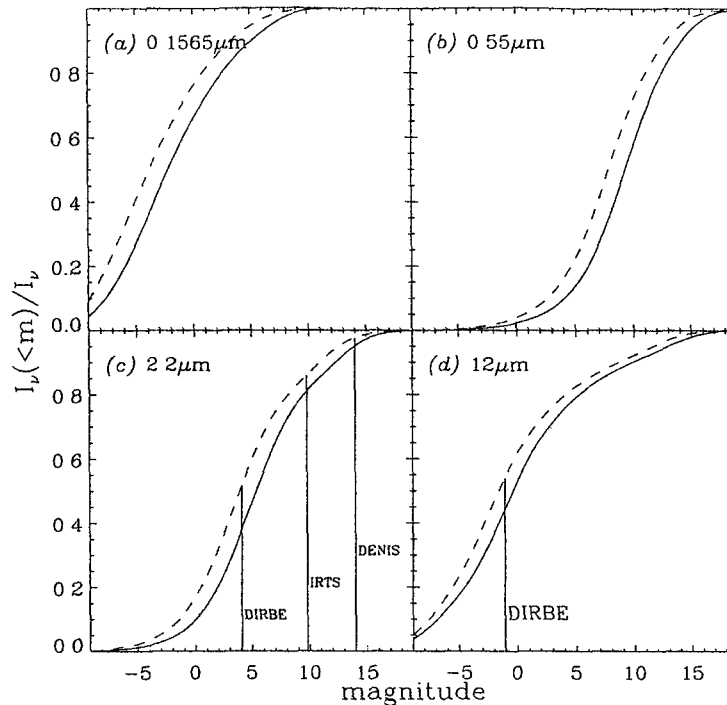
wavelength ( $\mu\text{m}$ )	surface brightness ( $10^{-9} \text{ W m}^{-2} \text{ sr}^{-1}$ )	
	$b = 30^\circ$	North Gal. Pole
0.1565	62	24
0.55	577	250
2.2	205	105
12	6.1	3.0

To estimate the contribution of integrated starlight to a deep observation, one must sum the contribution from each type of star along the line of sight. One may recast the integral in Eq. (28) more intuitively by integrating over the line of sight for each class of object (which has a fixed luminosity):

$$I_{\text{ISL}} = \sum_i \int_{s_i}^{\infty} ds s^2 n_i(s) \frac{L_i}{4\pi s^2}, \quad (30)$$

where  $n_i$  is the number density and  $L_i$  the luminosity of sources of type  $i$ . The integral extends outward from a given inner cutoff  $s_i$  that depends on the source type through  $s_i^2 = L_i/4\pi F_0$ . Bahcall & Soneira (1980, 1984) constructed such a model, with the Galaxy consisting of an exponential disk and a power-law, spheroidal bulge. The shape parameters (vertical scale height and radial scale length of the disk, and bulge-to-disk density ratio) of the Galactic star distribution were optimised to match the star counts. A more detailed model (SKY), both in terms of Galactic shape and the list of sources, has been constructed by M. Cohen and collaborators (Wainscoat et al. 1992; Cohen 1993, 1994; Cohen et al. 1994; Cohen 1995).

Examples of the surface brightness predicted by the SKY model for two lines of sight and four wavebands, from



**Fig. 61.** Fraction of integrated starlight due to stars brighter than a given magnitude, for two lines of sight: the NGP (dashed curves) and a region at  $30^\circ$  galactic latitude (solid curves). Each panel is for a different wavelength: a)  $1565 \text{ \AA}$ , b)  $5500 \text{ \AA}$ , c)  $2.2 \text{ }\mu\text{m}$ , and d)  $12 \text{ }\mu\text{m}$ . In panel c), the vertical lines indicate the magnitude limits adopted in analysis of DIRBE (Arendt et al 1997), IRTS (Matsumoto et al. 1997), and DENIS (Epchtein 1994, 1997) observations are shown

the ultraviolet to the mid-infrared, are shown in Fig. 61. Of these, the basis for the ultraviolet part is discussed in more detail in Sect. 10.2.2 below. Each curve in Fig. 61 gives the fractional contribution to the surface brightness due to stars brighter than a given magnitude. The total surface brightness for each wavelength and line of sight is given in Table 24. The sky brightness due to unresolved starlight can be estimated for any experiment given the magnitude limit to which it can resolve stars. First, determine the fraction,  $f$ , of brightness due to stars brighter than the limit using Fig. 61. Then, using the total brightness of starlight,  $I_{\text{ISL}}$  from Table 24, the surface brightness due to *unresolved* stars is  $I_{\text{ISL}} \times (1 - f)$ . – For specific results of the SKY model contact Martin Cohen directly.

The old compilations of integrated starlight in the visual by Roach & Megill (1961) and Sharov & Lipaeva (1973) do not have high ( $\approx 1^\circ$ ) spatial resolution and are not calibrated to better than  $\approx 15\%$ . However, they still give useful information, are conveniently available in tabulated form, and have been used, e.g. in work to be discussed below in Sects. 11.2 and 12.2.1.

## 10.2. Ultraviolet

### 10.2.1. Near ultraviolet (180 nm – 300 nm)

The UV astronomy experiment S2/68 (Boksenberg et al. 1973) provided catalogs of stellar UV brightness over the sky in one photometric channel at  $274 \text{ nm}$  ( $\Delta\lambda = 30 \text{ nm}$ ) and three spectroscopic channels around  $156.5 \text{ nm}$  ( $\Delta\lambda = 33 \text{ nm}$ ),  $196.5 \text{ nm}$  ( $\Delta\lambda = 33 \text{ nm}$ ), and  $236.5 \text{ nm}$  ( $\Delta\lambda = 33 \text{ nm}$ ). Gondhalekar (1990) integrated over the spectroscopic channels to provide photometric information at all of the four UV wavelengths. The photometric accuracy is  $\approx 10\%$ . Only the 47039 stars with UV flux larger than  $1.0 \times 10^{-12} \text{ erg cm}^{-1} \text{ s}^{-1} \text{ sr}^{-1} \text{ \AA}^{-1}$  ( $m_{\text{UV}} \approx 8 \text{ mag}$ ) in at least one of the four passbands were kept for calculating the integrated starlight brightness over the sky. The resulting brightnesses are given in Tables 25 to 28.

Brosch (1991) also attempted to produce a galaxy model for the UV. He adapted the Bahcall & Soneira (1980) galaxy model by suitable colour relations to the  $150 - 250 \text{ nm}$  sky, and added Gould's belt and white dwarfs. He compared in his Fig. 3 the model with the limited results available from a wide field UV imager flown on Apollo 16 (Page et al. 1982) and found reasonable agreement between his model and these data,

**Table 25.** The intensity of stellar UV radiation at 156.5 nm in bins of  $10^\circ \times 10^\circ$  in units of  $10^{-10} \text{ W m}^{-2} \text{ sr}^{-1} \mu\text{m}^{-1}$ , respectively  $10^{-11} \text{ erg cm}^{-1} \text{ s}^{-1} \text{ sr}^{-1} \text{ \AA}^{-1}$ . The limits of the bins are given in degrees of galactic longitude and galactic latitude with the table. Only stars brighter than a certain flux limit (see text) were included. From Gondhalekar (1990)

GALACTIC LONGITUDE																			
0	10	20	30	40	50	60	70	80	90	100	110	120	130	140	150	160	170	180	
80	0	21	0	0	0	6	21	49	0	3	328	53	0	17	0	6	0	37	
70	6	83	0	5	29	48	0	5	16	9	16	16	6	40	0	21	6	0	
60	13	210	178	32	59	120	40	148	218	84	31437	467	2829	6	1631	71	10	602	
50	23	203	191	257	5298	432	26	32	271	284	14	1067	63	287	1802	169	163	387	
40	19	174	560	451	375	116	688	4992	381	383	526	260	2578	28	348	88	884	1160	
30	1854	749	1804	599	680	3384	335	6088	332	3817	784	269	68	731	370	136	372	608	
20	11518	1632	516	844	2007	1448	1261	763	1898	1093	1267	1688	1181	472	2487	389	1196	478	
10	1418	1030	3499	4139	7251	3681	28071	7508	5931	2448	18976	1833	1822	1404	2429	2397	3043	1517	
0	15909	1724	430	2884	3827	8123	10117	13728	10125	5398	6992	3638	8871	3542	2371	2231	13169	3820	
-10	8549	7007	2239	5118	3961	6474	10371	7188	14751	11087	7080	7348	42827	5341	9845	10941	1818	21080	
-20	37289	4028	2347	3716	2504	5086	5807	2397	4989	13788	10819	4864	8103	7110	11348	24350	15089	2845	
-30	6283	983	1258	1697	1440	901	921	1544	2816	1180	1912	3502	2943	2071	1302	5877	8228	4502	
-40	766	674	529	2178	808	212	1273	3018	396	536	306	9688	348	252	690	1234	1860	4238	
-50	379	1629	73	3038	2187	1749	5431	3685	2766	172	20176	863	257	309	178	1271	1461	651	
-60	3855	848	1685	865	416	819	308	67	350	304	338	447	36	204	22	373	122	6887	
-70	8	484	2228	43	331	281	3168	0	0	987	19	13	5	7	16	69	0	44	
-80	23	187	392	13	196	403	396	860	14	285	9	42	30	3	0	0	46	11	
0	0	0	0	0	0	0	121	7	0	124	3	196	0	14	0	4	0	0	

GALACTIC LONGITUDE																			
180	190	200	210	220	230	240	250	260	270	280	290	300	310	320	330	340	350	360	
80	0	4	11	36	83	13	106	0	493	102	22	0	173	65	0	8	25	0	
70	20	262	20	166	264	1287	67	42	174	186	282	218	0	22	331	30	63	25	
60	78	30	188	1656	73	4625	61	823	461	33	33	312	90	106916	278	93	697	835	
50	353	164	76	215	16675	166	1921	83	37	644	2130	7479	102	199	340	180	372	21	
40	287	246	531	639	1154	280	848	1284	378	581	148	164	303	331	686	402	2182	6121	
30	3365	716	964	1112	5320	1276	1474	2114	680	1048	1497	2845	2231	696	11357	1552	33553	37753	
20	1872	1654	6413	2859	2183	1557	721	1389	1302	1383	2366	15072	11837	86108	117283	58921	10760	49932	
10	4819	5663	13069	7182	5091	10457	4842	17631	10247	17072	9810	37745	102723	161704	12339	7820	29235	6848	
0	20305	18057	8174	9534	72818	50109	25184	91893	37846	48445	26298	18445	48922	11441	8031	7380	20308	130928	
-10	2082	78888	167335	47870	56440	80684	28658	9476	41031	16684	9852	8291	4927	3883	4581	18021	15895	10572	
-20	4832	14493	62848	28471	2376	15051	7181	6088	7845	2355	1084	2779	833	1149	848	4460	1875	2850	
-30	3074	9681	3601	2031	1084	953	573	659	849	1534	714	461	1055	165	1789	1014	34189	209	
-40	728	1967	98	2506	1857	2575	298	2558	2340	284	1948	428	610	43	725	256	37	287	
-50	129	23	890	1503	218	2793	66	32	171	38	166	82285	553	1229	88	171	9	18504	
-60	284	1808	13	189	600	133	141	207	1873	3002	201	2137	68	282	1575	289	77	130	
-70	125	128	101	22	1053	0	0	80	283	16	41	28	73	198	0	37	5	829	
-80	0	0	0	0	0	0	0	0	1601	31	3	0	5	0	0	0	0	122	

**Table 26.** The intensity of stellar UV radiation at 196.5 nm in bins of  $10^\circ \times 10^\circ$  in units of  $10^{-10} \text{ W m}^{-2} \text{ sr}^{-1} \mu\text{m}^{-1}$ , respectively  $10^{-11} \text{ erg cm}^{-1} \text{ s}^{-1} \text{ sr}^{-1} \text{ \AA}^{-1}$ . The limits of the bins are given in degrees of galactic longitude and galactic latitude with the table. Only stars brighter than a certain flux limit (see text) were included. From Gondhalekar (1990)

GALACTIC LATITUDE	GALACTIC LONGITUDE																		GALACTIC LATITUDE
	0	10	20	30	40	50	60	70	80	90	100	110	120	130	140	150	160	170	180
80	0	66	5	21	105	10	9	57	51	34	38	281	61	4	61	7	27	4	77
60	46	103	60	159	192	144	144	484	348	380	248	19338	614	2837	176	1784	230	20	39
40	67	278	249	443	4631	458	269	269	262	611	610	285	1220	402	851	2248	400	454	673
20	169	488	844	610	488	318	870	3710	3710	687	721	1028	528	2133	378	700	457	1528	1887
0	1844	788	1599	678	1118	2777	1778	652	4285	833	3331	1187	887	754	1189	830	853	971	716
-20	7024	816	680	1888	1778	1728	1442	1345	1345	2535	1659	2102	2236	1840	1322	2614	1333	2148	912
-40	2058	883	2723	2854	4868	3059	23470	6700	5901	5901	3503	12485	2808	2819	2319	2813	2828	4577	2281
-60	9874	1588	683	2372	3502	5780	7878	7878	10428	9791	5584	5870	3369	7856	3528	3003	2977	9311	4328
-80	6276	4984	1775	4180	5800	4943	7844	5869	11045	11045	8816	6816	28429	28429	5488	8012	8289	1987	15113
	24358	3189	2074	2438	2309	4285	4440	2240	2240	3968	8074	8281	4840	8787	5388	9214	14407	8161	2284
	3783	1170	1231	1370	1244	1123	904	1548	1548	2388	1516	1848	2808	2873	2048	1977	4574	6132	4582
	875	871	838	2091	689	405	1320	2330	2330	441	609	501	7647	532	410	1433	1178	1388	3138
	824	1159	301	2319	1818	1482	3811	2820	2820	2842	332	12086	647	379	338	288	1045	1544	644
	3012	989	1318	731	367	799	329	199	199	327	472	428	409	138	328	69	583	235	4283
	66	847	4380	165	621	280	2322	21	38	38	718	64	48	77	107	107	123	80	163
	54	141	378	93	278	386	403	686	686	55	217	48	48	90	48	25	65	130	58
0	0	23	11	20	0	0	9	162	14	48	120	52	189	8	45	9	18	3	41

GALACTIC LATITUDE	GALACTIC LONGITUDE																		GALACTIC LATITUDE
	180	190	200	210	220	230	240	250	260	270	280	290	300	310	320	330	340	350	360
80	14	39	89	151	157	157	66	157	18	276	18	23	11	7	13	9	36	17	4
60	78	84	104	28	33	158	158	144	92	178	327	458	488	29	72	759	100	146	29
40	477	285	112	285	144	1208	1208	144	92	178	327	458	488	29	72	759	100	146	29
20	367	208	261	1392	137	3251	3251	236	915	336	99	130	397	204	66053	237	248	761	903
0	715	398	240	306	12384	220	1136	1610	218	211	736	1394	6860	248	413	351	363	643	179
-20	685	845	806	920	744	1273	517	744	1273	678	982	333	584	643	588	676	681	1847	4130
-40	4423	1186	1186	1193	1328	1411	1411	1328	1838	1242	1474	1810	2876	2284	1208	7816	1482	20214	20145
-60	2285	1978	6508	3332	1077	1809	1809	1077	1830	1834	2113	2878	10179	9383	51190	71532	35739	10912	28100
-80	4118	5984	9198	5486	4179	7387	4858	12044	12044	8348	12558	8043	24094	69117	68254	9369	6330	17204	5167
	11883	12380	6268	7519	19438	31871	19438	17842	7819	28005	11403	8333	13385	28545	8314	7297	8409	14822	78499
	2130	49180	113827	32748	35038	50038	50038	17842	7819	28005	11403	8333	6678	3624	2835	3853	11081	11076	8444
	4077	9407	48824	18028	2821	10515	5486	5151	9324	2468	1270	2389	948	1035	1039	3432	2141	2158	2158
	2278	6384	2805	1514	768	934	934	768	1117	981	1499	835	788	1247	551	2109	1415	21177	778
	899	1802	247	2086	1384	2168	2168	660	1832	2334	516	2077	685	703	241	848	627	445	583
	287	149	824	1348	391	2032	2032	322	283	226	291	612	61782	786	1364	436	587	268	12512
	322	1172	127	350	625	282	282	190	335	1280	2202	438	1527	249	377	1054	426	297	186
	191	106	136	81	939	45	45	38	159	297	76	108	115	114	450	46	91	86	740
0	11	23	19	18	3	7	6	3	0	1220	64	27	3	7	0	29	4	19	97

**Table 27.** The intensity of stellar UV radiation at 236.5 nm in bins of  $10^\circ \times 10^\circ$  in units of  $10^{-10} \text{ W m}^{-2} \text{ sr}^{-1} \mu\text{m}^{-1}$ , respectively  $10^{-11} \text{ erg cm}^{-1} \text{ s}^{-1} \text{ sr}^{-1} \text{ \AA}^{-1}$ . The limits of the bins are given in degrees of galactic longitude and galactic latitude with the table. Only stars brighter than a certain flux limit (see text) were included. From Gondhalekar (1990)

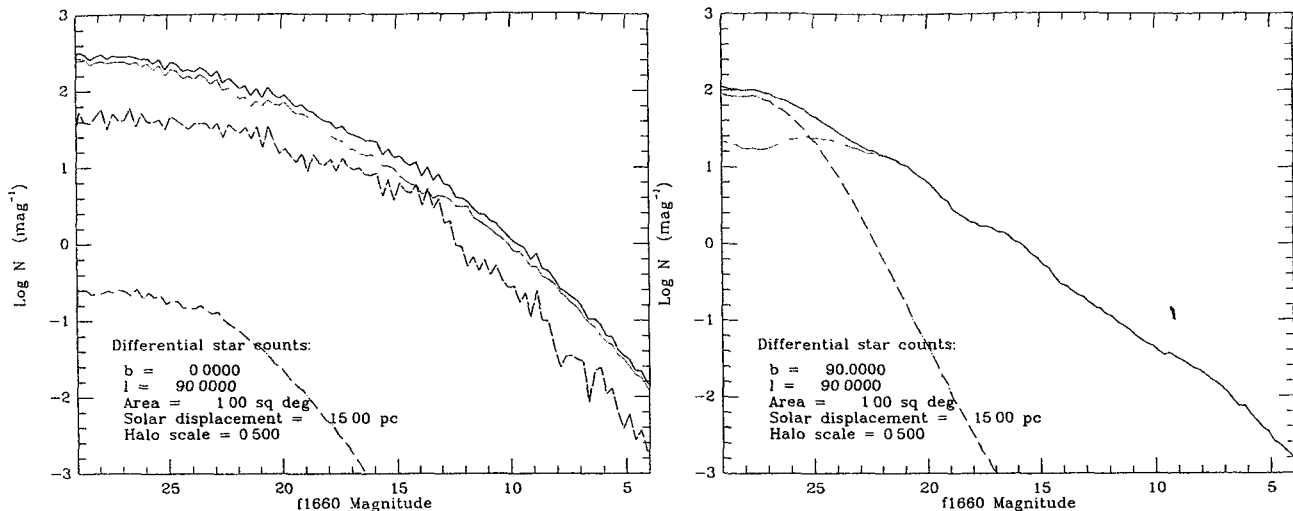
GALACTIC LONGITUDE																			
GALACTIC LONGITUDE																			

GALACTIC LONGITUDE																			
GALACTIC LONGITUDE																			

**Table 28.** The intensity of stellar UV radiation at 274 nm in bins of  $10^\circ \times 10^\circ$  in units of  $10^{-10} \text{ W m}^{-2} \text{ sr}^{-1} \mu\text{m}^{-1}$ , respectively  $10^{-11} \text{ erg cm}^{-1} \text{ s}^{-1} \text{ sr}^{-1} \text{ \AA}^{-1}$ . The limits of the bins are given in degrees of galactic longitude and galactic latitude with the table. Only stars brighter than a certain flux limit (see text) were included. From Gondhalekar (1990)

GALACTIC LONGITUDE																			
0	10	20	30	40	50	60	70	80	90	100	110	120	130	140	150	160	170	180	
80	52	50	8	3	13	0	50	31	32	10	173	54	0	41	5	18	0	57	
70	87	80	41	74	82	67	20	76	98	36	103	37	51	72	41	90	9	41	
60	45	364	116	118	159	109	406	245	286	147	12669	418	2097	39	1261	129	105	489	
50	168	339	639	460	333	250	388	2578	474	413	677	280	1417	151	393	307	1034	1234	
40	1142	547	1078	495	827	1922	408	2772	622	2148	681	480	285	575	380	454	495	439	
30	4669	465	364	1440	1198	1222	999	842	1370	960	1290	1347	1026	627	1399	647	1199	652	
20	1365	622	1854	1941	3157	2005	16957	4509	3591	1980	8143	1610	1537	1269	1586	1829	2882	1367	
10	6823	987	451	1494	2293	3754	4994	7084	8211	3143	3672	1938	5213	2088	1886	1423	5959	2838	
0	3559	3068	1037	2899	4181	3225	5277	3706	7268	6774	3870	3784	19816	2854	4784	5178	1138	10283	
-10	16132	2079	1387	1591	1501	2893	2993	1466	2728	5803	8422	2918	4136	3625	5990	9658	5546	1661	
-20	2423	727	774	877	830	773	691	1104	1803	1019	1135	1937	1788	1379	1421	3043	4047	3188	
-30	565	602	627	1445	514	295	932	1547	290	546	373	6440	390	297	1073	825	930	2057	
-40	457	803	201	1838	1247	1042	2650	1831	1904	240	8081	417	285	239	206	721	1097	441	
-50	1996	681	913	538	314	525	248	142	244	361	348	279	86	234	50	441	142	2901	
-60	39	347	3088	131	458	215	1573	27	23	480	39	67	54	58	83	76	71	108	
-70	20	108	270	88	267	266	290	483	37	161	40	45	51	47	18	49	83	48	
-80	0	9	16	13	6	10	112	9	28	60	46	136	0	24	10	13	0	15	

GALACTIC LONGITUDE																			
180	190	200	210	220	230	240	250	260	270	280	290	300	310	320	330	340	350	360	
80	4	33	66	120	175	53	127	9	190	8	14	10	8	13	4	38	18	0	
70	55	60	73	15	54	117	22	1146	134	29	4	229	94	3	49	41	38	43	
60	320	200	104	207	750	828	140	68	117	273	314	451	29	60	575	52	112	61	
50	257	179	182	969	90	2908	182	649	261	62	98	290	177	47457	165	200	529	670	
40	540	301	183	222	6873	178	1107	136	144	539	1018	4018	172	215	287	268	398	159	
30	455	403	587	661	804	382	483	949	392	662	264	408	343	481	502	437	1287	2825	
20	3107	833	801	806	2750	1000	884	1358	629	1142	1237	1839	1486	778	5190	879	12717	12515	
10	1614	1408	3900	3036	1556	1283	775	1193	1167	1237	1777	6862	6186	33063	49170	23585	7047	15288	
0	2835	4140	6956	3733	2857	4908	2948	8092	5311	8378	6242	15351	47224	70128	5669	3798	11068	3068	
-10	8421	6082	4235	4994	49181	22730	12759	35291	17005	22387	12729	8658	18449	5481	4484	3512	9722	53058	
-20	1446	33830	76954	23842	25375	38722	12082	4960	16881	7813	5904	3655	2380	2015	2589	8104	7853	5548	
-30	2822	7084	36818	11679	1781	8994	3789	3408	7168	1534	785	1549	618	692	687	2328	1333	1535	
-40	1618	4398	1684	1014	773	599	483	663	557	1009	529	410	748	278	1448	878	13953	488	
-50	438	1074	189	1388	912	1448	423	1191	1487	319	1304	420	418	128	553	358	250	278	
-60	230	140	539	983	282	1336	212	125	124	190	385	36656	534	859	281	389	115	8312	
-70	245	827	87	285	421	182	86	226	819	1435	314	985	169	246	672	290	145	124	
-80	151	67	119	51	644	26	16	104	191	55	68	82	77	331	23	51	66	505	
-90	10	35	8	3	0	0	3	0	836	54	10	4	4	0	21	6	10	68	



**Fig. 62.** Differential star counts as a function of FUV magnitude for a position in the galactic plane at  $l = 90^\circ$  (left) and for the galactic pole (right). Solid line: total contribution, faint dotted line: disk component, dash-dot line: halo contribution, long-dashed line: spiral arms plus local spur (shown only for the field in the galactic plane)

but otherwise does not give an explicit description of the model.

#### 10.2.2. FUV (91.2 nm – 180 nm)

Table 25 discussed in the last subsection actually belongs to the FUV range.

As far as modelling is concerned, the stellar contributions to the FUV sky brightness have been well characterized. The optical and infrared SKY model of Cohen (1994) has been expanded into the FUV by fitting it to observations on the FUV sky obtained with the FAUST FUV telescope (Bowyer et al. 1993). The FAUST camera had obtained observational data on 5000 sources in 21 separate fields in the 140 – 180 nm bandpass. These data covered FUV magnitudes from 5 to 12. The model resulting from the comparison to these data (Cohen et al. 1994) provides an excellent fit to the available FUV observations. The extrapolated flux for magnitudes greater than 12 is less than 4% of the total point source flux and is less than 1% of the FUV diffuse sky brightness.

As is the case for other wavelength bands, the integrated starlight in the FUV (and also the near ultraviolet) is concentrated toward the plane of the Galaxy. In Fig. 62 we display two examples of how the model accounts for the stellar contribution in the ultraviolet (kindly provided by Martin Cohen). The figure shows differential star counts as a function of a FUV magnitude centered at 166 nm, both for a position in the galactic plane at  $l = 90^\circ$  and for the galactic pole. In both parts of the figure, the solid line is the total number of stars per square degree per magnitude interval, the disk component is shown by the faint dotted line, and the dash-dot line is the halo contribution. For the galactic plane (left diagram), the halo component is of lesser importance, but the spiral arms plus local spur

**Table 29.** Total integrated surface brightness in the range 140 nm – 180 nm due to point sources, as given by the SKY model<sup>a</sup> at a galactic longitude of  $90^\circ$  as predicted by the SKY model

Galactic latitude	$I_\nu$ mJy/□°	$I_\lambda$ W/m <sup>2</sup> sr μm	$I$ photons/cm <sup>2</sup> s sr Å
90°	26.6 ± 0.01	102 10 <sup>-10</sup>	82.5
80°	40.6 ± 0.02	156 10 <sup>-10</sup>	125.8
70°	49.7 ± 0.03	191 10 <sup>-10</sup>	153.8
60°	58.2 ± 0.03	224 10 <sup>-10</sup>	180.4
50°	70.9 ± 0.05	273 10 <sup>-10</sup>	219.5
40°	89.8 ± 0.19	345 10 <sup>-10</sup>	278.0
30°	122.1 ± 0.3	469 10 <sup>-10</sup>	378.2
20°	185.0 ± 0.6	709 10 <sup>-10</sup>	571.1
10°	483.0 ± 12.9	1860 10 <sup>-10</sup>	1496
0°	429.7 ± 7.8	1650 10 <sup>-10</sup>	1330

<sup>a</sup>Since this model was primarily constructed for the infrared, it cannot be expected to be accurate in the ultraviolet at low galactic latitudes ( $|b| \leq 10^\circ$ ), where the effects of clumpiness of the interstellar medium get dominating (Caplan & Grec 1979)

contribution have to be taken into account (long-dashed curve). Table 29 gives the total stellar surface brightness in the 140 – 180 nm band as a function of galactic latitude. The brightness varies with galactic longitude; in this case we show the values for  $l = 90^\circ$ .

In an attempt to unify the above information on ultraviolet integrated starlight, at present we suggest to rely on Tables 25 to 28 for the absolute and total brightness level, and to use the models demonstrated above for purposes like extrapolation to the contribution of faint stars



or breakdown of the total brightness into the contribution of different components or brightness intervals.

### 10.3. Ground-based *UBVR* photometries

Besides airglow and zodiacal light, the Milky Way is the third major contributor to the diffuse night sky brightness in the visual spectral domain. Its light is fixed with respect to an inertial system of reference and also is constant over large time scales. For absolute brightness determinations, space experiments, free of disturbance by the earth's atmosphere, are best suited, for studies of structures, ground-based surveys are preferable because of their greater flexibility. In any case one has to be aware of the presence of diffuse galactic light which on the average contributes between 20% and 30% of the Milky Way brightness.

Efforts to describe the distribution of the Milky Way's brightness are numerous and can be traced back far into the past (Ptolemy's *Almagest*). Difficulties to get rid of atmospheric disturbances still are present in the classical paper by Elsässer and Haug in 1960, which otherwise, for the first time, presented photoelectric measurements of our Galaxy with a reasonable resolution in well defined passbands (see Tables 30 and 31).

The four photometries of the Southern Milky Way presented here in colour as Figs. 63–67 profit from the now more effective correction for the atmospheric effects. They cover the whole range in longitudes and galactic latitudes from  $-40^\circ$  to  $+40^\circ$ . They have a high angular resolution ( $0.25 \times 0.25$  square degrees). Moreover, all wavelength bands are processed in the same way, and so the colours  $U-B$ ,  $B-V$ ,  $V-R$  should be quite coherent. The figures presented here only give an overview, although the linear scale of the colour bar will allow coarse interpolation. The data are accessible in digital form at the astronomical data center *Centre de Données Stellaires* (CDS) in Strasbourg under

<http://cdsweb.u-strasbg.fr/htbin/myqcat3?VII/199/>

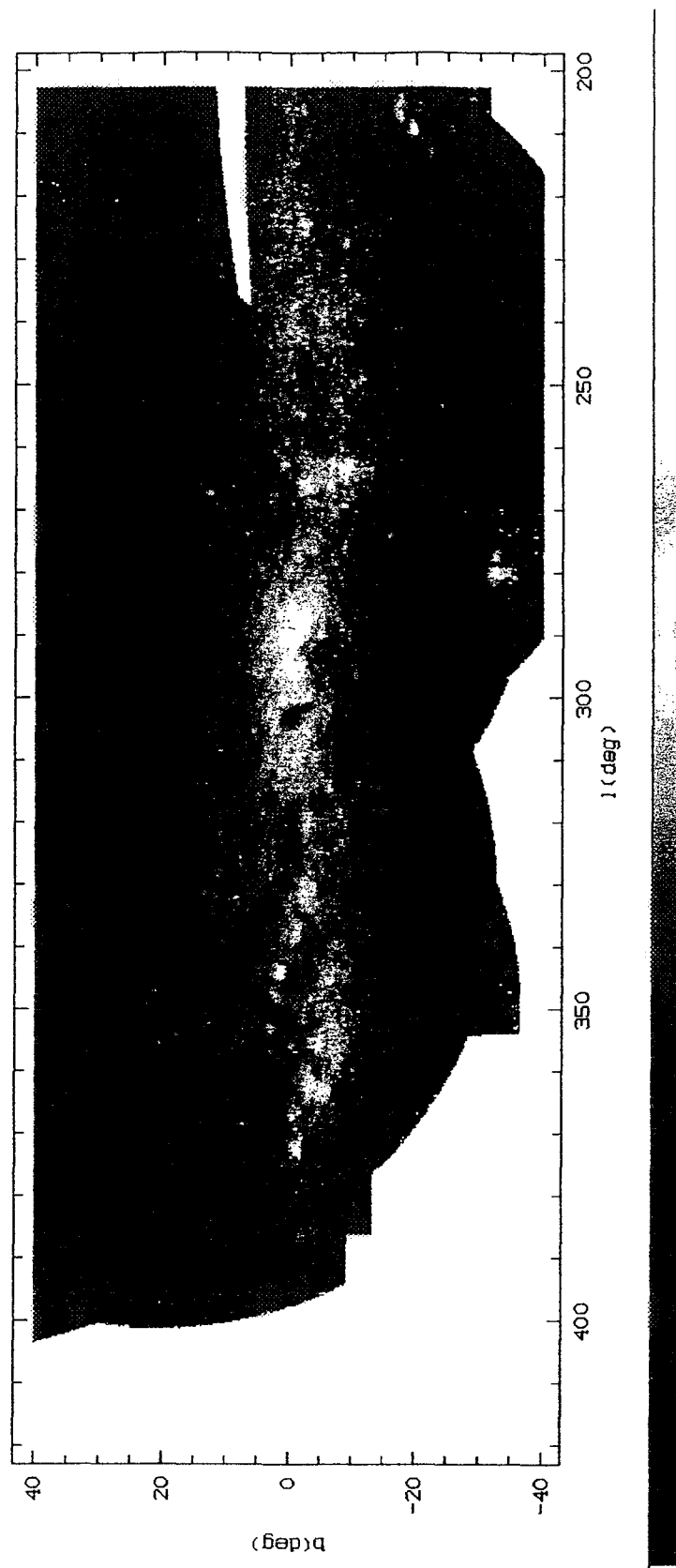
It is planned to make accessible to the public under this address step by step all major ground-based photometries of the Milky Way contained in Table 30, in particular also the  $B$  photometry by Classen (1976), which has the advantage of large sky coverage and which fits quite well to the Helios and Pioneer space probe data (see Fig. 70 below). For further information with respect to the four photometries discussed, see the papers by Kimeswenger et al. (1993) and Hoffmann et al. (1997). As an example for the kind of spatial detail to be expected, Fig. 67 shows on an enlarged scale the *UBVR* photometry for the Coalsack region.

The *UBVR* photometries shown in Figs. 63–67 are based on photographic exposures, calibrated in situ by photoelectric measurements of the night sky. The raw data were obtained in 1971 by Schlosser & Schmidt-Kaler at La Silla (Schlosser 1972). The well known disadvantages of photographic plates (their relatively low inherent accuracy, for instance) do not count so much if one considers the often rapid variations of the night sky in total. Such changes especially affect scanning photometers and reduce their inherent accuracy. A posteriori, it is virtually impossible to discriminate between temporal and spatial variations. For Figs. 63–67, a wide angle camera (FOV  $135^\circ$ ) was employed, which integrated the night sky at the same time, thus avoiding the above mentioned unwanted effects. Tables 30–32 contain supporting information. Table 30 gives a synopsis of photometries in the visual and near-visual spectral domain. This list contains only photometries covering the whole Galaxy or a major part of it (for more details, see Scheffler 1982). Some photometries of smaller galactic areas are contained in Table 31. In Table 32, the four Bochum photometries shown here are compared to those of other authors. Because the Helios data (Hanner et al. 1978; Leinert & Richter 1981) are considered a well calibrated reference, these space probe measurements are also included here for comparison. The same is true for the south polar region subset of Pioneer data shown by Weinberg (1981) and the subset presented by Toller (1990), while a much more complete overview on the Pioneer measurements of integrated starlight will be given in the following subsection.

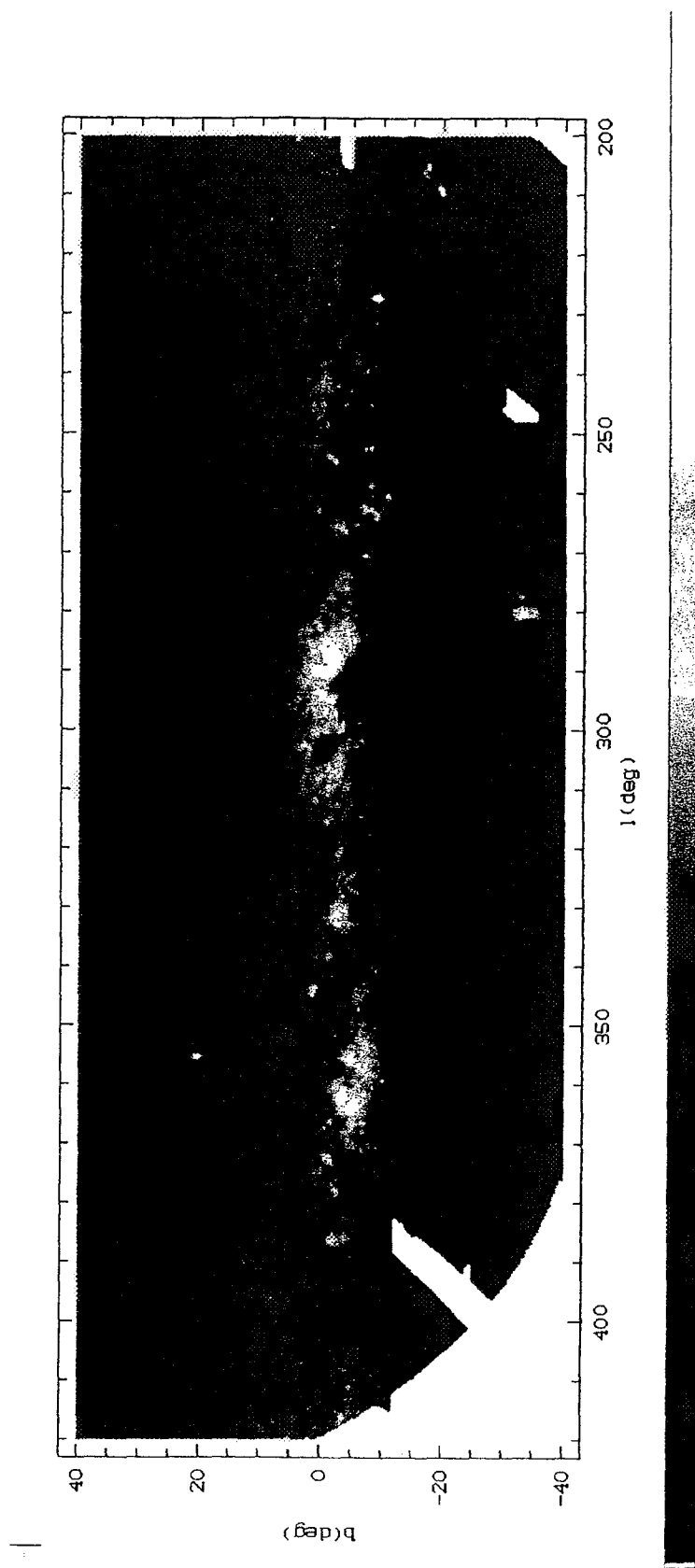
### 10.4. Pioneer 10/11 spaceborne visual photometry

Small imaging photopolarimeters (IPP's) on the Pioneer 10 and 11 deep space probes were used during cruise phases (between and beyond the planets) to periodically measure and map over the sky brightness and polarisation in blue (395 nm – 495 nm) and red (590 nm – 690 nm) bands. This was done at heliocentric distances beyond 1.015 AU (Weinberg et al. 1974; Hanner et al. 1974). Early results suggested that observations of the same sky regions decreased in brightness with heliocentric distance  $R$  to  $\approx 3.3$  AU (Weinberg et al. 1974; Hanner et al. 1976), beyond which there was no observable change; i.e., the zodiacal light became vanishingly small compared to the background galactic light (i.e. was less than  $2 S_{10\odot}$ ). Subsequent analysis (Schuerman et al. 1977) found this detectability limit to be 2.8 AU. Thus, for sky maps made between 1 AU and 2.8 AU, the observations give the sum of zodiacal light and background starlight, while beyond 2.8 AU the background starlight, including some diffuse galactic light, could be observed directly. We summarise here those observations from beyond 2.8 AU.

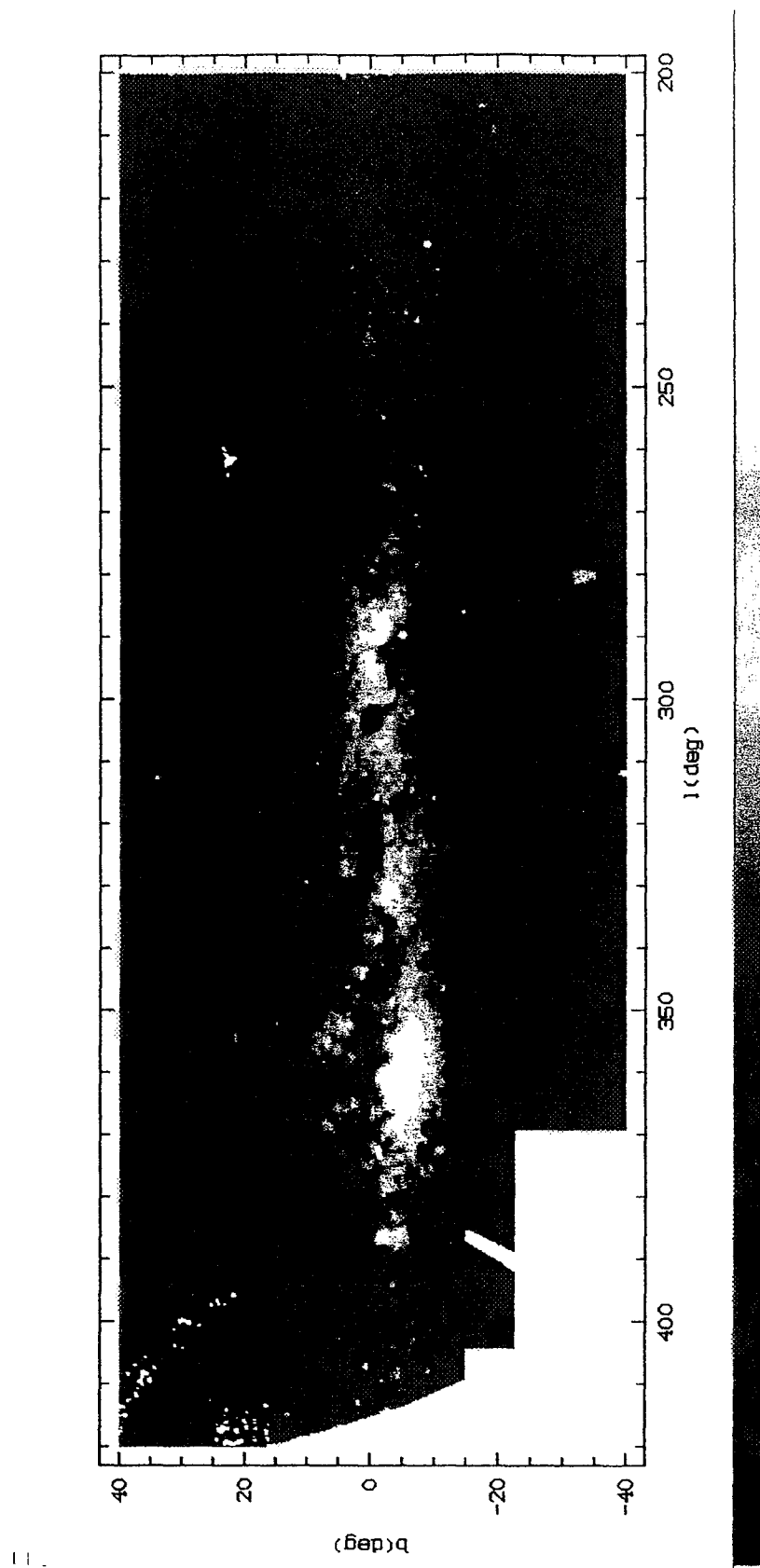
Approximately 80 sky maps were obtained with the Pioneer 10 IPP, starting in March 1972, of which 50 maps fall into the year 1972 (see Table 33). The FOV's covered



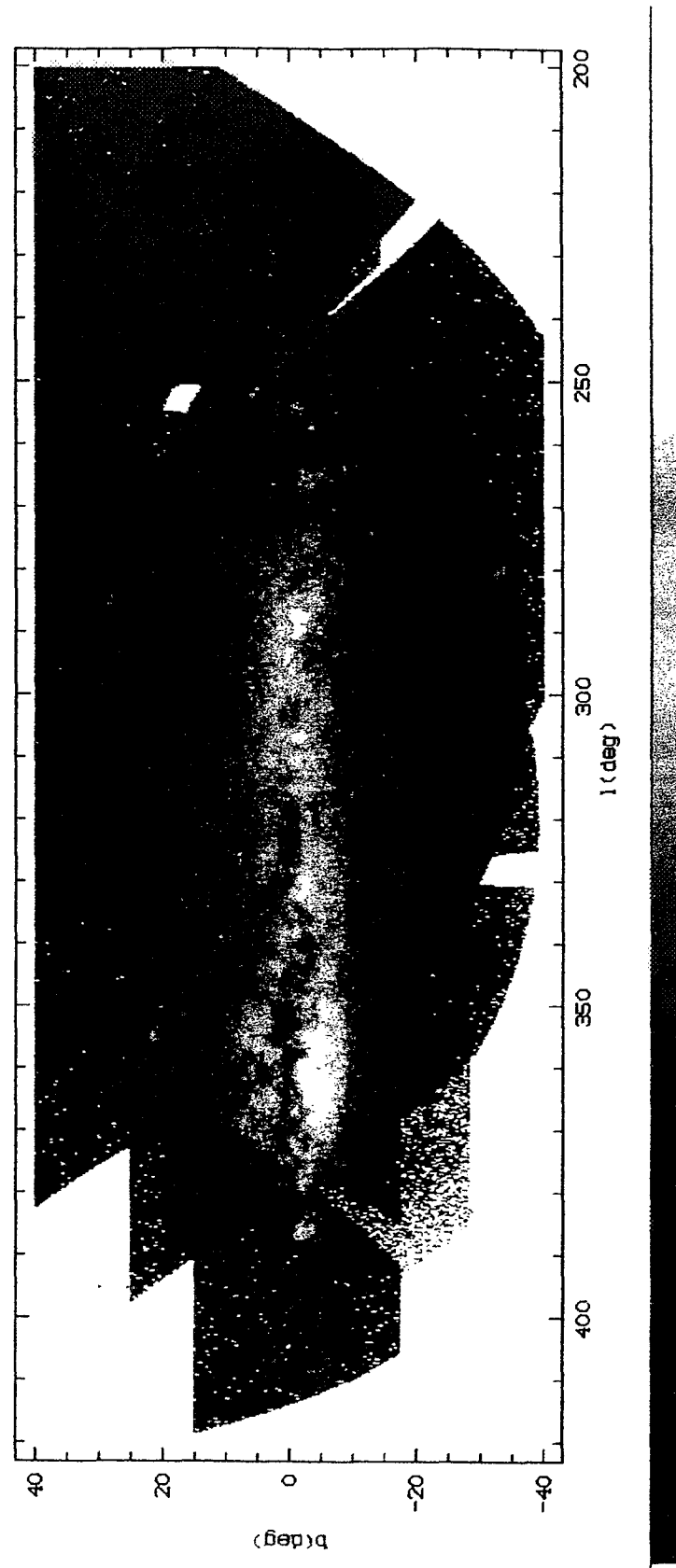
**Fig. 63.**  $U$  photometry of the Southern Milky Way. The photometry is accompanied by a colour bar. Its left end corresponds to  $-100 S_{10}$ . The brightness at the right end of the bar is  $450 S_{10}$  units ( $U$ ). The scale is linear. White areas denote non-valid data.



**Fig. 64.** *B* photometry of the Southern Milky Way. The photometry is accompanied by a colour bar. Its left end corresponds to  $-100 S_{10}$ . The brightness at the right end of the bar is  $550 S_{10}$  units (*B*). The scale is linear. White areas denote non-valid data.



**Fig. 65.**  $V$  photometry of the Southern Milky Way. The photometry is accompanied by a colour bar. Its left end corresponds to  $-100 S_{10}$ . The brightness at the right end of the bar is  $900 S_{10}$  units ( $V$ ). The scale is linear. White areas denote non-valid data.



**Fig. 66.** *R* photometry of the Southern Milky Way. The photometry is accompanied by a colour bar. Its left end corresponds to  $\sim 100 S_{10}$ . The brightness at the right end of the bar is  $2600 S_{10}$  units (*R*). The scale is linear. White areas denote non-valid data.

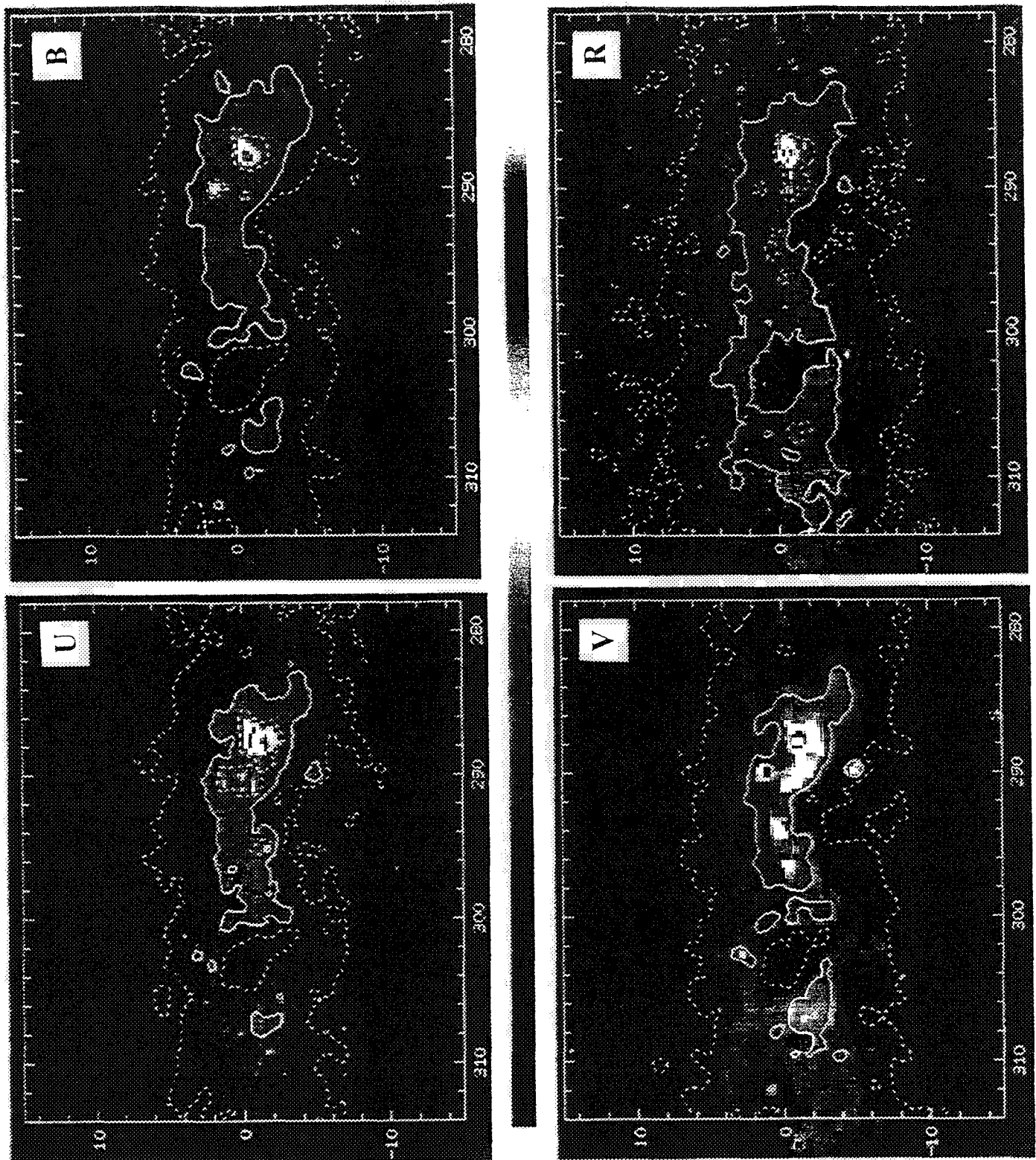


Fig. 67. Synopsis of the Carina-Coalsack region in  $U$ – $B$ – $V$ – $R$ . To facilitate comparison, the levels are adjusted for an optimal visualization. The  $S_{10}$ -isophotes in the sense of “outer broken line, continuous line and inner broken line” are (150, 250, 380) for  $U$ , (150, 230, 400) for  $B$ , (250, 500, 800) for  $V$ , and (1000, 1400, 1900) for  $R$ . The linear scale of the colour coding may be used for interpolation.

**Table 30.** Large scale surface photometries of the Milky Way in the visual/near visual spectral domain (in addition to those displayed as Figs 63– 67)

Spectral range	Approximate interval of galactic longitudes latitudes		Reference
<i>P, V</i>	0 ... 360°	–90 ... +90°	Elsässer & Haug (1960)
530 ± 15 nm	0 ... 360°	–20 .. +20°	Smith et al. (1970)
<i>U</i>	0 ... 360°*	–50... +50°*	Pfleiderer & Mayer (1971)
<i>B</i>	0 ... 360°*	–90... +90°*	Classen (1976)
710 ± 100 nm	Northern Milky Way		Zavarzin (1978)
440 ± 45 nm	0 ... 360°	–90 ... –55°	Weinberg (1981) <sup>+</sup>
640 ± 50 nm	0 ... 360°	–90 ... –55°	Weinberg (1981) <sup>+</sup>
356 ± 53 nm	41 ... 210°	–41 .. +41°	Winkler et al. (1981)
<i>B – R</i> = 440 nm – 640 nm	0 ... 360°	–15 .. +15°	Toller (1990) <sup>+</sup>
<i>B, V</i>	0 .. 360°	–90 ... +90°	Wicenec (1995) <sup>+</sup> , Wicenec & van Leeuwen (1995) <sup>+</sup>

\*as far as visible from about 30° southern geographical latitude,

<sup>+</sup>space experiments, included here for comparison, see a detailed presentation of Pioneer 10 results in Sect. 10.4.

Note: The earlier photometries by Elsässer and Haug and by Smith et al. are included here only for comparison. It is recommended to refer to the space-based photometries, to the Bochum photometries shown in Figs. 63–67 and to the later photometries of this table.

**Table 31.** Surface photometries covering smaller areas of the Milky Way

Spectral range	Approximate interval of galactic longitudes latitudes		Reference
<i>B</i>	295 ... 310°	–6 .. +5°	Mattila (1973)
<i>U</i>	–63 ... +30°	–30 ... +30°	Pröll (1980)
<i>U, B, V</i>	Scorpius		Hanner et al. (1978) <sup>a</sup>
<i>U, B, V</i>	selected scans		Leinert & Richter (1981) <sup>a</sup>
<i>U, B, V, R</i>	289 ... 316°	–15 ... +14°	Seidensticker et al. (1982)

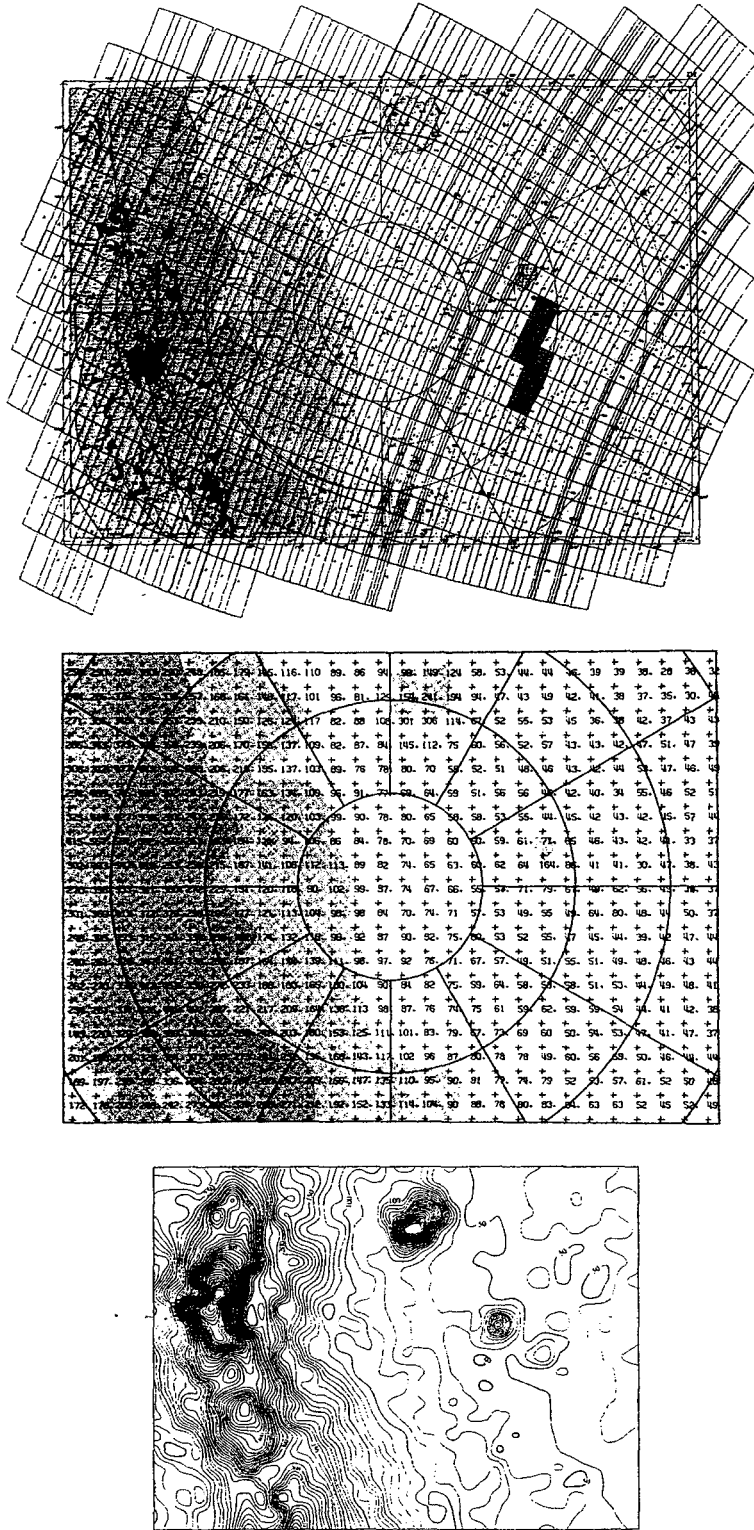
<sup>a</sup> space experiment, included here for comparison, since well-calibrated.

most of the sky (see Fig. 68) except for a region near the spin axis of the spacecraft (within 30° of the sun). Table 33 presents a log of observations with the Pioneer 10 IPP. A similar schedule was performed with the IPP on Pioneer 11, starting in April 1973. The combined data provide a higher spatial resolution than would have been possible to obtain with a single map or with observations from a single spacecraft (S/C). Further, Pioneer 11 obtained 12 additional maps between November 1981 and December 1982 to “fill in” the aforementioned sky gap regions.

The instantaneous field of view of each IPP was approximately 2.3° square. Brightness was integrated for 1/64<sup>th</sup> (one sector) of the 12.5 s spacecraft spin period, giving a maximum effective FOV of 2.3° × 7.9° when the telescope was perpendicular to the spin axis (LA = 90°). The spin axis was directed more or less toward the sun. By moving the IPP telescope in steps of 1.8° in look angle, the entire sky between 29° and 170° from the spin axis could be scanned. The spinning, sectoring and step-

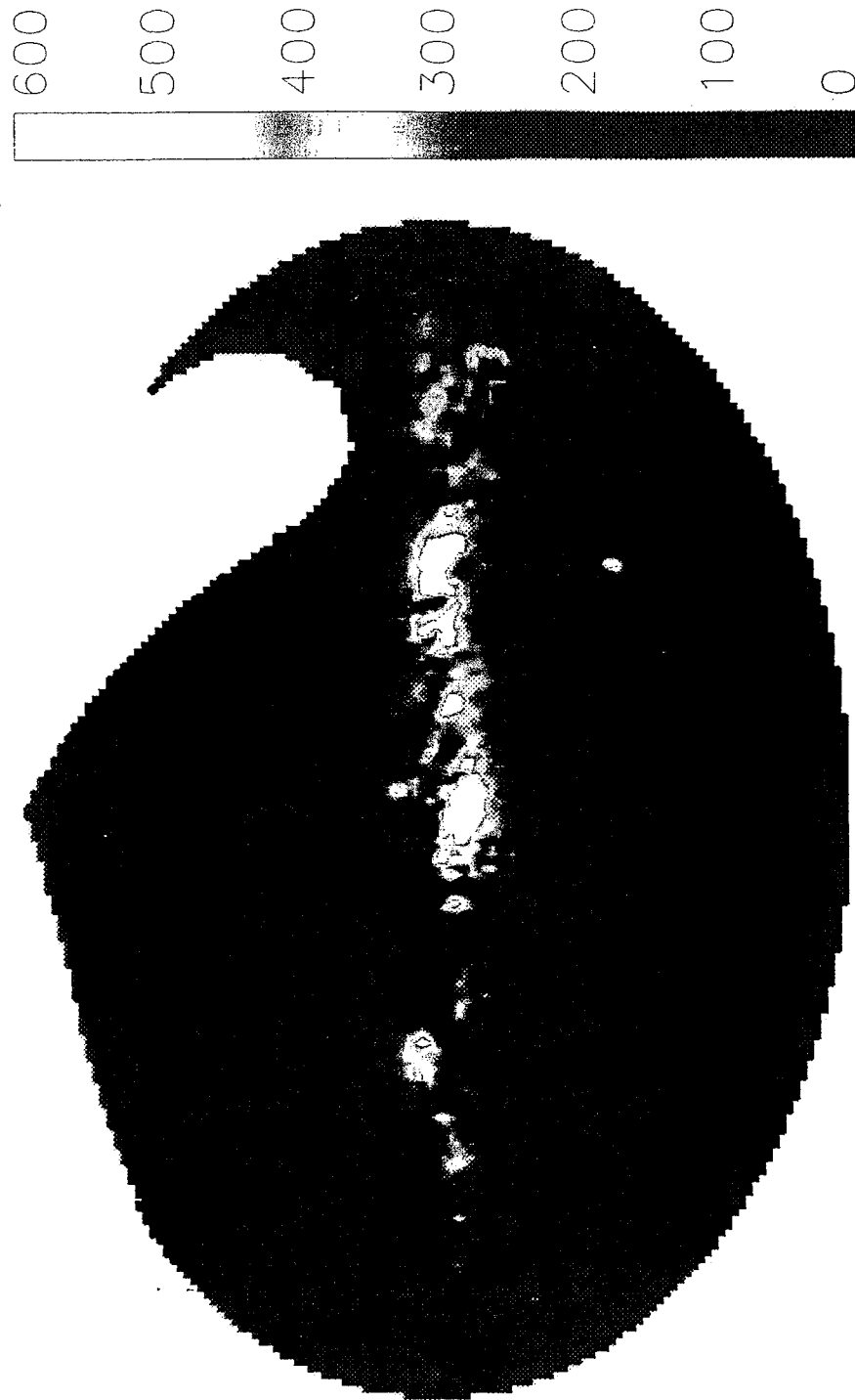
ping resulted in a two-dimensional overlapping pattern of FOV's on the sky for each map (see Fig. 68). Since the spin axis moved slowly on the celestial sphere according to the moving spacecraft position, most of the sky was eventually covered with a resolution better than the 1.8° roll-to-roll separation of FOV's in a single map.

The data reduction methodology is described in a User's Guide (Weinberg & Schuerman 1981) for the Pioneer 10 and Pioneer 11 IPP data archived at the National Space Science Data Center (NSSDC). Signals of bright stars were used to calibrate the decaying sensitivity of the IPP channels. Individually resolved stars, typically those brighter than 6.5 mag, were removed from the measured brightnesses on the basis of a custom made catalog containing 12457 stars. The absolute calibration was based on the instrument's response to Vega. Finally, the Pioneer 10 and 11 blue and red data were represented in *S*10<sub>0</sub> units. The result is a background sky tape, which, for the data beyond 2.8 AU, contains the



**Fig. 68.** Example for Pioneer data in the blue (440 nm), from a sky map observed beyond 3 AU. Upper panel: Map of the Becvar atlas showing part of the southern Milky Way and the Magellanic clouds, with the sectorized field-of-view of Pioneer 10 overlaid. Middle panel: Brightness values in S10<sub>⊙</sub> units interpolated from the individual sector brightnesses to a rectangular coordinate grid. Lower panel: Isocontour map constructed from this set of brightnesses





**Fig. 69.** Pioneer 10/11 blue sky map at 440 nm at  $0.5^\circ$  resolution, constructed from Pioneer 10 and Pioneer 11 maps taken at 3.26 AU to 5.15 AU heliocentric distance. The map is in Aitoff projection. The galactic center is at the center. From Gordon (1997)

**Table 32.** Comparison of the Bochum *UBVR* photometries (denoted as “X”) with other photometries

<i>U</i> passband	$(\lambda_{bi} = 352 \text{ nm}, W_\lambda = 51 \text{ nm}, \Delta\lambda = 97 \text{ nm})$		
	Leinert & Richter (1981)	=	$(0.97 \pm 0.18) \cdot X - (12 \pm 4)$
	Pröll (1980)	=	$(1.11 \pm 0.12) \cdot X$
	Pfleiderer & Mayer (1971)	=	$(0.84 \pm 0.02) \cdot X - (10 \pm 3)$
	Seidensticker et al. (1982)	=	$(1.19 \pm 0.03) \cdot X - (28 \pm 5)$
<i>B</i> passband	$(\lambda_{bi} = 421 \text{ nm}, W_\lambda = 80 \text{ nm}, \Delta\lambda = 141 \text{ nm})$		
	Classen (1976)	=	$(0.83 \pm 0.04) \cdot X + (23 \pm 5)$
	Leinert & Richter (1981)	=	$(0.93 \pm 0.08) \cdot X$
	Mattila (1973)	=	$(0.82 \pm 0.12) \cdot X + (31 \pm 23)$
	Seidensticker et al. (1982)	=	$(1.18 \pm 0.03) \cdot X + (16 \pm 3)$
	Toller (1990)	=	$(0.90) \cdot X + 25$
<i>V</i> passband	$(\lambda_{bi} = 530 \text{ nm}, W_\lambda = 94 \text{ nm}, \Delta\lambda = 159 \text{ nm})$		
	Dachs (1970)	=	$(1.03) \cdot X$
	Elsässer & Haug (1960)	=	$(0.64 \pm 0.13) \cdot X + (36 \pm 8)$
	Leinert & Richter (1981)	=	$(0.94) \cdot X$
	Seidensticker et al. (1982)	=	$(1.13 \pm 0.09) \cdot X - (88 \pm 14)$
<i>R</i> passband	$(\lambda_{bi} = 678 \text{ nm}, W_\lambda = 24 \text{ nm}, \Delta\lambda = 53 \text{ nm})$		
	Seidensticker et al. (1982)	=	$(1.09 \pm 0.04) \cdot X - (464 \pm 36)$

$\lambda_{bi}$  is the wavelength which bisects the recorded energy for this filter,  $W_\lambda$  the equivalent width and  $\Delta\lambda$  the total width of the passband

Please note: 1  $\sigma$  mean errors given only if data permit (multiplicative term) and/or mean differs by more than 1  $\sigma$  from zero (additive term).

The Bochum *UBVR* photometries are stored at the Strasbourg *Centre de Données Stellaires* (CDS) under <http://cdsweb.u-strasbg.fr/htbin/myqcat3?VII/199/>

integrated starlight, including the contribution from the diffuse galactic light. A more complete description of the reduction and use of the data is being prepared (Weinberg, Toller, and Gordon). The data can be accessed under <http://nssdc.gsfc.nasa.gov/>, following from there on the topics “Master catalog”, “Pioneer 10” and “Experiment information”.

The background sky data set can be addressed in a variety of ways, including overlaying the data on a sky atlas such as Becvar’s Atlas Coeli (1962), interpolating the posted data on an evenly spaced coordinate grid, and contouring the data. Each of these is shown in the three panels of Fig. 68, all covering the south celestial pole region, which includes low galactic latitude regions and both the Small and Large Magellanic Clouds. The map scale and magnitude limit of the Atlas Coeli make this atlas convenient for illustrating and manipulating Pioneer background sky data. The upper panel in Fig. 68 shows a single Pioneer 10 map’s pattern of FOV’s overlaid on the corresponding region of the Becvar atlas. The map shows the overlap in both look angle and sector (day 68 of year 1974, observed at  $R = 5.15$  AU). The middle panel shows the result of interpolating the data for six map days of observations in blue on an evenly spaced coordinate grid for

the same region of sky. We estimate that the random error in the numbers shown in the middle panel is 2 to 3  $S10_\odot$  units, and perhaps 5 units in the Milky Way and the Magellanic clouds. An isophote representation of the data (lower panel) is perhaps the most convenient way to present the data. The interval between isophotes is 5  $S10_\odot$  units. The spatial resolution was found to be approximately  $2^\circ$ . Regularly spaced grid values of Pioneer 10 blue and red brightnesses were determined in this manner for the entire sky, from which data were derived every two degrees both in galactic and equatorial coordinates. Part of these data are used in Tables 35 to 38 to depict Pioneer 10 blue and red data at  $10^\circ$  intervals in both coordinate systems. Pioneer 11 data showed no significant differences to Pioneer 10 data, so only Pioneer 10 data are discussed and shown here.

More recently, Gordon (1997) further analyzed Pioneer 10 and 11 data from beyond the asteroid belt. He also found no significant differences between the Pioneer 10 and 11 data. His grey scale presentation of the combined data with  $0.5^\circ$  spatial resolution is shown in an Aitoff projection in Fig. 69. The gap in this figure corresponds to that discussed earlier. Gordon did not have available those special data sets closing the gap.

Table 33. Log of cruise phase observations with the Pioneer 10 imaging photopolarimeter

Year	Calendar Date	Sun-S/C Distance (AU)	S/C Distance from ecliptic <sup>a</sup> (AU)	Heliocentric $\beta_{S/C}$ $\lambda_{S/C}$ (deg)		Usable LA <sup>b</sup> Range (deg)	Signal/ Noise
1972	Mar. 10	1.002	− 0065	−0.37	172.85	152–168	8.70
	11	1.004	−.0073	−0.41	174.12	135–167	4.15
	12	1.006	−.00805	−0.46	175.36	136–169	7.68
	14	1.011	− 0095	−0.54	177.63	128–169	7.00
	15	1.014	−.0103	−0.58	178.87	128–168	5.65
	16	1.017	− 01107	−0.62	180.07	128–169	4.93
	20	1.032	− 01428	−0.79	185.03	128–150	5.62
	22	1.040	−.01581	−0.87	187.37	128–168	5.00
	23	1.046	− 01677	−0.92	188.84	128–170	4.56
	29	1.075	−.02117	−1.13	195.47	128–169	6.43
	31	1.087	−.0227	−1.20	197.78	110–146	5.87
	Apr. 4	1.110	−.02554	−1.32	201.95	110–170	4.93
	10	1.150	−.02971	−1.48	207.98	91–159	4.12
	13	1.171	−.03165	−1.55	210.76	91–170	3.78
	17	1.201	− 03424	−1.63	214.39	91–166	3.15
	20	1.224	−.03613	−1.69	217.02	91–168	4.71
	27	1.281	−.04027	−1.80	222.68	86–103	4.09
	28	1.289	− 04086	−1.82	223.48	91–158	3.75
	May 5	1.349	−.04474	−1.90	228.64	46–168	11.46
	8	1.376	−.04632	−1.93	230.73	46–156	14.43
	17	1.453	− 05058	−1.99	236.23	46–170	13.87
	30	1.586	− 05694	−2.06	244.26	46–169	10.34
	June 7	1.652	−.05972	−2.07	247.70	46–169	8.90
	13	1.709	− 06196	−2.08	250.46	49–130	7.75
	20	1.774	−.06436	−2.08	253.40	42–067	7.96
	22	1.788	− 06485	−2.08	254.00	44–170	7.31
	27	1.841	−.06666	−2.08	256.21	91–130	4.21
						141–168	
	29	1.861	−.0673	−2.07	257.00	68–169	5.21
	July 21	2.062	− 07326	−2.04	264.32	128	3.87
	24	2.090	− 07399	−2.03	265.22	128	6.40
	27	2.117	− 07469	−2.02	266.11	128	4.34
	31	2.152	−.07557	−2.01	267.21	128	7.75
	Aug. 3	2.179	− 07622	−2.00	268.04	104–137	4.81
						160–170	
	10	2.241	− 07766	−1.99	269.87	128	5.00
	11	2.249	−.07784	−1.98	270.11	91–140	4.43
						158–170	
	16	2.294	− 07880	−1.97	271.36	91–168	6.31
	23	2.354	−.08005	−1.95	273.01	74–145	5.90
						167–170	
	30	2.413	−.08121	−1.93	274.58	76–158	4.03
	Sept. 5	2.467	− 08219	−1.91	275.94	76–166	5.09
	8	2.492	− 08263	−1.90	276.56	128–169	4.59
	26	2.640	−.085005	−1.85	280.07	76–105	
	27	2.641	−.08502	−1.84	280.09	76–150	7.34
	Oct. 10	2.750	−.08652	−1.80	282.50	49–79	5.15
	Oct. 18	2.812	−.08728	−1.78	283.81	(42–68)*	4.78
						(77–163)*	
	19	2.821	− 08739	−1.78	283.99	(91–157)*	4.71
	Nov. 4	2.939	−.08865	−1.73	286.37	42–161	4.93
	19	3.056	−.08969	−1.68	288.63	43–173	2.62
	Dec. 4	3.163	− 09046	−1.64	290.61	42–170	2.90
	19	3.269	−.09104	−1.60	292.47	40–170	5.15

Table 33. continued

Year	Calendar Date	Sun-S/C Distance (AU)	S/C Distance from ecliptic <sup>a</sup> (AU)	Heliocentric $\beta_{S/C}$ $\lambda_{S/C}$ (deg)		Usable LA <sup>b</sup> Range (deg)	Signal/ Noise
1973	Jan. 5	3.384	− 09150	−1.55	294.44	38–115	3.50
	8	3.404	−.09155	−1.54	294.77	109–163	2.71
	Feb 1	3.560	−.09180	−1.48	297.32	67–144	4.96
	13	3.805	− 09146	−1.38	301.10	(152–170)*	5.59
	Mar. 3	3.927	− 09095	−1.33	302.92	128–137	4.21
						148–170	
	28	4.065	−.09009	−1.27	304.92	91–128	6.68
						154–170	
	May 29	4.226	−.08868	−1.20	307.21	38–170	6.71
	June 7	4.273	−.08818	−1.18	307.88	91–121	6.59
	Aug. 4	4.545	− 08449	−1.07	311.66	91–170	5.53
	6	4.553	−.08434	−1.06	311.78	38– 94	4.96
	25	4.636	−.08289	−1.02	312.92	38–145	6.31
	Oct. 6	4.812	−.07924	−0.94	315.34	38–148	5.12
						164–169	
1974	26	4.892	−.07730	−0.91	316.41	38–115	5.53
						128–170	
	Jan 21	5.084	−.03264	−0.36	325.43	38–170	4.18
	Mar. 9	5.152	−.00128	0.00	332.08	38–170	4.15
	Apr. 21	5.253	+ .03021	+0.33	338.05	38–109	4.06
	22	5.254	+ .03033	+0.33	338.07	111–170	4.46
	June 25	5.466	+ 07531	+0.79	346.36	40–152	4.34
						168–170	
1975	Aug. 31	5.748	+ .12004	+1.20	354.15	38–170	5.18
	Oct. 28	6.042	+ .15838	+1.50	0.31	38–168	12.40
	Jan. 28	6.576	+ .21749	+1.90	8.83	47– 77	3.90
						100	
	Mar. 28	6.953	+ .25429	+2.10	13.57	147–167	
						42–91	3.09
	May 21	7.137	+ .28729	+2.25	17.47	103–170	
	30	7.378	+ .29265	+2.27	18.07	109–170	4.81
1976						37–114	4.46
						124–132	
	July 27	7.787	+ 32721	+2.41	21.77	143–170	
	Sept. 30	8.261	+ .36524	+2.53	25.49	46–152	4.21
	Nov. 28	8.704	+ 39919	+2.63	28.53	35–168	5.25
						35– 68	3.06
						94–109	
						122–126	
1976	Jan. 30	9.182	+ .43440	+2.71	31.41	135–169	
						42–127	2.40
						135–170	

<sup>a</sup>positive values mean a location of the spacecraft north of the ecliptic plane.

<sup>b</sup>LA = look angle = angle measured from the spin axis.

\*Approximately 1/2 of the data are lost due to low data rate and other factors

From the Pioneer data, blue and red brightnesses at the celestial, ecliptic and galactic poles were derived from isophote maps of the polar regions like the one shown for the south celestial pole in Fig. 68. They are compared with other photometric data and with star counts in Table 34. There is fair agreement among the photometries. However, because of the lack of atmospheric and interplanetary sig-

nals in the Pioneer data, these data should be preferred over the other photometries when determining the level of galactic light in a certain region. Generally the photometries are at higher levels than the star counts, as one would expect, since the photometries contain the contributions of diffuse galactic light (Sect. 11) and extragalactic background light (Sect. 12). Equal numbers for the bright-

**Table 34.** Brightnesses of background starlight and integrated starlight at the north and south celestial, ecliptic, and galactic poles (in  $S10_{\odot}$  units). Stars with  $m_V < 6.5$  excluded. Adapted from Toller et al. (1987)

Effective Wavelength (Å)	<i>U</i>	<i>V</i>	4407	<i>B</i>	4280	4300	<i>B</i>	p g. 4250	<i>B</i> 4400	Palomar Blue 4150	Palomar Red 6440	6419
Investigation (Year)	Hoffmann et al. 1997		Pioneer 10 (1978)	Elsässer & Haug (1960)	Lillie (1968)	Classen (1976)	Kimeswenger et al 1993	Roach & Megill (1961)	Sharov & Lipaeva (1973)	Tanabe (1973)	Tanabe (1973)	Pioneer 10 (1978)
Method	Photometries						Star counts				Photometry	
NCP			56	<95	56			48	37	48	76	77
NEP			66	<95	98			52	50	66	76	82
NGP			29		27	22		24	21	26	41	31
SCP	52	86	74	<95		58	55	56	41			94
SEP	61	106	128	124		87	67	50	39			125
SGP	26		33	27	28	23	53	79	36			

nesses in the blue and the red shown in Table 34 would mean that the galactic component of the night sky brightness has solar colour. The Pioneer data show a reddening at the poles, and this reddening appears all over the sky (see Tables 35–38). Details can be found in Toller (1981) and Toller (1990).

Pioneer blue data are compared in Fig. 70 to star counts and some earthbased photometric observations along four cuts through the Milky Way at different galactic longitudes. Generally, Classen's (1976) results agree quite well with the Pioneer data, also at high galactic latitudes, except at  $l = 30^\circ$  and at middle latitudes where they are much lower, possibly from errors in the difficult corrections for airglow and atmospheric extinction, since her observations of this region had to be made near the horizon (from South Africa). Generally speaking, all ground-based data sets suffer from the presence of airglow continuum and some from line emission (see Sect. 6) in the instrument's spectral band (see Weinberg & Mann 1967). However, ground-based photometries may offer better spatial resolution, like the Bochum Milky Way photometries presented in Sect. 10.3 above, and these particular photometries also give realistic absolute brightness values, as judged from their good agreement with the Helios *U*, *B*, *V* photometry.

### 10.5. Near- and mid-infrared

Maps of the starlight distribution in the infrared are difficult to obtain. There are currently no sensitive, all-sky surveys of stars in the infrared, though the ground-based 2MASS and DENIS programs will provide that in the next several years. Extracting starlight maps from diffuse sky brightness measurements is challenging because of the need to separate the various contributions to the measured light. The COBE/DIRBE team has developed a detailed zodiacal light model which allows such a separation, at least in the near-infrared.

An all-sky image dominated by the stellar light of the Galaxy is presented in Fig. 71. The map was prepared by averaging 10 months of DIRBE data at  $2.2 \mu\text{m}$  wavelength after removal of the time-dependent signal from solar-system dust via a zodiacal light model. The remaining sky brightness at this wavelength is dominated by the cumulative light from K and M giants (Arendt et al. 1994), though individual bright sources can be detected at a level of about 15 Jy above the local background in unconfused regions. Although this map also contains small contributions from starlight scattered by interstellar dust (cirrus) and any extragalactic emission, these contributions are much smaller than that from stars. No extinction correction has been applied to the map in Fig. 71; Arendt et al. (1994) found  $2.2 \mu\text{m}$  optical depths greater than 1 within  $\approx 3^\circ$  of the Galactic plane for directions toward the inner Galaxy and bulge ( $|l| < 70^\circ$ ). Arendt et al. used the multi-wavelength DIRBE maps to construct an extinction-corrected map over the central part of the Milky Way.

The typical appearance of the galactic stellar emission in the infrared the Milky Way is apparent in Fig. 71: because the interstellar extinction is much reduced in the infrared, this internal view of our Galaxy looks like a galaxy seen edge-on from the outside. Bulge and disk are clearly visible and separated. This appearance shows at all near-infrared wavelengths (see Fig. 72).

To look at the starlight distribution over a broader spectral range, it is useful to concentrate on the low Galactic-latitude region. Figure 72 presents DIRBE maps of this region at  $1.25 \mu\text{m}$ ,  $2.2 \mu\text{m}$ ,  $3.5 \mu\text{m}$  and  $4.9 \mu\text{m}$ , each with the zodiacal light removed using the DIRBE zodiacal light model. Since starlight is the dominant source at low latitudes over this spectral range, these maps are a good approximation to the infrared stellar light, with extinction of course decreasing as wavelength increases. Corresponding maps at 12 microns and longer are not shown, because at these wavelengths

Table 35. Pioneer 10 background starlight in blue (440 nm), given in galactic coordinates and  $S10_{\odot}$  units. From Toller (1981)

l (°)	galactic latitude b																								
	-80	-70	-60	-50	-40	-30	-24	-20	-16	-12	-8	-4	0	4	8	12	16	20	24	30	40	50	60	70	80
0	34	32	39	45	56	78	99	120	190	323	484	569	290	147	164	169	97	85	92	68	47	44	37	36	29
10	32	28	41	48	68	87	111	133	176	204	283	371	275	210	222	142	84	68	72	63	56	43	38	40	27
20	30	33	41	49	53	76	96	124	176	221	224	223	182	111	77	81	75	71	68	71	50	44	36	32	29
30	32	35	39	43	57	77	89	105	123	143	172	172	100	87	107	167	121	102	85	66	53	32	30	31	30
40	29	39	37	47	63	80	90	101	111	145	180	186	122	186	209	163	125	104	86	63	50	41	32	33	28
50	33	32	35	49	56	88	88	124	131	186	219	256	151	169	175	155	133	102	90	67	44	38	33	27	27
60	35	32	41	39	57	68	91	105	142	187	237	244	187	220	223	170	130	99	84	74	52	39	33	29	27
70	31	34	46	46	63	71	84	94	112	162	198	210	275	342	242	174	144	114	85	72	48	39	30	30	30
80	28	35	36	41	46	64	81	103	113	163	230	231	219	216	220	169	139	95	80	61	41	35	36	33	31
90	34	31	33	43	48	60	87	105	109	148	186	262	221	156	195	160	126	94	86	66	49	27	39	31	32
100	31	24	35	39	48	65	80	93	120	151	235	326	247	160	140	116	98	83	73	73	47	40	40	30	35
110	26	34	35	37	44	73	74	95	125	157	205	224	177	153	136	124	84	74	75	61	44	39	34	28	31
120	26	33	32	36	48	53	83	108	114	158	191	215	199	124	111	115	104	86	79	57	44	33	34	24	28
130	30	30	34	41	45	67	84	97	124	144	182	223	174	136	96	95	89	90	73	61	41	37	35	27	29
140	27	30	35	45	41	64	78	95	116	129	150	133	132	138	96	91	101	92	70	60	51	37	33	28	30
150	26	36	35	42	46	57	81	78	115	135	150	119	125	108	102	84	95	79	72	58	41	45	31	30	29
160	27	33	43	40	47	60	69	84	73	104	99	120	148	166	133	107	93	97	75	61	44	37	32	35	28
170	30	32	34	44	46	61	77	79	60	63	77	108	195	171	142	129	99	87	81	56	51	44	40	35	29
180	33	32	36	40	51	67	67	53	73	103	84	128	180	182	147	134	105	89	77	62	51	-	45	35	31
190	32	32	34	45	50	65	77	90	105	117	146	190	182	191	184	146	100	92	81	-	-	-	42	36	30
200	28	30	31	42	56	70	97	119	130	139	156	221	209	199	186	154	112	100	-	-	-	-	45	36	29
210	26	30	30	39	48	74	122	122	141	130	188	182	251	222	189	149	125	-	-	-	-	-	49	36	29
220	26	32	33	43	52	69	91	109	121	144	185	229	278	263	186	149	-	-	-	-	-	-	57	40	31
230	27	30	36	38	46	57	79	109	131	208	254	255	272	261	193	143	-	-	-	-	-	-	72	53	42
240	27	26	37	38	42	63	91	106	139	169	202	282	342	274	197	147	-	-	-	-	65	63	52	42	31
250	27	26	38	40	47	66	86	101	136	163	208	219	302	294	202	126	99	86	80	61	53	53	45	43	31
260	28	33	33	41	52	85	113	115	143	197	288	258	239	207	169	131	111	87	75	72	56	45	55	43	30
270	29	29	38	40	55	81	95	119	146	169	239	246	177	181	181	142	111	93	73	61	51	46	39	35	30
280	28	26	42	39	58	213	87	116	128	194	276	369	338	280	204	144	131	90	82	64	49	44	42	36	30
290	29	25	45	44	55	68	94	107	140	197	258	351	634	441	227	159	114	95	84	64	51	41	39	40	31
300	29	32	42	43	68	73	94	103	112	156	246	323	354	356	238	173	145	93	80	62	47	42	32	35	33
310	25	29	40	50	58	78	97	116	166	196	239	376	446	337	192	208	174	117	95	67	57	50	38	35	29
320	25	29	38	48	62	74	103	135	176	242	292	306	248	251	197	175	141	122	95	74	52	64	35	30	25
330	28	31	35	38	59	85	101	130	176	234	309	407	314	279	247	209	172	125	99	80	48	46	34	32	25
340	28	34	36	45	61	81	108	133	180	228	320	270	289	151	127	158	121	113	87	73	47	46	38	32	29
350	30	35	32	51	58	82	114	156	204	281	379	318	278	251	208	182	168	146	106	76	48	42	37	33	31



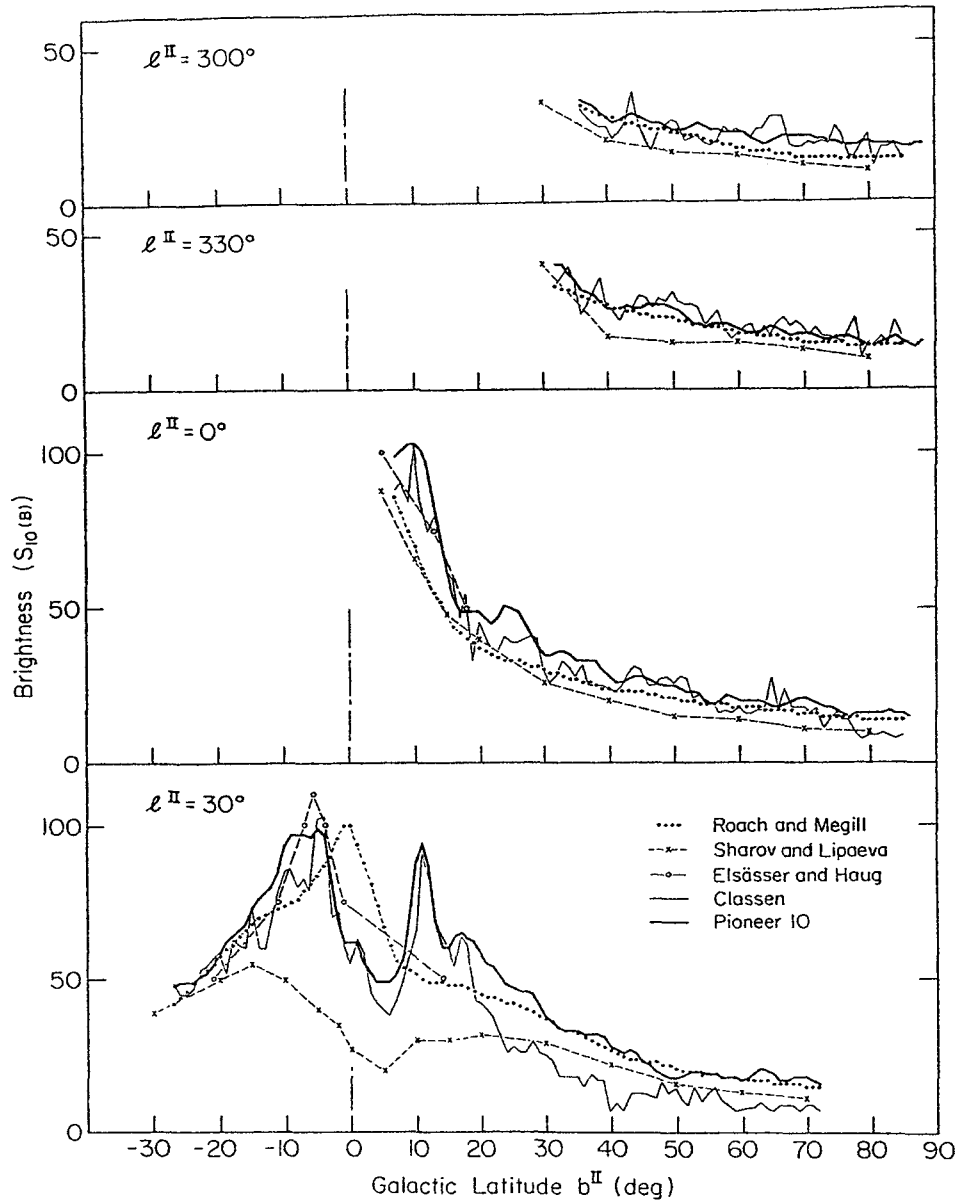
Table 37. Pioneer 10 background starlight in blue (440 nm), in equatorial coordinates and  $S10_{\odot}$  units. From Toller (1981)

$\alpha$	declination $\delta$																								
	-80	-70	-60	-50	-40	-30	-24	-20	-16	-12	-8	-4	0	4	8	12	16	20	24	30	40	50	60	70	80
0	53	49	44	38	36	32	28	30	25	34	34	33	36	43	39	41	41	49	51	67	93	166	234	112	96
10	55	61	36	33	30	29	30	26	25	26	34	32	32	33	36	36	39	44	46	58	94	145	208	121	92
20	61	56	47	39	30	26	30	29	35	35	35	34	34	37	38	39	43	46	49	60	88	140	192	121	90
30	62	42	47	42	32	27	34	28	33	34	32	39	37	37	43	40	45	46	54	64	85	153	202	98	88
40	57	48	39	36	31	31	33	35	34	36	36	41	43	41	40	44	47	51	52	67	113	145	167	101	82
50	54	49	44	36	35	35	34	35	38	40	43	43	51	44	44	51	55	58	67	67	115	128	143	98	87
60	58	59	42	42	38	40	41	46	40	49	53	54	60	59	58	71	64	73	82	83	96	136	122	96	92
70	68	108	56	49	47	46	54	52	50	62	72	69	76	83	76	73	67	72	65	66	131	108	104	102	88
80	73	319	60	61	50	52	68	71	86	94	126	134	117	115	111	116	113	124	87	121	195	134	84	94	76
90	75	204	77	94	76	84	96	112	119	114	125	126	132	139	167	200	192	185	196	184	143	116	82	82	68
100	79	79	96	110	121	150	164	240	241	221	194	227	223	240	217	213	190	192	174	165	118	91	87	75	65
110	85	86	120	143	159	277	286	299	261	254	262	247	208	180	160	139	129	116	111	97	76	80	66	60	61
120	94	124	161	233	239	320	290	245	206	170	144	146	145	143	131	-	-	-	-	75	62	48	54	60	58
130	93	160	209	263	226	211	146	123	120	-	-	-	-	-	-	-	-	-	-	-	53	50	45	56	57
140	99	192	313	214	183	125	102	84	86	71	69	-	-	-	-	-	-	-	-	-	-	45	40	51	57
150	110	194	433	255	141	91	73	72	75	59	56	59	63	61	67	-	-	-	-	-	-	48	42	48	51
160	109	205	718	197	121	75	60	56	53	57	47	51	51	55	59	68	66	57	50	45	46	39	43	39	46
170	108	226	573	176	102	65	63	56	44	46	46	45	52	55	53	49	50	44	40	36	36	33	44	40	50
180	114	269	459	173	91	61	52	52	44	46	44	46	41	42	36	41	39	29	32	30	30	36	33	40	51
190	116	264	252	163	88	61	53	47	45	43	41	40	28	36	37	35	32	32	32	25	30	26	36	43	50
200	115	286	385	184	101	58	56	51	53	56	48	39	34	37	31	29	34	31	26	27	31	28	33	39	46
210	121	243	384	182	115	76	56	54	49	47	45	36	36	36	35	33	37	36	30	28	33	42	33	41	45
220	126	241	331	189	136	86	73	63	54	49	50	42	42	36	39	40	29	36	34	28	31	34	36	41	49
230	122	245	321	295	161	88	83	70	71	60	51	48	49	43	42	42	39	34	40	31	36	35	42	43	50
240	114	217	350	211	143	148	140	110	75	71	65	61	56	52	48	54	44	44	41	37	40	41	42	51	48
250	104	182	278	312	247	204	142	88	84	74	72	68	73	70	63	59	58	59	52	45	53	42	50	55	52
260	95	140	216	321	291	248	145	180	165	98	76	65	78	84	88	82	81	71	68	63	58	56	53	62	57
270	90	125	158	217	438	641	330	235	214	122	88	85	133	160	129	121	114	114	97	97	80	72	63	76	61
280	85	95	115	159	195	274	241	287	269	220	215	136	103	142	217	209	159	152	147	139	122	81	83	71	67
290	81	91	89	100	102	143	164	192	187	171	166	147	184	199	190	145	143	136	186	270	194	134	94	77	76
300	79	80	72	79	80	94	86	92	102	99	113	99	125	158	188	228	248	269	198	264	307	191	126	83	80
310	73	80	69	59	60	71	66	74	79	71	84	82	86	103	116	122	135	168	188	202	214	189	130	93	79
320	70	63	56	55	46	55	58	56	59	63	63	61	66	74	78	78	93	91	104	141	212	213	151	116	82
330	63	62	49	48	41	45	49	44	47	42	52	54	60	53	57	63	66	73	82	102	144	301	171	126	89
340	55	55	41	39	39	38	39	37	43	43	43	39	47	54	48	47	55	57	64	86	130	233	162	131	92
350	55	46	44	32	34	32	38	35	38	39	37	42	40	43	42	38	52	54	61	67	95	169	174	114	95



Table 38. Pioneer 10 background starlight in red (640 nm), in equatorial coordinates and  $S10_{\odot}$  units. From Toller (1981)

$\alpha$ ( $^{\circ}$ )	declination $\delta$																70	80							
	-80	-70	-60	-50	-40	-30	-24	-20	-16	-12	-8	-4	0	4	8	12			16	20	24	30	40	50	60
0	68	55	55	56	49	35	39	40	38	42	49	46	50	56	43	51	59	56	61	71	116	192	284	162	124
10	74	74	42	38	36	35	34	43	39	34	44	45	35	48	47	51	55	52	63	64	108	181	261	185	121
20	78	67	51	44	40	31	36	40	39	39	43	38	32	53	45	40	56	58	67	79	99	158	250	176	106
30	78	53	48	44	39	38	34	46	45	41	40	51	43	47	64	56	61	56	66	82	97	187	265	157	110
40	73	69	49	42	36	36	45	42	40	44	45	48	53	49	59	54	61	62	60	74	116	177	240	150	109
50	72	63	56	41	48	50	44	41	44	51	49	56	60	59	61	70	74	79	78	85	141	168	205	140	111
60	77	71	53	52	48	50	51	52	52	57	60	68	68	73	88	85	82	90	103	108	133	183	175	128	117
70	81	90	72	62	54	58	66	64	64	74	76	75	87	82	93	95	112	122	102	104	189	164	161	137	103
80	81	341	64	72	64	63	80	84	98	115	134	131	136	135	135	125	146	143	130	179	214	184	125	115	85
90	88	226	88	93	83	90	117	123	138	147	155	158	174	174	220	238	258	218	246	227	169	137	112	91	83
100	98	107	114	116	135	176	193	248	240	248	225	253	273	280	284	263	229	233	207	210	145	119	108	77	84
110	102	111	141	182	218	315	331	321	297	312	295	267	225	206	182	184	165	135	138	105	108	93	81	73	77
120	110	141	176	275	308	385	327	288	249	200	166	178	173	167	155	-	-	-	-	105	75	63	75	79	73
130	113	142	224	337	278	274	201	156	137	-	-	-	-	-	-	-	-	-	-	-	77	52	57	74	70
140	119	206	372	294	239	175	114	116	126	109	101	-	-	-	-	-	-	-	-	-	-	53	57	80	65
150	116	244	490	334	193	120	104	85	72	68	65	65	66	67	68	-	-	-	-	-	-	52	55	57	55
160	116	265	846	250	156	100	75	74	62	65	57	68	71	71	65	62	59	60	58	55	52	46	52	46	49
170	141	308	744	229	116	88	76	59	63	61	56	52	55	60	68	66	58	52	52	50	60	36	51	54	52
180	145	340	632	230	99	78	61	61	57	58	54	56	54	54	41	47	50	31	45	38	37	43	45	38	52
190	137	335	450	214	120	72	67	59	63	54	51	42	43	55	45	41	41	36	41	33	37	35	42	50	51
200	145	410	565	262	115	91	77	59	53	58	51	49	44	48	40	34	39	42	38	38	34	37	45	50	58
210	154	351	516	256	144	95	73	68	66	71	58	52	47	50	49	44	47	44	40	40	40	43	43	48	59
220	153	337	559	284	173	102	87	81	80	77	54	53	58	48	53	47	42	47	54	38	35	44	40	54	61
230	156	310	538	481	249	134	110	88	97	79	77	62	71	69	54	50	52	43	46	41	55	44	49	61	69
240	146	262	537	357	242	200	152	137	106	101	82	83	77	77	64	64	54	54	55	53	47	51	53	60	68
250	128	213	373	571	485	366	217	145	141	145	108	110	101	89	87	79	75	68	67	59	57	59	56	65	71
260	127	190	284	494	550	571	344	356	301	172	144	119	136	120	123	119	116	90	85	89	81	66	64	78	75
270	115	155	205	284	626	1393	649	498	474	261	199	162	204	225	201	166	157	148	132	120	94	96	73	82	76
280	101	106	150	191	262	461	481	534	542	515	509	343	210	254	382	341	237	218	206	176	145	111	96	91	81
290	103	113	129	135	141	183	211	246	272	274	260	257	331	366	374	271	283	250	327	387	228	168	117	90	89
300	102	107	93	99	112	112	117	134	144	143	162	149	178	215	237	323	366	407	316	421	403	245	163	102	93
310	93	88	78	80	77	81	89	85	89	91	91	109	128	138	145	174	168	227	240	288	280	292	187	133	94
320	87	81	72	65	64	73	70	73	72	77	100	75	85	93	109	107	131	119	153	192	279	286	225	136	105
330	75	76	56	54	60	42	66	60	56	67	67	63	81	78	78	103	85	93	105	142	188	364	259	167	119
340	66	69	57	52	51	53	43	48	58	64	57	47	49	67	65	58	63	76	76	97	171	268	241	178	122
350	64	66	59	43	46	56	48	49	43	50	44	47	62	48	55	59	61	69	72	84	104	203	256	166	119



**Fig. 70.** Comparison of Pioneer 10 data for cuts through the Milky Way at different longitudes with the results of other investigations. Note that the ordinate is in  $S_{10}(B)$  units. The numbers given in Table 35, which are given in  $S_{10\odot}$  units, are therefore larger by a factor corresponding to the solar  $B - V$  value (compare Table 2)

interplanetary dust emission becomes the dominant contributor to sky brightness, and artifacts from imperfect removal of the zodiacal emission become more serious, as does the contribution from cirrus cloud emission. More elaborate modeling would be required to extract the stellar component of the sky brightness at these wavelengths. Figure 73 shows two sets of representative intensity profiles taken from the  $1.25 \mu\text{m} - 4.9 \mu\text{m}$  approximate “starlight” maps the first set on a constant-latitude line near the Galactic plane and the second along the zero-longitude meridian. Full-sky DIRBE maps at  $1.25 \mu\text{m}$ ,  $2.2 \mu\text{m}$ ,  $3.5 \mu\text{m}$ ,  $4.9 \mu\text{m}$ ,  $12 \mu\text{m}$ ,  $25 \mu\text{m}$ ,  $60 \mu\text{m}$ ,  $100 \mu\text{m}$ ,

$140 \mu\text{m}$ , and  $240 \mu\text{m}$  with the zodiacal light removed, from which these approximate starlight maps have been selected, are available as the “Zodi-Subtracted Mission Average (ZSMA)” COBE data product, available from the NSSDC through the COBE homepage website at [http://www.gsfc.nasa.gov/astro/cobe/cobe\\_home.html](http://www.gsfc.nasa.gov/astro/cobe/cobe_home.html).

Model predictions for the integrated starlight, based on the galaxy model of Bahcall & Soneira (1980), were given for the near- and mid-infrared as function of the brightness of the individually excluded stars by Franceschini et al. (1991b). Figures 74 and 75 show these results for wavelengths of  $1.2 \mu\text{m}$ ,  $2.2 \mu\text{m}$ ,  $3.6 \mu\text{m}$ , and  $12 \mu\text{m}$ .

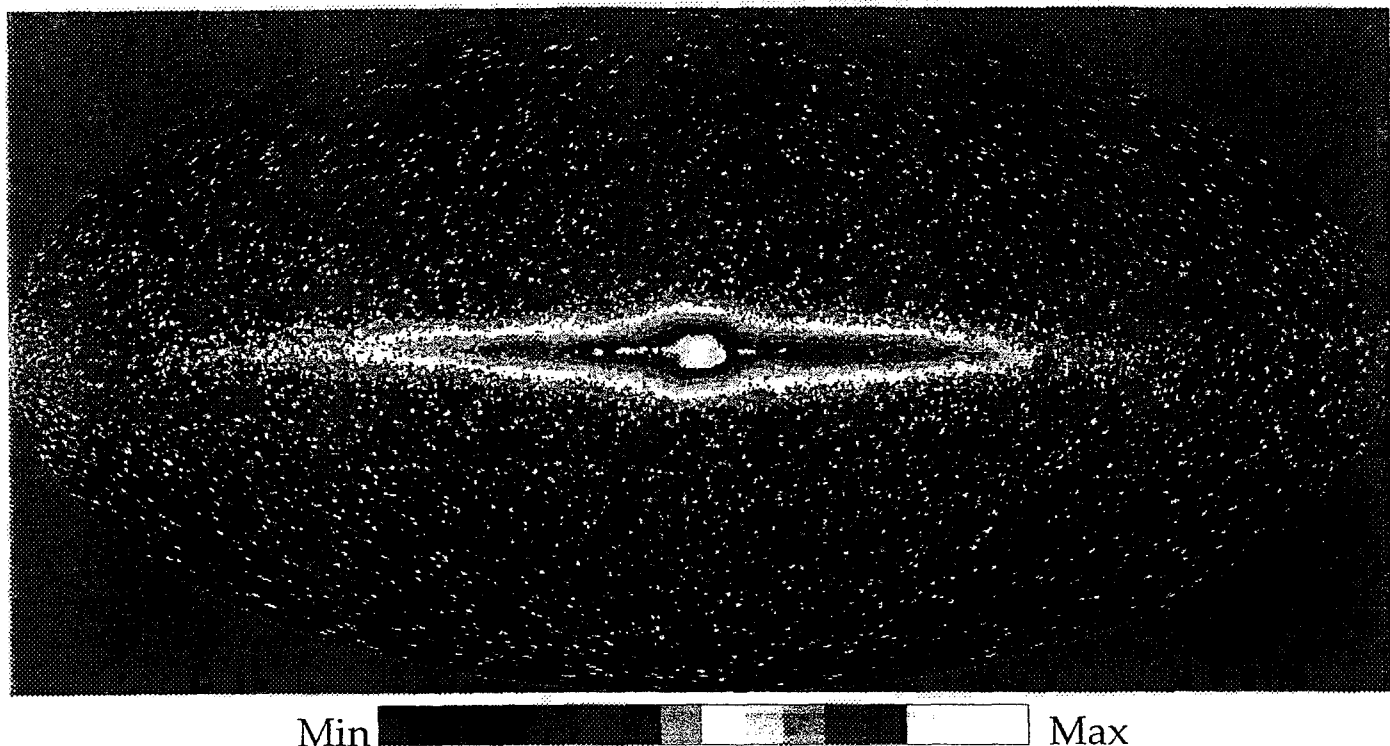
2.2  $\mu\text{m}$ 

Fig. 71. DIRBE map of sky brightness at 2.2 microns in galactic coordinates, with zodiacal light removed. North is up, the galactic center in the middle, and galactic longitude increasing from right to left. This map is dominated by galactic starlight. No extinction correction has been made. Intensities are provided at 16 levels on a logarithmic scale ranging from 0.04 to 32 MJy/sr. In detail these levels are: 0.040, 0.062, 0.097, 0.15, 0.24, 0.37, 0.57, 0.90, 1.40, 2.19, 3.41, 5.33, 8.32, 12.98, 20.26, and 31.62 MJy/sr.

## 11. Diffuse galactic light

### 11.1 Overview

Historically, the term Diffuse Galactic Light (DGL) denotes the diffuse component of the galactic background radiation which is produced by scattering of stellar photons by dust grains in interstellar space (Elvey & Roach 1937, Roach & Gordon 1973). This scattering process is the dominant contributor to the general interstellar extinction of starlight; thus, the DGL is most intense in directions where the dust column density and the integrated stellar emissivity are both high. This is generally the case at the lowest galactic latitudes, in all spectral regions extending from the far-ultraviolet into the near-infrared. Typically, the DGL contributes between 20% to 30% of the total integrated light from the Milky Way.

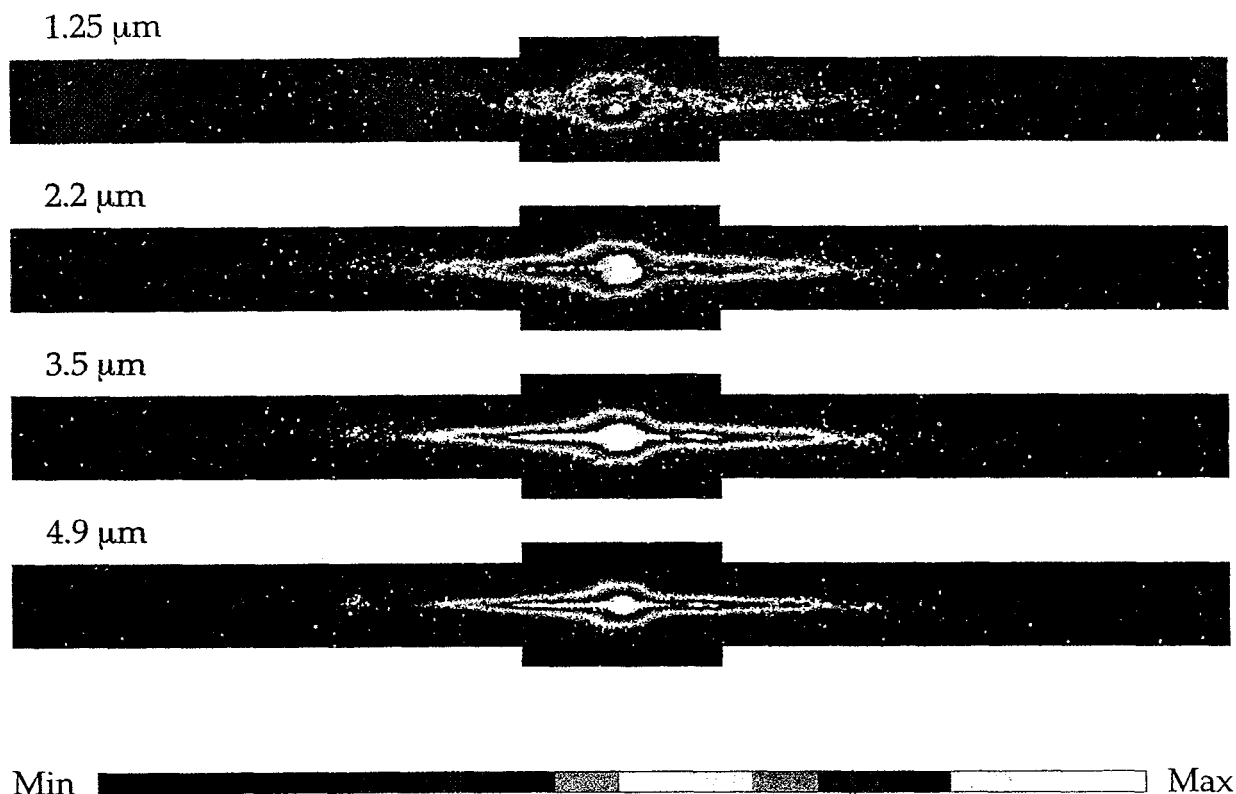
However, for the purpose of this reference we are also interested in other sources of diffuse galactic background radiation, and they will be mentioned in the following where appropriate.

### 11.2 Visual

No comprehensive map of the DGL for the entire sky or even a significant fraction of the sky exists at this time. Groundbased observations in the visual face the difficult requirement that airglow, zodiacal light, and integrated starlight all need to be known to very high precision ( $\pm 1 S_{10}(V)$ ) if the DGL is to be derived by subtraction of the above components from the total sky brightness. In addition, the problems of atmospheric extinction and atmospheric scattering (Stande 1975) need to be solved.

Observations of the DGL at visual wavelengths carried out with rocket- or satellite-borne photometers still have the same major sources of uncertainty, i.e. the integrated starlight and the zodiacal light, remain principal contributors to the measured intensity.

The best prospect for a *comprehensive* measurement of the DGL in the visual was offered by the Pioneer 10 probe (see the more detailed description in Sect. 10.4), which carried out an all-sky photometric mapping in two wavebands centered near 440 nm and 640 nm from beyond the asteroid belt ( $R > 3$  AU), where the contributions



**Fig. 72.** DIRBE maps of sky brightness at 1.25, 2.2, 3.5, and 4.9  $\mu\text{m}$  at low Galactic latitudes ( $|b| \leq 15^\circ$  within 30 degrees of Galactic center, and  $|b| \leq 10^\circ$  elsewhere). Zodiacal light has been removed. North is up, and galactic longitude is increasing from right to left. These maps are generally dominated by Galactic starlight. No extinction correction has been made. Intensities are provided at 16 levels on logarithmic scales ranging from 0.6 to 25 MJy/sr (1.25  $\mu\text{m}$  and 2.2  $\mu\text{m}$ ), 0.4 to 16 MJy/sr (3.5  $\mu\text{m}$ ), and 0.3 to 12.5 MJy/sr (4.9  $\mu\text{m}$ ). In detail these levels are: 0.63, 0.81, 1.03, 1.32, 1.69, 2.15, 2.75, 3.52, 4.50, 5.75, 7.36, 9.40, 12.02, 15.37, 19.65, and 25.12 MJy/sr at 1.25  $\mu\text{m}$  and 2.2  $\mu\text{m}$ ; 0.40, 0.51, 0.65, 0.83, 1.06, 1.36, 1.74, 2.22, 2.84, 3.63, 4.64, 5.93, 7.59, 9.70, 12.40, and 15.85 MJy/sr at 3.5  $\mu\text{m}$ ; 0.32, 0.40, 0.52, 0.66, 0.84, 1.08, 1.38, 1.76, 2.26, 2.88, 3.69, 4.71, 6.03, 7.70, 9.85, and 12.59 MJy/sr at 4.9  $\mu\text{m}$ .

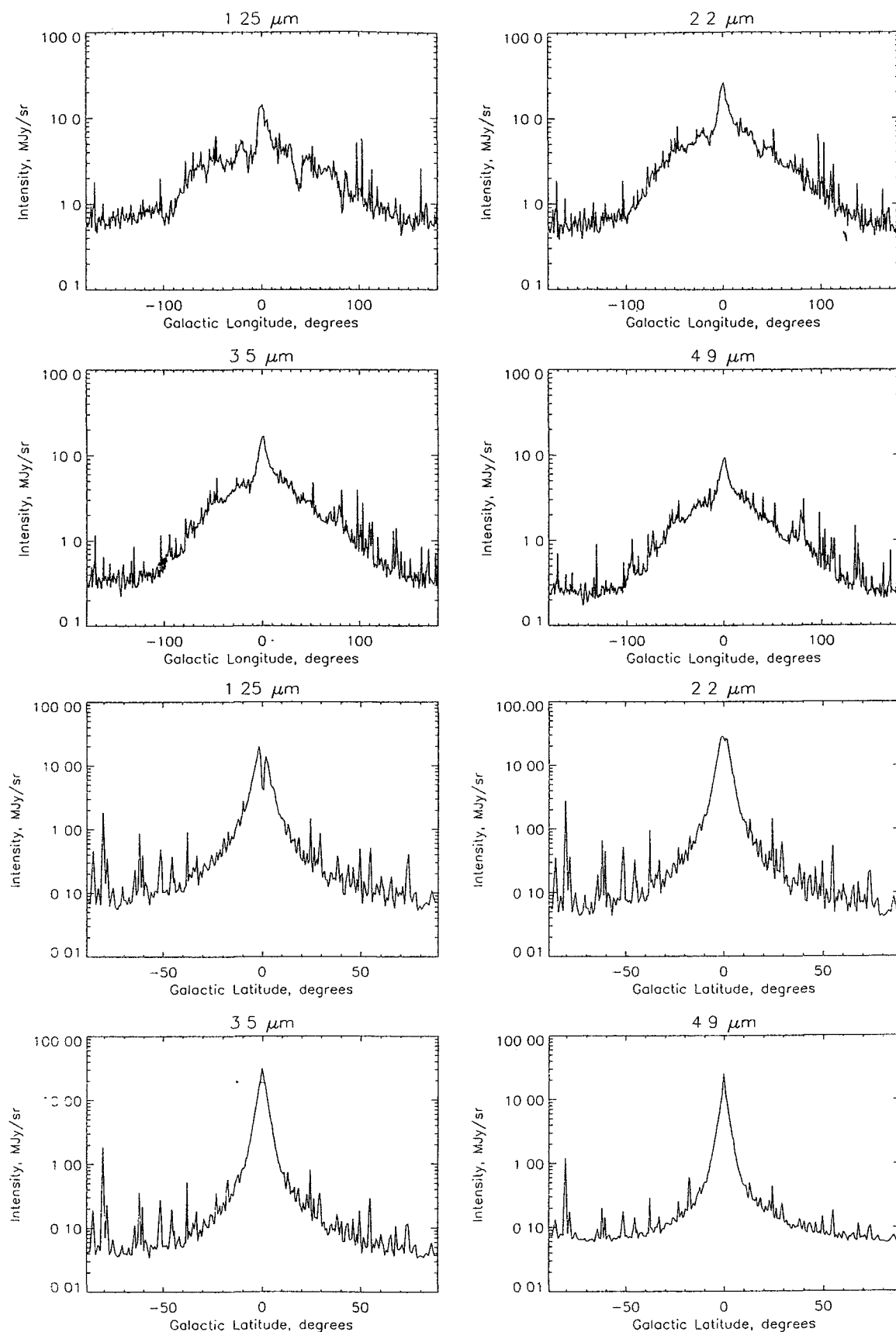
from zodiacal light are negligible (Hanner et al. 1974). The instantaneous field of view of the Pioneer 10 photometer was  $2.28^\circ$  square, which due to spacecraft spin (12.5 s period) and finite integration time (0.2 s) was drawn into elongated effective fields-of-view of variable size depending on the look angle. Contributions due to unresolved stars begin to enter the Pioneer 10 data at  $m \geq 6.5$  for an average galactic latitude, thus, stars dominate the measured fluxes.

Toller (1981) derived DGL intensities from the Pioneer 10 blue data (440 nm) by subtracting integrated starlight intensities of Roach & Megill (1961) and Sharov & Lipaeva (1973) at the positions of 194 Selected Areas (Blaauw & Elvius 1965). The residuals, interpreted as the sum of DGL and extragalactic background light, are most representative in terms of sky coverage.

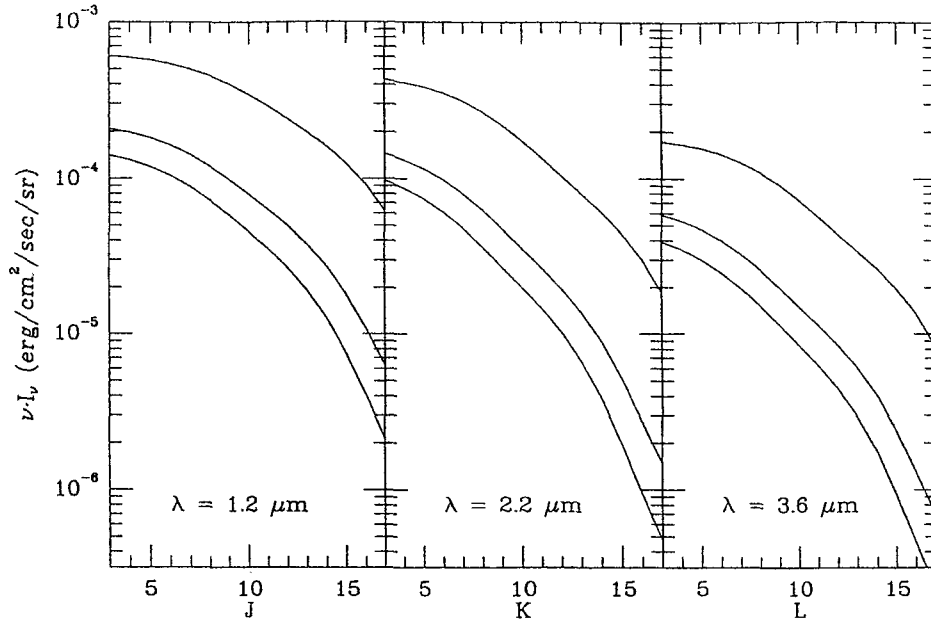
For reference purposes, several directions may be taken to estimate the intensity of the DGL at  $\lambda \approx 440$  nm:

In Fig 76 we present the mean galactic latitude dependence of Toller's (1981) values of the sum of DGL and extragalactic background, averaged over all galactic longitudes. The error bars, representing one standard deviation of the mean, reflect in part the real variations of the DGL intensity with galactic longitude, especially at lower latitudes.

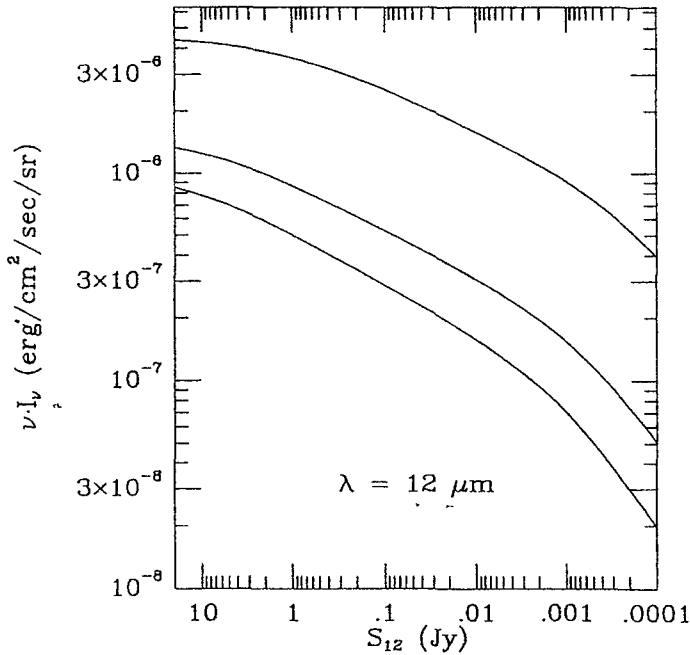
A second avenue toward a DGL estimate can be found in ratios of DGL to total line-of-sight starlight ( $\text{LOS}_*$ ) intensities. In Table 39 we list the average ratios of  $\text{DGL}/\text{LOS}_*$  for  $\lambda \approx 440$  nm based on Toller's data. The use of the values in Table 39 may be advisable, if one wants to estimate the variation of DGL with galactic longitude, where large differences in  $\text{LOS}_*$  may occur. Due to the strongly forward scattering nature of interstellar grains the DGL intensity generally tracks the  $\text{LOS}_*$  intensity at constant latitude.



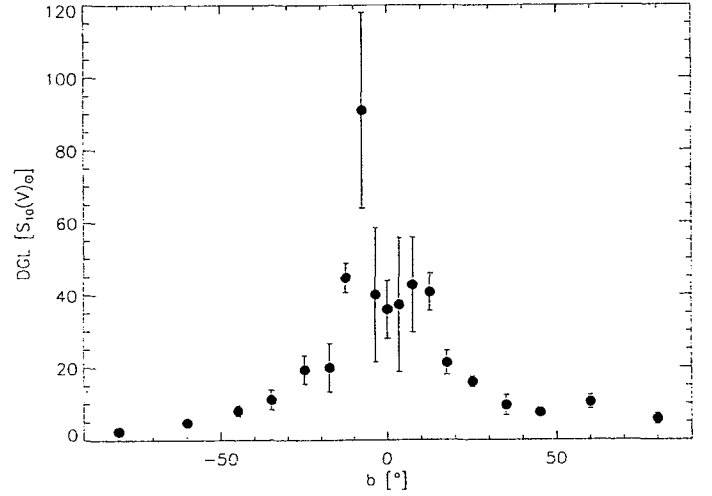
**Fig. 73.** Intensity profiles of “Galactic starlight” as measured from the DIRBE maps at  $1.25\ \mu\text{m}$ ,  $2.2\ \mu\text{m}$ ,  $3.5\ \mu\text{m}$  and  $4.9\ \mu\text{m}$  after subtraction of zodiacal light. Upper half: longitudinal profiles at a fixed Galactic latitude of  $b = 1.6\ \text{deg}$  ( $b = 0\ \text{deg}$  is not shown as representative because extinction is significant at some wavelengths). Lower half: latitudinal profiles at fixed Galactic longitude of  $l = 0\ \text{deg}$



**Fig. 74.** Residual contributions to the near-infrared background radiation of stars fainter than a given apparent magnitude, for galactic latitudes of  $20^\circ$ ,  $50^\circ$ , and  $90^\circ$  (from top to bottom, respectively). The values at the galactic pole at the intersection with the ordinate axis (cutoff magnitude = 3 mag) corresponds to 0.063 MJy/sr for J, to 0.081 MJy/sr for K, and to 0.053 MJy/sr for the L waveband



**Fig. 75.** Residual contributions to the  $12 \mu\text{m}$  background radiation of stars fainter than a given flux limit, for galactic latitudes of  $20^\circ$ ,  $50^\circ$ , and  $90^\circ$  (from top to bottom, respectively). The values at the galactic pole at the intersection with the ordinate axis (cutoff flux = 20 Jy) correspond to 0.002 MJy/sr, which is much less than the contribution due to diffuse emission from the interstellar medium



**Fig. 76.** The average intensity of the DGL as a function of galactic latitude based on the analysis by Toller (1981) of Pioneer 10 photometry of 194 Selected Areas at  $\lambda_{\text{eff}} = 440 \text{ nm}$ . Error bars denoting one standard deviation of the means are a measure of the longitudinal variation of the DGL intensity

A third approach toward a DGL estimate might rely on the mean correlation between DGL intensities found in Selected Areas by Toller (1981) and corresponding column densities of atomic hydrogen Toller finds:

$$\text{DGL}(S_{10}(V)_\odot) = N_{\text{HI}} / (2.4 \cdot 10^{20} [\text{atoms cm}^{-2}]) \quad (31)$$

**Table 39.** Ratio of DGL to line-of-sight starlight

$b$ [°]– $N$ [SA]	(DGL/LOS <sub>*</sub> )	
0– 5	19	$0.21 \pm 0.05$
5 – 10	11	$0.34 \pm 0.07$
10 – 15	28	$0.31 \pm 0.03$
15 – 20	15	$0.19 \pm 0.04$
20 – 30	29	$0.25 \pm 0.04$
30 – 40	22	$0.17 \pm 0.04$
40 – 60	41	$0.17 \pm 0.02$
60 – 90	29	$0.12 \pm 0.02$

A good source for  $N_{\text{HI}}$  values is the Bell Lab HI survey by Stark et al. (1992). This approach is based on the fact that the dust and HI column densities are well-correlated (Bohlin et al. 1978) and that the DGL intensity is determined in part by the dust column density, as long as the line-of-sight is not optically thick. This third approach is therefore recommended mostly for higher galactic latitudes, or  $N_{\text{HI}} < 2 \cdot 10^{21}$  atoms  $\text{cm}^{-2}$ . Estimates based on Eq. (31) are at best good to within a factor of two, because Eq. (31) reflects only the dependence of the DGL intensity on the dust column density and ignores the dependence on the intensity of the illuminating radiation field.

The red band ( $\lambda = 640$  nm) data from Pioneer 10 have not been subjected to a DGL analysis so far for lack of suitable star count data.

The  $U - B$  and  $B - V$  colours of the DGL have been measured and have been found to be bluer than the colour of the integrated starlight, as expected from scattering by interstellar grains with scattering cross sections varying as  $\lambda^{-1}$  in the visible region (Witt 1968; Mattila 1970). Table 40, to give an example, contains  $UBV$  colours of the DGL and of the integrated starlight in Cygnus (upper panel), respectively in Crux (lower panel).

**Table 40.** Colour of the DGL

$l,  b $	DGL		Integrated Starlight		Reference
	$U - B$	$B - V$	$U - B$	$B - V$	
$70^\circ, 0^\circ$	–0.05	+0.57	+0.07	+0.73	Witt (1968)
$75^\circ, 25^\circ$	–0.10	+0.44	+0.00	+0.68	
$300^\circ, 0^\circ$	–0.10	+0.50	–0.01	+0.71	Mattila (1970)

Recently, Gordon (1997) reported the detection of extended red emission (ERE) on a galaxy-wide scale in the diffuse interstellar medium of the Milky Way Galaxy (see also Gordon et al. 1997; Gordon & Witt 1997). The ERE

consists of a broad emission band (FWHM 800 Å) with a peak wavelength found in the 6500 Å to 8000 Å range, depending on environment, with a long-wavelength tail extending well into the  $I$ -band. The ERE is believed to result from a photoluminescence process in hydrogenated carbonaceous grain mantles, and it has been previously detected photometrically and spectroscopically in numerous reflection nebulae (Witt & Schild 1988; Witt & Boroson 1990), in carbon-rich planetary nebulae (Furton & Witt 1990, 1992), in HII regions (Perrin & Sivan 1992; Sivan & Perrin 1993), and in the scattered light halo of the starburst galaxy M 82 (Perrin et al. 1995). Gordon (1997) derived the galactic ERE intensity from Pioneer 10 and 11 sky photometry obtained at heliocentric distances greater than 3.3 AU, where the contribution from zodiacal light is no longer detectable (see Sect. 10.4). The integrated star light due to stars of  $m > 6.5$  was determined by integrating recent starcount data from the APS Catalog (Pennington et al. 1993), the HST Guide Star Catalog, and photometric catalogs on brighter stars and was subtracted from the Pioneer 10 and 11 in both the blue and red bands. The diffuse residuals consist of DGL in the blue band, and of a sum of DGL and ERE in the red band. As a result, the  $B - R$  colour of the diffuse galactic background radiation is substantially redder than that of the DGL alone. The excess ERE in the  $R$ -band can be estimated to be about equal in intensity to the  $R$ -band DGL. This ERE intensity is consistent with the measured  $B - R$  and  $B - I$  colour excesses of individual galactic cirrus filaments (Guhathakurta & Tyson 1989), found to be 0.5 – 1.0 mag and 1.5 – 2.0 mag redder, respectively, than expected for scattered disk starlight.

Quantitatively, Gordon (1997) finds the galactic ERE and the atomic hydrogen column density at intermediate and high latitudes ( $|b| > 20^\circ$ ) to be well-correlated, yielding an average ERE intensity of  $(1.43 \pm 0.31) \cdot 10^{-29}$  erg  $\text{s}^{-1}$  Å $^{-1}$  sr $^{-1}$  H-atom $^{-1}$ . This correlation may therefore be used to estimate the expected ERE intensity in the  $R$ -band in different portions of the sky.

Partial linear polarization of the DGL at a level of 1 – 2% is expected, and some tentative detections of this polarization have been reported by Schmidt & Leinert (1966), Weinberg (1969), Sparrow & Ney (1972), and Bandermann & Wolstencroft (1976). Both the scattering by grains partially aligned with their short axes parallel to the galactic plane and the scattering of the non-isotropic galactic radiation field by dust in the galactic plane should produce partially polarized scattered light with the electric vector perpendicular to the galactic plane when observed near  $b = 0^\circ$ . A review of existing polarization measurements is given by Leinert (1990).

### 11.3. Near-infrared

The diffuse galactic background radiation in the near-infrared (near-IR) is composed of several components,

each produced by different constituents of the diffuse interstellar medium by different physical processes. The most important ones are the DGL, caused by scattering of star light on larger interstellar grains; the near-IR continuum emission, caused by a non-equilibrium emission process probably associated with small carbonaceous grains; and the set of so-called unidentified infrared bands which have been attributed to emission from interstellar aromatic hydrocarbon molecules, such as polycyclic aromatic hydrocarbons (PAH). We will refer to them as aromatic hydrocarbon bands.

No separate detection of the DGL at near-IR wavelengths has been accomplished so far, although the galactic component of the near-IR background at  $1.25\ \mu\text{m}$  and  $2.2\ \mu\text{m}$  observed by the DIRBE experiment (Silverberg et al. 1993; Hauser 1996) undoubtedly contains a scattered light contribution. Recent evidence (Witt et al. 1994; Lehtinen & Mattila 1996) provides a strong indication that the dust albedo remains as high as it is in the visible out through the *K*-band ( $2.2\ \mu\text{m}$ ). The *K*-optical depth is about 10% of that at *V*; hence, only at quite low galactic latitudes ( $|b| < 5^\circ$ ) can one find the required dust column densities which will give rise to substantial (scattered) DGL. At the galactic equator, however, the ratio of DGL/LOS<sub>\*</sub> should be similar to the values listed in Table 39. At higher galactic latitudes the ratio DGL/LOS<sub>\*</sub> will be substantially lower than the values listed in Table 39.

The near-IR continuum emission was first recognized in reflection nebulae whose surface brightnesses in the  $1\ \mu\text{m} - 10\ \mu\text{m}$  wavelength range exceeded that expected from scattering by factors of several (Sellgren et al. 1983; Sellgren 1984). Absence of polarization provided additional confirmation of the non-scattering origin of this radiation. The non-equilibrium nature of the radiation process was recognized from the fact that the colour temperature of the emerging radiation was independent of distance from the exciting star and thus independent of the density of the exciting radiation. This leaves as the cause of this radiation non-equilibrium processes which depend upon excitation by single photons, e.g. photoluminescence of grain mantles or, alternatively, non-equilibrium heating of tiny grains resulting in large temperature fluctuations. The galactic distribution of this radiation component has yet to be studied; it depends on a very accurate assessment of the near-IR integrated starlight (see Sect. 10.5) and the near-IR zodiacal light (see Sect. 8.5), which need to be subtracted from photometries of the near-IR sky background.

The aromatic hydrocarbon bands centered at wavelengths  $3.3\ \mu\text{m}$ ,  $6.2\ \mu\text{m}$ ,  $7.7\ \mu\text{m}$ ,  $8.6\ \mu\text{m}$ , and  $11.3\ \mu\text{m}$ , with widths in the range of  $0.03$  to  $0.5\ \mu\text{m}$ , were first observed in bright nebulous regions by Gillett et al. (1973). Thanks to the successful AROME balloon-borne experiment (Giard et al. 1988; Ristorcelli et al. 1994) and the more recent

missions of the Infrared Space Observatory (ISO, Mattila et al. 1996; Lemke et al. 1997), they have now been observed in the diffuse interstellar medium at low galactic latitudes. The relative bandstrengths and widths are very similar to those observed in reflection nebulae, planetary nebulae, and HII regions, pointing toward a common emission mechanism. Onaka et al. (1996) show that the band intensities at  $3.3\ \mu\text{m}$  and  $7.7\ \mu\text{m}$  and the far-IR background intensities at  $100\ \mu\text{m}$  along identical lines of sight are correlated very tightly, suggesting that the respective emitters, presumably PAH molecules in the case of the aromatic hydrocarbon bands and classical sub-micron grains for the  $100\text{-}\mu\text{m}$  thermal continuum, are well-mixed spatially and are excited by the same interstellar radiation field. The correlation of the band intensities with the atomic hydrogen column density is also excellent, reflected in the dust emission spectrum per hydrogen atom given in Table 43.

#### 11.4. Thermal infrared

The infrared emission from the diffuse galactic ISM is dominated by thermal and other emissions by dust, with some additional contributions from interstellar cooling lines, mainly from CII and NII. At wavelengths  $< 100\ \mu\text{m}$  the galactic diffuse emission is weaker than the infrared emission from the zodiacal dust cloud (see Fig. 1); at wavelengths  $> 400\ \mu\text{m}$  the cosmic background radiation dominates over the galactic thermal radiation. Only in the  $100 - 400\ \mu\text{m}$  band is the galactic emission the primary background component. However, as the composite spectrum of all night sky components in Fig. 1 schematically indicates, the thermal IR spectrum of galactic dust is complex in structure, suggesting significant contributions from grains covering a wide range of temperatures. In particular, there is substantial excess emission in the  $5$  to  $50\ \mu\text{m}$  spectral range. This excess is generally attributed to stochastically heated very small grains with mean temperatures in the range  $100 - 500\ \text{K}$  (Draine & Anderson 1985; Weiland et al. 1986), while the main thermal emission peak near  $150\ \mu\text{m}$  is attributed to classical-sized dust grains in equilibrium with the galactic interstellar radiation field, resulting in temperatures around  $20\ \text{K}$ .

The exploration of the infrared background has been greatly advanced by the highly successful missions of the Infrared Astronomical Satellite (IRAS; Neugebauer et al. 1984), the Diffuse Infrared Background Experiment (DIRBE; Boggess et al. 1992) and the Far-Infrared Absolute Spectrophotometer (FIRAS; Fixsen et al. 1994) on board of the COBE satellite, the Infrared Telescope in Space (IRTS; Murakami et al. 1994, 1996), and the AROME balloon-borne experiment (Giard et al. 1988). Before mentioning the relation to interstellar gas, we first comment on the maps of galactic far-infrared emission available from these experiments.



From IRAS, the so-called ISSA maps are available for wavelengths of 12  $\mu\text{m}$ , 25  $\mu\text{m}$ , 60  $\mu\text{m}$  and 100  $\mu\text{m}$ . These present, after subtraction of a zodiacal light model,  $12.5^\circ \times 12.5^\circ$  fields with 1.5' resolution, covering the sky on a  $10^\circ$  grid. For the two longer wavelengths this gives a good picture of the variation of galactic emission (in MJy/sr). The absolute value of these maps is not reliable, which can be seen from the regions with negative intensities. To access the data one can use the world wide web address [http://www.ipac.caltech.edu/ipac/iras/released\\_data.html](http://www.ipac.caltech.edu/ipac/iras/released_data.html).

With better modeling of the zodiacal light contribution, Rowan-Robinson et al. (1991) produced sky maps of galactic plus extragalactic far-infrared emission with  $0.5^\circ$  pixel size. These maps give realistic absolute values and still show the spatial variation of the galactic diffuse emission in some detail. Tables 41 and 42 give a version of the two tables for 60  $\mu\text{m}$  and 100  $\mu\text{m}$  in ecliptic coordinates. They are not printed here but available in electronic form at the CDS by anonymous ftp to 130.79.128.5.

But in particular the DIRBE Zodiacal Light-Subtracted Mission Average ("ZSMA") maps at 60  $\mu\text{m}$ , 100  $\mu\text{m}$ , 140  $\mu\text{m}$  and 240  $\mu\text{m}$  give a good estimate of the observed intensity resulting from the sum of galactic diffuse infrared emission and the extragalactic background at each of these wavelengths, apart from errors in the zodiacal light model. Figure 77 shows the DIRBE 240 micron ZSMA map, along with representative intensity profiles at fixed galactic latitude. Since the extragalactic background light, which is spatially uniform, is not necessarily negligible at these wavelengths (see Table 47 in Sect. 12), caution should be exercised when making quantitative statements about the absolute level of the diffuse Galactic infrared emission as derived from these maps. The Galactic contribution is certainly dominant at latitudes  $|b| \leq 10^\circ$ , but probably also all over the sky. Aside from this issue of absolute levels (how much extragalactic background light radiation exists and has to be subtracted?), and aside from some visible zodiacal light model artifacts in the ecliptic plane at 60 microns, the ZSMA maps give a good picture of the spatial variation of the diffuse Galactic emission at all latitudes. The intensities recorded in the ZSMA maps are reported in MJy/sr, assuming a nominal wavelength and a spectral shape of  $\nu I_\nu = \text{constant}$ . The ZSMA maps are available from the NSSDC through the COBE homepage website at [http://www.gsfc.nasa.gov/astro/cobe/cobe\\_home.html](http://www.gsfc.nasa.gov/astro/cobe/cobe_home.html).

Interstellar dust appears to be well-mixed with all phases of the interstellar gas (Boulanger & Perault 1988; Sodroski et al 1997); however, to obtain a first-order representation of the emissions from galactic dust, the well-established correlations with  $N(\text{HI})$  provide the best guide. The average dust emission spectrum per H-atom is given in Table 43, as derived from the following original sources: ERE at 0.65  $\mu\text{m}$ , Gordon (1997); galactic emission in the 3.3  $\mu\text{m}$  aromatic feature, Giard et al. (1989), Bernard et al. (1994); dust emission in the 6.2,

7.7, 8.6, and 11.3  $\mu\text{m}$  mid-infrared unidentified bands, Onaka et al. (1996); and the broad-band thermal dust emissions, Boulanger et al. (1996), Reach et al. (1995a), and Dwek et al. (1997).

**Table 43.** Dust emission spectrum per hydrogen atom in the average interstellar medium

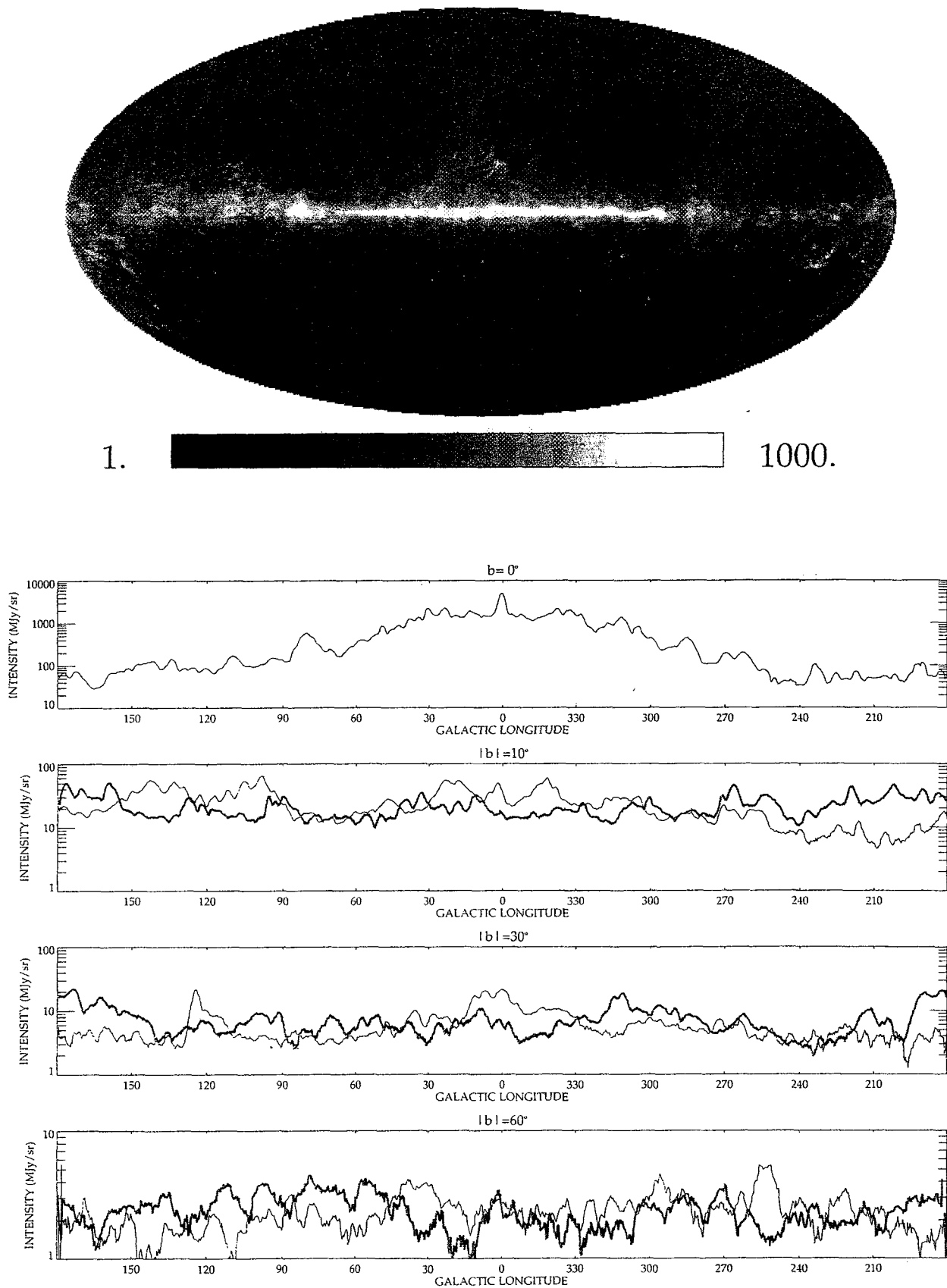
Wavelength ( $\mu\text{m}$ )	Dust emission spectrum $4\pi\lambda I_\lambda$ ( $\text{erg s}^{-1} \text{H-atom}^{-1}$ )
0.65	$1.17 \cdot 10^{-24}$
3.5	$1.27 \cdot 10^{-25}$
4.9	$1.36 \cdot 10^{-25}$
7.7	$1.13 \cdot 10^{-25}$
12	$1.02 \cdot 10^{-24}$
25	$4.11 \cdot 10^{-25}$
60	$7.04 \cdot 10^{-25}$
100	$2.64 \cdot 10^{-24}$
140	$3.64 \cdot 10^{-24}$
240	$1.41 \cdot 10^{-24}$
346	$5.77 \cdot 10^{-25}$
490	$1.77 \cdot 10^{-25}$
535	$1.20 \cdot 10^{-25}$
736	$3.33 \cdot 10^{-26}$
1100	$5.49 \cdot 10^{-27}$

Compared with emission from dust, the radiation from infrared cooling lines of the gas is comparatively weak, reflecting the fact that dust in interstellar space absorbs approximately one third of all energy emitted by stellar sources. The three strongest lines are the [CII] transition at 158  $\mu\text{m}$  and the [NII] lines at 122 and 205  $\mu\text{m}$  (Wright et al. 1991). At low galactic latitudes, the [CII] line emission is well correlated with  $N(\text{HI})$ , yielding  $(2.65 \pm 0.15) \cdot 10^{-26} \text{ ergs s}^{-1} \text{H-atom}^{-1}$  (Bennett et al. 1994). With latitudes increasing beyond  $|b| = 20^\circ$ , the ratio of  $I([158])/I(\text{FIR}_{\text{continuum}})$  decreases rapidly, leaving the 158  $\mu\text{m}$  line unmeasurably weak at  $|b| > 65^\circ$ .

## 11.5. Ultraviolet

### 11.5.1. FUV diffuse galactic light (91.2 nm to 180 nm)

Intense Lyman  $\alpha$  flux is present in this bandpass, and this, combined with various instrumental limitations, meant that most of the effort to measure a diffuse flux in this band was carried out at wavelengths longer than 121.6 nm. In retrospect, the measurement of a diffuse flux in this bandpass is far more difficult than was originally imagined, and the potential for obtaining erroneous results is substantial. The literature is filled with controversial and erroneous results.



**Fig. 77.** Map of the sky brightness at  $240\ \mu\text{m}$  after removal of zodiacal light, obtained from the COBE/DIRBE experiment. The map is a Mollweide projection in Galactic coordinates, with intensities on a logarithmic stretch from 1 to 1000 MJy/sr. Smoothed intensity profiles at fixed Galactic latitudes of  $0^\circ$ ,  $\pm 10^\circ$ ,  $\pm 30^\circ$  and  $\pm 60^\circ$  are also plotted; positive latitudes are represented by the thin black, negative latitudes by the thick grey line.

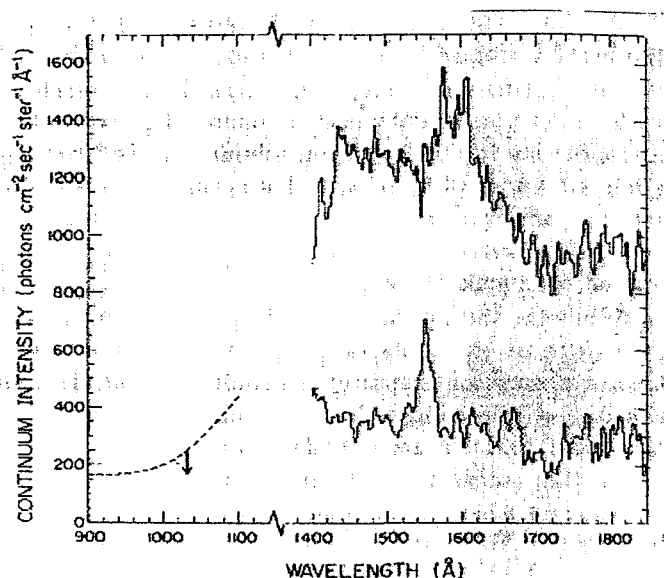


Fig. 78. Summary data on the diffuse cosmic far ultraviolet background. The data from 902 to 1200 Å are from Holberg (1986) and are upper limits to the flux from a high Galactic latitude view direction. Two data sets are shown for the 1400 to 1850 Å band. The upper line is from Hurwitz et al. (1991) and shows typical data obtained in view directions with  $\tau_{\text{dust}} \geq 1$ . Note the  $\text{H}_2$  fluorescence emission around 160 nm. The lower line is from Martin & Bowyer (1990) and shows data obtained at a high Galactic latitude; the CIV 1550 Å line is clearly evident in emission and the 1663 Å line of OIII] is also apparent, though at lower signal-to-noise ratio. The extragalactic contribution to these data probably is small (see Table 44)

This bandpass has been studied extensively since the beginning of the Space Age, because the zodiacal light component is not present and contributions from stellar sources were expected to be sufficiently low that emission from a hot ( $10^5$  K) or very hot ( $10^6$  K) intergalactic medium might be detected.

A review of this literature is provided by Bowyer (1991), but for an alternative view and a detailed examination of an particular data set, see Henry (1991).

Substantial progress has been made in identifying the components that contribute to the diffuse flux in this band. The vast majority of the diffuse flux is starlight scattered by interstellar dust. In particular, Haikala et al. (1995) found FUV emission at a high galactic latitude from a cirrus cloud detected at 100  $\mu\text{m}$  with IRAS. Emission from hot ( $\approx 10^5$  K) gas has been detected. An analysis of this radiation establishes that the emitting gas is well above the Galactic plane. Two-photon emission from recombining ionized hydrogen has been recognized as a component of this background. Molecular hydrogen fluorescence has been found in low density clouds. Any ex-

Table 44. Components of the diffuse cosmic far ultraviolet background with approximate intensities<sup>a</sup> (photons  $\text{cm}^{-2} \text{s}^{-1} \text{sr}^{-1} \text{\AA}^{-1}$ )

Total intensity	300–1500
Scattering by dust	200–1500
H II two-photon emission	50
H <sub>2</sub> fluorescence (in molecular clouds)	100
Hot gas line emission from hot Galactic gas	10
Extragalactic	50 to 200
Unexplained	none to 200

<sup>a</sup> Intensities dependent upon view direction.

Intensities of processes producing discrete features are averaged over the 1400–1859 Å band.

tragalactic flux is quite small; this component is discussed in Sect. 12.1.

In Fig. 78 we provide examples of the best available data on the diffuse far ultraviolet background. The data from 912 to  $\approx 1200$  Angstrom are from Holberg (1986) and are upper limits to the background from a high galactic latitude view direction. Two data sets are shown for the 1400 to 1840 Angstrom band. The upper line is from Hurwitz et al. (1991) and shows data obtained at a low galactic latitude. These data are typical of what is observed in viewing directions with an optical depth of  $\tau_{\text{dust}} \geq 1$ . Molecular hydrogen fluorescence is evident as an additional component at wavelengths from 1550 to 1650 Angstrom. The lower line is from Martin & Bowyer (1990) and shows data obtained at a high galactic latitude and a low total galactic neutral hydrogen column. The CIV 1550 Angstrom line is clearly evident in emission, and the 1663 Angstrom line of forbidden O III is also apparent though at a lower signal-to-noise.

As already mentioned, the major components of the cosmic far ultraviolet background are summarized in Table 44 above.

#### 11.5.2. Near-ultraviolet (180 nm – 300 nm)

The diffuse radiation in this band is the sum of zodiacal light and starlight scattered by interstellar dust. A few first studies of the zodiacal light in this band have been carried out, which suggest this component exhibits characteristics similar to that observed in the visible (see Sect. 8.6). A few studies of scattering by dust by early type stars have been carried out. The results obtained differ, and independent of these differences, the scattering varies tremendously from place to place in the galaxy. We refer the reader to Dring et al. (1996) and references therein for a discussion of these results.

## 12. Extragalactic background light

For the extragalactic background radiation no generally-accepted measured values exist in the UV, optical or infrared wavebands. However, upper limits from surface photometry and lower limits from galaxy counts are available. We present a critical evaluation and tabulation of the available results.

Extragalactic background light (EBL) in UV, optical and near-IR ( $\lambda \lesssim 5 \mu\text{m}$ ) is thought to consist mainly of redshifted starlight from unresolved galaxies; more hypothetical contributions would be, e.g., from stars or gas in the intergalactic space, and from decaying elementary particles (e.g. neutrinos). In the mid- and far-infrared the main contribution is thought to be redshifted emission from dust particles, heated by starlight in galaxies.

Observations of the EBL are hampered by the much stronger foreground components of the night sky brightness described in the other sections. Unlike the other components the EBL is isotropic which, in combination with its weakness, complicates its separation. Recent reviews of the observational and theoretical status of the EBL have been given by Mattila (1990), Tyson (1990, 1995), Mattila et al. (1991) for the optical; by Bowyer (1991), Henry (1991), Henry & Murthy (1995) and Jakobsen (1995) for the ultraviolet; by Matsumoto (1990), Franceschini et al. (1991a), Hauser (1995a,b, 1996) and Lonsdale (1995) for the infrared; Longair (1995) has given a general review covering all wavelengths.

The observational results presented here are summarised for each wavelength range in a separate table in the corresponding subsection. They are also put together in overview in Fig. 79 at the end of this section, where in the visual and near-infrared region some model predictions are added for comparison with the data, which stretch over a wide range of brightnesses at these wavelengths. Otherwise, model prediction of EBL brightness are not the topic of this reference. For this matter see, e.g., the conference proceedings by Bowyer & Leinert (1990) and Rocca-Volmerange et al. (1991) or the work of Franceschini et al. (1991b).

### 12.1 Ultraviolet

An extragalactic component is certainly present in the UV/FUV since the summed flux of galaxies is present at some level. Early in the Space Age it was realized that searches in the FUV had substantial advantages over searches in the UV, because the zodiacal light component is not present at a measurable level and contributions from stellar sources were expected to be small. In particular, it was hoped that emission from a very hot ( $10^6$  K) or hot ( $10^5$  K) intergalactic medium might be detected. These measurements were far more difficult to carry out than was originally anticipated, and a wide range of conflicting results were reported.

At this point, the most cited argument that some of the Far UV diffuse background is extragalactic in origin is that most measurements of this flux show a correlation with galactic neutral hydrogen column density, and the extrapolation to zero hydrogen columns yields fluxes that are in the range of 50 to 300 photon units. These results are only upper limits to an extragalactic background, however, since there is no guarantee that galactic components are not producing this flux.

While the total picture is far from clear, some aspects of a possible extragalactic flux have been established. Quasar absorption line studies definitely constrain emission from a diffuse intergalactic medium to a marginal role (Jakobsen 1991). Paresce & Jacobsen (1980) had shown before that integrated light from QSOs and AGNs will not produce a significant contribution to the diffuse FUV background. However, Armand et al. (1994) have used data on galaxy counts obtained at  $2000 \text{ \AA}$  with a limiting magnitude of 18.5, to calculate the ultraviolet flux due to the integrated FUV light of all galaxies. The extrapolation is small and leads to an expected flux of 40 to 130 photon  $\text{cm}^{-2} \text{ s}^{-1} \text{ sr}^{-1} \text{ \AA}^{-1}$ . Hence it seems certain that there is at least some extragalactic flux present in the diffuse FUV background. It is interesting to note that the flux predicted by Armand et al. is consistent with the (uncertain and controversial) observational results for a possible extragalactic diffuse FUV background.

**Table 45.** Possible components of a diffuse extragalactic far ultraviolet background with their estimated intensities<sup>a</sup>

Summed from all galaxies	40 to 200
QSOs/AGNs	<10
Intergalactic medium	<10
observed upper limit	50 to 300

<sup>a</sup> Intensities are given in units of photons  $\text{cm}^{-2} \text{ s}^{-1} \text{ sr}^{-1} \text{ \AA}^{-1}$ .

### 12.2. Visual

A selection of upper limits from photometric measurements as well as lower limits obtained from galaxy counts are summarised in Table 46. In the table, the author(s) and date of publication are given in Col. (1). The wavelength of observation and the  $I_{\text{EBL}}$  value (or its upper limit) as given in the original publication are listed in Cols. (2) and (3). In Col. (4) we give our critical revision (upper limit) of each  $I_{\text{EBL}}$  value; in deriving these “revised values” we have tried to consider the effects of some additional uncertainties or corrections which in our opinion were not sufficiently discussed in the original paper. In Col. (5) we give  $\lambda I_{\lambda} = \nu I_{\nu}$  for the revised EBL values. The last Col (6) gives the method used.

Table 46. Observational upper and lower limits to the EBL intensity as determined from surface photometry or galaxy counts

Author(s)	$\lambda$ (Å)	$I_{\text{EBL}}$	$I_{\text{EBL}}$ revised, $1\sigma$	$\lambda I_{\lambda}$ (revised) limits $\text{erg s}^{-1} \text{cm}^{-2} \text{sr}^{-1}$	Method
Dube et al. (1979)	5115	$1.0 \pm 1.2 S_{10}$ $\leq 3.4 S_{10}$	$4.0 \pm 1.2 S_{10}$ $\leq 5.2 S_{10}$	$\leq 4.0 \cdot 10^{-5}$	photometry
Toller (1983)	4400	$1.3 \pm 1.3 S_{10\odot}$ $\leq 3.9 S_{10\odot}$	$1.9 \pm 4.8 S_{10\odot}$ $\leq 6.7 S_{10\odot}$	$\leq 3.2 \cdot 10^{-5}$	photometry
Mattila & Schnur (1990)	4000	$6.5 \pm 2.5 \text{ cgs}^*$ $\leq 9.0 \text{ cgs}^*$	$\leq 9.0 \text{ cgs}^*$	$\leq 3.6 \cdot 10^{-5}$	photometry
Cowie et al. (1994)	3400 (U')			$1.3 \cdot 10^{-6}$	galaxy counts
	4470 (B)			$1.8 \cdot 10^{-6}$	( $K \leq 22^{\text{m}}$ )
	5425 (V)			$3.1 \cdot 10^{-6}$	
	8340 (I)			$4.7 \cdot 10^{-6}$	
	22000 (K)			$5.2 \cdot 10^{-6}$	
Tyson (1995)	3600 (U)			$2.5(+.07 - .04) \cdot 10^{-6}$	galaxy counts
	4500 (B)			$2.9(+.09 - .05) \cdot 10^{-6}$	( $B_j \leq 29^{\text{m}}/\square''$ )
	6500 (R)			$2.9(+.09 - .05) \cdot 10^{-6}$	
	9000 (I)			$2.6(+3 - .2) \cdot 10^{-6}$	
	22000 (K)			$7.2(+1 - 1) \cdot 10^{-6}$	
Morgan & Driver (1995)	4500 (B)			$1.9 \cdot 10^{-6}$	galaxy counts
	5500 (V)			$1.3 \cdot 10^{-6}$	( $B \leq 26^{\text{m}}$ )
	6500 (R)			$3.2 \cdot 10^{-6}$	
	9000 (I)			$3.5 \cdot 10^{-6}$	
	4500 (B)			$4.7 \cdot 10^{-6}$	galaxy counts
	5500 (V)			$6.4 \cdot 10^{-6}$	( $m_{\text{Filter}} \leq 38^{\text{m}}$ )
	6500 (R)			$8.2 \cdot 10^{-6}$	
	9000 (I)			$10.0 \cdot 10^{-6}$	

\*  $\text{cgs} = 10^{-9} \text{ ergs cm}^{-2} \text{ s}^{-1} \text{ sterad}^{-1} \text{ Å}^{-1}$ .

### 12.2.1. Photometric upper limits

Three surface photometric measurements are included in Table 46:

(1) Dube et al. (1979) observed the total night sky brightness from the ground in eleven high-latitude fields. As a mean value of the 11 fields Dube et al. gave an EBL+DGL value of  $1.0 \pm 1.2 S_{10}$ . Because it was not possible to estimate the DGL contribution the result was interpreted as a  $2\sigma$  upper limit to the EBL of  $3.4 S_{10}$  or  $5.1 \cdot 10^{-9} \text{ ergs cm}^{-2} \text{ s}^{-1} \text{ sterad}^{-1} \text{ Å}^{-1}$ . A basic problem with this method is that it starts with the total night-sky brightness which is a factor of  $\approx 100$  brighter than the EBL. Thus, very accurate measurements of the *absolute* intensities of ZL and airglow are required. The most critical point in the data analysis of Dube et al. was the way they corrected for the airglow. They assumed that airglow is a linear function of  $\sec z$  and used *linear* extrapolation to  $\sec z = 0$  to eliminate airglow. This method is doubtful since the  $\sec z$  - dependence of the airglow is not strictly linear but follows the so-called van Rhijn's (1921) law. Mattila et al. (1991) have reanalysed the airglow problem using, as far as possible, the observational values given in Dube et al. (1979) and in Dube (1976). They have thus found that Dube et al. probably have overestimated the

airglow intensity by  $\approx 3 S_{10}$ . Thus the residual value for EBL + DGL should be *increased* by this amount, resulting in  $I_{\text{EBL+DGL}} = 4.0 \pm 1.2 S_{10}$  or an  $1\sigma$  upper limit of  $5.2 S_{10}$ .

(2) Toller (1983) utilized measurements of a photometer aboard Pioneer 10 as it moved out of the zodiacal dust cloud ( $R \geq 3.3 \text{ AU}$ ). From these he subtracted integrated starlight and gave a value for the average brightness of the diffuse background light of  $I_{\text{DGL+EBL}} = 3.3 \pm 1.2 S_{10\odot}$ . He estimated  $I_{\text{DGL}}$  to be  $2.0 \pm 0.4 S_{10\odot}$ . As a final result Toller thus obtained an EBL intensity of  $1.3 \pm 1.3 S_{10\odot}$  which he expressed as a  $2\sigma$  upper limit of  $I_{\text{EBL}} \leq 3.9 S_{10\odot}$ .

Since Toller's EBL value has been frequently cited as the EBL reference value, it deserves a detailed discussion of errors. The basic problem for his EBL determination is the large field of view ( $2.3 \times 2.3 \text{ deg}$ ) of the photometer. Thus, the starlight entered with full weight into the measured sky brightness, and in order to derive the small residual EBL one must know the ISL very accurately *in the Pioneer 10 photometric system*. This was not fully the case. The ISL values of Roach & Megill (RM, 1961) and Sharov & Lipaeva (SL, 1973) are based on the Harvard-Groningen (Pickering et al. 1918, 1923, 1924; van Rhijn 1929) and Mount Wilson starcounts (Seares et al. 1930)

the magnitudes of which were calibrated by using photographic techniques. Sharov & Polyakova (1972) have shown that the Harvard-Groningen photographic magnitude scales are in need of positive corrections of as much as 0.4 mag to 0.5 mag in order to reduce stars of 7 to 16 mag from  $m_{pg}$  to the  $B$  system. In their ISL summation SL tried to take these photometric corrections into account and thus their ISL values should be given the preference over the RM values. Then an average  $I_{DGL+EBL}$  of  $3.9 S10_{\odot}$ , instead of  $3.3 S10_{\odot}$ , is obtained. There is a remaining *systematic* error of the Sharov and Lipaeva ISL values due to the scale errors which is at least 15%. With an average ISL value of  $25 S10_{\odot}$  this amounts to  $3.8 S10_{\odot}$ . The systematic error of the Pioneer 10 photometry itself (e.g. due to calibration) has been given as 8% (Weinberg & Schuerman 1981), which for  $25 S10_{\odot}$  corresponds to  $2.0 S10_{\odot}$ . A further uncertainty of  $1.6 S10_{\odot}$  results from variations in the cutoff for bright stars. The total error resulting from quadratically adding the systematic and statistical errors then is  $4.8 S10_{\odot}$ .

Thus we end up with a revised EBL value of  $I_{EBL} = 1.9 \pm 4.8 S10_{\odot}$ , which corresponds to  $2.3 \pm 5.7 \cdot 10^{-9}$  ergs  $cm^{-2} s^{-1} sterad^{-1} \text{\AA}^{-1}$  or to a one  $\sigma$  upper limit of  $8.0 \cdot 10^{-9}$  ergs  $cm^{-2} s^{-1} sterad^{-1} \text{\AA}^{-1}$ .

(3) Mattila & Schnur (1990), on the basis of their observations in the dark cloud area L1642, have presented a preliminary estimate for the EBL of  $6.5 \pm 2.5 \cdot 10^{-9}$  ergs  $cm^{-2} s^{-1} sterad^{-1} \text{\AA}^{-1}$ . In this method an opaque dark cloud is used as a zero point where the EBL is negligible or at least much smaller than in the transparent surroundings of the cloud. Starlight, zodiacal light and the atmospheric components are eliminated in the differential surface brightness measurements used in this method. The main problem is the elimination of the scattered light (DGL) which is present both in the opaque parts of the cloud as well as in its (semi)transparent surroundings. In view of the preliminary character of the above-mentioned value we prefer to interpret it as an upper limit,  $I_{EBL} \leq 9.0 \cdot 10^{-9}$  ergs  $cm^{-2} s^{-1} sterad^{-1} \text{\AA}^{-1}$ .

### 12.2.2. Galaxy counts

Deep galaxy counts by Cowie et al. (1994), Tyson (1995) and Morgan & Driver (1995) have provided estimates for the contribution of galaxies to the EBL. These lower limits to the EBL are given in Table 46 for several wavelength bands between  $3400 \text{\AA}$  and  $2.2 \mu m$ .

(1) The EBL values of Cowie et al. are for a  $K$ -band-limited sample with  $K \leq 22$  mag. The  $K$ -band counts have a slope  $(d \log N(m)/dm) = 0.26$  at  $K = 22$  mag which implies that the surface brightness contribution per magnitude interval is converging. Contrary to this the  $B$ -band counts have a divergent slope  $(d \log N(m)/dm) = 0.45$  (Gardner et al. 1993). Thus it is suggested that the total EBL at  $U$  to visual wavelengths may be substantially higher than the values given in the Table.

(2) The EBL values of Tyson are for a sample to an isophotal limiting magnitude of 29  $B_j$  magnitude  $arcsec^{-2}$ . The limiting magnitudes of the counts are  $\approx 27$  mag at  $B_j$ , 26 mag at  $R$ , and 24 mag at  $I$ . Galaxies fainter than 20 mag at  $B_j$  contribute about 75% of the EBL at  $4500 \text{\AA}$ . Most of the EBL flux originates from galaxies around  $B = 24$  mag.

(3) The EBL values of Morgan & Driver (1995) are from counts with limiting magnitudes of  $B = 26$  mag,  $V = 24.5$  mag,  $R = 26$  mag and  $I = 22.5$  mag. Morgan & Driver adopted two approaches in estimating the EBL: firstly they used direct observations of the number counts to sum up the EBL to the limiting magnitude; secondly they used a dwarf-dominated luminosity function to extrapolate the number counts down to a limiting magnitude of  $m_{Filter} = 38$  mag. The EBL values for the second case are seen to be a factor of 2 to 5 higher than for the first case. This gives an impression of the possible importance of the contribution by very faint galaxies,  $m \geq 30$  mag, to the EBL.

### 12.3. Infrared

The Diffuse Infrared Background Experiment (DIRBE) aboard the Cosmic Background Explorer (COBE) was designed to perform a sensitive search for the Cosmic Infrared Background Radiation (CIBR). Special care was paid in the design to suppression of stray radiation. During the 10-month cryogenic operation of COBE in 1989 – 1990 DIRBE mapped the whole sky with high redundancy in ten wavelength bands between  $1.25$  and  $240 \mu m$ . DIRBE is completely free from any residual atmospheric effects or contamination by rocket exhaust which have made many of the previous balloon or rocket borne experiment results problematic. The main obstacles for a determination of the CIBR are the remaining strong foreground components which contribute to the infrared sky brightness with varying importance over the whole wavelength region. As detailed in previous section, these are the zodiacal light, the light of unresolved stars and the thermal emission by interstellar dust (cirrus). Since there is no distinct spectral signature known in the CIBR, the separation of the foreground components has to be based on modelling of their different spatial or broad band spectral distributions. In the case of the zodiacal component also its temporal variation during a year can be utilized. This modelling process is still being worked on by the DIRBE team. The most recent, still preliminary results have been presented by Hauser (1996). They are reproduced in Table 47 for the ten DIRBE bands as well as for selected wavelengths based on FIRAS data. The first column of results gives the upper limits on the CIBR based on the darkest spots observed on the sky. Because no foreground components were subtracted, these values are stringent upper limits to any isotropic component of the infrared sky brightness. In the second column of

Table 47. Upper limits and claims of tentative detections of the cosmic infrared background radiation

$\lambda$ $\mu\text{m}$	$\nu I_\nu$ $\text{nW m}^{-2} \text{sr}^{-1}$	Reference	$\nu I_\nu$ $\text{nW m}^{-2} \text{sr}^{-1}$	Reference	Ref.
1.25	393 $\pm$ 13	DIRBE dark sky	50 – 104	DIRBE residual	1
2.2	150 $\pm$ 5	"	15 – 26	"	1
3.5	63 $\pm$ 3	"	15 – 24	"	1
4.9	192 $\pm$ 7	"	9 – 22	"	1
12	2660 $\pm$ 310	"	102 – 164	"	1
25	2160 $\pm$ 330	"	136 – 210	"	1 <sup>1</sup>
60	261 $\pm$ 22	"	31 – 42	"	1
100	74 $\pm$ 10	"	20 – 35	"	1
140	57 $\pm$ 6	"	12 – 63	"	1
240	22 $\pm$ 2	"	8 – 33	"	1
111	108	FIRAS dark sky			1
143	63	"			1
250	30	"			1
500	6	"			1
500–5000			$680/\lambda(\mu\text{m})$	FIRAS residual	2
400–1000			$3.4 (\lambda/400 \mu\text{m})^{-3}$	FIRAS residual	3
10 – 40			$6 h (\lambda/\mu\text{m})^{0.55}$	$\gamma$ -ray method	4

References: <sup>1</sup> Hauser (1996), <sup>2</sup> Mather et al. (1994), <sup>3</sup> Puget et al. (1996), <sup>4</sup> Dwek & Slavin (1994).

$h = H_0/100 \text{ km s}^{-1} \text{ Mpc}^{-1}$ .

For conversion of the units to MJy/sr see Table 6.

results the range of DIRBE sky brightness residuals at high galactic latitude after subtraction of “best models” currently available for zodiacal light and emission, starlight and interstellar cirrus are given. These numbers, as emphasized by Hauser (1996), are still preliminary. The uncompleteness of the foreground modelling is reflected in the fact that the spectrum of the residual brightness at mid-IR wavelengths shows a resemblance with the zodiacal light spectrum. For ease of comparison, part of Table 6 on total infrared sky brightness in dark spots is repeated here in the left part of the table.

Kashlinsky et al. (1996) have tried to convert the smoothness of the spatial distribution of DIRBE light into upper limits to a CIBR radiation component coming from clustered matter evolving according to standard scenarios. They find that the upper limits to such a component between  $1.25 \mu\text{m} - 100 \mu\text{m}$  are by a factor of 4 to 100 lower than the Hauser et al. (1996) residual isotropic brightnesses given in Table 47. These values have to be taken with caution, however, since their derivation is strongly model-dependent.

Using COBE/FIRAS data Mather et al. (1994) have estimated that the CMB spectrum between 0.5 mm and 5 mm deviates from a 2.726 K blackbody shape by less than 0.03% of the peak intensity. Taking twice this amount as an upper limit to an additional CIBR implies  $\nu B_\nu \leq 6.8 \cdot 10^{-11}/\lambda (\mu\text{m}) \text{ W m}^{-2} \text{sr}^{-1}$ .

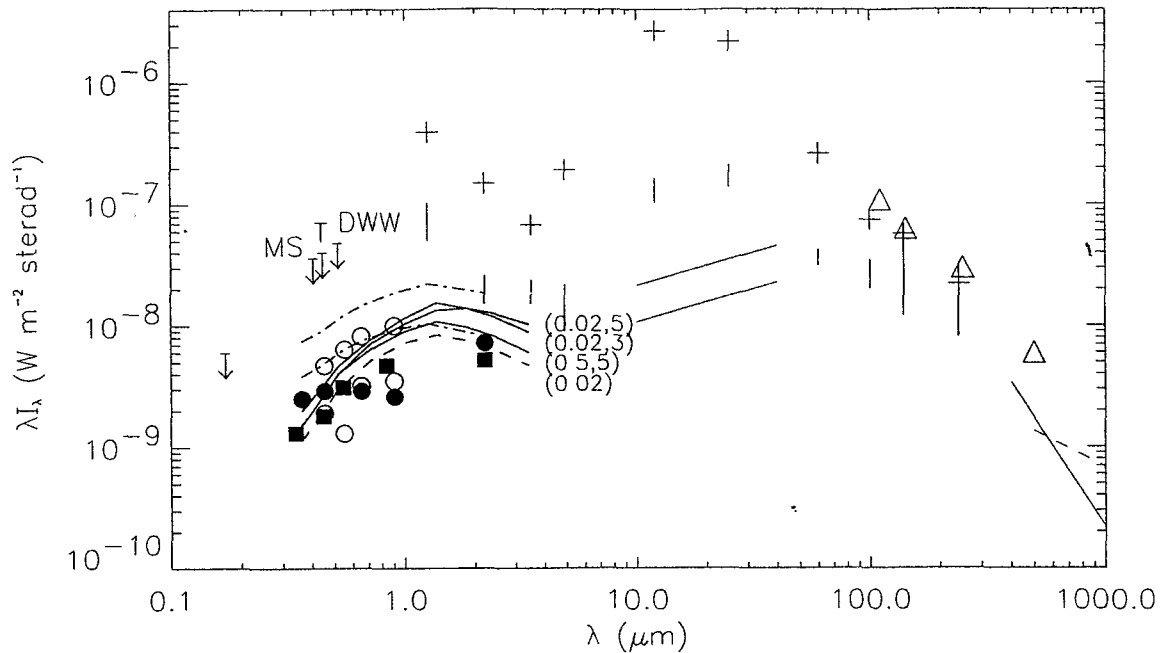
Puget et al. (1996) have claimed a tentative detection of far-IR CIBR using COBE/FIRAS data. They have

modelled and removed the foreground components above  $140 \mu\text{m}$ . For estimating the interstellar cirrus emission they used its correlation with HI 21-cm data, and for zodiacal emission its spectral and spatial distribution as determined at shorter wavelengths,  $\lambda \leq 100 \mu\text{m}$ . The residual isotropic component claimed for the  $400 \mu\text{m} - 1000 \mu\text{m}$  range can be represented by  $\nu B_\nu \approx 3.4 \cdot 10^{-9} (\lambda/400 \mu\text{m})^{-3} \text{ W m}^{-2} \text{sr}^{-1}$ .

An indirect method for measurement of the mid-IR CIBR is based on the spectra of  $\gamma$ -ray sources, since  $\gamma$ -rays interact with intergalactic IR-photons by pair production, giving rise to energy-dependent extinction. A recent application gives, for  $\lambda \approx 10 - 40 \mu\text{m}$ , the result  $\nu B_\nu \approx 6 h \cdot 10^{-9} (\lambda/\mu\text{m})^{0.55} \text{ W m}^{-2} \text{sr}^{-1}$  (Dwek & Slavin 1994). The result depends on the Hubble constant  $h = H_0/100 \text{ km s}^{-1} \text{ Mpc}^{-1}$ . This estimate is by a factor of  $\approx 10$  lower than the DIRBE isotropic residuals at 10 and  $25 \mu\text{m}$ , but fits nicely to the DIRBE isotropic residuals at shorter and longer wavelengths (see Fig. 79). Again, there are uncertainties in this method, since the intrinsic high energy gamma ray spectra before attenuation by interaction with the cosmic infrared radiation field are not really known.

#### 12.4. Overview on EBL observations

Figure 79 summarises the current observational limits to the extragalactic background light in the wavelength range from  $0.1 \mu\text{m}$  to  $1000 \mu\text{m}$ . In the visual and near-infrared



**Fig. 79.** Summary of present observational limits and model predictions for the EBL. The photometric upper limits by Dube et al. (DWW), Toller (T) and Mattila & Schnur (MS) in optical and the UV upper limit of 300 photon units at 170 nm (see text) are shown as downward pointing arrows. The COBE/DIRBE and COBE/FIRAS dark sky (total) brightnesses between 1.25  $\mu\text{m}$  and 500  $\mu\text{m}$  are shown as crosses and open triangles, respectively. The ranges of isotropic residuals after foreground subtraction are shown by vertical bars for the DIRBE 1.25  $\mu\text{m}$  – 240  $\mu\text{m}$  bands (Hauser 1996). The Mather et al. (1994) estimate for an upper limit of possible sub-mm excess above the CMB spectrum is shown as a dashed line between 500  $\mu\text{m}$  and 1000  $\mu\text{m}$ . The claimed tentative detection of CIBR by Puget et al. (1996) is shown as a solid line between 400  $\mu\text{m}$  and 1000  $\mu\text{m}$ . Solid lines at 10  $\mu\text{m}$  – 40  $\mu\text{m}$  are the possible detections from Dwek & Slavin (1994); the upper line is for  $H_0 = 100 \text{ km s}^{-1} \text{ Mpc}^{-1}$  and the lower one for  $50 \text{ km s}^{-1} \text{ Mpc}^{-1}$ . The results from galaxy counts are shown with different symbols: Cowie et al.: black squares; Tyson: solid circles; Morgan and Driver: open circles (two values at each wavelength band, see Table 46 and text). In the visual range, some model calculation results are shown as well for comparison: solid lines are after Yoshii & Takahara (1988) for evolving galaxy models, labeled with  $q_0$  and  $z_F$ , where  $z_F$  means the epoch (measured by redshift) of galaxy formation; the dashed line is for a non-evolving galaxy model with  $q_0 = 0.02$ . The two dash-dotted lines are after Väisänen (1996) for models which include the estimated effect of low-surface-brightness and faint blue galaxy populations: the upper line is with Ferguson & McGaugh (1995) luminosity function and with luminosity evolution (model labeled FMB-LE in Väisänen 1996); the lower line is with a luminosity function evolution in accordance with the findings of Lilly et al. (1995), i.e. extra brightening of the blue galaxies over the passive luminosity evolution, and an excess of a non-evolving blue population of faint galaxies (model labeled BBG in Väisänen 1996).

range, where discrepancies between different methods of determination are particularly large, we also plot a few selected model predictions for comparison, without the intent to discuss them here. Compared to the situation ten years ago, the gap between upper limits from direct measurements, lower limits from galaxy counts, and model predictions is getting smaller, being mostly less than a factor of ten by now. A comparison with the total sky brightness values shown in Fig. 1, which are typically brighter by two orders of magnitude, is informative. In this comparison please note that  $\nu I_\nu$  and  $\lambda I_\lambda$  are identical units of brightness.

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## **Appendix B—Spectral Radiance of the Clear and Overcast Night Sky at Wavelengths between 0.5 and 1.1 $\mu\text{m}$**

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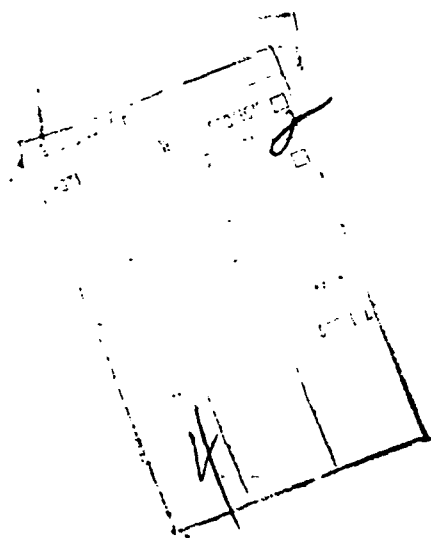
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SPECTRAL RADIANCE OF THE CLEAR AND  
OVERCAST NIGHT SKY AT WAVELENGTHS  
BETWEEN 0.5 AND 1.1 ~~micrometers~~ micrometers

(10)

~~D. H. Hoehn~~  
D. H. Hoehn  
G. F. Maffeo

Translation of the article: Spektrale  
Strahldichte des klaren und des bedeck-  
ten Nachthimmels im Wellenlaengenbereich  
von 0.5 bis 1.1 ~~micrometers~~ micrometers),

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SPECTRAL RADIANCE OF THE CLEAR AND OVERCAST NIGHT SKY AT  
WAVELENGTHS BETWEEN 0.5 AND 1.1  $\mu\text{m}$

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Abstract

Absolute radiant intensities ( ~~$\lambda$  0.5 - 1.1  $\mu\text{m}$~~ ) of the moonless night sky under various meteorological conditions were investigated with the help of a spectrometer built and calibrated for this purpose, ( ~~$\Delta \lambda = 0.01 \mu\text{m}$  at  $\lambda = 0.5 \mu\text{m}$ , increasing to  $\Delta \lambda = 0.1 \mu\text{m}$  at  $\lambda = 1.1 \mu\text{m}$~~ ). Fluctuating airglow emission lines in the visible region were always found to exist on top of a continuum which steadily increases in intensity to 1.1  ~~$\mu\text{m}$~~  <sup>micron: micrometer</sup> and which consists primarily of unresolved OH bands in the near IR. The absolute intensities were found to change considerably with the amount and type of cloud cover, but the spectral form (neglecting the lines) remained consistent, showing none the less a definite tendency to flatten for increasing cloud cover. The dependence of <sup>micrometer</sup> ~~micron~~ radiant intensities at 0.5577, 0.8, and 1.0  ~~$\mu\text{m}$~~  on meteorological conditions were statistically examined, resulting in histograms relating frequency of occurrence with radiance. These demonstrate quantitatively the displacement towards lower intensities for increasing cloudiness, ~~being about a factor of 3 at 1.0  $\mu\text{m}$  for clear/100% cloudy~~. The spectral radiances found for clear skies agree well with those found by other authors.

## 1. Introduction

The brightness of the night sky in the spectral range between  $\lambda$  0.5 and 1.1  $\mu\text{m}$  consists of astronomical and terrestrial components (Ref. 1). Several astronomical components contribute to the air glow produced in the upper atmosphere. In the near infrared, the terrestrial component predominates and consists basically of the hydroxyl-band emission at an altitude of 90 km. The brightness of the moonless clear night sky was investigated experimentally and theoretically from a number of different viewpoints (Ref. 2,3).

This study reports on experimental investigation of the brightness of the moonless night sky at varying degrees of overcast by clouds and/or dust. Accordingly, the spectral radiance of the night sky was determined in the range  $\lambda$  between 0.5 and 1.1  $\mu\text{m}$  in units of  $\text{Wcm}^{-2} \mu\text{m}^{-1} \text{steradian}^{-1}$  in order to make it possible to discuss, in addition to the spectral distribution, also the absolute brightness as a function of overcast of the night sky.

## 2. Spectrometer

For spectral analysis of the incident radiance from the night sky, we utilized a monochromatic illuminator (Carl Zeiss Co.) with azimuthal mounting. The radiation was cut down by a sector disc ahead of the input slot so as to produce a periodicity of 300 c/s and a reference signal could be derived from the sector disc. The field of vision of the instrument was determined experimentally as  $1.14 \times 10^{-2} \pm 5\%$  steradian (approximately  $7^\circ \phi$ ). The input and the output slot had a width of 1 mm and a height of about 5 mm. Fig. 1 represents the spectral slot width  $\Delta \lambda$  as a function of wavelength  $\lambda$



under these conditions.

In order to photograph spectra in the range  $\lambda$  between 1/3 0.5 and 0.8  $\mu\text{m}$ , a multiplier, EMI 9558 A(S-20 cathode) was arranged beyond the output slot. Spectra in the range between 0.7 and 1.1  $\mu\text{m}$  were measured with a multiplier, RCA 7102 (S-1 cathode), cooled by liquid nitrogen. The electric signals at the output of the multipliers were amplified, phase-sensitively rectified and recorded. The spectra could be recorded in 7 or 28 min depending on whether a time constant of  $\tau = 3$  sec or  $\tau = 30$  sec was required to obtain an adequate signal-to-noise ratio. In most cases  $\tau = 3$  sec was sufficient.

A calibrated quartz-iodine filament lamp (spectral irradiance standard L-101, Electro-Optics Association Inc., USA) permitted determination of spectral sensitivity  $R_N^{\text{VIS}}(\lambda)$  and  $R_N^{\text{IR}}(\lambda)$  for wavelengths between 0.5 and 0.8  $\mu\text{m}$  (EMI 9558 A) and/or 0.7 and 1.1  $\mu\text{m}$  (RCA 8102) in regard to spectral radiance  $N(\lambda)$ . The recorded curves  $U^{\text{VIS}}(\lambda)$  and  $U^{\text{IR}}(\lambda)$  could thus be converted, with the aid of a Siemens-2002 computer, to spectra  $N^{\text{VIS}}(\lambda)$  and  $N^{\text{IR}}(\lambda)$  for which 24 values of  $U^{\text{VIS}}$  and 26 values of  $U^{\text{IR}}$  were derived with the aid of a digital curve evaluator (Oscar K of Benson-Lehner). The mean error of the finally obtained radiances was 15 to 20%. The radiance equivalent to noise (NEEI) was about  $1 \times 10^{-10} \text{ Wcm}^{-2} \mu\text{m}^{-1} \text{ steradian}^{-1}$  at  $\lambda = 0.6 \mu\text{m}$  and  $\tau = 3$  sec, and about  $5 \times 10^{-10} \text{ Wcm}^{-2} \mu\text{m}^{-1} \text{ steradian}^{-1}$  at  $1.0 \mu\text{m}$  and  $\tau = 3$  sec for the RCA 7102 multiplier. The values determined under laboratory conditions occasionally showed a fivefold increase during night-sky measurements which must be ascribed to the external conditions under which the instruments operated at the respective location. However, the recording of night-sky was nevertheless

generally (incomplete sentence in source). In view of applications, the unit  $\text{Wcm}^{-2} \mu\text{m}^{-1} \text{steradian}^{-1}$  was preferred over the unit R (Ref. 3) generally used with clear night sky. /4

### 3. Classification of Overcasts in Night Skies

Since airglow as well as the astronomical components of the brightness of the night sky originate outside of the atmospheric range which can be characterized by meteorological parameters measurable on the ground, the type of overcast is the dominating factor in the night-sky spectrum under differing meteorological conditions. The variations of brightness of the airglow produced by changes of state in the emitting layers of the upper atmosphere, altitude 90 km and 250-400 km), are here assumed as given and not further investigated. The overcast of the night sky produces absorption and scattering of the radiation which is the source of the brightness of the night sky. As shown by observations in daytime, since the scattering and absorption by clouds is not greatly dependent on wavelength, the form of the spectrum of the night sky at wavelengths between 0.5 and 1.1  $\mu\text{m}$  is probably not greatly dependent on the type of overcast if we disregard that the depths of the absorption bands of water vapor may greatly vary at  $\lambda = 0.9 \mu\text{m}$  and  $1.1 \mu\text{m}$ . The absolute brightness of the night sky will depend, however, greatly on the type of existing overcast as can be verified even with the bare eye.

A further parameter is the albedo of the landscape in which the measurements of the night sky are carried out. The measurements in the Alpine region of Central Europe were

made with and without snow cover so that mean and very high albedo were recorded. The determination of the type of overcast of the night sky is known to be a problem not yet satisfactorily solved with existing instrumentation. It was determined here visually for a scale of five types of overcast  $T = 0, 1, 2, 3$  and  $4$  which signify the following:  $0$  = rain;  $1$  = very cloudy, stars not visible, principally stratus and nimbostratus;  $2$  = clouds between  $1$  and  $3$ ;  $3$  = cirrostratus and haze or slight fog, the brightest stars are visible;  $4$  = clear sky. /5

Types  $0, 1, 3$  and  $4$  can be determined visually very well but type  $2$  is always ambiguous. It contains mixed forms of overcast and only partially and/or rapidly changing cloudiness. Meteorologically, this case is difficult to determine definitely since the circumstances in the field of vision of the spectrometer (approximately  $7^\circ$  PHI) may vary greatly during recording of the spectrum so that the latter has only minor probative value or must be entirely eliminated. Measurements with snow on the ground are identified by addition of  $S$  in which  $0 S$  signifies falling snow and  $1 S, 2 S, 3 S$  and  $4 S$  signify corresponding overcasts with snow-covered ground.

From our earlier considerations on the effect of overcast, it may be expected that, with continuation of the form in principle of the spectrum of the night sky, the radiance of the night sky decreases in the mean from  $T = 0$  to  $T = 4$ . Under radiant values corresponding to  $T = 2$ , relatively strong scattering may be expected.

#### 4. Location of Measurement

Trial measurements were carried out at different remote locations in the South-German area. They all indicated that, especially at overcast sky, almost everywhere an illumination of the night sky is present due to the scattered light from artificial sources. Particularly in the near infrared, measurements of the night sky are then no longer possible because in contrast to the visible spectrum, the form of the spectrum of scattered light from artificial sources cannot be differentiated from that of the undisturbed spectrum of the night sky with the resolution of wavelength here utilized (cf. Fig. 1)

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At Scheibbrand (Pitztal, Tyrol) in Austria, scattered light from artificial sources could be excluded under all meteorological conditions with statistically reliable probability. Fig. 2 shows the view from the location of measurement toward South-Southeast. Measurements could be made, at an azimuth  $\alpha = 145^\circ$  (North  $\alpha = 0^\circ$ , numbering across East), at a range of altitude about the horizon of  $20^\circ$  to  $20^\circ$   $\angle W \angle 60$ . The Zenith and the Northern sky could not be included since the instrumentation was installed on a porch facing South and below a projecting roof in order to be able to measure also during rain and snowfall. During the three series of data made here the changes of weather frequent in the Alpine region made it possible to work under very different overcasts of the night sky (4 nights in August 1966, 10 nights in October 1966 and 10 nights in March 1967 with snow).

#### 5. Discussion of Findings

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5.1 - Spectral Range  $\lambda$  0.5 to 0.9  $\mu\text{m}$

In this chapter, we discuss first the form of the spectrum of the night sky at wavelengths between 0.5 and 0.8  $\mu\text{m}$  and regard the radiance of the night sky at 0.557  $\mu\text{m}$ , recorded with a spectral slot width of  $\Delta\lambda = 0.015$   $\mu\text{m}$ , as a function of altitude under different overcasts of the night sky. Subsequently we statistically investigate the radiance as a function of the types of overcast defined in Section 3.

#### 5.1.1 - Form of the Spectrum

The figures 3-a, -b and -c represent 3 spectra  $N^{\text{VIS}}$  of the night sky at wavelengths between 0.5 and 0.8  $\mu\text{m}$  photographed with clear sky (type 4 and type 4 S) at a height of  $h = 60^\circ$ . Characteristic are the intense night-sky lines, green at 0.5577  $\mu\text{m}$  (OI), the sodium line at 0.5893  $\mu\text{m}$  (NaI, doublet) and the non-resolved red lines at 0.6300 and 0.6364  $\mu\text{m}$  (OI) which are visible in the spectra with varying intensity. They lie along a continuum consisting of the so-called green continuum of the airglow and extraterrestrial irradiance to which hydroxyl-band emission contributes which begins at about 0.52  $\mu\text{m}$ . It causes the further characteristic trace of the night-sky spectra in this range, i.e. the increase of spectral radiance to wavelengths as far as 0.8  $\mu\text{m}$ .

The variations of radiance of these night-sky lines have not been correlated. Only the radiance of the sodium line is correlated to that of the hydroxyl-band emission (Ref. 3,4,5,6,7).

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The radiance of the green night-sky line (Ref. 2, 3,

8 and specifically 5 and 9) varies each night and during one and the same night very greatly and irregularly. It shows no pronounced nocturnal variation. Occasionally, a weak midnight maximum was observed in mean latitudes. The annual variation here appears to possess in October a maximum of the monthly mean (Ref. 9). The radiance of the line is correlated to that of the so-called green continuum of the airglow (Ref. 5). The frequency distribution of the radiances is "oblique". With minor probability, there also occur very intense radiances which must be ascribed to increased excitation of emission by polar lights. In mean geographic latitudes, the radiance of the green night-sky line varies between 50 and 700 R with a mean of about 250 R. If we add to this the mean component of the hydroxyl-band emission (20R) falling in the region  $\Delta \lambda = 0.015 \mu\text{m}$ , and other continuous radiation (240 R) (Ref. 2 and specifically Ref. 10), then radiance at  $0.557 \mu\text{m}$  may here assume values between  $6 \times 10^{-10}$  and  $18 \times 10^{-10} \text{ Wcm}^{-2} \mu\text{m}^{-1} \text{ steradian}^{-1}$ .

The radiance of the sodium line exhibits a pronounced minimum in summer and maximum in winter but not a nocturnal variation in the mean. In the summer, its intensity varies between 10 and 200 R, in the winter between 10 and 400 R with a mean at 10 and/or 100 R (Ref. 2, 3, 8 and specifically Ref. 5). If we add to this again the mean components of the hydroxyl-band emission (60R) and the continuous radiation (288 R) in the spectral interval of  $\Delta \lambda = 0.018 \mu\text{m}$  utilized, we then find, for the radiances in summertime at  $0.5893 \mu\text{m}$ , values between  $5 \times 10^{-10}$  and  $7 \times 10^{-10} \text{ Wcm}^{-2} \mu\text{m}^{-1} \text{ steradian}^{-1}$ , and values for winter between  $5 \times 10^{-10}$  and  $10 \times 10^{-10} \text{ Wcm}^{-2} \mu\text{m}^{-1} \text{ steradian}^{-1}$ .

The red night sky line (Ref. 2, 3, 8 and specifically Ref. 5) shows no annual variation in the mean but a pronounced nocturnal variation. Its radiance passes through a wide nocturnal minimum which is subject, however, to rather great variations and is moreover interrupted by brief-interval brightness. In mean geographic latitudes, we find radiances between 20 and 400 R. We can utilize, for the midnight minimum, 40 R as mean value. At a spectral slot width of  $\Delta \lambda = 0.024 \mu\text{m}$ , radiance at  $0.63 \mu\text{m}$  may therefore vary between  $6 \times 10^{-10}$  and  $10 \times 10^{-10} \text{ Wcm}^{-2} \mu\text{m}^{-1} \text{steradian}^{-1}$  where 150 R have been added as mean component of the hydroxyl-band emission and 348 R as mean component of the continuous radiation (Ref. 2 and specifically Ref. 10).

After calculation of additional mean radiances at wavelengths between  $0.5$  and  $0.8 \mu\text{m}$  (Ref. 10), we were able to plot in Fig. 4 the schematic gradient of the spectral radiance of the night sky to be expected for the spectral resolution here utilized. For  $\lambda$  not greater than  $0.7 \mu\text{m}$ , we utilize a continuous background (night-sky continuum  $0.3 \text{ R}/\text{\AA}$  and astronomical continuum  $1.3 \text{ R}/\text{\AA}$ ) of  $1.6 \text{ R}/\text{\AA}$  (Ref. 1). At  $\lambda = 0.75 \mu\text{m}$ , we took into consideration only the astronomical component of  $1.3 \text{ R}/\text{\AA}$ . The value at  $0.8 \mu\text{m}$  corresponds to the pure hydroxyl-band emission.

The range of variation of radiance at the locus of the intensive night-sky lines corresponds to the hachured areas. The spectra measured with clear sky agree well with the schematic spectrum corresponding to the findings of other authors. Additional variations are due to the variation in

time of the hydroxyl-band emission and to variations of the continuous radiation (Ref. 5).

Although variable in detail, this characteristic form of the night-sky spectrum is maintained even with overcast sky as demonstrated by the spectra  $N^{VIS}(\lambda)$  in Fig. 5. They were recorded at the types of overcast 0 (Fig. 5-a), 1 (Fig. 5-b), 2 (Fig. 5-c) and 3 (Fig. 5-d). The available material of 167 spectra was tested by comparative examination of the spectra for maintenance of this characteristic form. Accordingly, the relative night-sky spectrum does not appear to be subject to variation as a function of the overcast of the sky which go much beyond the large range of variation of the spectrum of the clear night sky discussed and sketched in Fig. 4. A precise investigation of this question would be possible only if measurements could be made simultaneously above and below a cloud cover which can be attempted only in the course of further observations of the night sky. This should disclose the certainly existing dependence on wavelength of the reduction of irradiance from the night sky by the respective existing overcast. /10

For the time being, the schematic spectrum shown in Fig. 4 can be utilized also as model for the relative night sky spectrum with overcast sky.

#### 5.1.2 - Radiance at $0.5577 \mu\text{m}$ as Function of Altitude above Horizon

It should be pointed out that we speak here always of the radiance at  $\lambda = 0.557 \mu\text{m}$  as measured with the spectral



slot width of  $\Delta\lambda = 0.015 \mu\text{m}$ . The continuum which is the location of the green night-sky line, was not determined in this study so that it is not possible to convert to the radiance of the line.

With clear sky, the radiance of night-sky emission increases with decreasing altitude because the path of the visual ray in the emitting atmospheric layer here is prolonged. In addition, however, atmospheric extinction increases with decreasing altitude so that the radiance passes through a maximum near the horizon (Ref. 3).

In Fig. 6, the values corresponding to a clear sky (type 4) show the expected increase with decreasing  $h$  in the range of altitude  $20^\circ$  not greater than  $h$  not greater than  $60^\circ$  accessible to measurement. The values here entered for other types of overcast demonstrate the difficulty of such measurements as a function of altitude with overcast sky when spectra are recorded as here. In the required time, the brightness of the overcast sky both changes as a whole as well as in individual sections independently of each other generally so greatly that the values can scarcely be correlated. /11

However, we are able to derive from Fig. 6 that the variation is not particularly great with altitude and that it is rather less with overcast than with a clear sky. This is to be expected from the Lambert law because a cloud illuminated from above would radiate, as an optically thick medium, downward in the ideal case, i.e. without any dependence on altitude. However, the conditions are greatly

modified by the variable thickness of the overcast, i.e. its cloud structure. We must further take into consideration the topography which leads with low cloud cover to special conditions when measurements are made in a steeply cut Alpine valley in order to prevent interference from artificial sources. Since all these influences so far have not been investigated, all of the radiances measured at all altitudes  $20^\circ$  not greater than  $h$  not greater than  $60^\circ$  were utilized as statistically equivalent in this first investigation of radiance as a function of overcast of the night sky. This produced a mean over all of these effects.

### 5.1.3 - Radiance at $0.556 \mu\text{m}$ with Differing Overcast of the Night Sky

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In order to detect the radiances  $N(0.557 \mu\text{m})$  measured at  $\Delta\lambda = 0.557 \mu\text{m}$  with a spectral slot width of  $\Delta\lambda = 0.015 \mu\text{m}$  as a function of overcast of the night sky, there are discussed the frequency distributions of the radiances measured at the types of overcast  $T$  define in Section 3.

Since the number of the available values  $N(0.557 \mu\text{m})_T$  is not very large as shown in Table 1; there are indicated histograms  $p(0.557 \mu\text{m})_T$  of the frequency distribution. For this purpose, the number of values  $N(0.557 \mu\text{m})_T$  was determined in classes of radiance of the width  $1 \times 10^{-10} \text{ Wcm}^{-2} \mu\text{m}^{-1} \text{ steradian}^{-1}$ . After normalization, there result the histograms shown in Fig. 7. We plotted the distribution of all of the values measured for one type and the hachures indicate the distribution of the values measured with snow. In addition, we determined the theoretical value of radiance, i.e. the barycenter  $(N(0.557 \mu\text{m})_T)$  of the frequency

distribution and entered it in Fig. 7 as arrow. The long arrow indicates the bary center of the overall distribution and the shorter one that of the distribution of the values in winter. In Table 1 is given the number of the values  $N(0.5577 \mu\text{m})_T$  per type of overcast and the related bary center as well as the corresponding values for frequency distributions of all values  $N(0.5577 \mu\text{m})$ .

We determined 2 distributions for all values  $N(0.5577 \mu\text{m})$ , i.e.  $p(0.5577 \mu\text{m})$  and  $p_1(0.5577 \mu\text{m})$ . At  $p(0.5577 \mu\text{m})$ , all measured values were classified as specified and subsequently normalized to the total number of the values. Since only relatively short series of measurement could be made, the number of the values, i.e. of the measured spectra  $N^{\text{VIS}}$ , per type of overcast should not be regarded as representative for the annual distribution of night-sky overcast. Such a distribution also could not be obtained for subsequent normalization since the statistics of the degree of overcast from meteorological observations of the Central Office of the German Weather Service do not give any information on the type of overcast. As a substitute, we therefore determined here a distribution  $p_1(0.5577 \mu\text{m})$  which was normalized to the equal distribution of the selected types of overcast  $T$ . For this purpose, the values  $p(0.5577 \mu\text{m})$  per class of radiance must be summated and normalized to the number of types of overcast, i.e. 5. Fig. 8 represents both distributions graphically.

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Fig. 7 shows that, with decreasing heaviness of overcast, i.e. in the sequence of  $T = 0$  to  $T = 4$ , the measured radiances increase in the mean as expected. The distributions  $p(0.5577 \mu\text{m})_T$  and bary centers are displaced toward

higher radiances as shown by Table 1. That the values measured with snow and overcast sky are higher in the mean than those with clear sky can be interpreted as reflection of the radiation from the snow cover and from the overcast sky. The latter is eliminated with clear sky so that a displacement to higher radiances does not occur. Let us state here and now that, in the near infrared, an increase of mean radiance occurred in winter also with a clear sky (cf. Section 5.2.3). The variation of radiance at  $0.557 \mu\text{m}$  with clear sky is so great, however, that this effect is not yet statistically reliably confirmed in view of the relatively small number of the available values. We therefore plotted in Fig. 7 also histograms in which the summer and winter values were combined. The bary centers of these distributions can be utilized as approximation for the theoretical values of radiance at  $0.5577 \mu\text{m}$ . The deviations from these bary centers may be very large as /14 shown by the histograms.

The histogram of the values  $N(0.5577 \mu\text{m})_{T=4}$  (Fig. 7) shows that the width of the distributions is basically determined by the natural variation of the radiance of the green night-sky line which is here entered as a bar according to the considerations in Subsection 5.1.1. (cf. Fig. 4). Even the form of distribution which is oblique and whose median is less than its bary center, agrees well with the distribution of radiance of the green night-sky line as it is indicated in Ref. 2. The displacement from the zero point to higher radiances corresponds to the continuous background in the range  $\Delta \lambda = 0.015 \mu\text{m}$  in the surroundings of the line. The extension toward higher radiances may

already contain polar lights. In the North of Germany and specifically in the Scandinavian area, it will, especially in years of maximum sunspots, increase to even higher radiances and may also contain higher frequencies.

The 2 total distribution in Fig. 8 which are not differentiated characteristically, are oblique in the same sense. The annual distribution of radiance at  $0.557 \mu\text{m}$  in Central Europe should lie in the neighborhood of these distributions and probably consists of a less structured block with probabilities on the order of 0.1 which extends to about  $10^{-9} \text{ Wcm}^{-2} \mu\text{m}^{-1} \text{ steradian}^{-1}$  and to which the extension toward higher radiances succeeds which is conditioned by peak values of the night-sky glow or even by weak polar lights at  $0.5577 \mu\text{m}$  (OI). It contains values which are encountered with clear sky. The values here occurring more frequently still lie in this block, i.e. below  $10^{-9} \text{ Wcm}^{-2} \mu\text{m}^{-1} \text{ steradian}^{-1}$ .

## 5.2 - Spectral Range between $0.7$ and $1.1 \mu\text{m}$

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We shall again discuss first the form of the night-sky spectrum at wavelengths between  $0.7$  and  $1.1 \mu\text{m}$  and the dependence on altitude of the radiance at a selected wavelength, i.e.  $\lambda = 1.0 \mu\text{m}$ , recorded with a spectral slot width of  $\Delta \lambda = 0.035 \mu\text{m}$  and under differing overcast of the night sky. Subsequently we shall statistically investigate the radiances at  $0.8 \mu\text{m}$  ( $\Delta \lambda = 0.052 \mu\text{m}$ ) and  $1.0 \mu\text{m}$  ( $\Delta \lambda = 0.035 \mu\text{m}$ ) as a function of the types of overcast defined in Section 3.

### 5.2.1 - Form of the Spectrum

Figs. 9-a, -b and -c represent night-sky spectra <sup>NIR</sup> between 0.7 and 1.1  $\mu\text{m}$ , photographed with clear sky ( $T = 4$  and 4 S) at a height of  $h = 60^\circ$ . In this spectral range, the structure of the spectrum is basically simpler than in the visible spectral range. The increase of the radiance to longer wavelengths beginning here continues throughout the entire spectral range considered. It is interrupted only by the more or less strongly manifested absorption band of water vapor at 0.9  $\mu\text{m}$ . Other atmospheric absorptions lying in this spectral range are not visible in the spectra by reason of the large spectral slot width (cf. Fig. 1) with which we operated. Absorption of water vapor at 1.1  $\mu\text{m}$  could not be detected quantitatively since the sensitivity of a S-1 cathode is here already extraordinarily low. Since the 0.9  $\mu\text{m}$  band also could not be accurately detected by reason of the high noise in the infrared recordings, it is not investigated in the following. This would also require atmospheric moisture profiles at the locus of measurement which were not available.

The entire radiance existing in the range between 0.7 and 1.1  $\mu\text{m}$  originates basically from the hydroxyl-band emission in the atmosphere at an altitude of about 90 km. So far little is known on the component of extraterrestrial radiation from the radioplanimetric investigations in this spectral range. The separation of the astronomical from the atmospheric component is here extraordinarily difficult, particularly since the latter is probably essentially larger than the former which is also shown by the photographic spectra in Ref. 10. For comparison of the present

measurements with the findings of other authors, we can therefore turn only to the hydroxyl-band emission. It should be noted here that the components were also not separated in this study so that a comparison is entirely permissible.

The radiance of the hydroxyl-band emission correlated to the sodium emission (Ref. 5, 6, 7) shows no nocturnal variation in the mean but does show an annual variation. In the mean geographic latitudes, mean radiances 4 times higher were found in winter than in summer (Ref. 5, 11). This annual variation (Ref. 3), more or less pronounced in individual cases, is superposed by variation between different nights or within one and the same night where the radiance may vary by about  $\pm 50\%$  according to Ref. 3.

So far there are available mean experimental and theoretical band intensities (Ref. 1, 2, 10) which agree well and permit the assumption that the relative form of the hydroxyl-band spectrum remains largely constant although this question so far has experimentally not been accurately investigated. From indications in Ref. 10, there was constructed, for the spectral slot width utilized, a schematic mean night-sky spectrum between 0.8 and 1.1  $\mu\text{m}$ . Disregarding the not very intensive  $\text{O}_2$  band at 0.865  $\mu\text{m}$  (500 R), the values represent only hydroxyl-band emissions.

Fig. 10 represents this schematic spectrum together with the schematic spectrum starting at 0.5  $\mu\text{m}$  (Fig. 4) where atmospheric absorption was not taken into account. For comparison, a spectrum was composed in Fig. 11 of the

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2 spectra in Fig. 3-a and 9-a. The absorption at  $0.9 \mu\text{m}$  can here be clearly recognized. Both representatives agree well in indicating the high increase of radiance of the night sky in the near infrared. It is in general not adequately manifested only by reason of the decreasing receiver sensitivities in this spectral range.

This simple and characteristic form of the night-sky spectrum between  $0.7$  and  $1.1 \mu\text{m}$  remains basically preserved even with overcast sky as is demonstrated by the spectra  $N^{\text{IR}}$  in Fig. 12-a to -d.

From the above considerations, the form of the hydroxyl-band spectrum of the clear night sky can be assumed as constant, disregarding atmospheric absorption. If we assume further that the radiance of the hydroxyl-band emission did not essentially change during photographing of a spectrum (generally 7 min), then the relation

$$\frac{I_{\lambda}}{I_0} = \frac{N(1.0 \mu\text{m})}{N(0.8 \mu\text{m})} \quad /18$$

can be employed for characterizing the form of the spectrum under different types of overcast. Gamma theoretically possesses the value of 4 (cf. Fig. 10) if atmospheric absorption is not also computed. The values  $1.0 \mu\text{m}$  and  $0.8 \mu\text{m}$  were selected because the radiances decrease at  $\lambda$  less than  $0.8 \mu\text{m}$  and the sensitivity of the S-1 cathode greatly decreases at  $\lambda$  greater than  $1.0 \mu\text{m}$  which would lead to large errors in both cases. The radiances at both wavelengths but especially at  $1.0 \mu\text{m}$  are influenced by the absorptions bands of water vapor at  $0.9$  and  $1.1 \mu\text{m}$  so that these are considered in part in the empirical detection.



of the form of the night-sky spectrum through the relation  $\gamma_{\text{obs}}$ .

In order to obtain mean values for  $\gamma$ , we calculated the mean value

$$\left\langle \gamma_T \right\rangle = \left\langle \frac{N(1.0 \mu\text{m})}{N(0.8 \mu\text{m})_T} \right\rangle$$

for each type of overcast  $T = 0 + 0 S, 1 + 1 S, 2 + 2 S, 3 + 3 S$  and  $4 + 4 S$ . These values are indicated in Table 2. With decreasing overcast, they increase from 2 to 3. That the value 4 is not attained and that  $(\gamma_T)$  even drops to 2 under precipitation must be ascribed primarily to the absorption of water vapor which influences the value  $N(1.0 \mu\text{m})$  more strongly than the value  $N(0.8 \mu\text{m})$ . For this reason  $(\gamma_T)$  drops with increasing water-vapor absorption.

At low spectral resolution, the slope of the spectrum therefore drops in the near infrared. To what degree, in addition to the absorption in bands, the dependence on wavelength of the continuous reduction of radiation participates in this and what form the latter possesses cannot be determined from the present material. This would require measurement above and below a cloud cover as already stated.

#### 5.2.2 - Radiance at $1.0 \mu\text{m}$ as Function of Altitude above Horizon

In complementation to Section 5.12, we should note here that the variation of radiance at  $1.0 \mu\text{m}$  with altitude is

very minor even in the clear sky as shown by Fig. 13. This must be again ascribed to the absorption of water vapor at 0.9 and 1.1  $\mu\text{m}$  which increases with decreasing altitude more than extinction at 0.5577  $\mu\text{m}$  and influences the radiance measured at 1.0  $\mu\text{m}$ . With overcast sky, the dependence on altitude is even less as is shown by the values in Fig. 13 in spite of their considerable scattering. Accordingly, we assumed the values measured at various altitudes in the investigation of radiance as a function of types of overcast, to be statistically equivalent.

### 5.2.3 - Radiance at 0.8 and 1.0 $\mu\text{m}$ under Differing Overcast of the Night Sky /19

As for  $N$  (0.5577  $\mu\text{m}$ ), histograms  $p$  (0.8  $\mu\text{m}$ )<sub>T</sub> and  $p$  (1.0  $\mu\text{m}$ )<sub>T</sub> of the frequency distribution of radiance were determined also for  $N$  (0.8  $\mu\text{m}$ ) and  $N$  (1.0  $\mu\text{m}$ ). The width of the radiance classes utilized was  $1.5 \times 10^{-10} \text{ W cm}^{-2} \mu\text{m}^{-1} \text{ steradian}^{-1}$  at 1.0  $\mu\text{m}$ . The relation of the individual radiance classes is of approximately the same magnitude as the relation of the mean radiances at these wavelengths. Consequently, the occupation per radiance class also lies around the same order of magnitude.

Fig. 14 and 15 graphically represent the histograms  $p$  (0.8  $\mu\text{m}$ )<sub>T</sub> and  $p$  (1.0  $\mu\text{m}$ )<sub>T</sub> where the distribution of the values measured with snow are again shown in hachures. The barycenters of the distributions are entered as arrows. The short arrows correspond to measurements in winter.

Fig. 16 and 17 represent the overall distributions  $p$  (0.9  $\mu\text{m}$ ) and  $p_1$  (0.8  $\mu\text{m}$ ) and/or  $p$  (1.0  $\mu\text{m}$ ) and  $p_2$  (1.0  $\mu\text{m}$ ).  $p(\lambda)$  again represents the distribution of the values

measured here. At  $p_1(\lambda)$ , the equipartition of the types of overcasts was assumed as already discussed in Section 5.1.3. Table 3 indicates the measured number of radiance values per type of overcast and the locus of the bary center of the respective distributions.

Fig. 14 and 15 indicate that, as expected, the measured radiances increase in the mean with decreasing intensity of the overcast. However, the increase is less than at  $0.557 \mu\text{m}$  as shown by a comparison of the barycenters ( $N(\lambda)_T$ ) in Table 1 and 3. The radiances measured with snow in the mean show higher values with all types of overcast and even with a clear sky. This can be easily ascribed to the annual variation of the hydroxyl-band emission. In comparison to this fact which may lead in winter to an increase of mean radiances by factors of as much as 4 (Ref. 5, 11), the component of the radiance reflected from the snow cover and subsequently from the overcast of the night sky in total radiance is probably minor. As for  $0.5577 \mu\text{m}$ , these statements must be tested at the proper time from a larger than the present number of measurements where particularly the spectral reflectivity and transmissivity of the overcast needs to be investigated in detail. /20

The barycenters of the histograms grouping the summer and the winter measurements can be utilized as approximations for the theoretical value of radiance of the night sky at  $0.9$  and  $1.0 \mu\text{m}$  under different overcast. The scattering of the radiances is demonstrated by the histograms in Fig. 14 and 15.

Beyond this, the histograms  $p(0.8 \mu\text{m})_{T=4}$  and  $p(1.0 \mu\text{m})_{T=4}$  show that the width of the distribution is again given primarily by the natural variation of the hydroxyl-band emission which was shown as bar and lies around the same order of magnitude with overcast sky. The values of the schematic spectrum in Fig. 10 were utilized here and only the variation of  $\pm 50\%$  given in Ref. 3 was assumed but which probably contains the essential part of the short-interval and long-interval variations of the radiance of the hydroxyl-band emission.

The total distributions in Fig. 16 and 17 should not differ greatly, in accordance with the discussion in Section 5.1.3, from the annual frequency distributions. They are oblique but are clearly differentiated from the total distribution of the values  $N(0.5577 \mu\text{m})$  which consists of a little-structured block of about constant probability with an extension toward higher radiances. /21

There exists here a steep rise to which succeeds a uniform drop with a very short extension toward higher radiances. Since the rise lies at the locus of the noise of the measuring apparatus utilized which corresponds to an input signal of  $5 \times 10^{-10} \text{ W cm}^{-2} \mu\text{m}^{-1} \text{ steradian}^{-1}$  at  $\lambda = 1.0 \mu\text{m}$ , it is not necessarily a component of the true distribution of the nocturnal radiance in the near infrared.

The latter therefore decreases from frequencies on the order of 0.2 at very minor radiances relatively uniformly to very small frequencies since it reaches approximately  $2 \times 10^{-9} \text{ W cm}^{-2} \mu\text{m}^{-1} \text{ steradian}^{-1}$  at  $0.9 \mu\text{m}$  and  $5 \times 10^{-9} \text{ W cm}^{-2} \mu\text{m}^{-1} \text{ steradian}^{-1}$  at  $1.0 \mu\text{m}$ .

### 5.3 - Correlations

It would seem desirable to be able to conclude from measurements in instrumentally easily accessible spectral ranges on the radiance in larger or other ranges.

This possibility does not exist in the visible spectrum because the radiance of the 3 intensive night-sky lines is not correlated. If such statistical mean values as made available here are insufficient for some given problematics, measurements must then be made for the respective spectral region under consideration. In the near infrared, however, it is possible in principle to determine the spectral radiance at a given wavelength in an arbitrary spectral interval with reasonable reliability through measurement at some wavelength starting from about  $0.67 \mu\text{m}$  (Ref. 5), /22 except for regions of higher atmospheric absorption. For this purpose, the variation of the form of the spectrum at wavelengths between  $0.6$  and  $1.1 \mu\text{m}$  or beyond must still be investigated in greater detail. For the time being, the factors ( $\gamma$ ) given in Table 2 and the schematic spectrum in Fig. 10 can be utilized to conclude from measurements at  $0.8$ ,  $1.0$  or adjacent wavelengths on the radiance and other wavelengths.

### 6. Conclusion

The findings of this study make it possible to indicate empirical mean values for the radiance of the night sky at  $0.5577 \mu\text{m}$  (green night-sky line),  $0.8 \mu\text{m}$  and  $1.0 \mu\text{m}$  (hydroxyl-band emission) under different overcast. It is

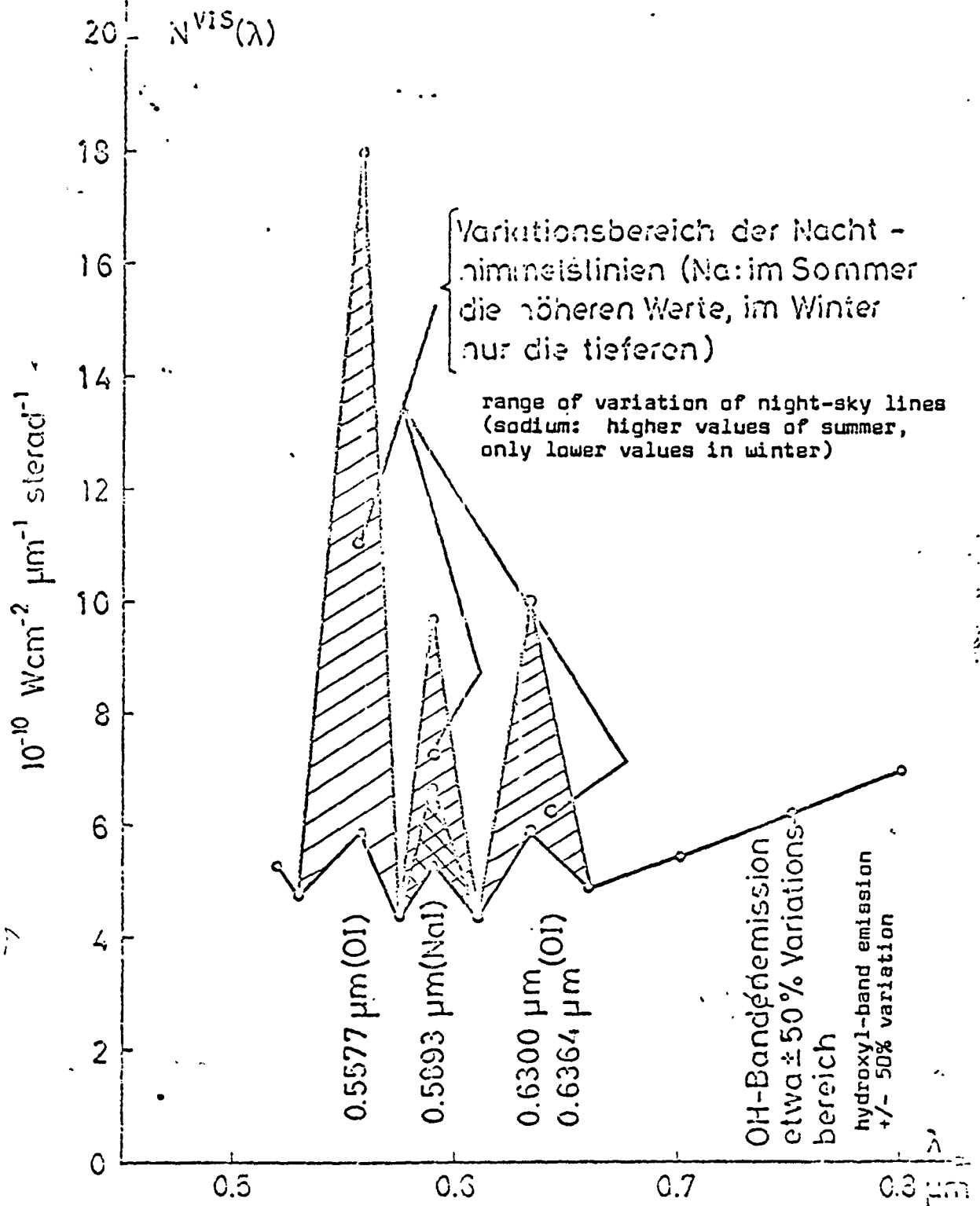
further possible to make initial statements on the form of the night-sky spectrum at wavelengths  $\lambda$  between 0.5 and 1.1  $\mu\text{m}$ .

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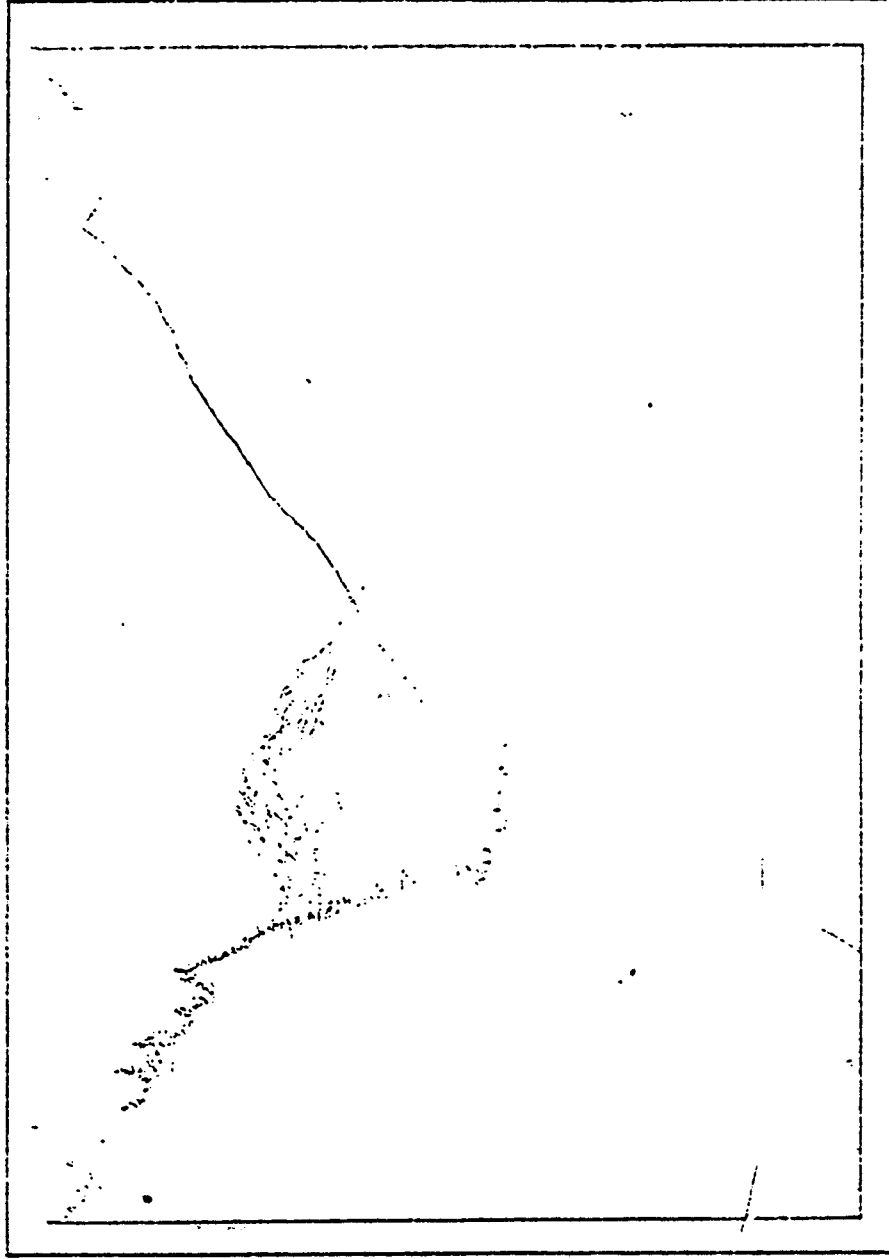
Translated by the Translation  
and Interpretation Division  
Institute of Modern Languages



Schematisches Nachthimmelsspektrum ( $\Delta\lambda$  entsprechend Figur 1)

SCHEMATIC SPECTRUM OF NIGHT SKY ( $\Delta\lambda$  AS IN FIG. 1)

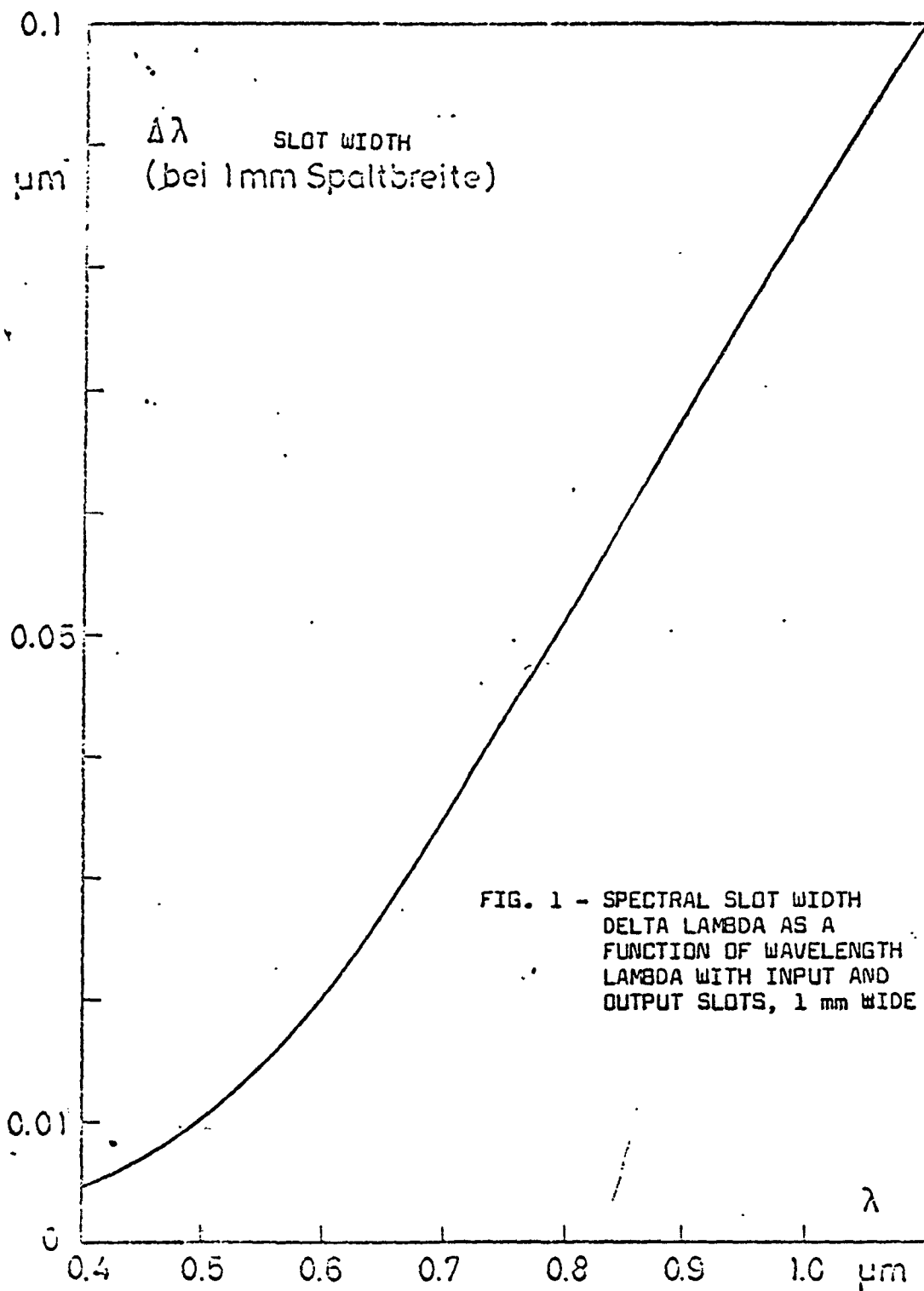




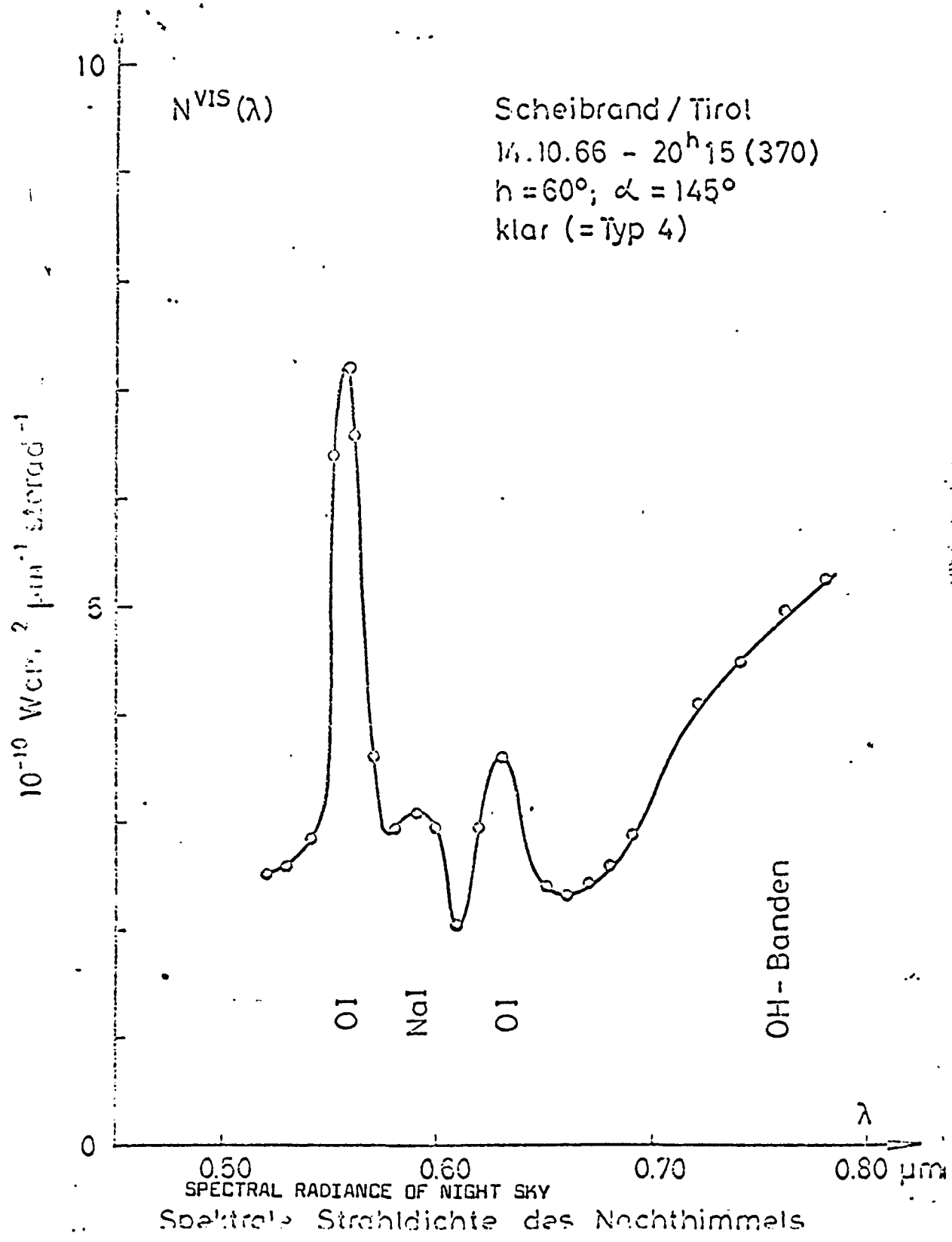
Scheibbrand im Pitztal, Tirol, Österreich  
Talsohle 1350 m ü. N.N.  
Blick nach Südsüdost vom Meßplatz aus

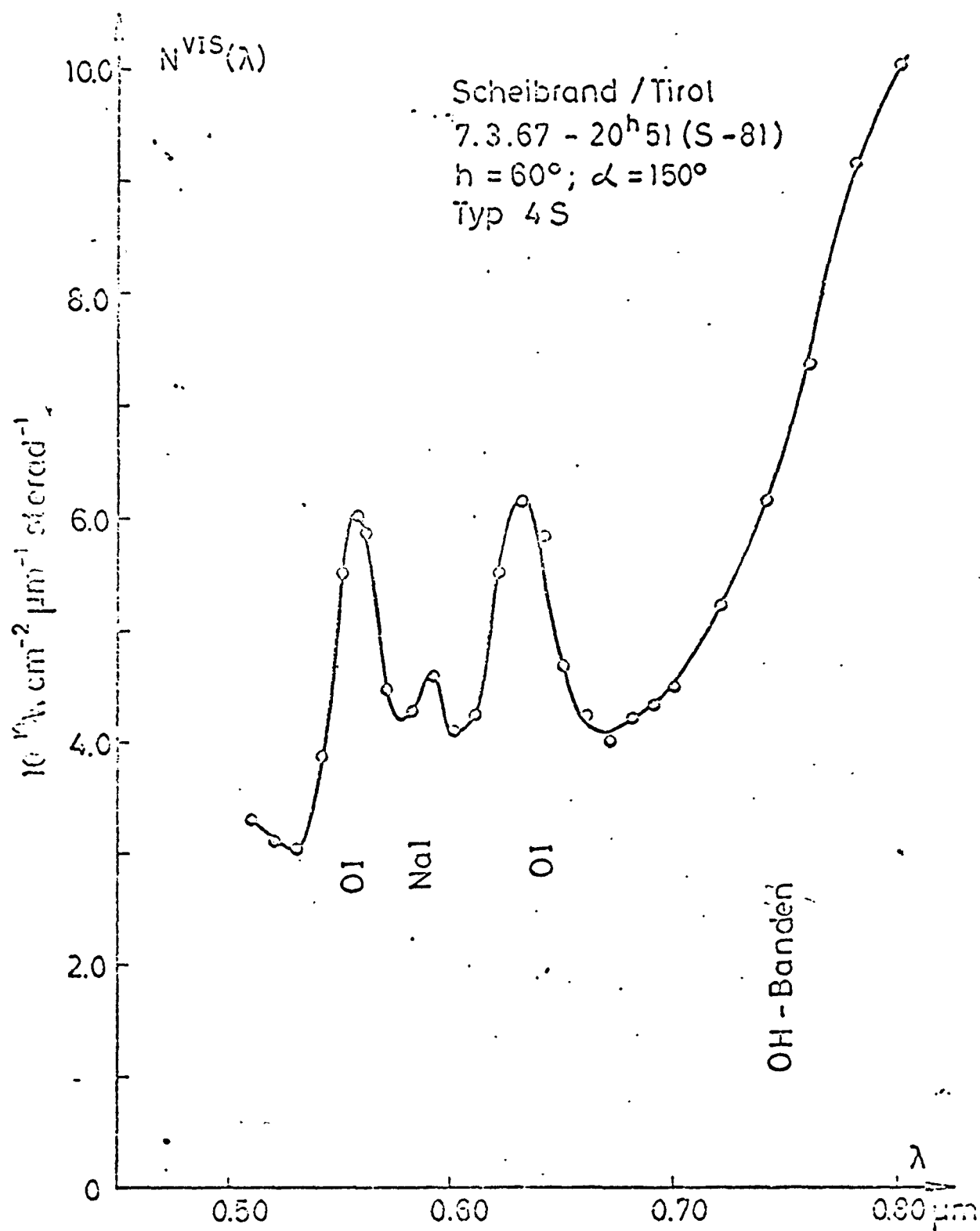
SCHEIBRAND (PITZTAL, TYROL)  
IN AUSTRIA, VALLEY INVERT 1,350 m  
ABOVE SEA LEVEL: VIEW FROM TEST  
LOCATION TOWARD SOUTH-SOUTHEAST

Fig. 2

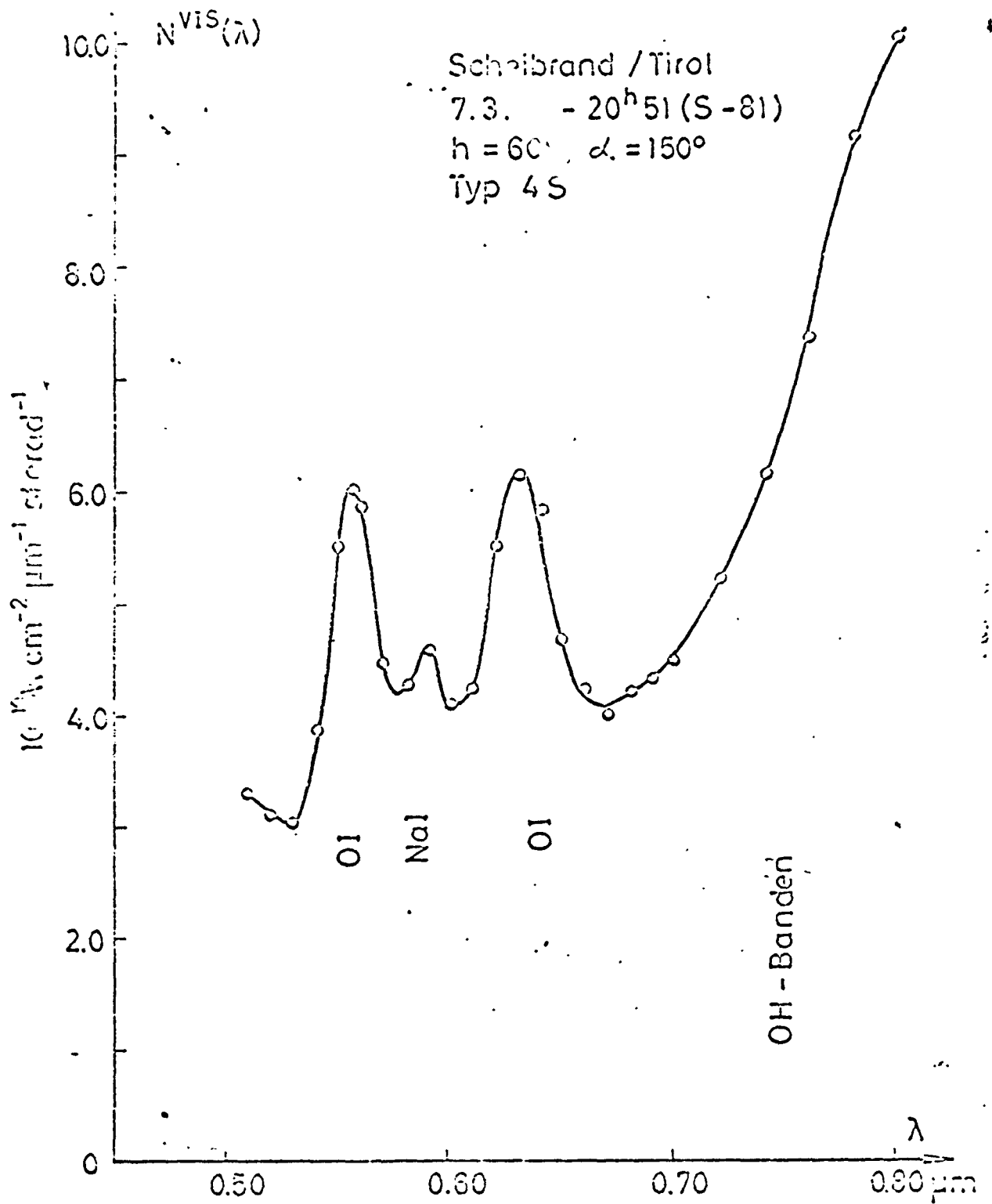


Spektrale Spaltbreite  $\Delta\lambda$  als Funktion der Wellenlänge  $\lambda$   
 bei Ein- und Austrittsspalten von je 1mm Breite



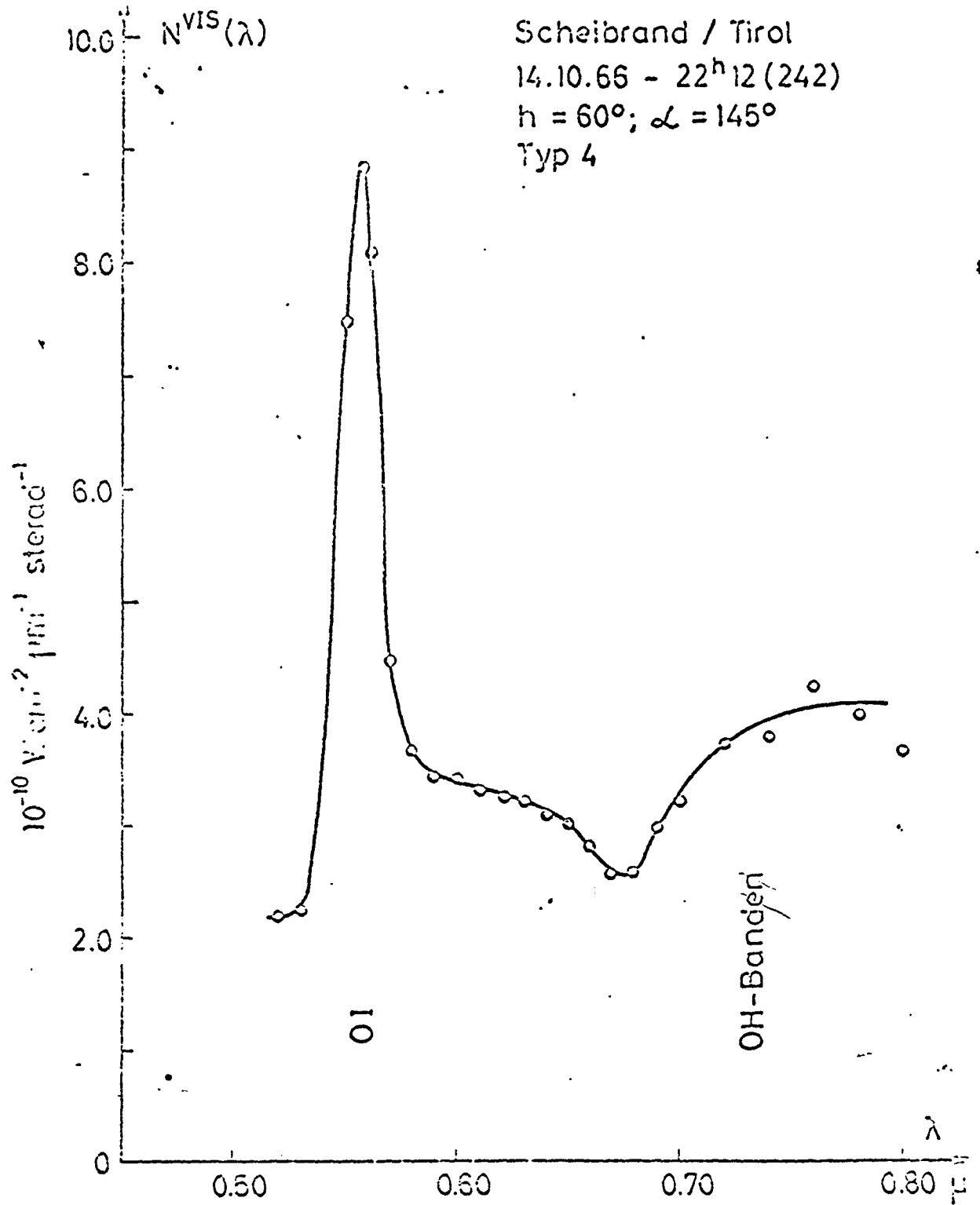


Spektrale Strahllichte des Nachthimmels  
 SPECTRAL RADIANCE OF NIGHT SKY



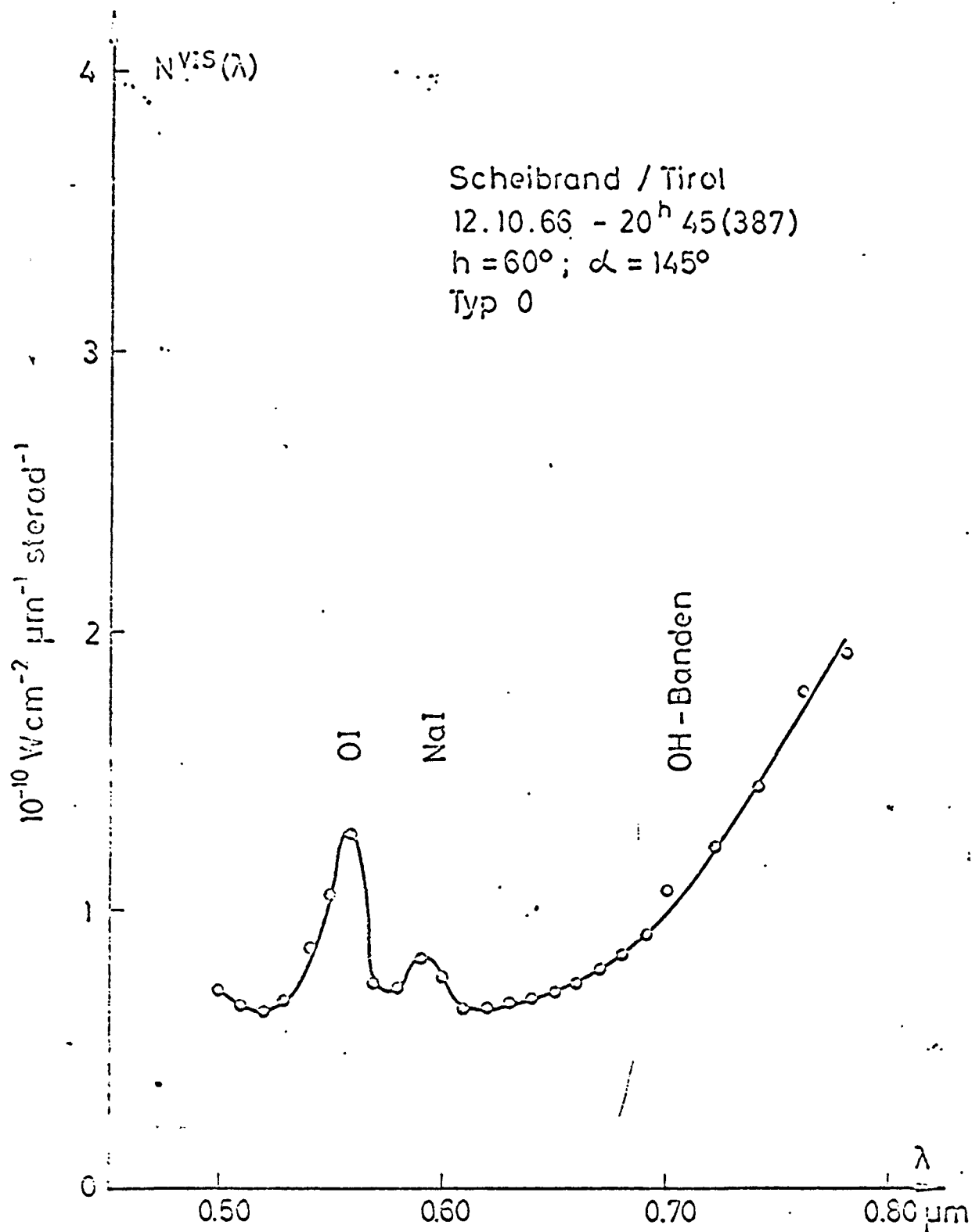
Spektrale Strahlensichte des Nachthimmels  
SPECTRAL RADIANCE OF NIGHT SKY

Fig. 34

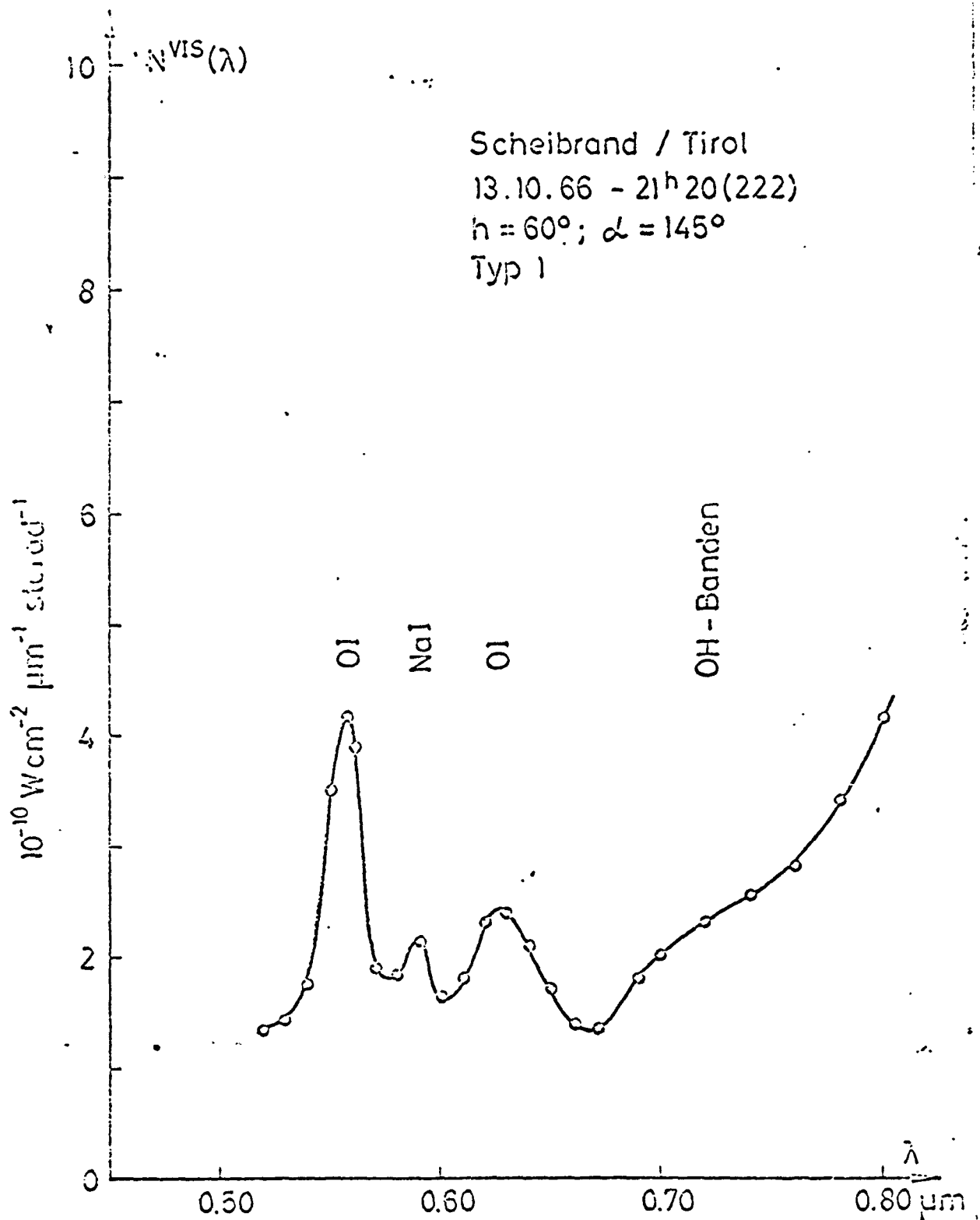


Spektrale Strahldichte des Nachthimmels  
SPECTRAL RADIANCE OF NIGHT SKY

Fig. 3c

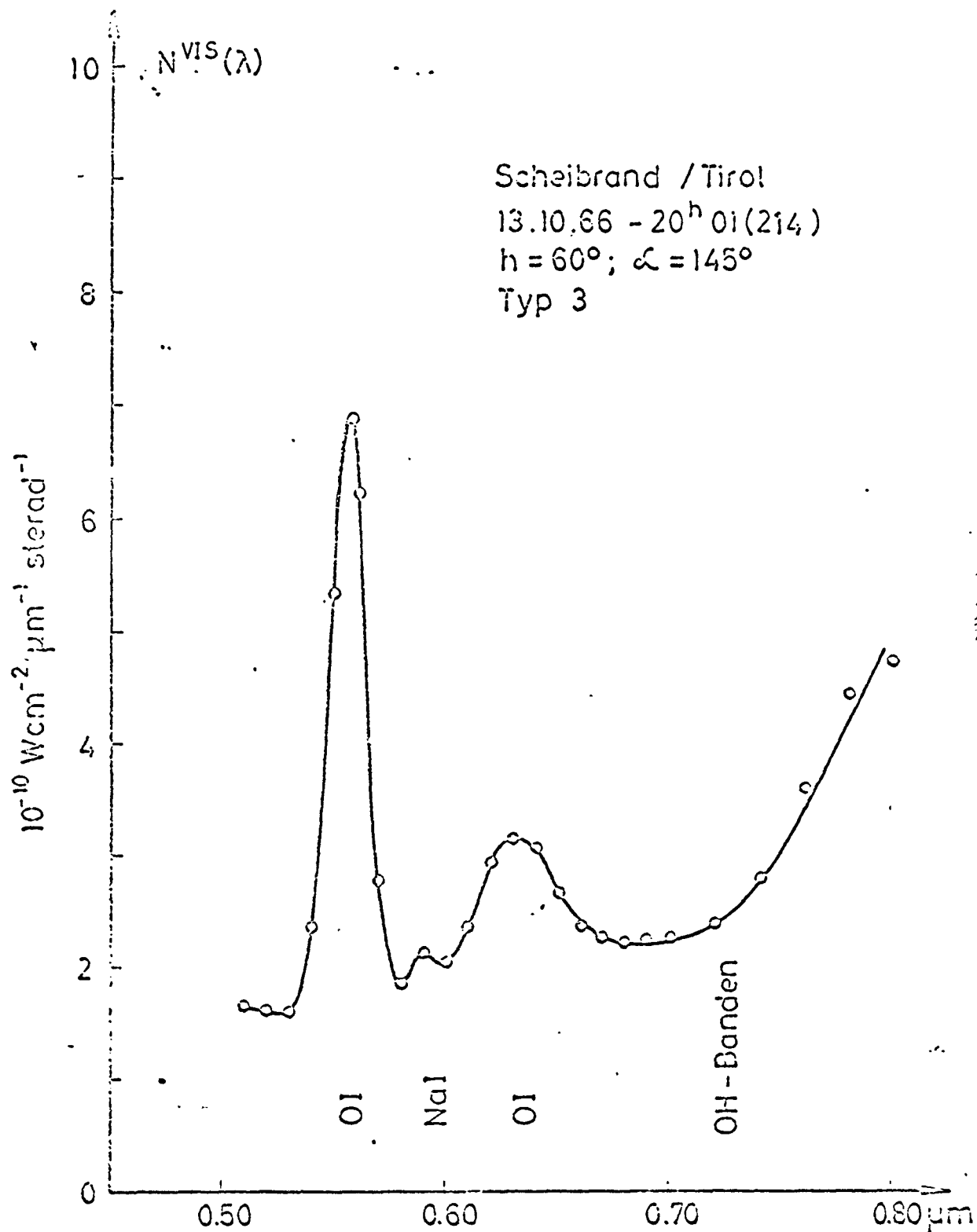


Spektrale Strahldichte des Nachthimmels  
 SPECTRAL RADIANCE OF NIGHT SKY

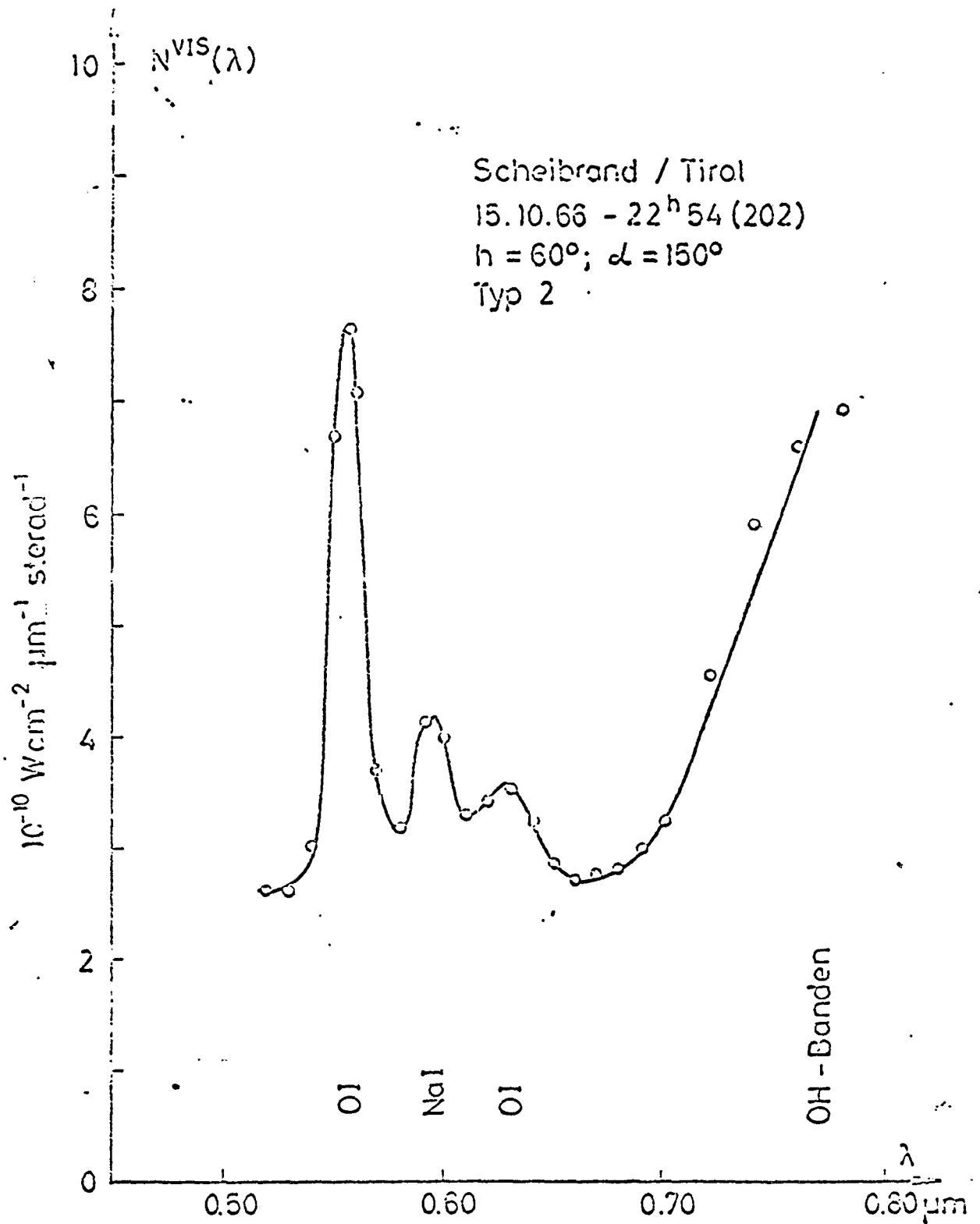


Spektrale Strahlendichte des Nachthimmels  
SPECTRAL RADIANCE OF NIGHT SKY



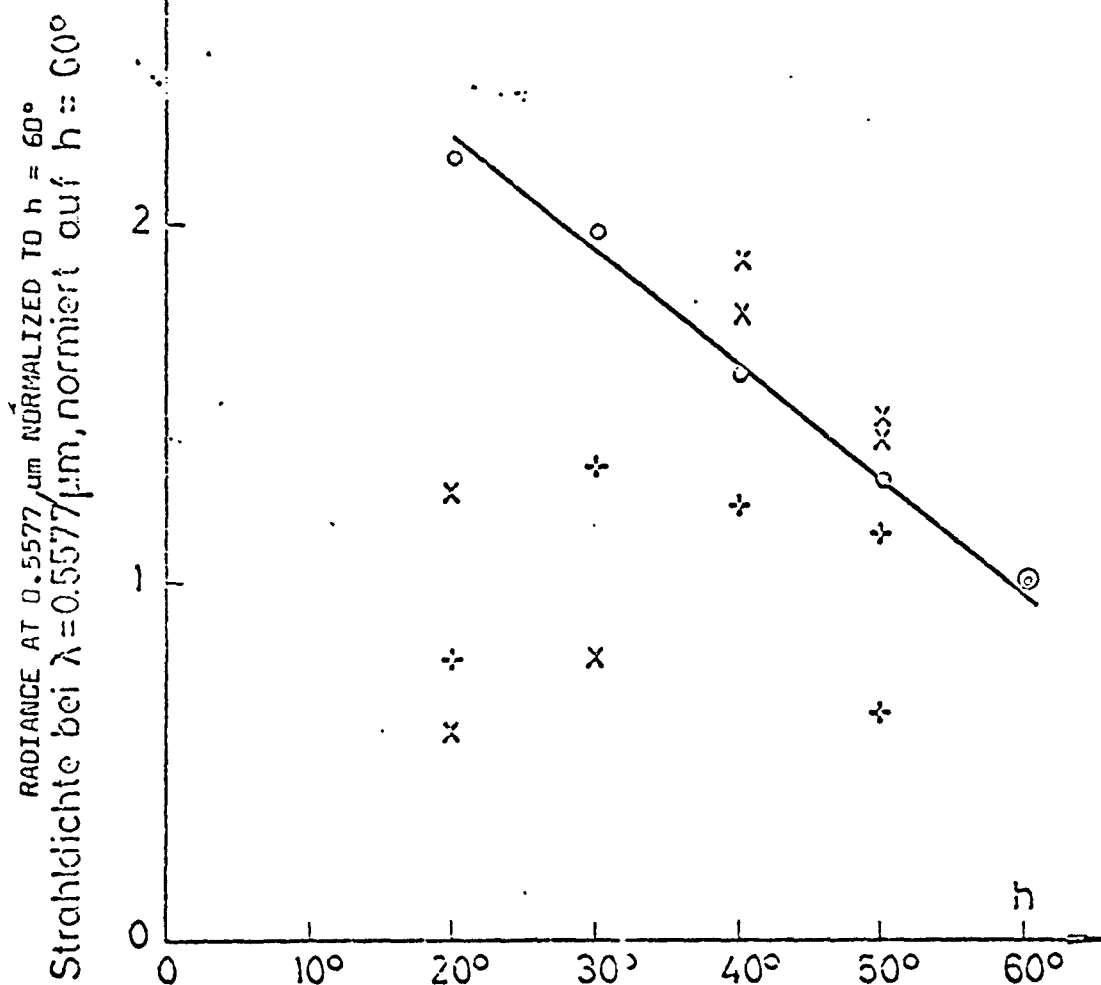


Spektrale Strahldichte des Nachthimmels  
 SPECTRAL RADIANCE OF NIGHT SKY



Spektrale Strahldichte des Nachthimmels  
SPECTRAL RADIANCE OF NIGHT SKY

Fig. 5c



Strahldichte bei  $\lambda = 0.5577 \mu\text{m}$  ( $\Delta\lambda = 0.015 \mu\text{m}$ )  
als Funktion der Höhe über dem Horizont

o : Typ 4 (klar)

+ : Typ 2 (Wolken)

x : Typ 1 (starke Bewölkung)

s. Kap. 3

Es wurden jeweils Mittelwerte aus mehreren  
Messungen benutzt

RADIANCE AT  $\lambda = 0.557 \mu\text{m}$  ( $\Delta\lambda = 0.015 \mu\text{m}$ ) AS A FUNCTION OF ALTITUDE  
ABOVE HORIZON.

o = type 4 (clear)

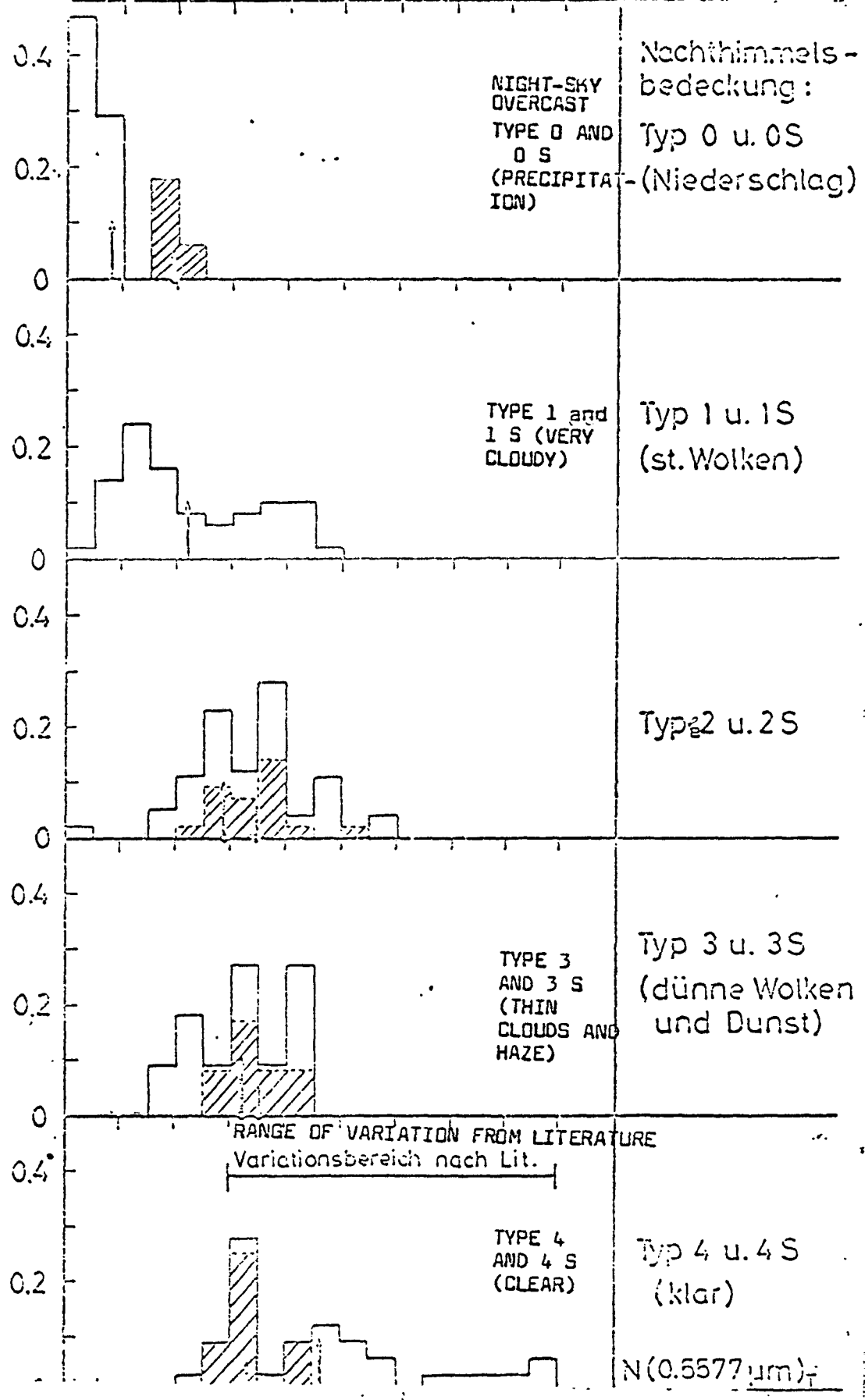
+ = type 2 (clouds)

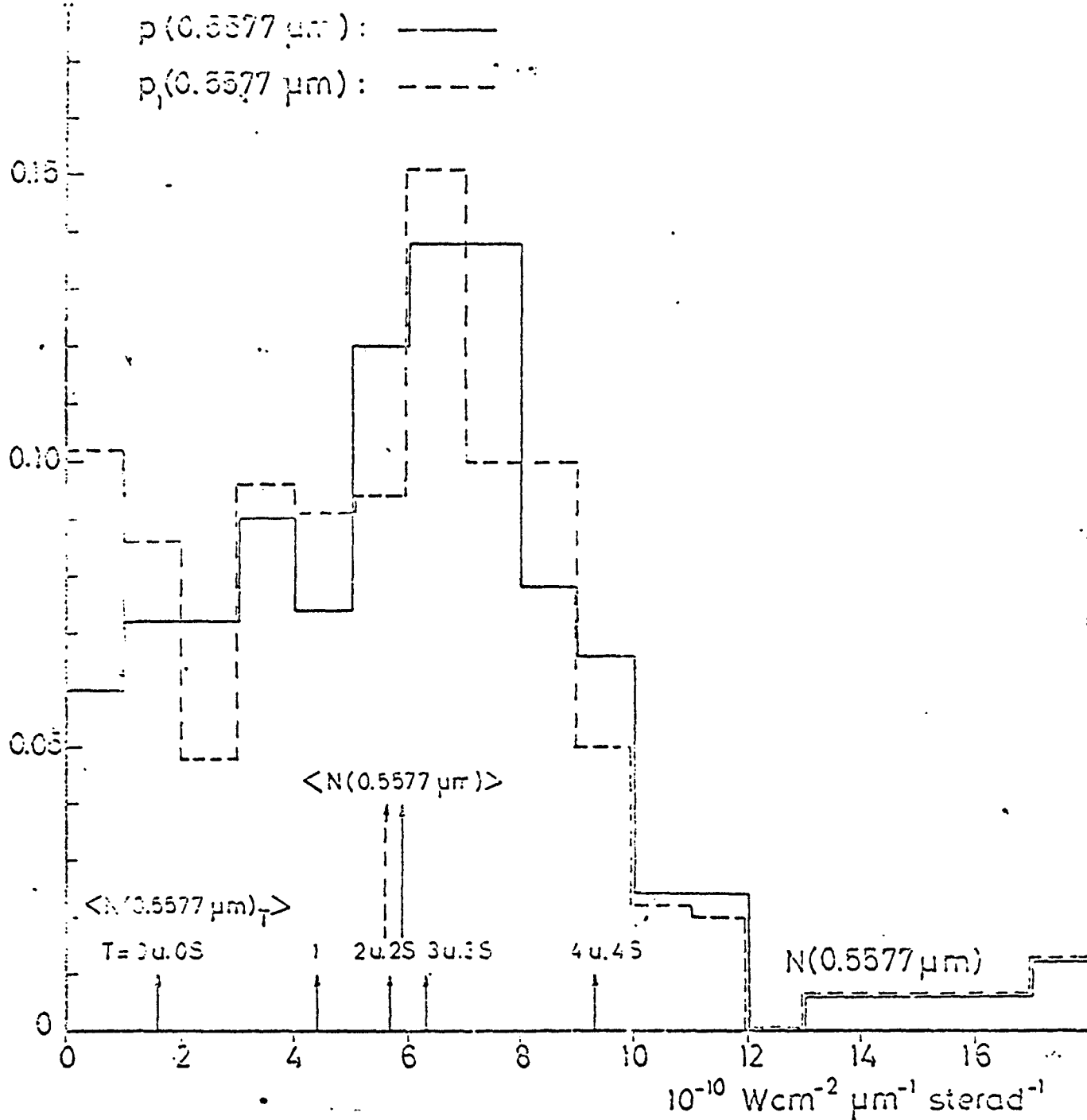
x = type 1 (very clouded)

Fig. 6

cf. Section 3. Mean values of several measurements  
were employed each time.

FREQUENCY DISTRIBUTIONS OF RADIANCE AT  $0.5577 \mu m$   
 Häufigkeit  $p(0.5577 \mu m)$

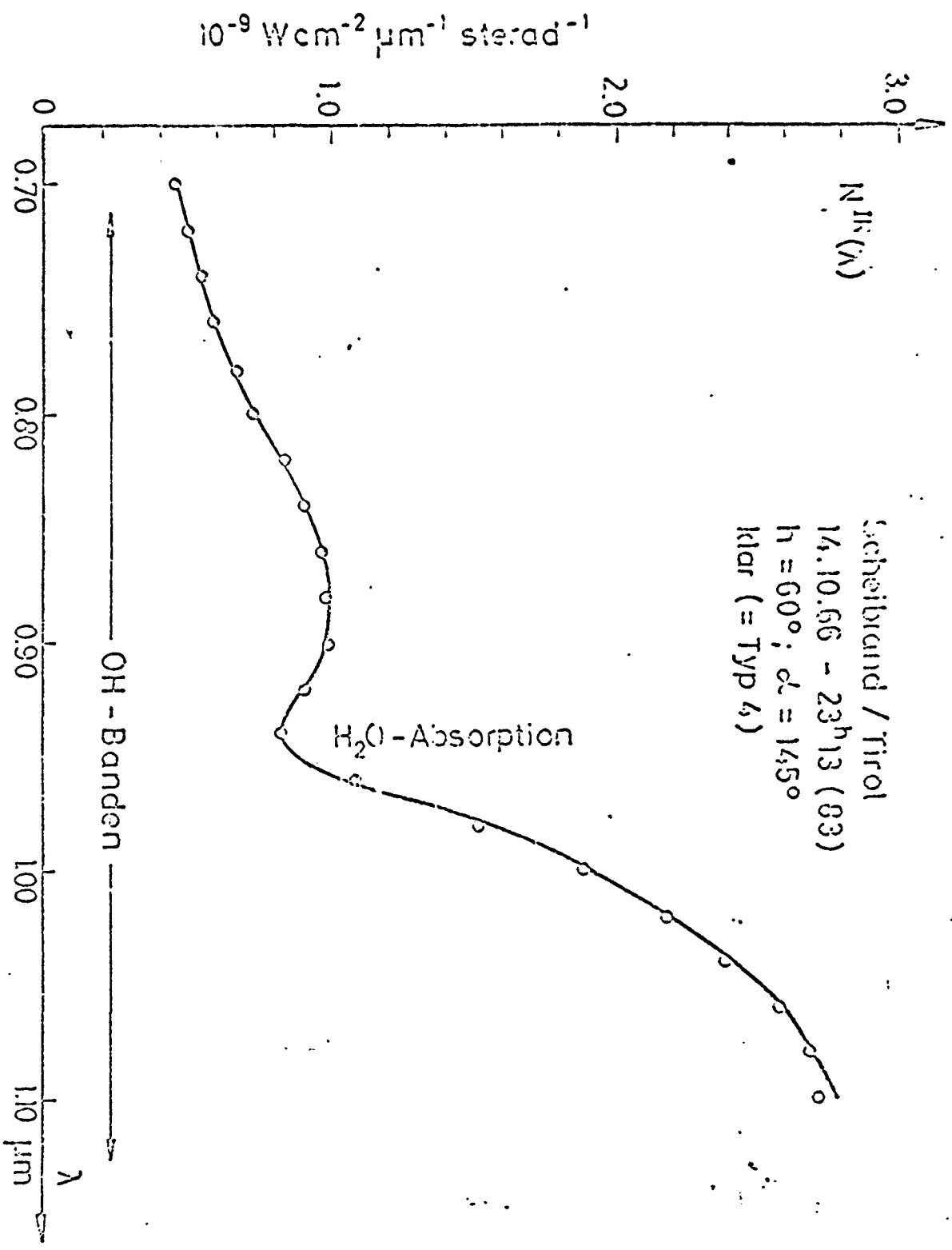




Häufigkeitsverteilung der Strahldichte bei  $\lambda = 0.5577 \mu\text{m}$   
 FREQUENCY DISTRIBUTION OF RADIANCE AT  $0.5577 \mu\text{m}$

Fig. 8

SPECTRAL RADIANCE OF  
NIGHT SKY



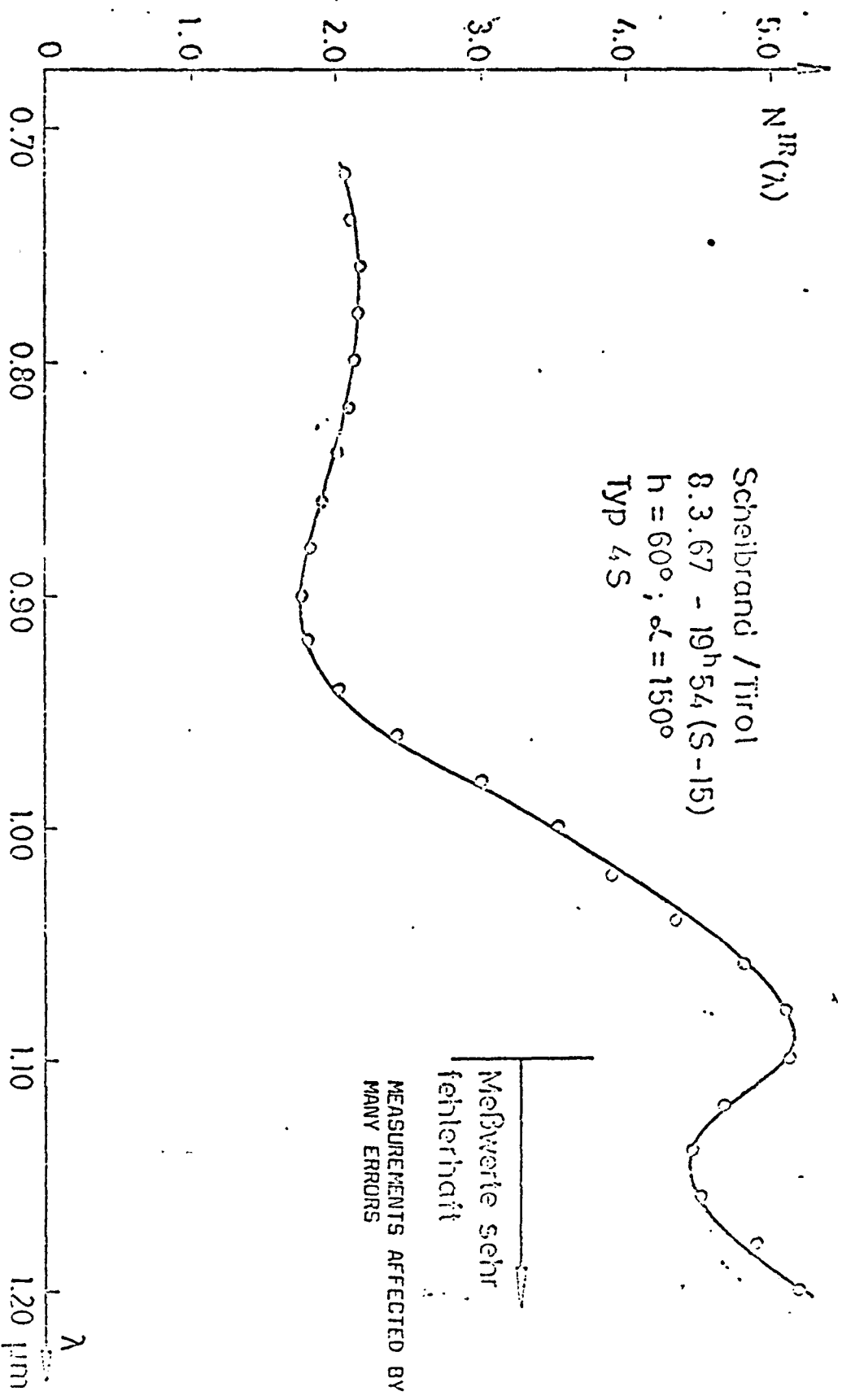
Scheibbrand / Tirol  
14.10.66 - 23<sup>h</sup>13 (83)  
 $h = 60^\circ$ ;  $\alpha = 145^\circ$   
klar (= Typ 4)

Spektrale Strahldichte des Nachthimmels  
Fig. 9a

SPECTRAL RADIANCES  
OF NIGHT SKY

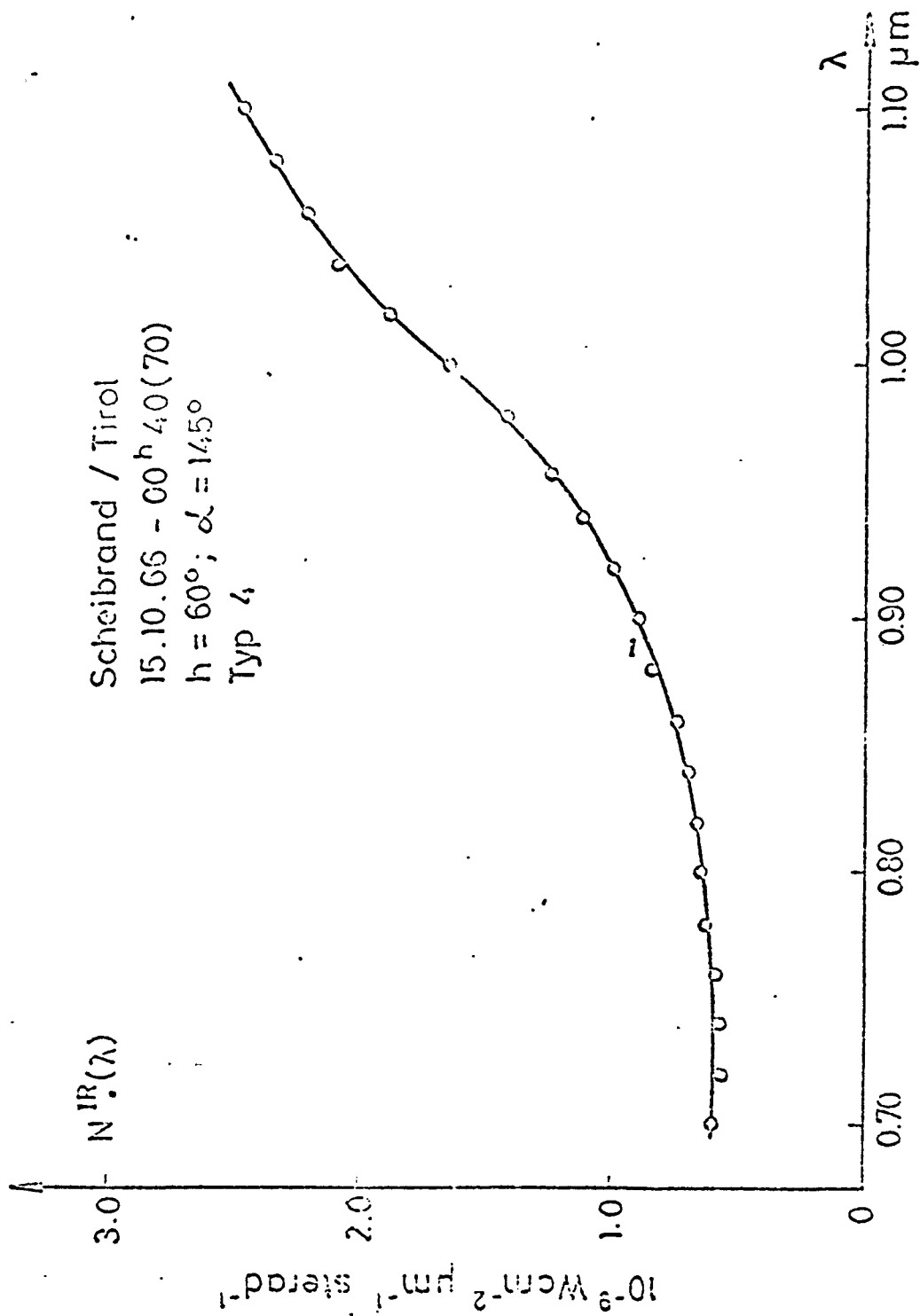
Spektrale Strahlendichte des Nachthimmels

Fig. 9b

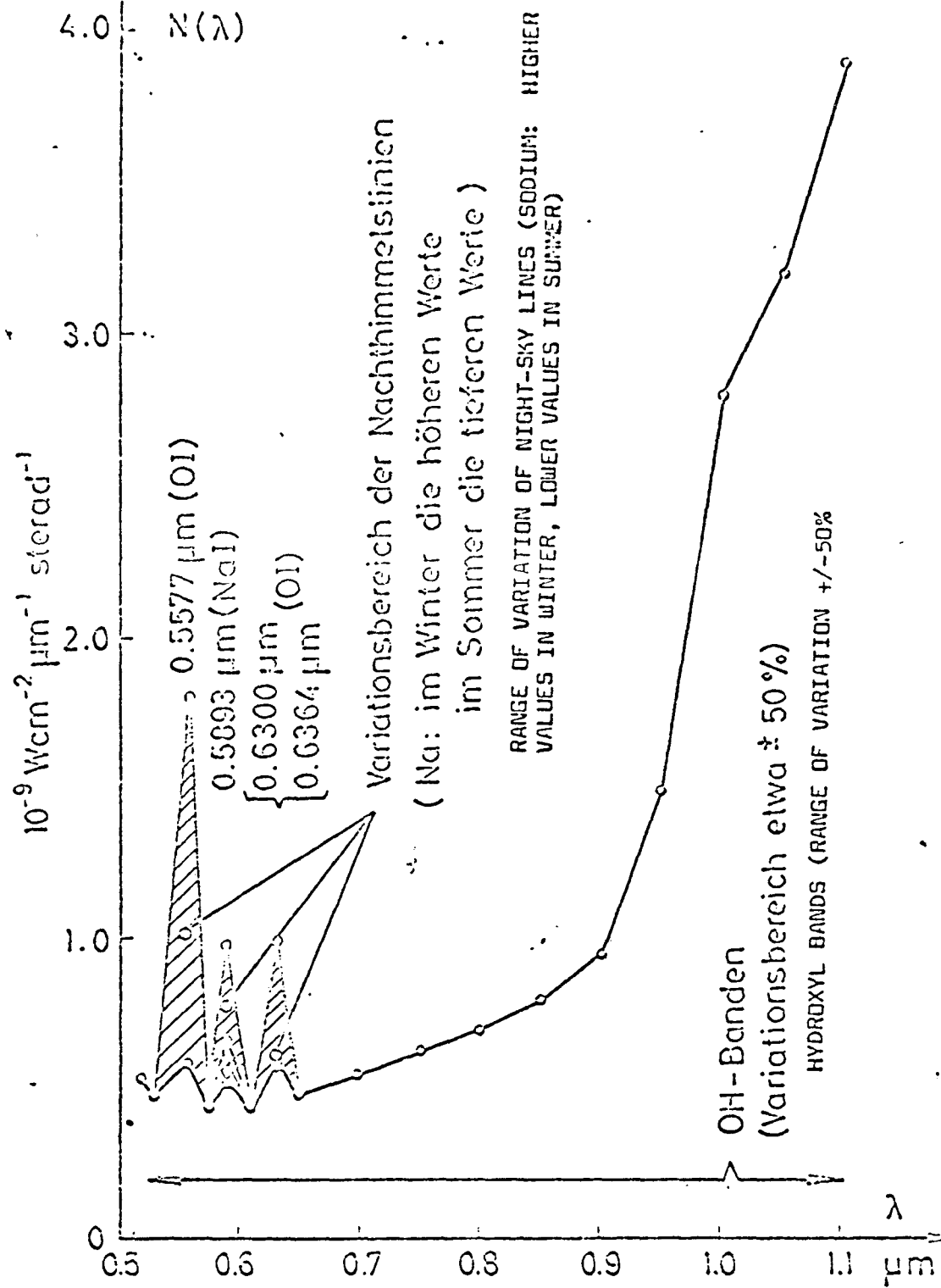


Scheibbrand / Tirol  
8.3.67 - 19<sup>h</sup> 54 (S-15)  
 $h = 60^\circ$ ;  $\alpha = 150^\circ$   
Typ 4S

Meßwerte sehr  
fehlerhaft  
MEASUREMENTS AFFECTED BY  
MANY ERRORS

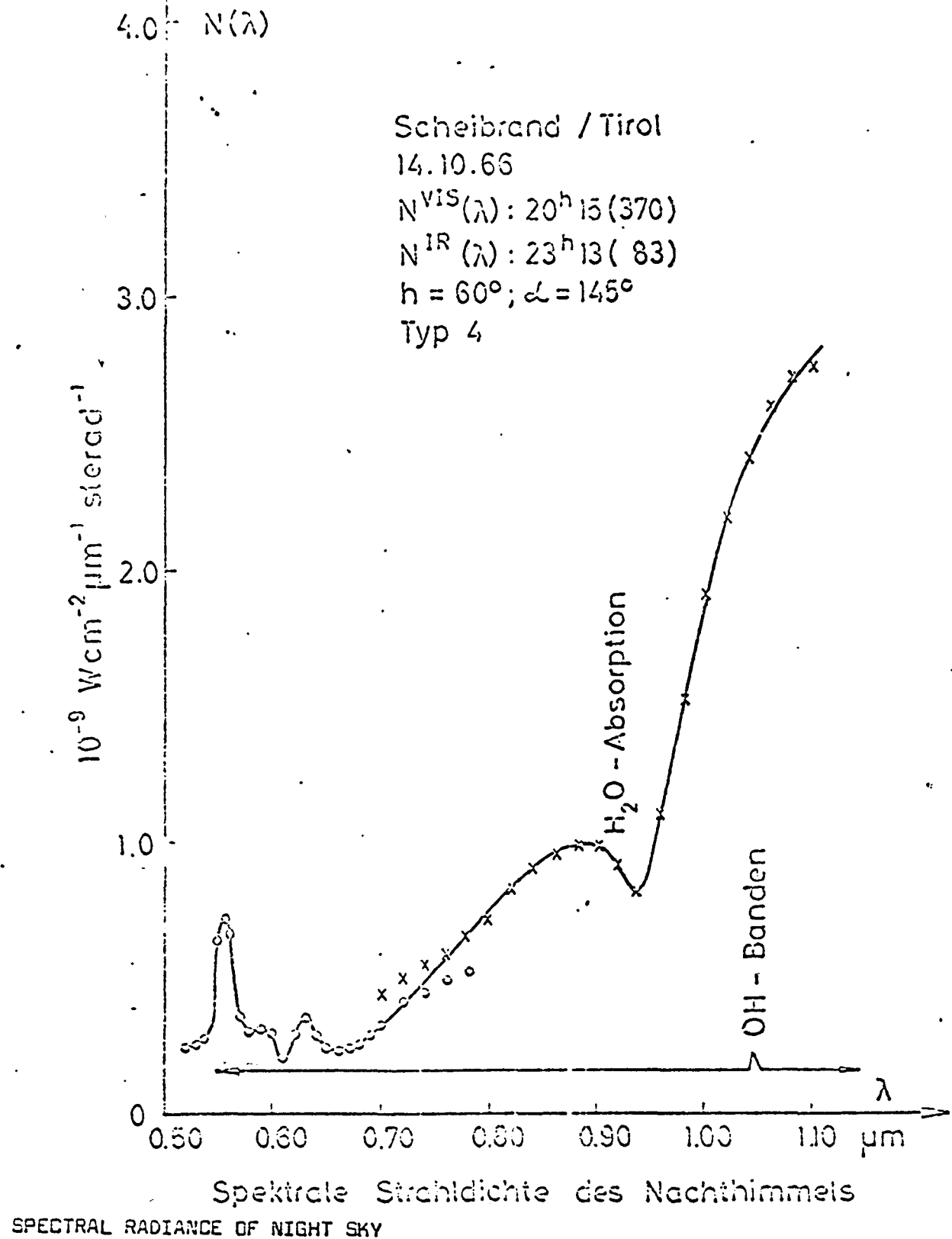






Schematisches Nachthimmelsspektrum ( $\Delta \lambda$  entsprechend Figur 1)

SCHEMATIC SPECTRUM OF NIGHT SKY  
(AS IN FIG. 1)



TOTAL RADIANCE OF NIGHT SKY

Spektrale Strahlendichte des Nachthimmels

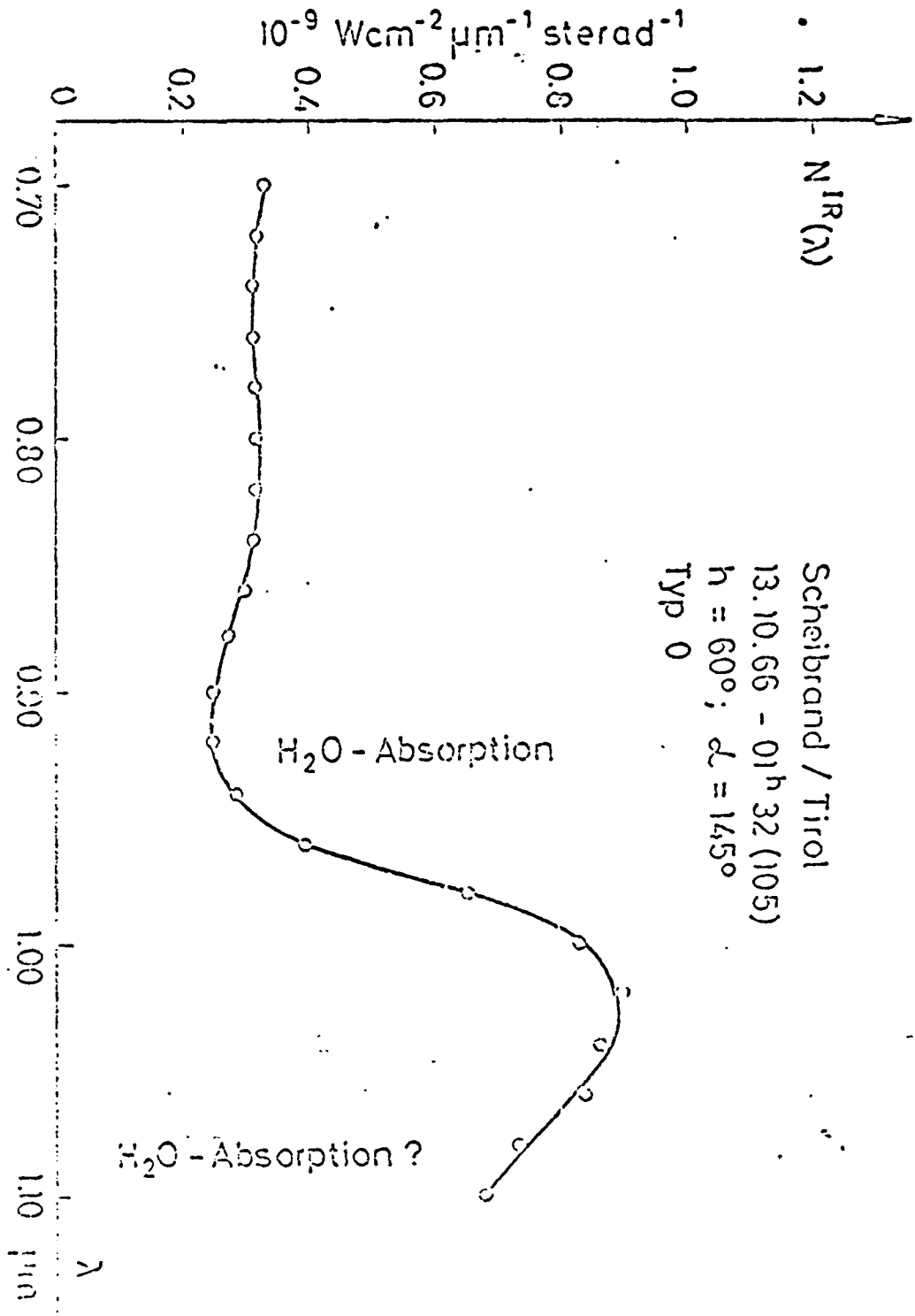
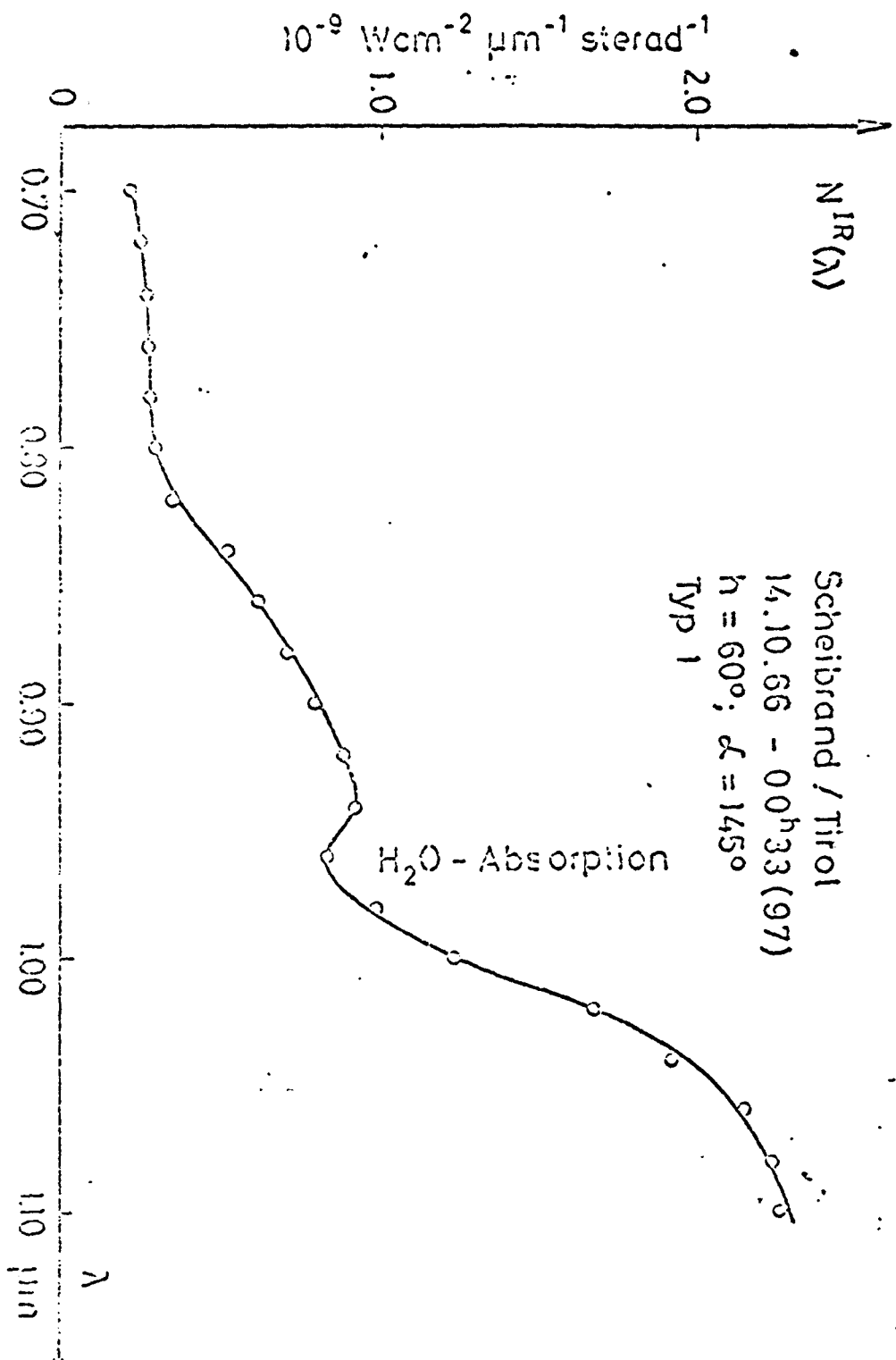


Fig. 12a



Scheibbrand / Tirol  
 14.10.66 - 00<sup>h</sup>33 (97)  
 $h = 60^\circ$ ;  $\alpha = 145^\circ$   
 Typ 1

SPECTRAL RADIANCE OF NIGHT SKY

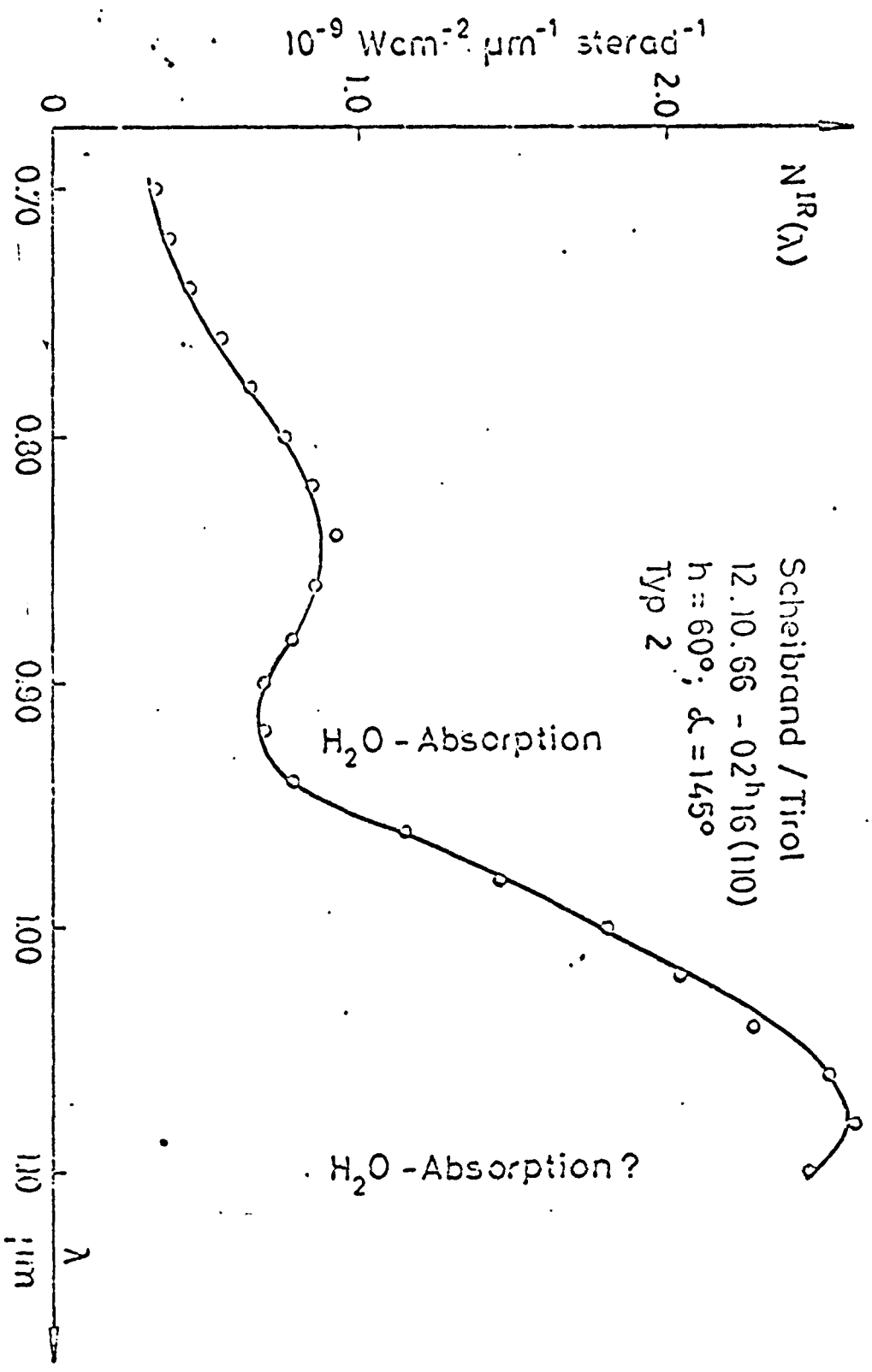
Spektrale Strahlstärke des Nachthimmels

Fig. 12b

CENTRAL RADIANCE OF NIGHT SKY.

Spektrale Strahldichte des Nachthimmels

Fig. 12c



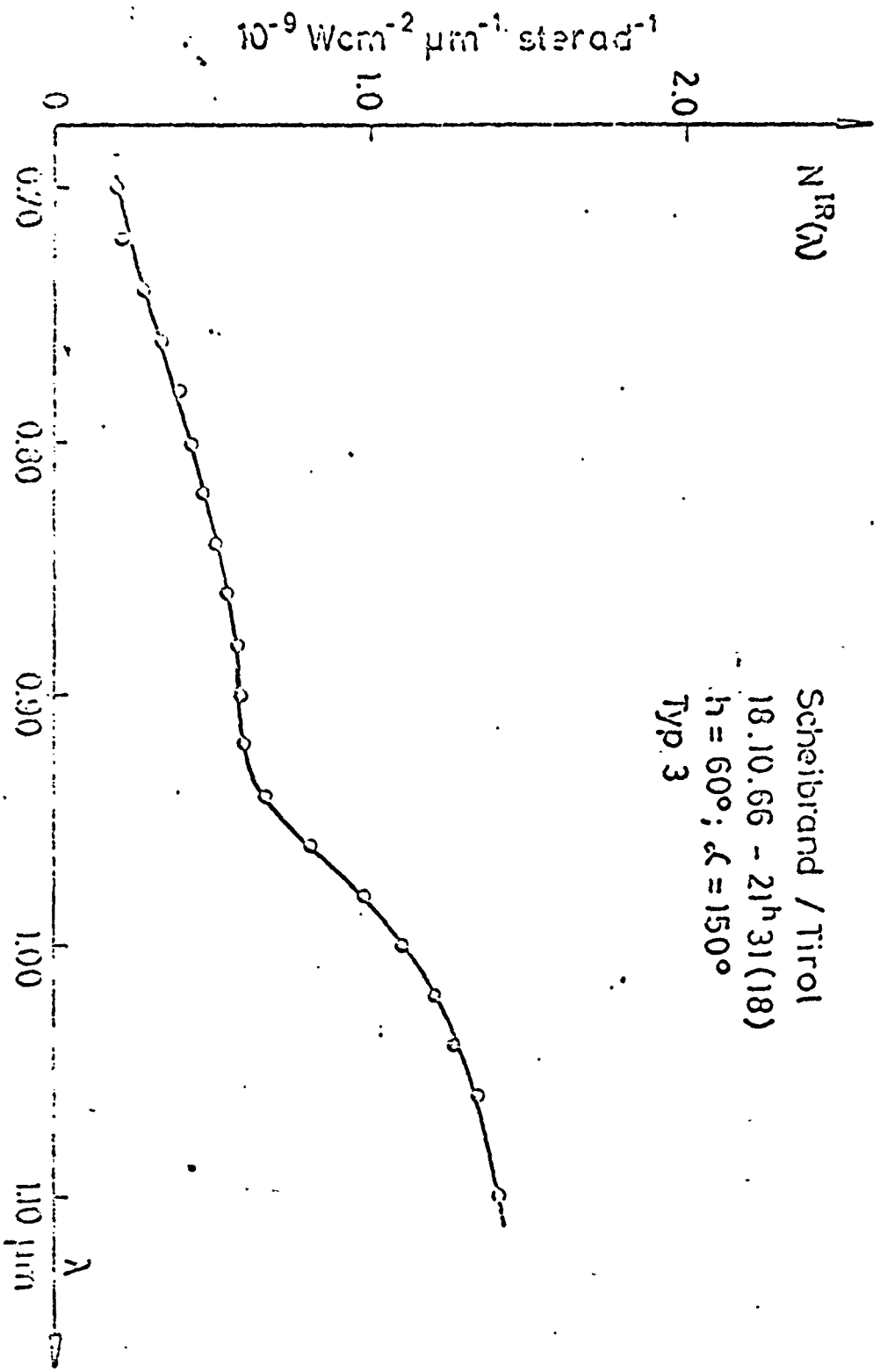
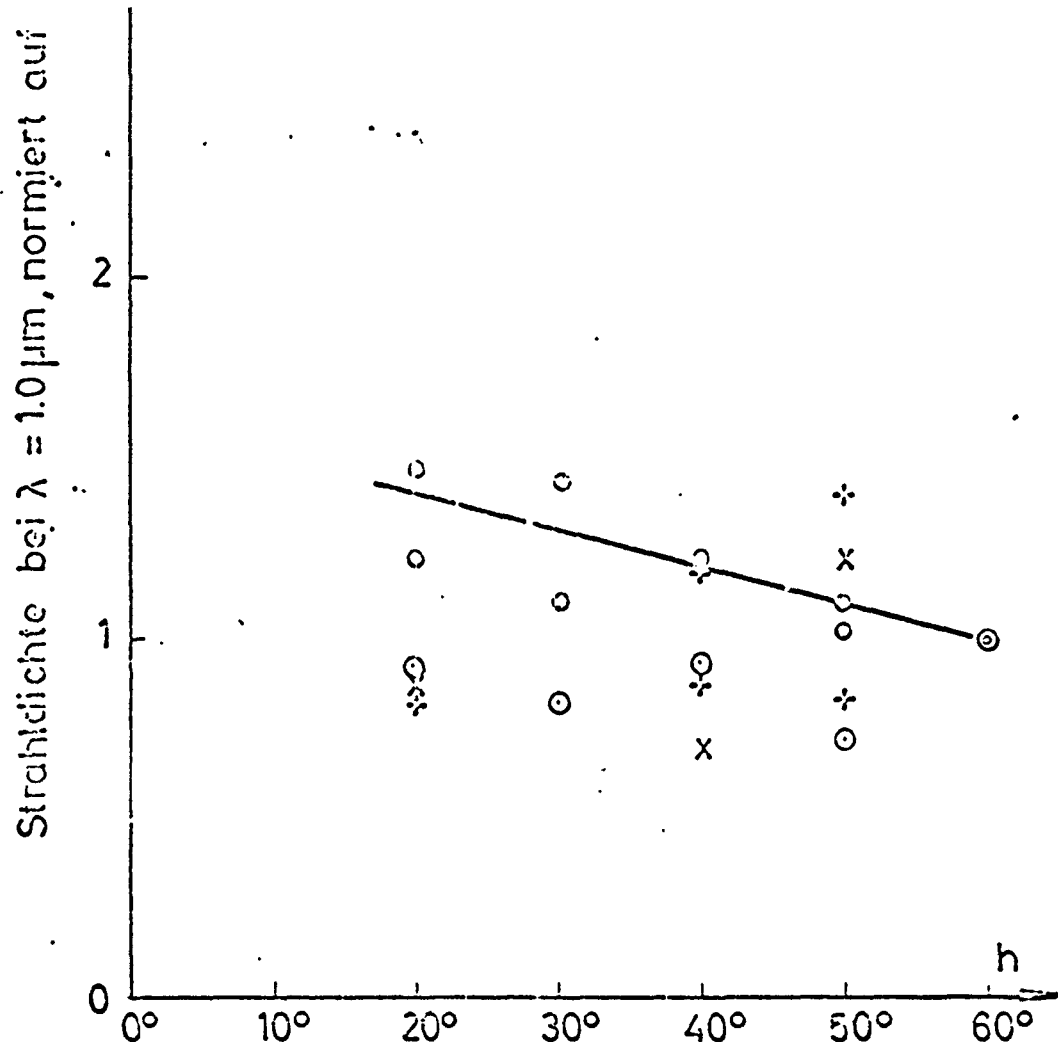


Fig. 12 d



RADIANCE AT  $1.0 \mu\text{m}$   
( $\Delta\lambda = 0.086 \mu\text{m}$ )

AS A FUNCTION OF ALTITUDE

Strahldichte bei  $\lambda = 1.0 \mu\text{m}$  ( $\Delta\lambda = 0.086 \mu\text{m}$ )  
als Funktion der Höhe

0 = type 4 (CLEAR

1 = type 3 (THIN CLOUDS, HAZE)

+ = type 2 (CLOUDS)

x = type 1 (VERY CLOUDY)

cf. Section 3.

MEAN VALUES FROM

SEVERAL MEASUREMENTS

WERE UTILIZED IN

EACH CASE

○ : Typ 4 (klar)

○ : Typ 3 (dünne Wolken, Dunst)

+ : Typ 2 (Wolken)

x : Typ 1 (starke Bewölkung)

s. Kapitel 3

Es wurden jeweils Mittelwerte aus mehreren  
Messungen benutzt.

Fig. 13

FREQUENCY DISTRIBUTIONS OF RADIANCE AT  $0.8 \mu\text{m}$

Häufigkeit  $p(0.8 \mu\text{m})$

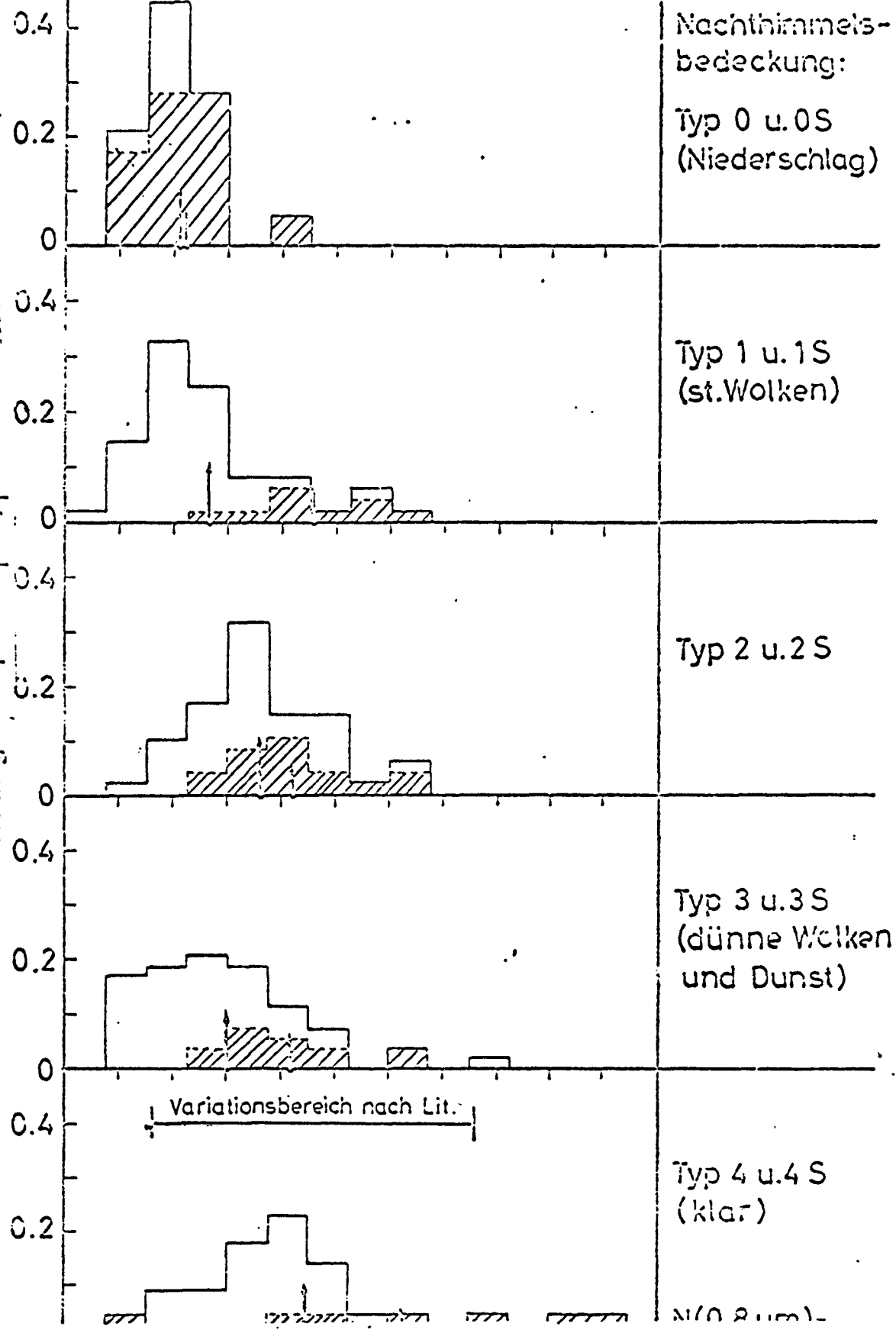


Fig. 14



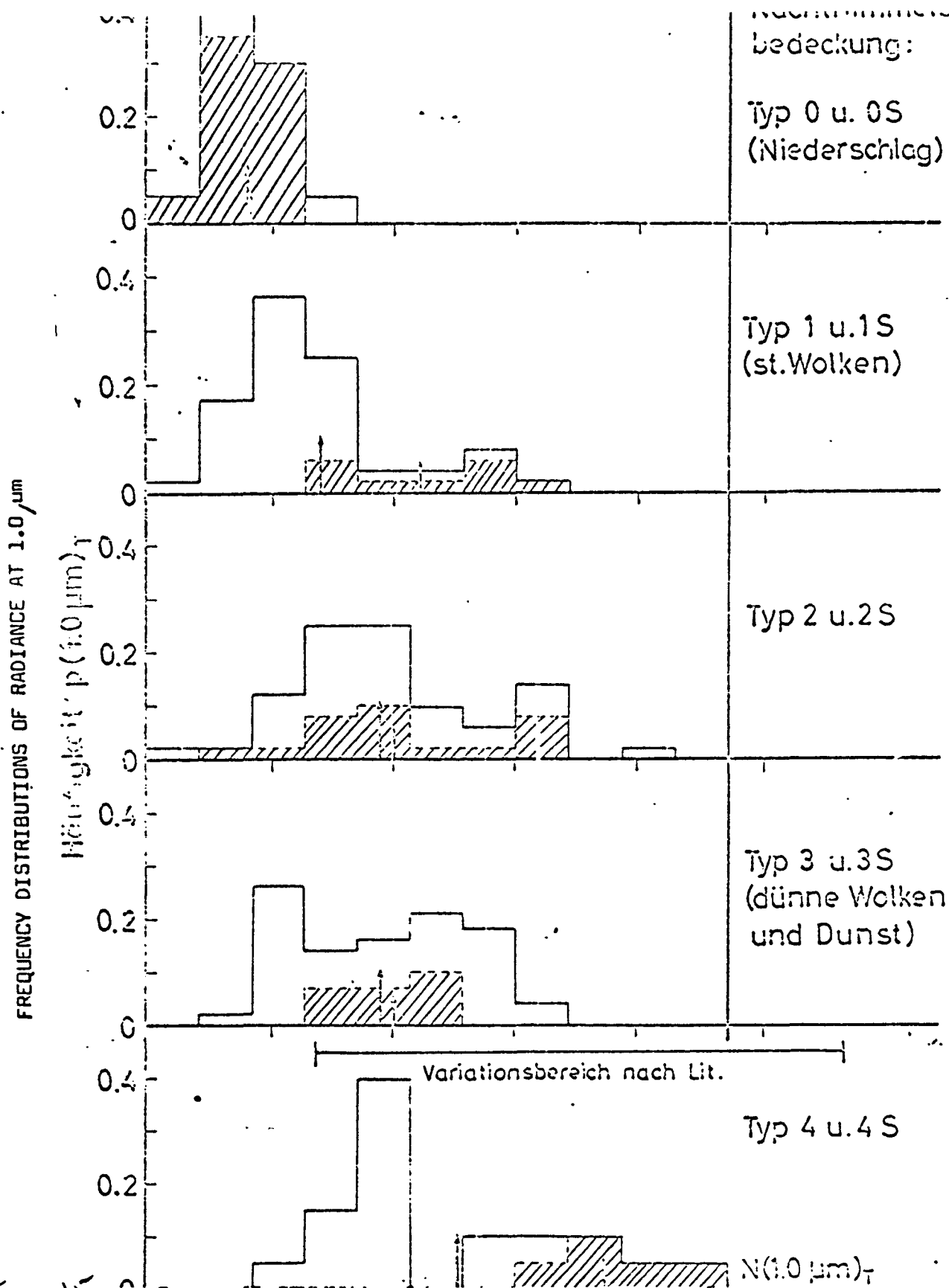
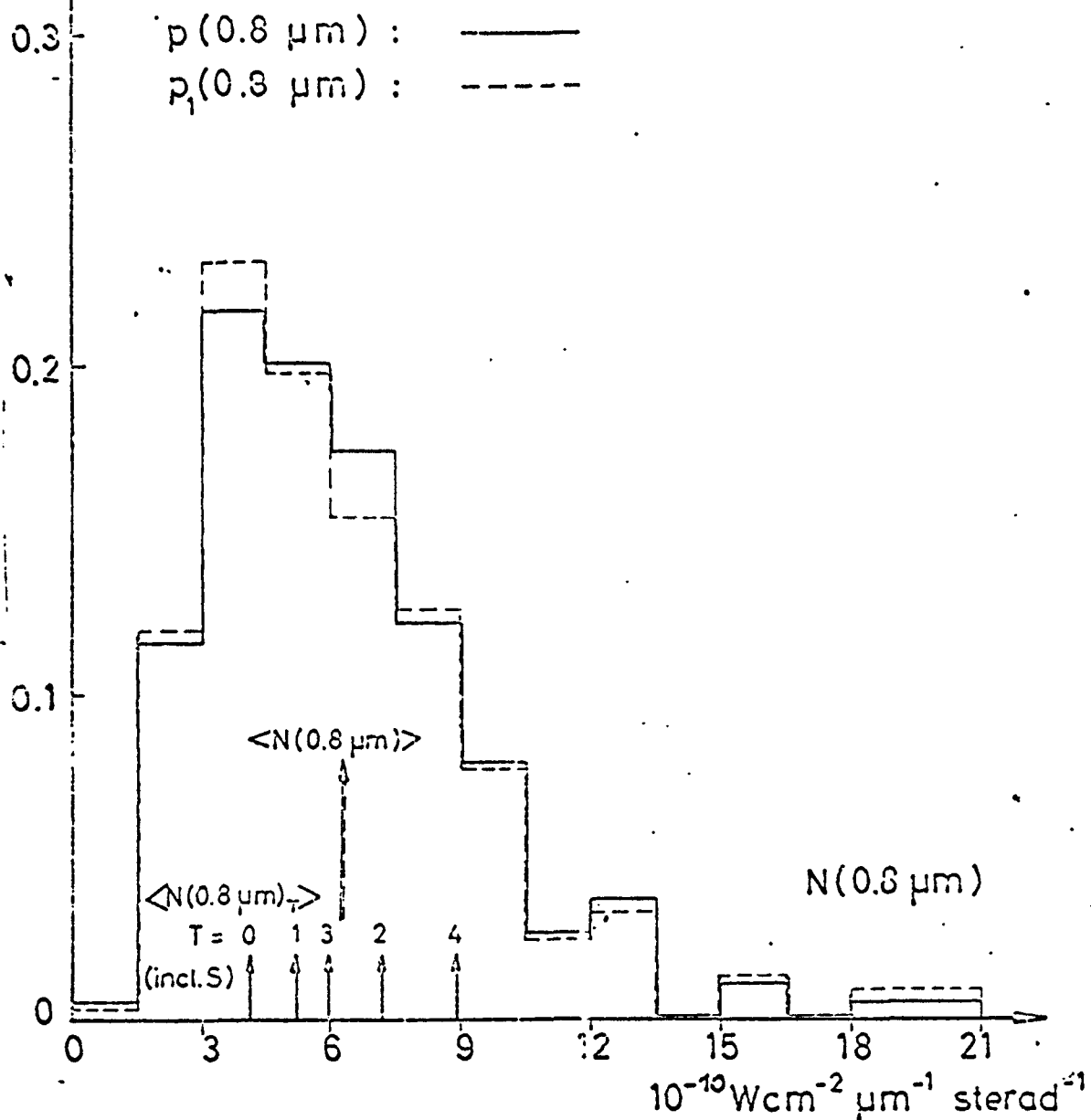


Fig. 15

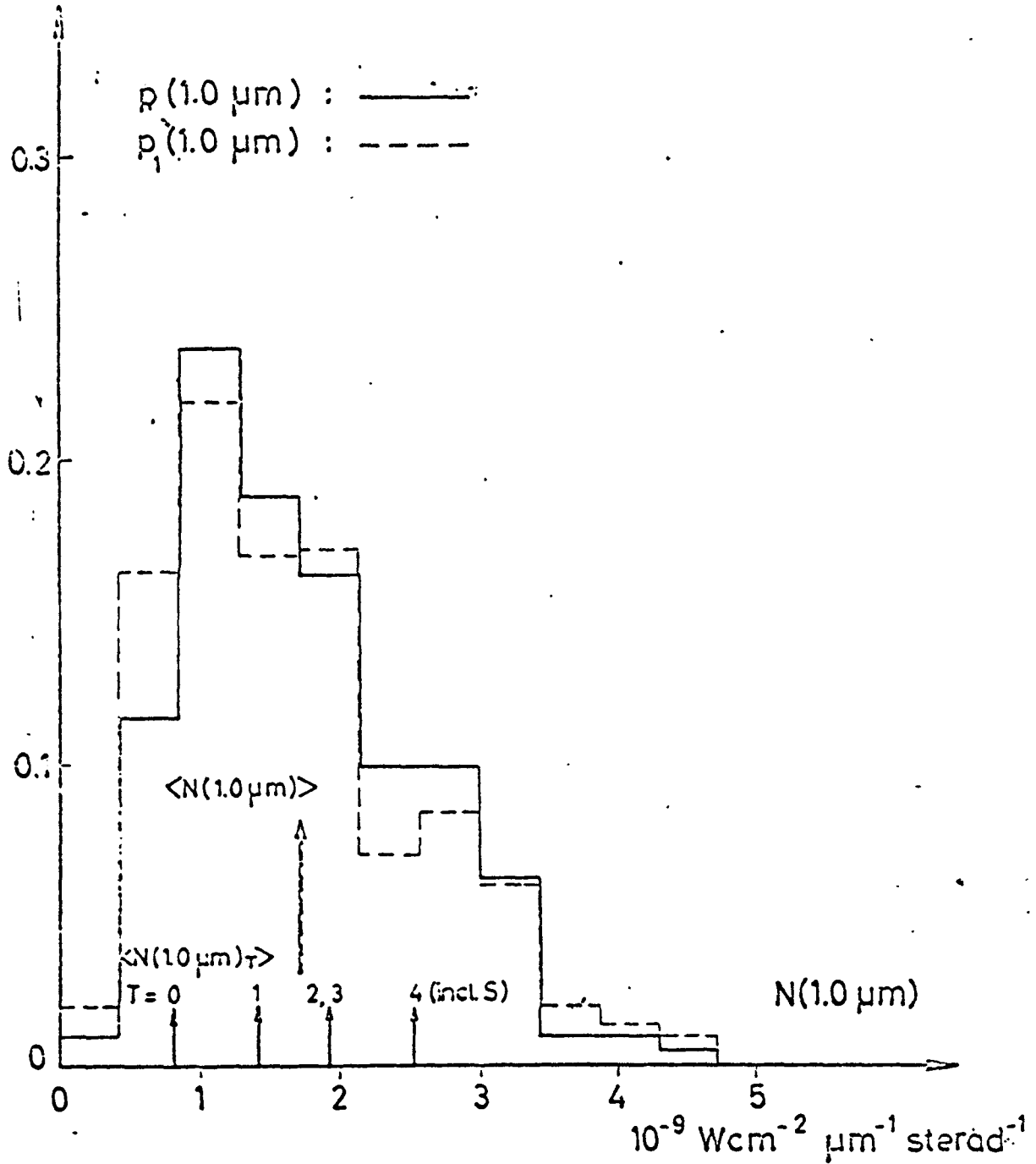


Häufigkeitsverteilung der Strahldichte bei  $\lambda = 0.8 \mu\text{m}$

FREQUENCY DISTRIBUTIONS OF RADIANCE AT  $0.8 \mu\text{m}$

Fig. 16

16



Häufigkeitsverteilung der Strahldichte bei  $\lambda = 1.0 \mu\text{m}$

FREQUENCY DISTRIBUTION OF RADIANCE AT  $1.0 \mu\text{m}$

Fig. 17

type of overcast	number of values	normalized number of values	
Bedeckungstyp	Zahl der Werte	norm. Zahl der W.	$\langle N(0.5577 \mu m) \rangle$ $10^{-10} W cm^{-2} \mu m^{-1} sterad^{-1}$
0 - 1S	17	0.10	1.6
0S	4		3.8
1	53	0.30	4.4
2 + 2S	57	0.34	5.7
2S	20		6.9
3 + 3S	11	0.07	3.4
3S	5		7.0
4 + 4S	32	0.19	9.3
4S	14		5.6
0 - 4 0S - 4S	137	1.00	5.9
0 - 4 0S - 4S	normalized to equipartition of all types normiert auf Gleichverteilung aller Typen 0-0S, 1-1S, 2-2S, 3-3S, 4-4S		5.6

Tab. 1: Schwerpunkte  $\langle N(0.5577 \mu m) \rangle$  der Häufigkeitsverteilungen der Strahldichte des Nachthimmels bei  $\lambda = 0.5577 \mu m$  (grüne Nachthimmelsslinie) bei verschiedenen Bedeckungstypen.

Barycenters ( $N(0.5577 \mu m)$ ) of the Frequency Distributions of Radiance of Night Sky at  $0.5577 \mu m$  (green line) under Different Over Cast

type of overcast	number of values		normalized number of values		$10^{-10} \text{ W cm}^{-2} \mu\text{m}^{-1} \text{ sterad}^{-1}$	
	$N(\lambda)_T$		$N(\lambda)_T$			
	0.8 $\mu\text{m}$	1.0 $\mu\text{m}$	0.8 $\mu\text{m}$	1.0 $\mu\text{m}$	0.8 $\mu\text{m}$	1.0 $\mu\text{m}$
1-11	13	20	0.09	0.10	4.1	6
12-13	18	14			4.2	3
14-15	49	47	0.34	0.15	5.2	14
16	9	9			5.1	22
17-18	17	43	0.23	0.13	7.2	19
19	20	16			8.4	20
20	53	57	0.25	0.11	8.0	19
21	12	14			8.3	20
22-23	33	20	0.19	0.10	8.9	25
24	7	5			12.5	37
25-26	206	192	1.00	1.00	6.7	17
27-28	normalized for equipartition normiert auf gleiche Verteilung der Typen 0-0S, 1-1S, 2-2S, 3-3S, 4-4S				3.5	17

Tab. 3: Schwerpunkte  $\langle N(\lambda)_T \rangle$  der Häufigkeitsverteilungen der Strahlungsichte des Nachthimmels bei  $\lambda = 1.0 \mu\text{m}$  und  $\lambda = 0.8 \mu\text{m}$  (OH-Bandenemission) bei verschiedenen Bedeckungstypen

BARYCENTERS  $\langle N(\lambda)_T \rangle$  OF FREQUENCY DISTRIBUTIONS OF RADIANCE  
OF NIGHT SKY AT 1.0 AND 0.8  $\mu\text{m}$  (HYDROXYL-BAND EMISSION) UNDER  
DIFFERENT OVERCAST

type of overcast Bedeckungstyp T	$\langle \gamma_T \rangle$
0 + 0S	2.0
1 + 1S	2.5
2 + 2S	2.9
3 + 3S	2.8
4 + 4S	3.1

Tab. 2: Mittelwerte  $\langle \gamma_T \rangle$  des Quotienten aus der Strahldichte des Nachthimmels bei  $\lambda = 1.0 \mu\text{m}$  und  $\lambda = 0.8 \mu\text{m}$  (OH-Bandenemission) bei verschiedenen Bedeckungstypen.

MEAN VALUES ( $\gamma_T$ ) OF THE QUOTIENT OF THE RADIANCE OF NIGHT SKY AT  $1.0$  and  $0.8 \mu\text{m}$  (HYDROXYL-BAND EMISSION) UNDER DIFFERENT OVERCAST

END

DATE  
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8 - 68





## **Appendix C—The Light of the Night Sky: Astronomical, Interplanetary, and Geophysical**

This material was originally published as Roach, F.E., “The Light of the Night Sky: Astornomical, Interplanetary, and Geophysical,” *Space Science Reviews* **3** (1964), D. Reidel Publishing Co., Dordrecht, Holland, pp. 512–540. Reprinted with kind permission from Kluwer Academic Publishers.



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## 1. Introduction

At night, terrestrial man is bathed in a gentle flow of visual radiation or light. The flux is due, in large part, to his unique and privileged location in the universe. The appearance of the "sky" to a randomly located *intergalactic* observer with "human eyes" would be in dramatic contrast: no individual stars would be visible, only the integrated light from the many but very distant galaxies. A few of the galaxies would be separately visible, as is the Andromeda nebula to our eyes.

An interstellar observer in a galaxy such as our own has a different view. In the vicinity of the sun he sees the Milky Way much as we see it from the Earth, but without the competition of solar system and terrestrial light that plagues the earth-bound astronomer. His sky is more than a hundred times as bright as the intergalactic observer's.

A move into the solar system but away from the luminosity originating in the planetary atmosphere introduces a new source of light. If, for example, he stands on the moon and looks at the sky in general, only about one-third of the light is integrated starlight and about two-thirds the so-called zodiacal light. The visual contrast between the Milky Way and the general sky background is greater than on the earth's surface, but less than for the interstellar observer. If he is able to occult the sun and look in a direction of 5° elongation along the ecliptic, the brightness of the zodiacal light is some 200 times the *brightest* part of the Milky Way and therefore overwhelms it. The zodiacal light in the ecliptic is brighter than the *brightest* part of the Milky Way until an elongation of about 50°.

Our observer now moves to his terrestrial platform where he can live and breathe and look at the sky in comfort, augmenting his visual observations with instruments which can be firmly established on a solid base that conveniently rotates and revolves in times short compared to a life span. But a price must be paid for these emoluments: an additional primary source of radiation, the night airglow or nightglow, is introduced from the upper atmosphere, and the lower atmosphere interferes with measurements by scattering and attenuating all primary radiations. Two consolation

\* Contribution number 73. The report was written while the author was a Senior Specialist at the East-West Center of the University of Hawaii - on leave of absence from the Central Radio Propagation Laboratory of the U.S. National Bureau of Standards, Boulder, Colo., U.S.A.

... of observing the universe that should inspire him. And second, it may be said that conditions for observing the universe from the Earth might have been much worse except for the circumstance that the overwhelmingly largest night airglow component (the OH, hydroxyl, radiation) is in the near infra-red just beyond the sensitivity of the human eye. Were this radiation concentrated in the visible part of the spectrum, the Milky Way would be lost in the glow glare.

We have assembled the general information discussed in these introductory remarks

TABLE 1  
APPROXIMATE INTENSITY OF VISUAL RADIATION AT VARIOUS LOCATIONS IN THE UNIVERSE  
IN  $S_{10}$  (VIS) UNITS

Component	Observer			
	In intergalactic space	In interstellar space	In interplanetary space	On the earth
Integrated nebular light	1	1	1	1
Integrated starlight	—	100	100	100
Zodiacal light	—	—	200	200
Night airglow	—	—	—	150
Total	1	101	301	451

into Table 1 to illustrate the numbers involved and, further, to present in outline form the contents of this review paper. It is proposed to proceed from left to right or from top to bottom in the table which may be taken as from the fundamental to the superficial, from a random position to a privileged one.

It may be noted that the advantage to be gained by escaping from the earth's surface into interplanetary space via an artificial satellite is real but not large within the context of this discussion (compare columns 4 and 5 in Table 1). Necessarily all studies of general sky brightness will, for the interplanetary astronaut, involve both zodiacal light and integrated starlight to the disadvantage of the latter. The particular advantage of a satellite program is in the exploration of those wavelength regions to which the human eye is insensitive and the terrestrial atmosphere impervious.

## 2. Comments on the Visual Spectral Region

A general treatment might well include both particulate and electromagnetic fluxes. Even a limitation to electromagnetic radiation should include such extreme manifestations as X-rays and radio emissions of cosmic origin. However, this review is concerned chiefly with intensities in the electromagnetic octave designated the "visual" spectrum.

class, of stars brighter than visual magnitude 6. The upper part of the plot shows the wavelength corresponding to peak intensity assuming that the superficial temperature of a star may be treated as a black body temperature. There is an observationally favored domain between 3000 Å (the atmospheric cut-off) and 8000 Å where the

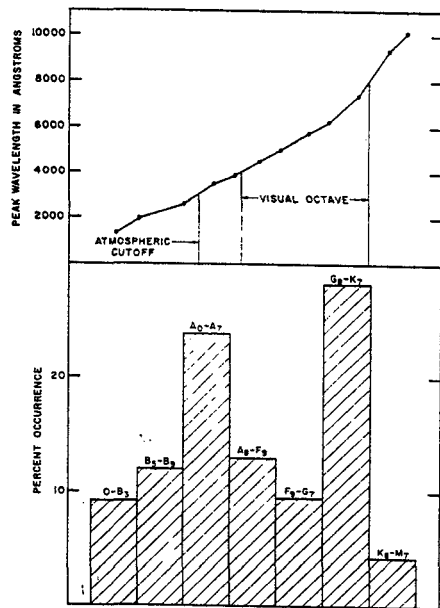


Fig. 1. Distribution of the bright stars according to spectral class (below). Wavelength of peak intensity of starlight according to spectral class (above).

hydroxyl nightglow bands become sufficiently strong to interfere with astronomical observations. Within this spectral region, stars of classes A, F, G, and K, comprising 75% of the bright stars, have their peak intensities. Even allowing for the likelihood of observational bias in Figure 1 in the use of the bright stars relative to a population of all the stars in our galaxy, it is apparent that any systematic data for the visual region should be reasonably representative of the stellar sample.

The complications involved in piercing the terrestrial nightglow haze in order to gain knowledge of non-terrestrial light sources is apparent from an inspection of

\* Taken from TRUMPLER and WEAVER (1962), Table 4.4.

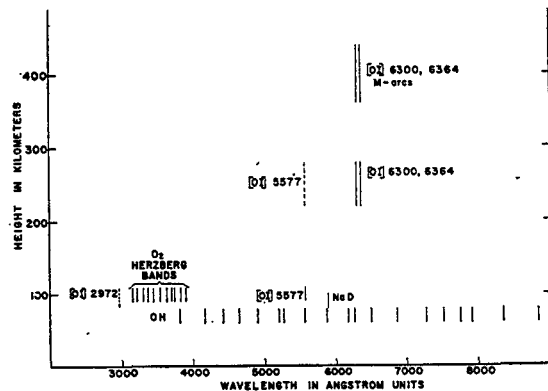


Fig. 2. The principal emission features in the night airglow arranged roughly according to their emission heights in the atmosphere.

Figure 2 showing the distribution of many of the emission features of the glow. A discouraging fact is that even in the regions between prominent emission lines and bands there is no known wavelength in which there is no nightglow continuum – and such a continuum cannot be discriminated against with respect to zodiacal light or integrated starlight by decreasing the band pass of a filter.

### 3. The Plan of the Paper

It is proposed to treat the problem of faint optical radiations in the universe as follows: we shall select a spectral region (5300 Å) near the center of the visual sensitivity curve. For this wavelength we propose to examine surface brightnesses of the "night" sky proceeding from intergalactic to interstellar to interplanetary space and then to the earth's surface.

At the earth's surface we shall then introduce the wavelength as a parameter and discuss the nature of the nightglow throughout the visual spectrum with some comments on its nature in the near infra-red.

### 4. The Intergalactic Observer and Integrated Light from Extra Galactic Sources

In order to obtain an approximation of the brightness of the "sky" in intergalactic space, we make the following assumption: There are  $10^6$  galaxies uniformly distributed throughout a sphere of radius 300 megaparsecs ( $9.27 \times 10^{26}$  cm) each having  $10^{10}$  stars (suns).

Let  $\rho$  = space density of the individual sources which will be treated as point sources (in  $\text{cm}^{-3}$ ),  $r$  = the radial distance in cm,  $R$  = the radial distance to the boundary of the sphere in cm,  $B_0$  = the flux from each galaxy, and  $L$  = the brightness for an observer in the center of the sphere in flux  $\text{cm}^{-2} \cdot \text{sphere}^{-1}$ . Then

$$L = \int_0^R \frac{4\pi r^2 \cdot \rho \cdot B_0 \cdot dr}{r^2} = 4\pi B_0 \rho R.$$

In our example  $B_0 = 5 \times 10^{10}$  suns,  $\rho = 3 \times 10^{-76} \text{ cm}^{-3}$ ,  $R = 9.27 \times 10^{26} \text{ cm}$ . And  $L = 3.907 \times 10^{-11}$  suns per sphere.

It is of interest to convert this to  $S_{10}$  (vis) units\*:

$$L = \frac{3.907 \times 10^{-11} \times 4.875 \times 10^{14}}{4.1253 \times 10^4} = 0.46 S_{10} \text{ (vis) units}$$

or about 1/600 the brightness of the terrestrial zenith sky on a moonless night. The energy flux of visual light in intergalactic space is  $5 \times 10^{-5} \text{ erg} \cdot \text{sec}^{-1} \cdot \text{cm}^{-2}$  (from a sphere) and the energy density  $7 \times 10^{-15} \text{ erg} \cdot \text{cm}^{-3}$ . It is of interest to note that the energy density of starlight in our galaxy and that of cosmic rays are both about  $10^{-12} \text{ erg} \cdot \text{cm}^{-3}$  (ALLEN, 1963).

## 5. The Interstellar Observer and Integrated Starlight

The first telescopic observers of the Milky Way were thrilled by the evidence that what seemed like a band of light could be resolved into numerous closely-packed individual stars. This paper is really an historical retrogression to the more primitive view of the synthesis of the individual stars into an integrated surface brightness. But it will be instructive to examine in passing, some of the results of those who have "counted" stars in order to gain an insight into the structure of our galaxy.

To "count" the stars individually is certainly a supra-human task (there are about  $10^9$  stars brighter than photographic magnitude 21). Early in the 20th century, J. G. Kapteyn initiated a cooperative international program of star counting in Selected Areas, 206 of them, arranged systematically over the sky. The simplest measurement was that of the total number of stars in each Selected Area for longer and longer exposure times corresponding to fainter and fainter limiting magnitudes.

In a classical report\*\*, details of such a study are given. An idea of the size of the statistical sample for the study of 139 Selected Areas\*\*\* in the Mount Wilson program may be judged from the fact that a total of 65683 stars was measured to approximate

\* The sun,  $m(\text{vis}) = -26.72$ , is  $4.875 \times 10^{14}$  as bright as a tenth magnitude star. The  $S_{10}(\text{vis})$  unit is "number of 10th magnitude (visual) stars per square degree" hence the division by 41253, (the number of square degrees over a sphere).

\*\* SEARES, VAN RHIN, JOYNER and RICHMOND (1925), Mount Wilson Contribution number 301 referred to hereafter as MW 301.

\*\*\* The extreme southern declination of the Mt. Wilson program was  $-15^\circ$ , hence the omission of Selected Areas 140-206.

ing photographic magnitude 18. The total number of stars over the sky to this limiting magnitude comes to about  $3 \times 10^8$  so the sample is  $6.5683 \times 10^4 / 10^8 = 0.00022$  of the total. Another estimate of the sample size may be obtained from the fact that the region measured on each plate was 0.1154 square degree compared with the 41253 square degrees over the sky. Thus the sample is

$$(0.1154 \times 139) / 41253 = 0.00039 \text{ of the total.}$$

It may be anticipated that the sampling method employed will be useful in delineating

TABLE 2

THE GALAXY (THE KAPTEYN UNIVERSE)

Total Number of Stars	47000000000
Density of stars central	45/cubic parsec
Thickness	
To 1/10 density	550 parsecs
To 1/100 density	1700 parsecs
Diameter	
To 1/10 density	2800 parsecs
To 1/100 density	8500 parsecs
Distance of the sun from center	8000 parsecs

TABLE 3

SUMMARY OF STAR COUNTS BY MAGNITUDE INTERVALS FROM MW 301

$m(\mu g)$	$\log A(m)$		Mean ( $b = 0$ to 90)	$\log T(m)$ $b = 0$ to 90 (over entire sphere)
	$b = 0$	$b = 90$		
4	-1.781	-2.320	-2.035	2.580
5	-1.326	-1.861	-1.580	3.035
6	-0.875	-1.416	-1.130	3.485
7	-0.428	-0.984	-0.688	3.927
8	+0.016	-0.567	-0.252	4.364
9	0.455	-0.170	+0.175	4.790
10	0.889	+0.209	0.591	5.206
11	1.314	0.565	0.995	5.610
12	1.733	0.898	1.338	6.003
13	2.141	1.205	1.767	6.382
14	2.532	1.491	2.127	6.742
15	2.902	1.752	2.471	7.086
16	3.248	1.988	2.795	7.410
17	3.571	2.194	3.095	7.710
18	3.874	2.374	3.373	7.988
19	4.153	2.531	3.626	8.241
20	4.405	2.654	3.857	8.472
21	4.631	2.743	4.067	8.682

attempt to depict detailed structure. Kapteyn was able to synthesize the results of then available statistical results into a generalized morphological picture of "Kapteyn Universe" of our galaxy. Emerging from the ensemble of numbers a flattened ellipsoid of revolution of stars of diameter some five times its thickness (see Table 2).

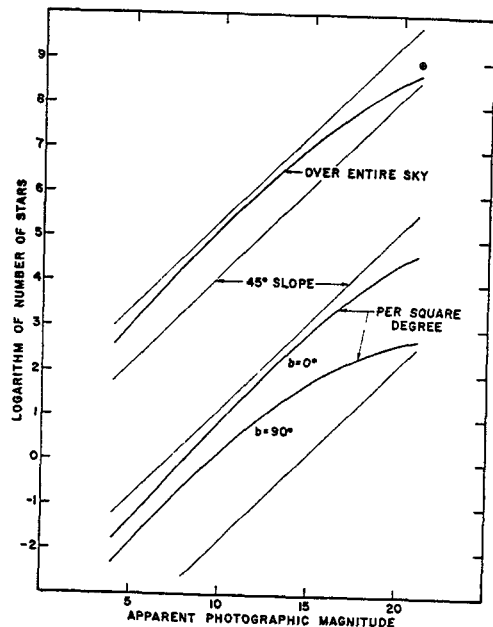


Fig. 3. Logarithm of the number of stars per magnitude interval as a function of the apparent photographic magnitude (from Table 3).

One of the important considerations for the purposes of the present discussion is the non-central position of the sun in the galaxy. We find ourselves close enough to the galactic plane to see the Milky Way as a circle in the sky but far enough from the center of the ellipsoid to make the part of the Milky Way seen in the direction of the center significantly brighter than that in the opposite direction.

The temptation to continue a discussion of galactic structure from star counts is very strong indeed.\* The grandeur of the morphological picture is both overwhelming

\* The Selected Areas have been subjected to concentrated studies of stellar parallax, proper motion and radial velocity as well as photometric star counts. The star counts have been stressed in this paper because they lead directly to the matter of the light of the night sky.

giving a general basis for the estimation of the contribution of integrated starlight to the nocturnal sky to which subject we now return. The star counters always refer their counts to "numbers per square degree" of

TABLE 4  
INTEGRATED STARLIGHT FROM STAR COUNTS

<i>b</i>	<i>J</i> ( <i>pg</i> )			<i>J</i> (vis) GR 43
	<i>MW</i> 301	<i>GR</i> 43	<i>Difference</i>	
0	103	172	69	372
5	93	116	23	246
10	77	84	7	175
15	61	66	5	136
20	48	51	3	103
30	34	35	1	69
40	26	27	1	52
50		22		41
60	18	19	1	36
70		17		32
80		16		31
90	14			

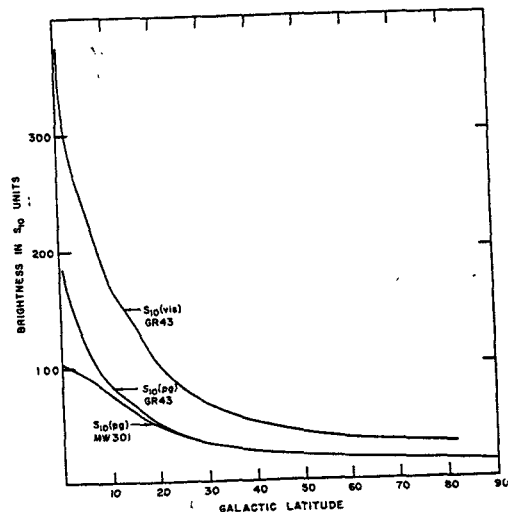


Fig. 4. The variation of integrated starlight brightness with galactic latitude. The systematic difference between the integrations based on GR43 and MW301 for low galactic latitudes is apparent by comparison of the two lower curves.

the sky and for convenience we shall follow them in adopting as a unit for the integration of radiation from the star background the "number of equivalent tenth magnitude stars per square degree" which will be designated  $S_{10}$  (vis) or  $S_{10}$  (pg) depending on whether we use the visual or the photographic magnitude scales.

Some gross results of the counts themselves are shown in Table 3 and Figure 3. An examination of Figure 3 shows a number of features. The scales have been chosen so that a logarithmic difference of 2 (factor 100) in the ordinate  $A(m)$ , the number of stars per magnitude interval, is the same as a magnitude difference of 5 in the abscissa, a factor of 100 in the brightness. Thus, if the slope of an observed curve is

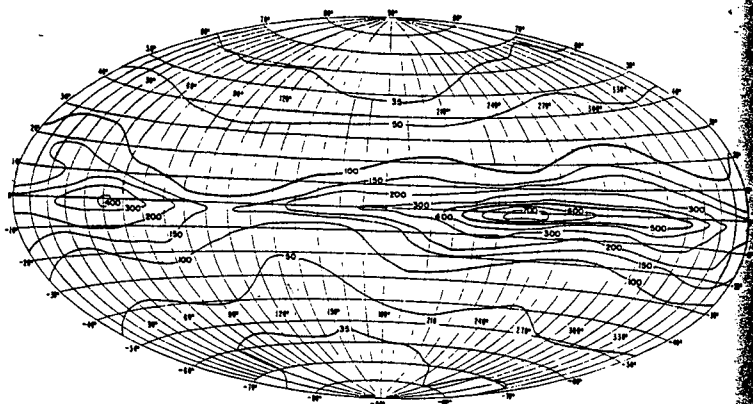


Fig. 5. Total integrated starlight in number of tenth magnitude (visual) stars per square degree in galactic coordinates.

greater than 1.0, the number of stars increases more rapidly than their brightness decreases and the total contribution to the integrated starlight increases. Similarly a slope less than 1.0 indicates a declining contribution for successive magnitude intervals. The inflection at slope = 1.0 corresponds to the maximum contribution.

The curve for  $b$  (galactic latitude) =  $90^\circ$  indicates a maximum near  $m$  (pg) = 8, that for  $b = 0^\circ$  near  $m$  (pg) = 12. The upper curve of Figure 3 is a plot based on the star counts over all values of the galactic latitude. In order to refer them to the entire sky the values per square degree have been multiplied by 41253 (the number of square degrees over a sphere) to give the  $T(m)$  in the last column of Table 3.

Many of the tables of star counts record not the number of stars,  $A(m)$ , within a given magnitude range but the cumulative number,  $N_m$ , brighter than a given magnitude,  $m$ . Such a table was published by P. J. VAN RHJN (1925) in the form of entries of  $\log N_m$  from  $m = 6.0$  to  $18.0$  for every  $10^\circ$  of galactic longitude,  $l$ , and for galactic latitudes,  $b$ , of  $0^\circ, -2^\circ, \pm 5^\circ, \pm 10^\circ, \pm 15^\circ, \pm 20^\circ, \pm 30^\circ, \pm 40^\circ, \pm 50^\circ, \pm 60^\circ,$

$70^\circ$ , and  $\pm 80^\circ$  (10296 entries for 792 regions in the sky). It is apparent that the entries for a given region must be significantly smoothed since the basic information is the star counts for the 206 Selected Areas. The reader is referred to a paper by ROACH and MEGILL (1961) for a numerical integration of the total starlight deduced from the VAN RHJN (Groningen Publication 43) tables. Total integrated starlight deduced from both GR 43 and the MW301 contributions is shown plotted in Figure 4

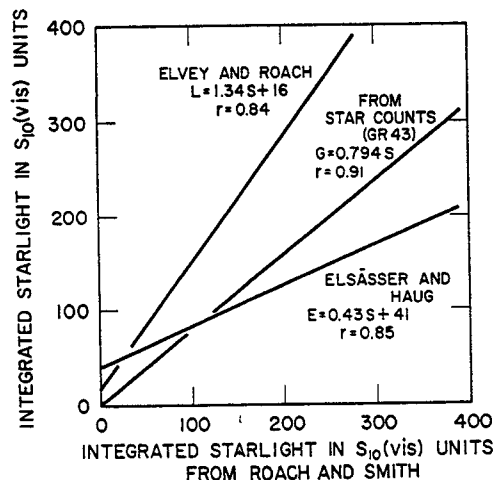


Fig. 6. Plots showing the relationships between the observational measurements of integrated starlight of ELVEY and ROACH (1937), ELSÄSSER and HAUG (1960) and those of ROACH and SMITH (1964a). Also the integrated starlight deduced from the Groningen 43 star count tabulations (ROACH and MEGILL, 1961) is shown plotted against the recent ROACH-SMITH measurements.

from the entries of Table 4. For low galactic latitudes, the GR 43 results are systematically higher than those from MW 301 but the discrepancy between the two investigations is trivial for high galactic latitudes.

This review of the available information on star counts has been made for the purpose of introducing an isophote map depicting the total starlight over the entire sky (Figure 5), based on the star counts in GR 43. The map has been used extensively by photometric observers but should probably be considered as too crude for detailed studies especially near the galactic equator where the scale is in question (Figure 4) and the resolution is doubtful. Some comments on the map will perhaps indicate the reservations that should be exercised in its use.

(1) The great rift in the Milky Way, so apparent to even a casual observer is not shown.

(2) The maximum brightness is at  $b = -1^\circ$ ,  $l = 242^\circ$  ( $\alpha = 9^h 20^m$ ;  $\delta = -5^\circ$ ) in the constellation of Carina. This portion of the Milky Way is almost  $90^\circ$  away from the bright star cloud in the constellation Sagittarius which together with the near cloud\* in Scutum is generally considered the brightest part of the Milky Way.

The writer\*\* is engaged in the preparation of an isophote map of the Milky Way based on observations with a photoelectric photometer. What is in principle a straightforward measurement is severely affected by two technological problems, the absolute calibration of the photometer and the proper allowance for the zodiacal light and the night airglow. Two earlier Milky Way maps might be mentioned. ELVEY and ROACH (1937) (LVR) published one in their attempt to establish the existence of the so-called galactic light, the excess of the observed intensities over the mean star count intensities based on BOTTLINGER's (1932) integration of MW 301.

More recently ELSÄSSER and HAUG (EH) (1960) have published isophote maps of the Milky Way based on their photoelectric observations. In Figure 6 are shown the relationships deduced by ROACH and SMITH (RS) between the LVR, the EH and the GR 43 investigations and their measured Milky Way intensities. Relative to the measurements of RS the LVR intensities are high and the EH ones low. The relationships between the GR 43 integrations and the RS observations will be discussed in the next section.

## 6. The Galactic Light and the Interstellar Dust

The interstellar region is not empty space. There are some atoms present - enough to produce absorption lines over astronomical distances. That there is also some dust concentrated toward the galactic plane is indicated. In support, we may mention as evidence:

- (1) Stars near the galactic equator are reduced on an average of 0.67 magnitude (photographic) per kiloparsec of distance from the solar system;
- (2) They are diminished by 0.35 magnitude (visual) per kiloparsec;
- (3) The so-called "color excess", the reddening measured by the difference between the photographic and visual effects, is 0.32 magnitude per kiloparsec;
- (4) Extra-galactic nebulae are, in general, not observed near the galactic plane - the so-called "zone of avoidance".

Dust not only obscures and reddens the light from a particular star but also scatters the light from all the stars, some of the scattered light being in the direction of an observer. It is thus possible to have a situation in which an observer in a particular location (such as the solar system) may find the total astronomical light from a particularly dusty region to be greater than the total inferred from the summation

the light from all the stars.\* And to state an apparent paradox: the heavier and darker the dust cloud the greater may be the excess due to such scattered light.

About 1937 two papers appeared independently on the subject: one theoretical and one observational. The numerical agreement between the theoretical prediction and the case of our galaxy and the observations was, as it turned out, probably "too good to be true". WANG SHIH-KY (1937) derived a theoretical value for the diffuse galactic light from a dusty region of about  $1/2$  the average light impinging on the region over the entire sphere surrounding it. According to SEARES *et al.* (1925) the total intensity of starlight over the sky is equal to that from 577 stars of photographic magnitude 1.0 or 56 stars of magnitude 10.0 per square degree. Thus Wang's prediction calls for a galactic light of about  $28 S_{10}$  (ph). ELVEY and ROACH (1937) concluded from their measurements that the mean galactic light in the Milky Way was about  $55 S_{10}$  (ph) units, twice that predicted by Wang Shih-Ky but, considering the difficulty of the measurement, it was considered at the time that theory and observation were reconciled in terms of a galactic dust cloud which obscures stellar members of our galactic system as well as more distant extra galactic nebulae located in the line of sight behind the cloud and at the same time scatter the light from all the stars to make the dark cloud grey.

HENYEA and GREENSTEIN (1941) examined the galactic light problem by making a photometric study of two regions of the Milky Way, one in the constellation Cygnus and the other in Taurus-Auriga. Stars brighter than visual magnitude 15 were excluded. Their interpretation resulted in numerical values similar to those reported by LVR for the same regions. The agreement may be fortuitous since the two investigations used different star count data: LVR used BOTTLINGER (MW 301); HG used VAN RHYN (GR 43)\*\*.

It is the opinion of the writer that the question of the existence of the galactic light should be reexamined. The reasons for this opinion are as follows:

- (1) There is evidence that the absolute calibration of Elvey and Roach was too high and that their measured intensities should be multiplied by 0.7 (ROACH *et al.*, 1954). Such a correction would reduce the deduced galactic light.
- (2) The predicted intensities of integrated starlight in the vicinity of the Milky Way are very uncertain, as witness the discrepancy between the MW 301 and GR 43 results.
- (3) The estimation of the galactic light should be based on photometric measurements coupled with star counts of the region in question rather than mean star counts of a large sample.

The problem has been brought to the fore recently in a paper by ELSÄSSER and HAUG (1960), already referred to. The general intensity level observed by them is much lower than that of Elvey and Roach and even than that predicted by the GR 43 star counts. By comparing their measurements with the star count predictions from

\* The use of the word "cloud" in connection with the great concentration of stars in Sagittarius and Scutum is reminiscent of Barnard's inspired description "the stars pile up in great cumulus masses like summer clouds". The writer recalls that as a young observer he was once fooled by the Sagittarius cloud coming up in the east to the extent of recording in his observing book the existence of meteorological clouds. The illusion was soon resolved as the night progressed.

\*\* In collaboration with L. L. SMITH (1964b).

\* The scattering by the dust is similar to that experienced in the solar system leading to the zodiacal light to be discussed later.

\*\* See Figure 4 for the systematic difference between the Bottlinger integration of Mt. Wilson 301 and that based on Groningen 43.



MW 301 (much lower than those for GR 43) it is still possible to infer a galactic light. Proceeding in this way VAN HOUTEN (1961) has concluded that the galactic light in the galactic plane is about 12  $S_{10}$  (ph) units. But, if the higher intensities of GR 43 are taken, the galactic light comes out to be *negative*, an obvious impossibility. There is evidence that the Elsasser-Haug absolute calibration may have been low which further adds to the difficulty.

Referring again to Figure 6 we note that Roach and Smith found that their measured star background intensities were  $1/0.794 = 1.26$  times those predicted by the GR 43 star counts.\* This would correspond to a galactic light of  $(1.26 - 1.00) \times 172 = 45 S_{10}$  (ph) units for galactic latitude  $0^\circ$ .

The establishment of reliable values for the brightness of the galactic light originating in scattered star light from galactic dust is a problem of fundamental interest. It is the writer's opinion that all published values, including those to which he has contributed, are provisional.

### 7. The Zodiacal Light and Interplanetary Dust

In the previous section we introduced evidence that, in a distance comparable to the dimensions of our galaxy, there is enough line-of-sight dust to (a) seriously weaken or even obscure light sources behind it and (b) scatter the light from all the stars.

Turning to our solar system we must recognize that the amount of solar system line-of-sight dust in distances measured in Astronomical Units is not enough to give any significant or measurable contribution to the extinction of stars seen through it. Hence, *relative* to the light flowing onto it, the amount of scattered light from interplanetary dust must be very small. But in *absolute* terms, the nearness of the very bright sun makes it pertinent to look for dust scattering effects even if the total line-of-sight dust in the solar system might be as small as  $10^{-8}$  times that in galactic space.\*\* These general considerations lead us to the not too surprising observation that there is indeed evidence for the existence of such interplanetary dust in what is known as the zodiacal light which in its brightest portion, as observable from the earth's surface is about  $10^{-9}$  times the surface brightness of the sun and some 100 times the integrated brightness of the starlight.

Even in the portions of the sky where the zodiacal light is at its weakest it is about equal in brightness to the average starlight intensity. This brings us to one of those "accidents" which makes life so interesting on our planet - if the dust concentration in the solar system were say ten times its actual value we should have a night sky so bright that astronomical features such as the Milky Way would be visually lost in the zodiacal light haze.

The zodiacal light has long been known to be concentrated near the ecliptic. In

Figure 7 is shown, on a linear scale its intensity in the ecliptic as it can be measured from the earth's surface for elongations,  $\epsilon$ , extending from  $30^\circ$  to  $180^\circ$  (gegenschein) based on a recent study by WEINBERG (1963). In Figure 8 is shown, on a double logarithmic scale the variation of the intensity in the ecliptic to the sun's limb including (a) observations of the F-corona (presumed to be the zodiacal light in line of sight close to the sun), (b) the zodiacal light and gegenschein from ROACH, PETTIT,

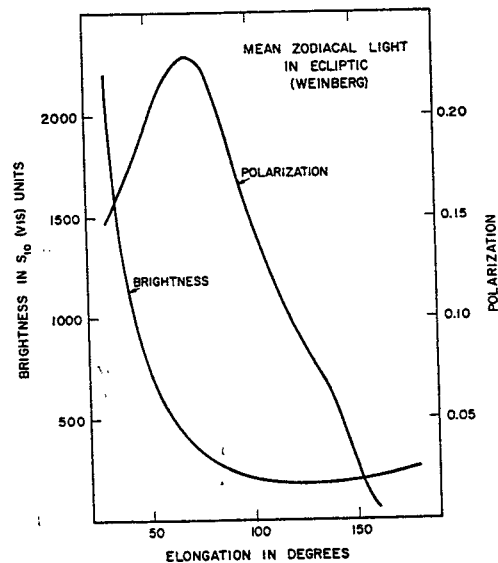


Fig. 7. The brightness and polarization of the zodiacal light in the ecliptic from elongation angles  $\epsilon$   $30^\circ$  to  $180^\circ$  according to WEINBERG (1963). Note the slight increase in the brightness (the gegenschein) as the counter-sun position is approached ( $\epsilon = 180^\circ$ ).

TANDBERG-HANSEN, and DAVIS (1954) and from ROACH and REES (1955), and (c) measurements of the zodiacal light in the domain  $30^\circ > \epsilon > 5^\circ$  based on the 1954 high altitude eclipse measurements of Blackwell as recorded in Table 3 of INGHAM (1961).

The evaluation of the brightness of the zodiacal light as a function of ecliptic latitude becomes progressively more and more difficult as the pole of the ecliptic is approached because of the uncertainty introduced in the subtraction of the other principal components of the light of the night sky - the airglow and the integrated starlight. In Figure 9 is shown a plot of the brightness of the zodiacal light for  $\lambda - \lambda_\odot = 90^\circ$ , from the ecliptic ( $\beta = 0^\circ$ ) to the pole ( $\beta = 90^\circ$ ) based on a current

\* Roach and Smith used star count integrations for specific regions of the sky rather than average values.

\*\* One star (the sun) at a distance of 1 Astronomical Unit is about  $10^8$  times as bright as the totality of all the non-solar starlight as seen from the earth.

study by ROACH and SMITH (1964b). It is worthy of note that at the ecliptic pole the brightness of the zodiacal light is approximately  $100 S_{10}$  (vis) units.

The interpretation of the physical composition of the interplanetary medium responsible for the zodiacal light is facilitated by evaluations of both its brightness and its polarization. Within the past decade the tendency has been to ascribe a major part

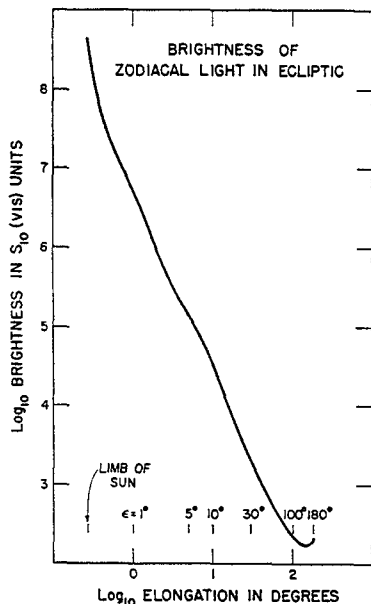


Fig. 8. The brightness of the zodiacal light in the ecliptic versus the elongation angle,  $\epsilon$ , from the sun's limb (*F*-corona) to the gegenschein (note the log-log scale). Sources of information are BLACKWELL as quoted by M. F. INGHAM (1961) from the solar limb to  $\epsilon = 30^\circ$ ; ROACH, PETTIT, TANDBERG-HANSEN, and DAVIS (1954) for  $100^\circ > \epsilon > 30^\circ$  and ROACH and REES (1955) for  $180^\circ > \epsilon > 100^\circ$ .

of the polarization to "dust" particles and a minor part to interplanetary electrons.

In Figure 7 we show a plot of the polarization of the ecliptic zodiacal light as a function of elongation angle from the sun based on the work of WEINBERG (1963). Current analyses favor an interpretation based on a space density of particles of  $5 \times 10^{-21}$  gram  $\cdot$  cm $^{-3}$  and an electron density of some tens and probably not greater than 50 electrons cm $^{-3}$ . The reader interested in such physical interpretations is referred to INGHAM (1961), to ELSÄSSER (1963) as well as to the paper by WEINBERG already mentioned. Early studies of the physical nature of the zodiacal dust cloud were made by ALLEN (1946) and by VAN DE HULST (1947).

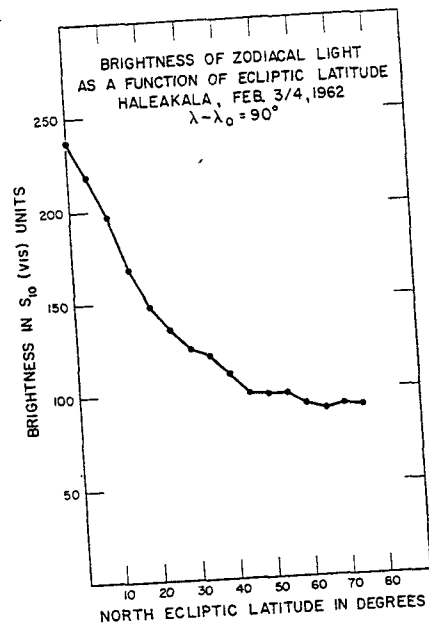


Fig. 9. Variation of the brightness of the zodiacal light from the plane of the ecliptic to the ecliptic pole for  $\lambda - \lambda_0 = 90^\circ$ .

## 8. Some Comments on Extinction and Scattering by Cosmic Dust

Since the zodiacal cloud is sensibly flattened toward the ecliptic plane the question arises whether there may be a "zone of avoidance" for objects observed in the direction of the ecliptic. Looking away from the sun, assuming that the zodiacal cloud continues with its terrestrial density out to the vicinity of the orbit of Pluto ( $\sim 40$  AU), the transmission through such a cloud would be 0.9999. The weakening by 0.0001 is probably not detectable.

The "zone of avoidance" for the observation of extragalactic objects near the galactic plane constitutes compelling evidence that there is a significant absorbing medium in that plane. The localized dark "clouds" in the Milky Way and the prominent rift of the Milky Way suggest that we are dealing with a dusty type of absorption which can be put into quantitative terms by the estimate of the *mean* weakening of stars in the vicinity of the galactic plane of 0.35 mag. (visual) per kpc ( $3.09 \times 10^{21}$  cm). Such a weakening corresponds to a transmission of 0.725 for an object at a distance of 1 kpc or  $\beta = 1.0 \times 10^{-22}$  cm $^{-1}$  in the expression  $I/I_0 = e^{-\beta R}$ . This corresponds

TABLE 5  
SUMMARY OF COSMIC DUST

Source	$\beta = \pi r^2 N$ ( $\text{cm}^{-2}$ )	Estimated distance or extent, $R$ (cm)	$\beta R$	$e^{-\beta R}$	$1 - e^{-\beta R}$	$R$ (0.01) (cm)
Tropospheric Dust	$2.25 \times 10^{-7}$	$3 \times 10^5$ (3 km)	$6.75 \times 10^{-2}$	0.94	0.06	$2 \times 10^7$ (200 km)
Local Dust in upper Atmosphere	$1.5 \times 10^{-17}$	$10^7$ (100 km)	$10^{-10}$	$1 - 10^{-10}$	$10^{-10}$	$3 \times 10^{17}$ (1/10 pc)
	$1.5 \times 10^{-16}$	$10^6$ (10 km)				$3 \times 10^{16}$ (1/100 pc)
Zodiacal Cloud	$1.5 \times 10^{-19}$	$1.5 \times 10^{13}$ (1 A.U.)	$2.25 \times 10^{-6}$	$1 - (2.25 \times 10^{-6})$	$2.25 \times 10^{-6}$	$3 \times 10^{15}$ (10 pc)
Galactic Dust	$1 \times 10^{-28}$	$6.2 \times 10^{21}$ (2 kpc)	0.62	0.54	0.46	$4.6 \times 10^{22}$
		$6.2 \times 10^{22}$ (20 kpc)	6.2	0.002	0.998	(15 kpc)

Conversions: 1 Astronomical Unit (A.U.) =  $1.496 \times 10^{13}$  cm;  $\log_{10} = 13.17$   
 1 Parsec (pc) =  $206,265$  A.U. =  $3.09 \times 10^{18}$  cm;  $\log_{10} = 18.49$   
 3.26 Light years (L.Y.) = 1 Parsec (pc)  
 1 Kiloparsec (kpc) =  $3.09 \times 10^{21}$  cm;  $\log_{10} = 21.49$

a dust density only 0.0067 that of the zodiacal cloud but the opacity introduced is significant over galactic distances. The sun is some 8 kpc ( $2.47 \times 10^{22}$  cm) from the center of our galaxy. The transmission of visual light over 8 kpc is down to 0.09 so it appears that we "see" the galactic center only very dimly. The mean weakening of photographic light ( $\sim 4500$  AU) is about 0.67 mag. per kpc ( $\beta = 1.965 \times 10^{-22}$   $\text{cm}^{-1}$ ). Over 8 kpc this corresponds to a transmission in the photographic part of the

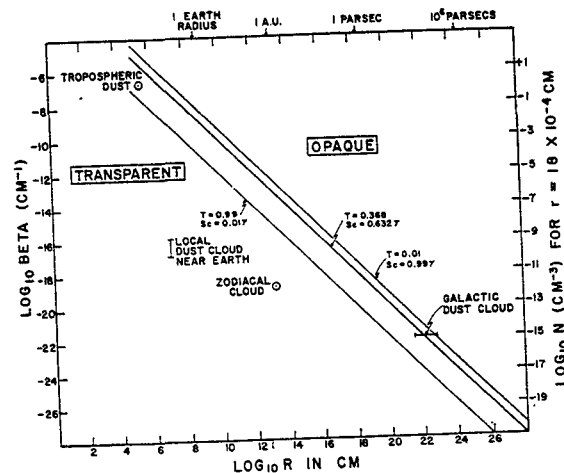


Fig. 10. Graphical representation of the occurrence of dust on the cosmic scale. See the text for the significance of the ordinate and abscissa scales.

spectrum of only 0.008 so, by photography, we are really blind so far as the galactic center is concerned.

In the anti-center direction the obscuration is still serious and we owe much of our knowledge of the detailed galactic structure in this region to the brilliant work of the radio astronomers who fortunately are not inhibited in their studies at the longer radio wavelengths by the interstellar dust.

The extent of the galactic dust cloud perpendicular to the galactic plane is relatively small (perhaps 200 to 300 parsecs), thus we are fortunately able to plumb the extra-galactic universe out to at least  $10^{28}$  centimeters.\*

The role of cosmic dust as an absorber gives way in the present discussion to its associated property of scattering. To a first approximation the two phenomena are related. If  $I$  is the observed surface brightness,  $I_0$  the brightness in the line of sight

\* The Estimated Distance to Object 296 in the Third Cambridge Catalogue of Radio Sources (3C296) =  $10^{10}$  l.y. =  $3.1 \times 10^{18}$  pc =  $9.5 \times 10^{27}$  km.,  $\log_{10} R = 27.98$ .

on the far side of a dust "cloud", and  $L$  is the flux of light falling on the cloud from all directions, then

$$I/I_0 \approx e^{-\pi^2 NR} = e^{-\beta R}$$

$$I/L \approx \gamma(1 - e^{-\beta R})$$

where  $\gamma$  is the albedo of the particles,  $r$  is their radius\* and  $N$  is their number density in  $\text{cm}^{-3}$ . In the case of perfect reflectors ( $\gamma = 1$ )\*\* and a uniformly illuminated cloud ( $I_0 = L$ ) we have

$$I/I_0 = e^{-\beta R} = 1 - I/L.$$

In other words, the extinction of the direct beam is compensated by the scattering from the light impinging on the cloud from the sphere surrounding it. A case in point is the galactic light already discussed which is the scattered light from galactic dust whose extinction effects have been well established.

A contrasting case is that of the zodiacal light due to a dust cloud so tenuous that its extinction is trivial. The fact that it is easily observed is due to the great intensity of its illuminator, the sun. Even though the total sunlight scattered by the zodiacal cloud is only about  $10^{-6}$  of the sunlight falling on it this is sufficient to provide the light of the night sky with its principal component.

We present in Figure 10 and Table 5 a general representation of dust in the cosmos with particular reference to its extinction and scattering properties. The principal diagonal in Figure 10 with a slope of  $-1$  corresponds to the case of  $\beta = 1/R$  where  $I/I_0 = 0.368$  and  $1 - I/I_0 = 0.632$ . It thus marks the region where a transmitted pencil of light is significantly weakened and scattering of a general illumination is enhanced. The region to the left of the diagonal is designated "transparent" and that to the right "opaque". There are two ways in which a physical situation may degrade from a transparent to an opaque condition: (a) the density of the dust may increase pushing the point upward, or (b) the path length may increase moving the point to the right.

In the last column of Table 5 is shown the distance required for a given dust concentration to result in a decrease of a pencil of light to 1% of its original intensity. In three of the four cases listed we note that we are saved from a black prison by the fact that in each case the extent of the dust is limited to distances such that  $\beta \ll 1/R$ . In the fourth case, the galactic dust, we are not so fortunate in the plane of the galaxy where  $\beta \approx 1/R$  but we can escape into intergalactic space via light beams away from the galactic plane where the flatness of our galaxy results in small extinction effects.

\* We here assume for simplicity that all the particles have the same radius and that their geometrical cross section is equal to their effective cross section. For an authoritative discussion of the role of dust in extinction and scattering the interested reader should consult the book on 'Light Scattering by Small Particles' by H. C. VAN DE HULST (Wiley, 1957).

\*\* These idealized assumptions are used for general illustrative purposes. It is, of course, not likely that the albedo, in a natural case, will be unity nor will the geometrical cross section be equal to the effective cross section. See VAN DE HULST (1957).

## 9. The Earthbound Observer and the Night Airglow. The Continuum

Evidence has grown that there is a component of radiation in the night sky of terrestrial origin which cannot be accounted for as due to the discrete emissions shown in Figure 2. It has come to be called a "continuum" though it may be the result of a large number of discrete emissions too faint to be recorded even on long exposure spectrograms.

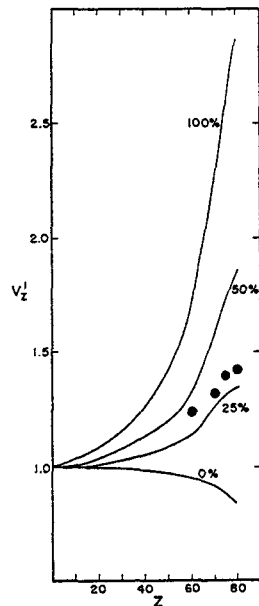


Fig. 11. Variation of observed increase toward the horizon of the brightness of the night sky for a wavelength of 5300 Å based on the average results over four nights at Haleakala. The observations (dots) can be compared with predicted variations based on assumed percentages of upper atmosphere nightglow component from 0% to 100%.

One bit of evidence suggesting the existence of such a nightglow continuum is based on an application of the so-called van Rhijn method. VAN RHYN (1921) called attention to the fact that a uniform emitting layer at a height,  $h$ , above the earth's surface will result in a systematic increase in intensity toward the horizon for an observer on the Earth's surface. In the absence of a lower atmosphere the ratio of intensity,  $I_z$ , at a zenith distance,  $z$ , to that at the zenith,  $I_0$ , is given by

$$I_z/I_0 = V_z = \left( \sqrt{1 - \left( \frac{R}{R+h} \right)^2 \sin^2 z} \right)^{-1}.$$

The interposition of the atmosphere between the emitting layer and the observer significantly modifies the effect so that the observed ratio  $V'_z$  is always numerically smaller than  $V_z$ .

In principle it is possible to deduce the height of the emitting layer from systematic observations as a function of zenith distance but in practice the accuracy of such height determinations has been poor due to difficulties associated with (1) the extinction and scatter of the lower atmosphere, (2) the lack of uniformity of intensity of the emitting layer over the sky and (3) the difficulty of allowing for the contamination\* of the observations by the astronomical light passed by the filter. For a

TABLE 6

RELATIVE INTENSITY  $V'_z$  OF THE SKY AS A FUNCTION OF ZENITH DISTANCE. HALEAKALA, FOUR NIGHTS (1961-1962). FILTER CENTERED AT 5300 Å

$V_z'$				% upper atmosphere (deduced)
Zenith Distance $Z$	Observed	Predicted		
		100% upper atmosphere ( $h = 100$ km)	100% astronomical	
0	1.000	1.000	1.000	—
40	1.145	1.263	0.985	—
60	1.230	1.772	0.953	—
70	1.341	2.265	0.921	31
75	1.407	2.586	0.885	30
80	1.439	2.865	0.842	30

definitive study of these problems the reader is referred to a paper by ROACH, MEGILL, REES and MAROVICH (1958).

Although the use of the van Rhijn approach in matters of quantitative finesse such as the deduction of emitting layer heights is not very fruitful, nevertheless the qualitative prediction of a systematic increase in intensity toward the horizon for such an emitting layer is helpful. As long ago as 1909 YNTEMA (1909) identified what he called Earthlight by such an interpretation of systematic observations of the night sky. ROACH and MEINEL (1955) have attempted to discriminate between the upper atmosphere and astronomical components and to estimate the percentage contribution of each in a given set of observations. Their method is illustrated in Table 6 and Figure 11. In the example we deduce an upper atmosphere component of about 30% of the total.

The predicted values of  $V'_z$  are based on an assumed extinction coefficient of  $0.142 \text{ atm}^{-1}$  and an assumed scattering coefficient of  $0.121 \text{ atm}^{-1}$ . In the case of the 100% astronomical calculation it was assumed that the astronomical light (integrated starlight and zodiacal light) was uniformly distributed over the sky. Although this is

\* To an airglow observer the astronomical light is a contamination. In the context of this paper, on the contrary, the airglow may be considered a contamination.

probably a reasonable assumption for the integrated starlight if many observations are used during which the Milky Way will not favor any particular zenith distance, it is not a good approximation for the zodiacal light which is systematically brighter toward the horizon. Thus the percent of upper atmosphere light deduced in the last column must be considered as an upper limit.

A dramatic indication of the existence of an airglow continuum has been obtained

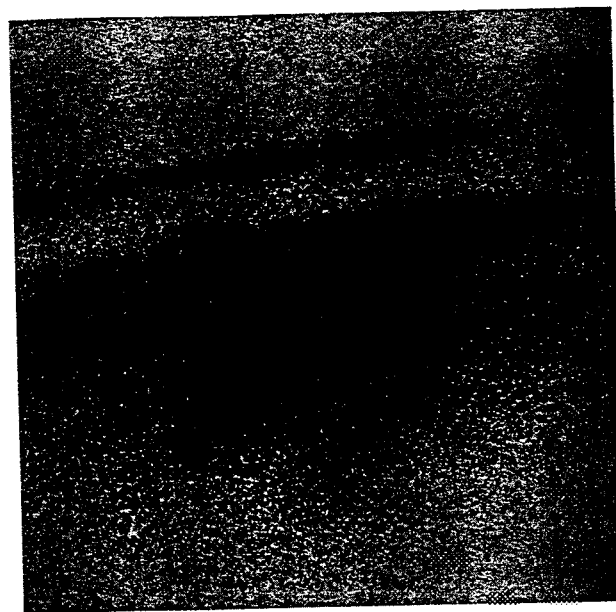


Fig. 12. A ten-second exposure made by Astronaut Gordon Cooper from an orbiting satellite on May 16, 1963, showing a luminous nightglow band distinctly above the earth's surface. From GILLET, HUCH, NEY and COOPER (1964).

by the American astronauts. They have all reported that there is an easily visible glow on the night side of the earth appearing as a sort of annulus separated from the solid earth horizon. Analysis of the height of the layer places it in the 100 kilometer region. The intensity is too great to be accounted for by the known discrete emissions (including the 5577 Å line) and is thus ascribable in large part to a general continuum (KOOMEN, GULLEDGE, PACKER and TOUSEY, 1963). Its visibility from a satellite (and not from the ground) is due to the favorable circumstances of a long grazing line of sight through the emitting layer (a 35-fold increase of intensity) plus the absence of lower atmosphere extinction.

Astronaut Gordon Cooper was especially successful in observing the night airglow layer both visually and photographically during his May 16, 1963, orbiting in satellite Ma-9 (Faith 7). In Figure 12 is shown one of his photographs, a ten-second exposure showing a night airglow band above the earth, the latter being visible by virtue of the illumination from a quarter moon. Color photographs by Cooper show that the night airglow layer appears green in contrast with the bluish cast of the moonlit earth.\* An analysis of nine of Cooper's photographs by GILLETT, HUCH, NEY and COOPER (1964) gives as the height of the center of the airglow band above the earth's surface, a mean of 88 kilometers with extreme values ranging from 75 km to 111 km.

### 10. The Nightglow. Atomic and Molecular Emissions

If the domain of interest is now expanded to include the entire visual spectrum we come to the matter of atomic and molecular emissions originating in the Earth's upper atmosphere. A definitive review of the nightglow should include discussions of

TABLE 7

NIGHTGLOW EMISSIONS (LARGELY FROM KRASSOVSKY, SHEFOV AND YARIN, 1962)

Source	Wavelength	Absolute zenith intensity	
		Rayleighs	Ergs. $\text{cm}^{-2}(\text{column}) \cdot \text{sec}^{-1}$
OH	0.38 to 4.5	5000000	3.6
O <sub>2</sub> (0, 1 atm)	8645 Å	500	$1.1 \times 10^{-3}$
HI (H $\alpha$ )	6563 Å	15	$4.5 \times 10^{-5}$
OI	6300, 6364 Å	200	$6.2 \times 10^{-4}$
NaI	5890, 5896 Å	30 (summer) to 200 (winter)	$1.0 \times 10^{-4}$ to $6.8 \times 10^{-4}$
OI	5577 Å	250	$8.9 \times 10^{-4}$
HI (H $\beta$ )	4861 Å	3	$1.2 \times 10^{-5}$
O <sub>2</sub> (Herzberg Bands)	3000 to 4000 Å	1500	$8.8 \times 10^{-5}$
Na <sup>+</sup>	3914 Å	(40)†	$2.0 \times 10^{-5}$
Continuum (Nightglow)	4000-7000 Å	900	$5.0 \times 10^{-5}$
Continuum (Astronomical)		(0.3 R/Å Mean)	
		4000	$1.5 \times 10^{-5}$
		(1.3 R/Å Mean)	

† The presence of Na<sup>+</sup> 3914 Å as a "nightglow" emission is uncertain. It is a prominent feature of the aurora.

Note. In tables 7 and 8 the "rayleigh" unit of airglow intensity is used. It may be defined as follows: "If the surface brightness,  $B$ , is measured in units of  $10^6$  quanta.  $\text{cm}^{-2} \cdot \text{sec}^{-1} \cdot \text{steradian}^{-1}$  then the intensity in rayleighs is  $4\pi B$ " (See HUNTER, ROACH and CHAMBERLAIN, 1956). In the case of a continuum the specific intensity in rayleighs per Angstrom (R/Å) is useful. At a wavelength of 5300 Å  $1 \text{ R/Å} = 227 S_{10} \text{ (vis)}$ .

\* "Practical" men have, on occasion, categorized pure research as being concerned with such impractical matters as "why is the grass green?" They may now add to their list of useless investigations "why is the night sky green?"

TABLE 8\*  
LIST OF OH BANDS IN ORDER OF WAVELENGTH

Wave-length air (Å)	Transi- tion ( $v' - v''$ )	Absolute intensity in rayleighs (CHAMBERLAIN and SMITH, 1959)	Wave- length air (Å)	Transi- tion ( $v' - v''$ )	Absolute intensity in rayleighs (CHAMBERLAIN and SMITH, 1959)
3816.6	9-0	0.023	10828	5-2	12000
4172.9	8-0	0.12	11433	6-3	15000
4418.8	9-1	0.73	12115	7-4	17000
4640.6	7-0	0.71	12898	8-5	16000
4903.5	8-1	3.8	13817	9-6	13000
5201.4	9-2	11.0	14336	2-0	46000
5273.3	6-0	4.4	15047	3-1	74000
5562.2	7-1	22	15824	4-2	88000
5886.3	8-2	57	16682	5-3	90000
6168.6	5-0	33	17642	6-4	82000
6256.0	9-3	110	18734	7-5	71000
6496.5	6-1	130	19997	8-6	54000
6861.7	7-2	310	21496	9-7	37000
7274.5	8-3	520	28007	1-0	920000
7521.5	4-0	280	29369	2-1	820000
7748.3	9-4	710	30854	3-2	640000
7911.0	5-1	930	32483	4-3	490000
8341.7	6-2	1800	34294	5-4	360000
8824.1	7-3	2800	36334	6-5	260000
9373.0	8-4	3400	38674	7-6	180000
9788.0	3-0	3100	41409	8-7	110000
10010	9-5	3600	44702	9-8	65000
10273	4-1	7600			

\* See Note under Table 7.

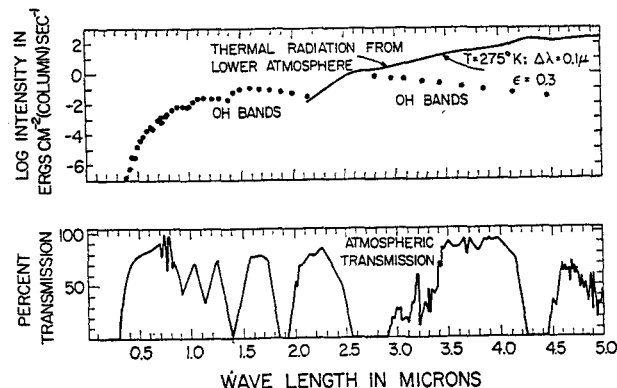


Fig. 13. Above: Distribution of intensities and wavelengths of the rotation-vibration bands of OH in the nightglow; observed to about  $1.5\mu$  and predicted for wavelengths longer than  $1.5\mu$ . Also, the absolute intensity of the thermal radiation from the lower atmosphere for a temperature of  $275^\circ\text{K}$ , a slit width of  $0.1\mu$ , and an emissivity of 0.3. Below: The transmission of the lower atmosphere versus wavelength.

such matters as temporal and spacial changes, emission heights and excitation mechanisms.

Our purpose here is to give a brief description of the photometric nature of the nightglow. We refer the reader interested in a more detailed discussion to review papers\* and the authoritative book by J. W. CHAMBERLAIN (1961). In Table 7 we record the principal nightglow emissions as presently known. In Figure 2 they are shown plotted as functions of wavelength and of emission height.

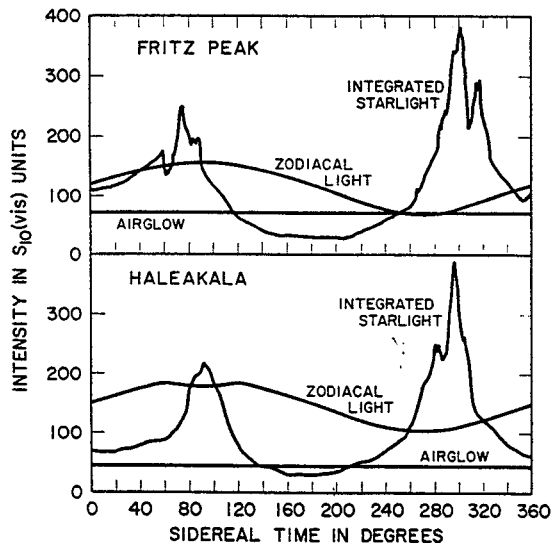


Fig. 14. The variation of the three principal constituents of the light of the night sky with sidereal time for the stations Fritz Peak and Haleakala.

Historically the emissions OI 5577, OI 6300–64 and NaI 5890–96 came first to the attention of observers. Later the Herzberg bands were identified as important contributors in the 3000 Å to 4000 Å domain. Energetically the most conspicuous known component of the nightglow is the extensive system of rotation-vibration bands due to the hydroxyl (OH) radical. The hydroxyl bands are listed in Table 8 in order of increasing wavelength. The absolute intensities are shown both in the table and in Figure 13.

Attention is called to the fact that the night airglow shown as a component in the zenith skies of Fritz Peak and Haleakala (Figure 14) is based on a filter transmitting

a narrow band near 5300 Å. The spectral region was chosen to avoid prominent nightglow emissions (one of the weak hydroxyl bands is however included). The airglow transmitted by the filter is largely what we have referred to in the previous section as a "continuum".

Obviously, if the purpose of an investigation is the study of specific nightglow emission features, filters will be chosen to center on the emission or, alternatively, the investigation may be carried out by spectroscopic means. The spectrographic method suffers from the fact that, with the spectrographs that have been employed, exposure times of the order of an hour are needed to bring out the emission features. The spectrograph slit may include a large slice of the sky (in one design a vertical circle from horizon to horizon). In filter photometry the flux of light on the cathodes of photoelectric detectors used in conjunction with telescopes of modest aperture is sufficient that an integration over a fraction of a second yields a reliable photocurrent. The entire sky can be surveyed in a few minutes so that several complete sky coverages can be made by a filter photometer during a single spectrographic exposure and, as a consequence, most of the systematic work on the nightglow has been done with photometers. If the isolating filter used in a photoelectric photometer could be as narrow as a spectrograph slit an emission feature of the nightglow could be reasonably discriminated with respect to the astronomical background (integrated starlight and zodiacal light). The available interference filters are sufficiently narrow that one centered on an emission line such as 5577 Å can result in as much as 75% of the total zenith reading due to the emission and 25% to the background.\*

The general conclusion emerges from this discussion that the photometric observer of the light of the night sky is necessarily concerned with all three components in the analysis of his data explaining why the present paper which was originally planned as a discussion of the zodiacal light was expanded into a more ambitious undertaking.

## 11. Summary

We bring together our general results in two figures. Figure 14 portrays the resolution of the light of the night sky into its three principal components based on a series of zenith observations extending over a year at the two stations: Fritz Peak in Colorado, U.S.A., (latitude N 39°.9, longitude W 105°.5) and Haleakala in Hawaii, U.S.A. (latitude N 20°.7, longitude W 156°.3). The observations are from a current study by ROACH and SMITH (1964a) using photometers centered on wavelength 5300 Å. With respect to sidereal time the airglow continuum is a constant.\*\* The two Milky Way traverses are conspicuous features of the integrated starlight curves. The variation of the zodiacal light is the result of the variable ecliptic latitude of the zenith throughout

\* A technological advance of great importance to nightglow observers was the development of a birefringent filter which discriminates between an emission line and a background continuum. See DUNN and MANRING (1955); also ROACH, MEGILL, REES, and MAROVICH (1958).

\*\* Local time changes in the airglow may occur but such changes are averaged out with respect to sidereal time.

\* See for example ROACH (1963).

the year. A refined analysis of the data, not shown in the plot, gives a further variation of the zodiacal light as a function of  $\lambda - \lambda_0$ , the differential ecliptic longitude between the zenith and the sun. The zodiacal light is the brighter of the three components except when the Milky Way is in the zenith. The zodiacal light tends to be systematically brighter toward the horizon so that it is definitely the most prominent of the three for the sky as a whole.

The interrelationships of the constituents of the light of the night sky are shown from a different point of view in Figure 15 where the ordinate is logarithm of the

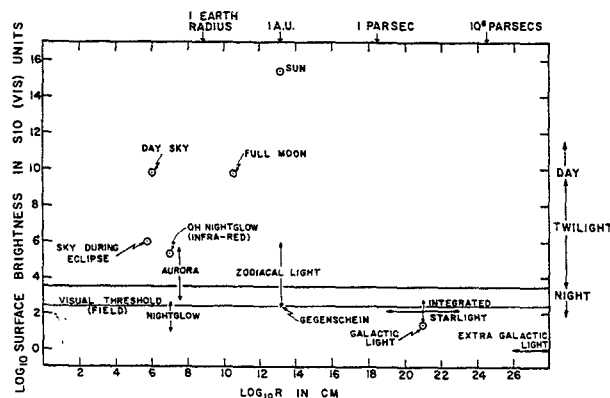


Fig. 15. Graphical representation of the brightness of components and features of the day and of the night sky with the cosmic occurrence indicated by the distance or extent of each along the abscissa. Note the log-log scales.

surface brightness and the abscissa is logarithm of the distance or extent. Moving downward in the plot the features of the night sky appear below the line corresponding to the end of twilight. The brightness of the nightglow, the zodiacal light and gegenschein, the integrated starlight and galactic light are comparable (on the logarithmic scale) but one is impressed with the vastly different linear distances in connection with the several phenomena. The nightglow is a terrestrial phenomenon having a thickness of about one atmospheric scale height ( $\log R \approx 7$ ). The zodiacal light is an interplanetary phenomenon with a characteristic dimension of one astronomical unit ( $\log R \approx 13$ ). The integrated starlight from our galaxy has a characteristic maximum dimension of some 30 kpc ( $\log R \approx 23$ ). Finally the extra galactic nebulae which collectively contribute much less than 1% of the light of the night sky are at distances as much as  $\log R \approx 28$ . They can be photographed individually in spite of the competition of the sky background and in spite of the hazard of extinction by intervening dust.

In the preparation of this report the writer has been impressed with the confluence

of several circumstances that make possible the observation of the universe in the visible part of the spectrum. Any one of several contingencies might have made such observations impossible.

Let us consider the matter of contrast. The prime example here is the bright (but beautiful!) day sky which prohibits serious daytime study of the astronomical sky. There follows, during a diurnal terrestrial rotation the period of twilight which under the best of circumstances lasts a little less than  $1\frac{1}{2}$  hours but which, during the local summer, in the vicinity of polar regions persists all night. The obliquity of the ecliptic is sufficient to make a stimulating annual sequence of seasons but small enough to keep the twilight period of reasonable duration over a good portion of the earth.

A hazard narrowly averted is that due to the interplanetary dust cloud leading to the zodiacal light. The concentration of dust is very small indeed (Figure 10) so that an increase by a factor of ten would be trivial in terms of the constitution of the solar system.\* But such an increase would result in a night sky so bright (average zodiacal light 2000  $S_{10}$  (vis) instead of 200) that the Milky Way would be difficult to see and the airglow difficult to measure. The aesthetic gain in a rather spectacular zodiacal light pattern over the sky would hardly compensate for the loss from the absence of the details of our galactic universe. The effect of such an enhanced zodiacal light would correspond to that experienced in a planetarium when the operator adjusts the rheostats to bring on dawn and the celestial objects disappear.

A permanent twilight that would have the same effect would be due to the hydroxyl nightglow if (a) it were concentrated in the visible part of the spectrum rather than in the near infra red or if (b) the human eyes were sensitive in the near infrared.

The narrow escape from the cosmic ignorance that would have resulted from a situation in which the observer found himself in a less favorable environment is well illustrated by the "zone of avoidance" of extra galactic nebulae in the vicinity of the Milky Way plane. If our galaxy were not highly flattened so that its extent perpendicular to the plane is sufficiently small to permit an observational window outward we would not have been able to photograph the extra-galactic objects and we would have been content with a rather restricted concept of a universe consisting of a single galaxy. The same dire result would have occurred if the sun to which our planet is attached were more deeply embedded in the galactic dust near the galactic center. Thus we find compensation for our non-central location.

There can be little doubt that human ingenuity would in time have overcome any or all of the above circumstances as the radio astronomers have done by changing the exploring frequency so as to avoid the difficulties. But this would have taken time, especially in the absence of the stimulation of the knowledge gained by visual and photographic observations. It is likely that the time lag would have been sufficient that the present review could not have been written by the present author. It may be conjectured whether other astronomers on other planets are as fortunate or whether, after all, this is "the best of all possible worlds".

\* It is of interest to speculate that during the history of the solar system the interplanetary dust concentration may have been significantly greater than at present.



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# PICTURES FROM METEOROLOGICAL SATELLITES AND THEIR INTERPRETATION

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## Historical Background

While their projectile was advancing towards the moon in 1860, Jules VERNE's (1865) intrepid "lunarnauts" looked back and "saw" cloud systems against the Earth's background. "Some parts brilliantly lighted showed the presence of high mountains, often disappearing behind thick spots, which were never seen on the lunar disc. They were rings of clouds placed concentrically round the terrestrial globe." The details which they "saw" may not have been exactly what we find today. Yet perhaps the "brilliantly lighted high mountains" looked like the snow covered Andes as in Figure 1, and one of the "concentric rings" of clouds had its counterpart in the clouds of the intertropical convergence zone of Figure 2.\* At any rate about hundred years were to elapse before the real successors to Verne's travellers actually saw the majestic cloud-scape against the terrestrial globe.

At about the same time that Verne was foreshadowing modern cosmonauts and astronauts another Frenchman took pictures of the earth from a balloon (*Select Committee*, 1959). And gradually as technological advances were made, airplanes supplemented balloons, and then rockets supplemented airplanes as platforms from which photographs could be made. But it was not until large rockets became available after World War II that photographs, covering relatively large areas, were produced. And in fact, analyses of the synoptic state of the atmosphere were actually prepared with the aid of rocket pictures on several occasions. (BJERKNES, 1951; HUBERT and BERG, 1955; CONOVER and SADLER, 1960). Since synoptic analysis over wide areas could be improved with the aid of pictures taken from high altitude rockets, serious proposals were advanced advocating the use of the satellite as a meteorological observing tool. For example, detailed suggestions were presented by GREENFIELD and KELLOGG in 1951 (Library of Congress, 1962), and one of the earliest public discussions of the potential use of satellite data was given by WEXLER (1954, 1957). Figure 3, taken from WEXLER's paper (1957), is an artist's conception of the appearance of the Earth when viewed by a satellite from an altitude of 6000 km above the surface.

The cloud systems appear bright in reflected sunlight, and many of the cloud

\* This figure will be discussed more fully later under the heading 'Tropical Cloud Systems'.



# REPORT DOCUMENTATION PAGE

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